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CLAIMS DETAILED DESCRIPTION TECHNICAL FIELD PRIOR ART EFFECT OF THE
INVENTION TECHNICAL PROBLEM MEANS DESCRIPTION OF DRAWINGS DRAWINGS
WRITTEN AMENDMENT

[Translation done.]

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CLAIMS

[Claim(s)]

[Claim 1] It is the turbo receiving approach of receiving the signal from the transmitter of two or more integer N individuals, and is the input signal r_m of one or more integers [M]. From a known signal, the channel value $h_{mn}(q)$ and the channel matrix H are calculated. Here $m=1, \dots, M$, $n=1, \dots, N$, $q=0, \dots, Q-1$, and Q are several N prior information lambda 2 on the multi-pass of each transmitted electric wave. $[b_n(k)]$ to soft decision transmitting symbol b'_n It asks for (k). k is the discrete time-of-day and channel value $h_{mn}(q)$ and soft decision transmitting symbol b'_n here. Using (k), interferent component $H-B'(k)$ to the sending signal of the n-th transmitter is calculated, and it is here, and is [Equation 1].

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \ddots \\ 0 & H(0) & \dots & H(Q-1) \end{bmatrix}$$

$$H(q) = \begin{bmatrix} h_{11}(q) & \dots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \dots & h_{MN}(q) \end{bmatrix}$$

$B'(k) = [b'^T(k+Q-1) \dots b'^T(k) \dots b'^T(k-Q+1)]^T b'(k+q) = [b'_1(k+q) b'_2(k+q) \dots b'_N(k+q)]^T$ $q=Q-1, \dots, -Q+1$ It is $b'(k) = [b'_1(k) \dots b'_N(k)]^T$ The number of the zero of the element of $b'(k)$ is n in $q=0$. [] It asks for vector $y'(k)$. T — a transposed matrix — it is — this interferent component $H-B'(k)$ — from receiving vector $y(k)$ — deducting — difference — here $y(k) - (H-B'(k))y(k) = [r^T(k+Q-1) \dots r^T(k) \dots r^T(k-Q+1)]^T - [b'_1(k+q) \dots b'_N(k+q)]^T$ — T — a channel — a matrix — H — or — a reference sign — using — difference — adaptation filter factor w_n to the input signal of the sending signal from the n-th transmitter which removes the residual interferent component in vector $y'(k)$ It asks for (k). difference — vector $y'(k)$ — the above-mentioned adaptation filter factor w_n as the input signal [as opposed to / carry out filtering by (k) and / the sending signal from the n-th transmitter] by which interference removal was carried out — a logarithm — the turbo receiving approach characterized by obtaining a likelihood ratio.

[Claim 2] the covariance matrix of the noise component in the receiving vector $y(k)$ — U — carrying out — the soft decision transmitting symbol $b'_n(k)$ above-mentioned channel matrix H — using — the above-mentioned adaptation filter $w_n(k)$ $w_n(k) = (HG(k)HH^H + U)^{-1}h$ — here $G(k) = \text{diag}[D(k+Q-1) \dots D(k) \dots D(k-Q+1)]$ $D(k+q) = \text{diag}[1-b'^2_1(k+q), \dots, 1-b'^2_N(k+q)]$ — and $1-b'^2_1(k+q)$ $q=Q-1, \dots, -Q+1$ and $q \neq 0 = \text{diag}[1-b'^2_1(k+q), \dots, 1, \dots, 1-b'^2_N(k+q)]$ $q=0$ — [Equation 2]

$$h = \begin{bmatrix} H_{1,(Q-1) \cdot N+n} \\ H_{2,(Q-1) \cdot N+n} \\ \vdots \\ H_{M,(Q-1) \cdot N+n} \end{bmatrix}$$

H1 and $-(Q-1)N+n$ The turbo receiving approach according to claim 3 characterized by computing by the one-line $(Q-1)N+n$ train component of the top Noriyuki train H.

[Claim 5] The above-mentioned adaptation filter wn The turbo receiving approach according to claim 2 or 4 characterized by performing the inverse-matrix operation in count of (k) using the lemma of an inverse matrix.

[Claim 6] The turbo receiving approach given in claim 1 thru/or any of 5 they are. [which is characterized by setting the covariance matrix U of the noise component within the receiving vector y (k) to sigma2I which can be found from variance sigma2 and the unit matrix of Gaussian distribution]

[Claim 7] The covariance matrix U of the noise component within the above-mentioned receiving vector y (k) Above-mentioned receiving vector y (k), The above-mentioned presumed channel matrix H is used. $U^{-1} = \sum_{k=0}^{Q-1} \text{Tr} (y(k) - H \hat{B}(k))$ and $(y(k) - H \hat{B}(k)) H^T B(k) = [b^T \dots (k+Q-1) b^T(k) \dots b^T(k-Q+1)] [b_1 \dots (k+q) b_N] (k+q)^T (q=-Q+1 \dots Q-1)$

Tr is the turbo receiving approach given in claim 1 thru/or any of 5 they are. [which is characterized by considering as the die length of a reference sign]

[Claim 8] The turbo receiving approach given in claim 2 thru/or any of 7 they are. [which is characterized by approximating Above D (k+q) with 0 and approximating Above D (k) by diag (0, ..., [1, ..., 0])]

[Claim 9] It is the turbo receiving approach of receiving the signal from the transmitter of two or more integer N individuals, and is the input signal rm of one or more integers [M]. From a known signal, the channel value hmn (q) and the channel matrix H are calculated. Here $m=1, \dots, M$, $n=1, \dots, N$, $q=0, \dots, Q-1$, and Q are several N prior information lambda 2 on the multi-pass of each transmitted electric wave. $[b_n(k)]$ to soft decision transmitting symbol b'n It asks for (k). k is the discrete time-of-day and channel value hmn (q) and soft decision transmitting symbol b'n here. Using (k), interferent component $H-B'(k)$ to the sending signal of the n-th transmitter is calculated, and it is here, and is [Equation 5].

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \ddots \\ 0 & H(0) & \dots & H(Q-1) \end{bmatrix}$$

$$H(q) = \begin{bmatrix} h_{11}(q) & \dots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \dots & h_{MN}(q) \end{bmatrix}$$

$B'(k) = [b^T(k+Q-1) \dots b^T(k) \dots b^T(k-Q+1)] T b'(k+q) = [b'_1(k+q) b'_2(k+q) \dots b'_N(k+q)] T$ $q=Q-1 \dots -Q+1$ It is $b'(k) = [b'_1 \text{ at } q \neq 0. (k) \dots 0 \dots b'_N(k)]^T$ The number of the zero of the element of $b'(k)$ is n in $q=0.$ [-] It asks for vector y' (k). T — a transposed matrix — it is — this interferent component $H-B'(k)$ — from receiving vector y (k) — deducting — difference — here — y — (— k —) — = — [— rT — rT (k+Q-1) — (k+Q-2) — rT — (— k —) —] — Tr — (— k —) — = — [— r — one — (— k —) — r — two — (— k —) — rM — (— k —) —] — T — reception — a vector — y — (— k —) — inside — a noise — a component — a covariance

matrix — As $\sigma^2 I$ which can be found from distributed σ^2 of Gaussian distribution, and a unit matrix I , it is [Equation 6].

$$h = \begin{bmatrix} H_{1, (Q-1) \cdot N+n} \\ H_{2, (Q-1) \cdot N+n} \\ \vdots \\ H_{M \cdot Q, (Q-1) \cdot N+n} \end{bmatrix}$$

adaptation filter coefficient w_n which was boiled and was determined more difference — as the input signal from which filtering of vector $y'(k)$ was carried out, and the interference to the sending signal from the n -th transmitter was removed — a logarithm — the turbo receiving approach characterized by obtaining a likelihood ratio.

[Claim 10] the turbo receiving approach of receiving the signal from the transmitter of two or more integer N individuals — it is — input signal r_m of one or more integers $[M]$ From a known signal, the channel value $h_{mn}(q)$ and the channel matrix H are calculated. $m=1, \dots, M, n=1, \dots, N, q=0, \dots, Q-1$, and Q are several N prior information λ^2 on the multi-pass of each transmitted electric wave here. $[b_n(k)]$ to soft decision transmitting symbol b'_n It asks for (k) . k is the discrete time-of-day and channel value $h_{mn}(q)$ and soft decision transmitting symbol b'_n here. Using (k) , interferent component $H \cdot B'(k)$ to the sending signal of the n -th transmitter is calculated, and it is here, and is [Equation 7].

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \vdots \\ 0 & H(0) & \dots & H(Q-1) \end{bmatrix}$$

$$H(q) = \begin{bmatrix} h_{11}(q) & \dots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \dots & h_{MN}(q) \end{bmatrix}$$

$B'(k) = [b'^T(k+Q-1) \dots b'^T(k) \dots b'^T(k-Q+1)]^T b'(k+q) = [b'_1(k+q) b'_2(k+q) \dots b'_N(k+q)]^T$ $q=Q-1, \dots, 0$. It is $f(b'_n(k))$ is the n -th of the element of $b'(k)$ at $-Q+1(k)$ $q=0$. It is $b'(k) = [b'_1(k) \dots b'_N(k)]^T$. $f(b'_n(k)) = b'_N f(\cdot) = f(0) = 0$ and $d = \{f(b'_n(k)) / d[b'_n(k)] > 0\}$ [—] It asks for vector $y'(k)$. T — a transposed matrix — it is — this interferent component $H \cdot B'(k)$ — from receiving vector $y(k)$ — deducting — difference — here — $y(k) = [r^T(k+Q-1) \dots r^T(k+Q-2) \dots r^T(k)]^T$ — T — r — one — $(k) = r$ — two — $(k) = rM(k)$ — T — reception — a vector — $y(k)$ — inside — a noise — a component — a covariance matrix — As $\sigma^2 I$ which can be found from distributed σ^2 of Gaussian distribution, and unit-matrix I , it is [Equation 8].

$$h = \begin{bmatrix} H_{1, (Q-1) \cdot N+n} \\ H_{2, (Q-1) \cdot N+n} \\ \vdots \\ H_{M \cdot Q, (Q-1) \cdot N+n} \end{bmatrix}$$

adaptation filter coefficient w_n which was boiled and was determined more difference — as the input signal from which filtering of vector $y'(k)$ was carried out, and the interference to the

sending signal from the n-th transmitter was removed — a logarithm — the turbo receiving approach characterized by obtaining a likelihood ratio.

[Claim 11] It is the turbo receiving approach of receiving the sending signal from the transmitter of two or more integer N individuals. The channel value which is the transmission characteristic of an input signal is calculated from the input signal of one or more integers [M], and a known signal. Presume a soft decision transmitting symbol from the prior information on N individual, respectively, and the sending signal of N individual is divided into L sending-signal groups ($L \leq N$) which consist of 1 thru/or two or more sending signals, respectively. L identification signals which removed the interference from other sending-signal groups about each of that sending-signal group using the channel matrix which consists of a soft decision transmitting symbol and a channel value, respectively, The transmission characteristic of the identification signal and the channel information after the identification which corresponds, respectively are searched for. About each class of these L sets of identification signals and channel information, make the identification signal group into an input signal, make channel information into a channel value, and when the configuration sending signal is plurality Divide the configuration sending signal into two or more sending-signal groups which consist of further 1 thru/or two or more sending signals, and a soft decision transmitting symbol is used. The channel information after the identification signal which removed the interference from other sending-signal groups about the sending-signal group, respectively, and identification is searched for. When the number of configuration sending signals is one, the identification signal and channel information, and a soft decision transmitting symbol are used. Until it removes interference by the multi-pass of the sending signal itself and the configuration sending signal of all identification signals becomes one piece The above-mentioned division, Repeat interference removal and generation of the channel information after identification, and the identification signal which finally removed interference by the multi-pass of itself about each sending signal is searched for. Or the turbo receiving approach characterized by searching for the identification signal which removed the between [sending signals] interference, and an own intersymbol interference for every configuration sending signal of the identification signal about the group of the above-mentioned identification signal and its channel information.

[Claim 12] About each above-mentioned sending-signal group, a soft decision transmitting symbol and a channel are used. Generate the interference replica from other sending-signal groups, respectively, deduct an interference replica from an input signal, respectively, and a differential signal is searched for, respectively. Search for the channel information after the filter shape for interference remainder component removal, and the above-mentioned identification for every differential signal from the above-mentioned channel value and a soft decision transmitting symbol, and filtering of the differential signal which corresponds by the filter shape for interference remainder component removal is carried out. The turbo receiving approach according to claim 11 characterized by acquiring the above-mentioned identification signal.

[Claim 13] the above-mentioned input signal $r_1(k)$, —, $r_M(k)$ — from — reception — a vector — $y(k)$ — = — $[r_T(k) \ r_T(k+Q-1) \ r_T(k+Q-2) \ \dots \ r_T(k)]^T$ — T_r — (k) — = — $[r_one(k) \ r_two(k) \ \dots \ r_M(k)]^T$ — T — $[\dots]$ — T a transposed matrix — front **** — asking — the above-mentioned transmission characteristic — the channel matrix H — carrying out — [Equation 9]

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & \dots & 0 \\ & \ddots & & \ddots & \\ 0 & & H(0) & \dots & H(Q-1) \end{bmatrix}$$

$$H(q) = [h_1(q) \ \dots \ h_N(q)]$$

h_n The number of $(q) = [h_{1n}(q) \ \dots \ h_{Mn}(q)]$ $T_m=1$, —, $M, n=1$, —, N , and multi-passes is set to Q . It is $q=0$, —, $Q-1$, and $h_{mn}(q)$ is an input signal r_m . It is the channel value of the pass q from the n-th transmitter contained. They are eye **** and the above-mentioned soft decision transmitting symbol b'_n It is referred to as (k) . The configuration about the one above-mentioned sending-signal group The 1st thru/or the U th sending signal, U is a becoming integer $N > U \geq 1$ and calculates the interference replica from a sending-signal group besides the above by H —

$B'(k)$ here. It is $B'(k) = [b'^T \text{ here. } \dots (k+Q-1) b'^T(k) \dots b'^T(k-Q+1)]^T$ $Tb'(k+q) = [b'^1(k+q) b'^2 \dots (k+q) b'^n \dots (k+q) b'^N(k+q)]^T$: It is $b'(k+q) = [0 \text{ at } q=Q-1 \text{ and } \dots -1. \dots 0 \text{ bu}+1'(k+q) \dots \text{by } b'^N(k+q)]^T$: $q=0, \dots, -Q+1$ the number of the elements of zero in $b'(k+q)$ — U pieces — it is — this interference replica $H-B'(k)$ — from above-mentioned receiving vector $y(k)$ — subtracting — the above — difference — vector $y'g$ The turbo receiving approach according to claim 12 characterized by asking for (k) .

[Claim 14] The turbo receiving approach according to claim 11 or 12 characterized by making into smallness the number of the multi-passes in the case of the interference removal processing which the identification signal received previously in case interference removal is further performed to the above-mentioned identification signal and its channel information.

[Claim 15] the above-mentioned input signal $r1(k)$, —, rM — k — — from — reception — a vector — y — — k — — = — $[-r^T \dots r^T(k+Q-1) \dots (k+Q-2) \dots r^T \dots (-k) \dots]$ — Tr — $(-k) \dots$ — = — $[-r \dots \text{one} \dots (-k) \dots r \dots \text{two} \dots (-k) \dots rM \dots (-k) \dots]$ — T — $[-\dots]$ — T a transposed matrix — front **** — asking — the above-mentioned transmission characteristic — the channel matrix H — carrying out — [Equation 10]

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & & 0 \\ & \ddots & & \ddots & \\ 0 & & H(0) & \dots & H(Q-1) \end{bmatrix}$$

$$H(q) = [h1(q) \dots hn(q)]$$

hn The number of $(q) = [h1n(q) \dots hMn(q)]$ $Tm=1, \dots, M, n=1, \dots, N$, and multi-passes is set to Q . It is $q=0, \dots, Q-1$, and $hmn(q)$ is an input signal rm . It is the channel value of the pass q from the n -th transmitter contained. They are eye **** and the above-mentioned soft decision transmitting symbol $b'n$ It is referred to as (k) and the configuration is made into the 1st thru/or the U th sending signal about the one above-mentioned sending-signal group. U is a becoming integer $N>U>=1$ and sets to $Q'<Q$ the number of the multi-passes in the interference removal processing to the identification signal by which interference removal processing was carried out to this sending-signal group here. The interference replica from a sending-signal group besides the above is calculated by $H-B'(k)$. It is $B'(k) = [b'^T \text{ here. } \dots (k+Q-1) b'^T(k) \dots b'^T(k-Q+1)]^T$ $Tb'(k+q) = [b'^1(k+q) b'^2 \dots (k+q) b'^n \dots (k+q) b'^N(k+q)]^T$: It is $b'(k+q) = [0 \text{ at } q=Q-1 \text{ and } \dots -1. \dots 0 \text{ bu}+1(k+q) \dots \text{The number of elements of zero in } b'^N(k+q) : q=0, \dots, -Q'+1 b'(k+q) \text{ is } U \text{ pieces. } b'(k+q) = [b'^1 \dots (k+q) b'^n \dots (k+q) b'^N(k+q)]^T$: This interference replica $H-B'(k)$ is subtracted from above-mentioned receiving vector $y(k)$. $q=Q', \dots, -Q+1$ — difference — vector $y'g(k)$ — **** — the turbo receiving approach according to claim 14 characterized by things.

[Claim 16] The turbo receiving approach given in claim 1 thru/or any of 15 they are. [which makes a reference sign a known signal and the transmitting coding symbol hard decision output obtained by the last processing in the repeat processing 2nd after turbo reception, and is characterized by calculating the above-mentioned channel matrix using this reference sign and input signal]

[Claim 17] The turbo receiving approach according to claim 16 characterized by the probability under transmitting coding symbol hard decision output obtained by the last processing using for count of the above-mentioned channel matrix by making the thing beyond a predetermined value into a reference sign.

[Claim 18] prior information $\lambda 2$ on the above-mentioned N individual the logarithm as an input signal [as opposed to / obtain $[bn(k)]$ from the transmitter of the above-mentioned N individual, and the corresponding decoder of N individual, and / the n -th above-mentioned sending signal] by which interference removal was carried out — the turbo receiving approach given in claim 1 thru/or any of 17 they are. [which is characterized by supplying a likelihood ratio to a corresponding decoder]

[Claim 19] The sending signal of the above-mentioned N individual is a signal transmitted with the transmitter of N individual as a sequence of juxtaposition of one information sequence of N individual, respectively. Prior information $\lambda 2$ on the above-mentioned N individual $[bn(k)]$ is the prior information $\lambda 2$ on one decoder. Serial-parallel conversion of [the $b(j)$] is

carried out. the logarithm of N individual as an input signal to the sending signal of the above-mentioned N individual by which interference removal was carried out — the turbo receiving approach given in claim 1 thru/or any of 17 they are. [which is characterized by carrying out juxtaposition—serial conversion of the likelihood ratio, and supplying the above-mentioned decoder]

[Claim 20] It is $m=1$, —, the channel presumption machine that M each input signal r_m and the reference sign of a known signal are inputted, and calculates the channel value $h_{mn}(q)$ and the channel matrix H, and here here, and is [the input-signal generation section which receives the signal from the transmitter of two or more integer N individuals and which is a turbo receiver and obtains the input signal r_m of one or more integers / M /, and] [Equation 11].

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \ddots \\ 0 & H(0) & \dots & H(Q-1) \end{bmatrix}$$

$$H(q) = \begin{bmatrix} h_{11}(q) & \dots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \dots & h_{MN}(q) \end{bmatrix}$$

$n=1$, —, N each input signal r_m it inputs — having — receiving vector $y(k) = [r_T \ r_T(k+Q-1) \dots (k+Q-2) \ r_T(k)]^T$ $T(k) = [r_1(k) \ r_2(k) \dots r_M(k)]^T$ — here — k — discrete time of day and Q — the number of the multi-passes of each transmitted electric wave — $q=0, \dots, Q-1$, and []^T The receiving vector generation section which generates ** showing a transposed matrix, The prior information on N individual is inputted and it is soft decision transmitting symbol b'_n . The soft decision symbol generation section which generates (k) , Each soft decision transmitting symbol $b'_1(k) \dots b'_N(k)$ is inputted. Interference replica vector $B'(k) = [b'_T(k+Q-1) \dots b'_T(k) \dots b'_T(k-Q+1)]^T = [b'_1(k+q) \dots b'_N(k+q)]^T$ $q=0, \dots, Q-1$ to the n -th sending signal, —, $-Q+1 \leq q \leq 0$ — $b'(k) = [b'_1(k) \dots b'_N(k)]^T$ — The replica vector generation section in which the zero of the element of $b'(k)$ generate the n -th by $q=0$, The filtering section which interference replica vector $B'(k)$ is inputted as the channel matrix H, and calculates and outputs interferent component $H \cdot B'(k)$ to the input signal of the n -th sending signal, interferent component $H \cdot B'(k)$ and receiving vector $y(k)$ inputs — having — difference — with the difference operation part which outputs vector $y'(k) = y(k) - H \cdot B'(k)$ the channel matrix H or a reference sign inputs — having — difference — with the filter factor presumption section which asks for the adaptation filter factor $w_n(k)$ to the input signal of the sending signal from the n -th transmitter from which the residual interferent component in vector $y'(k)$ is removed Vector $y'(k)$ and the above-mentioned adaptation filter factor $w_n(k)$ are inputted, and filtering is carried out to $y'(k)$. difference — as the input signal to the sending signal from the n -th transmitter by which interference removal was carried out — a logarithm — the turbo receiver characterized by providing the adaptation filter section which obtains a likelihood ratio and is supplied to the n -th decoder.

[Claim 21] It is $m=1$, —, the channel presumption machine that the decoder of MN individual, each input signal r_m , and the reference sign of a known signal are inputted, and calculates the channel value $h_{mn}(q)$ and the channel matrix H, and here here, and is [the input-signal generation section which receives the signal from the transmitter of two or more integer N individuals and which is a turbo receiver and obtains the input signal r_m of one or more integers / M /, and] [Equation 12].

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \ddots \\ 0 & & H(0) & \dots & H(Q-1) \end{bmatrix}$$

$$H(q) = \begin{bmatrix} h_{11}(q) & \dots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \dots & h_{MN}(q) \end{bmatrix}$$

$n = 1, \dots, N$ each input signal r_m it inputs — having — receiving vector $y(k) = [r_T^T \ r_T^T(k+Q-1) \dots (k+Q-2) \ r_T^T(k)]^T$ $r_T(k) = [r_1(k) \ r_2(k) \dots r_M(k)]^T$ — T — here — k — discrete time of day and Q — the number of the multi-passes of each transmitted electric wave — $q = 0, \dots, Q-1$, and [] T The receiving vector generation section which generates $**$ showing a transposed matrix, The prior information on N individual is inputted and it is soft decision transmitting symbol b'_n . The soft decision symbol generation section which generates (k) , and $(n = 1, \dots, N)$, Each soft decision transmitting symbol $b'_1(k) \dots b'_N(k)$ is inputted. Interference replica vector $B'(k) = [b'^T(k+Q-1) \dots b'^T(k) \dots b'^T(k-Q+1)]^T = [Tb'(k+q)]$ $[b'_1 \ b'(k+q) \dots (k+q) \ b'_N] (k+q) \ Tq = Q-1$ to the sending signal from the n -th transmitter, —, $-Q+1, q=0 \dots b'(k) = [b'_1(k) \dots f(b'_n(k)) \dots b'_N(k)]^T$ $T \ q=0 \dots f(b'_n(k))$ of the element of $b'(k)$ — the n -th — $f(\)$ is b'_n which fills $f(0) = 0$ and $d\{f(b'_n(k))\}/d\{b'_n(k)\} \geq 0$. The replica vector generation section which is the function which makes (k) a variable and generates $**$, The filtering section which interference replica vector $B'(k)$ is inputted as the channel matrix H , and calculates and outputs interferent component $H-B'(k)$ to the input signal of the sending signal from the n -th transmitter, interferent component $H-B'(k)$ and receiving vector $y(k)$ inputs — having — difference — with the difference operation part which outputs vector $y'(k) = y(k) - H-B'(k)$ the channel matrix H or a reference sign inputs — having — difference — with the filter factor presumption section which asks for the adaptation filter factor $w_n(k)$ to the input signal of the sending signal from the n -th transmitter from which the residual interferent component in vector $y'(k)$ is removed Vector $y'(k)$ and the above-mentioned adaptation filter factor $w_n(k)$ are inputted, and filtering is carried out to $y'(k)$. difference — as the input signal to the sending signal from the n -th transmitter by which interference removal was carried out — a logarithm — the turbo receiver characterized by providing the adaptation filter section which obtains a likelihood ratio and is supplied to the n -th decoder.

[Claim 22] The input-signal generation section which receives a sending signal from the transmitter of two or more integer N individuals and which is a turbo receiver and generates the input signal of one or more integers [M], The channel presumption machine which the reference sign of the M above-mentioned input signals and known signals is inputted, and presumes the channel value which is the transmission characteristic, The identification signal which the M above-mentioned input signals and the prior information on the above-mentioned channel value N individual were inputted, and removed the interferent component by the sending signal of other transmitters for every sending signal of 1 thru/or two or more above-mentioned transmitters, The preceding paragraph equalizer which outputs two or more sets of the identification signal and the channel information after corresponding identification, The above-mentioned identification signal, the group of the channel information, and the configuration sending signal of the identification signal and corresponding prior information are inputted from the above-mentioned preceding paragraph equalizer, respectively. the mutual intervention of an intersymbol interference or this according to the multi-pass about each of the identification signal to a configuration sending signal, and other sending signals in the configuration signal — removing — a logarithm — the turbo receiver possessing two or more latter-part equalizers which output a likelihood ratio.

[Claim 23] The input-signal generation section which receives a sending signal from the transmitter of two or more integer N individuals and which is a turbo receiver and generates the input signal of one or more integers [M], The channel presumption machine which the reference

sign of the M above-mentioned input signals and known signals is inputted, and presumes the channel value which is the transmission characteristic, The identification signal which the M above-mentioned input signals, and the above-mentioned channel values and the prior information on N individual were inputted, and removed the interferent component by the sending signal of other transmitters for every sending signal of 1 thru/or two or more above-mentioned transmitters, The preceding paragraph equalizer which outputs two or more sets of the identification signal and the channel information after corresponding identification, The above-mentioned identification signal, the group of the channel information, two or more sending signals that constitute the identification signal, and corresponding prior information are inputted from the above-mentioned preceding paragraph equalizer. The turbo receiver possessing two or more latter-part equalizers which output two or more sets of the identification signal which removed the interferent component by other other sending signals in the configuration sending signal, its identification signal, and the channel information after corresponding identification for two or more sending signals of every in the configuration sending signal of the plurality of the identification signal.

[Claim 24] A turbo receiver given in claim 20 thru/or any of 23 they are. [to which the hard decision transmitting symbol from a decoder is characterized by having the symbol storage section and a means to read a hard decision transmitting symbol from the symbol storage section last time in the repeat processing 2nd after turbo reception, and to supply a channel presumption machine as a reference sign last time by which updating storage is carried out by this]

[Claim 25] The turbo receiver according to claim 24 which a soft decision transmitting symbol is inputted and is equipped with the comparator in comparison with a threshold, and the selection section in which it is controlled by the output of the comparator and the soft decision transmitting symbol in a hard decision transmitting symbol stores the thing more than a threshold in the symbol storage section last time.

[Claim 26] the logarithm of N individual by which the output was carried out [above-mentioned] — a turbo receiver given in claim 20 thru/or any of 25 they are. [which is characterized by having the decoder of N individual with which a likelihood ratio is supplied, respectively, and acquiring the prior information on the above-mentioned N individual from the output of the decoder of the above-mentioned N individual]

[Claim 27] the logarithm of N individual by which the sending signal of the above-mentioned N individual is a signal transmitted from the transmitter of N individual, respectively as a sequence of juxtaposition of one information sequence of N individual, and the above-mentioned output is carried out — with the juxtaposition-serial transducer which changes a likelihood ratio into a serial sequence the logarithm of the above-mentioned serial sequence — a turbo receiver given in claim 20 thru/or any of 25 they are. [which is characterized by having the decoder into which a likelihood ratio is inputted, and the serial-parallel transducer which changes the prior information on the above-mentioned decoder into the juxtaposition sequence of N individual, and acquires the prior information on the above-mentioned N individual]

[Claim 28] The channel value as a line characteristic of an input signal is presumed from an input signal and the known signal as a reference sign. In the receiving approach of processing an input signal using the presumed channel value, performing decode processing to the processed signal, repeating processing and decode processing in which the channel value which carried out [above-mentioned] presumption to the same input signal was used, and performing them The turbo receiving approach characterized by determining the probability of the decoded hard decision information symbol from the value of the soft-decision information symbol, and a probability using it for the reference sign of next channel presumption of the hard decision information symbol beyond a predetermined value.

[Claim 29] The turbo receiving approach according to claim 28 characterized by including the process which calculates $\sigma^2 I$ (σ^2 is the variance of Gaussian distribution and I is a unit matrix) for every above-mentioned repeat as a covariance matrix of the noise component within the receiving vector $y(k)$.

[Claim 30] The covariance matrix U of the noise component within the input-signal vector $y(k)$

for every above-mentioned repeat Presumed channel matrix \hat{H} and input-signal vector $y(k)$ are used. $U^* = \sum_{k=0}^{Q-1} \text{Tr} (y(k) - \hat{H} - B(k))$ and $(y(k) - \hat{H} - B(k)) H B(k) = [b_T \dots (k+Q-1) b_T(k) \dots b_T] (k-Q+1) T b(k+q) = [b_1 \dots (k+q) b_N] (k+q) T (q=-Q+1 \dots Q-1)$

For Tr , $b_N(k+q)$ is the reference sign which the above-mentioned known signal and the above-mentioned probability become from b_1 from the hard decision information symbol beyond a predetermined value $(k+q)$, and the turbo receiving approach according to claim 28 characterized by including the process which is the reference-sign length and calculates $**$.

[Claim 31] It is the turbo receiving approach given in any of claims 28-30 characterized by the repeat of processing and decode processing in which the channel value which carried out [above-mentioned] presumption was used being a repeat of the channel value which carried out [above-mentioned] presumption determining a linear equalization filter, processing an input signal with the linear equalization filter, and decoding the processed signal they are.

[Claim 32] The repeat of processing and decode processing of having used the channel value which carried out [above-mentioned] presumption is the turbo receiving approach of a publication [be / they / any of claims 28-30] of carrying out what it is the repeat of carrying out lake composition processing of compensating the phase rotation which is lake composition processing circles and each symbol received in the transmission line with the channel value which carried out [above-mentioned] presumption, and decoding the signal by which lake composition processing was carried out by the turbo decoder as the description.

[Claim 33] The repeat of processing and decode processing in which the channel value which carried out [above-mentioned] presumption was used is the turbo receiving approach given in any of claims 28-30 characterized by being the repeat of setting up the weight which determines antenna directional characteristics with the channel value which carried out [above-mentioned] presumption to an adaptive array antenna receive section, and decoding the output of an adaptive array antenna receive section by the turbo decoder they are.

[Claim 34] The turbo receiving approach according to claim 33 carried out [performing lake composition processing compensated with the channel value which carried out / above-mentioned / presumption of the phase rotation from which each symbol received the output of the above-mentioned adaptive array antenna receive section in the lake composition processing department in the transmission line, and supplying the signal by which lake composition processing was carried out to the above-mentioned turbo decoder, and] as the description.

[Claim 35] The channel value which is the line characteristic of an input signal is presumed from an input signal and the known signal as a reference sign. In the receiver which processes an input signal using the presumed channel value, performs decode processing to the processed signal, repeats processing and decode processing in which the channel value which carried out [above-mentioned] presumption to the same input signal was used, and performs them The means which the probability of the decoded hard decision information symbol determines whether to be beyond a predetermined value, and the value of the soft-decision information symbol determines by whether it is more than a threshold, The turbo receiver characterized by having the symbol storage section last time the updating storage of the contents of storage carried out by the hard decision information symbol determined are probable, and using the contents of storage of the symbol storage section last time as a reference sign of next channel presumption.

[Translation done.]

* NOTICES *

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DETAILED DESCRIPTION

[Detailed Description of the Invention]

[0001]

[Field of the Invention] This invention is applied to mobile communication and relates the waveform distortion based on interference to the turbo receiving approach of having applied the turbo sign technique and of performing identification repeatedly, and its receiver.

[0002]

[Description of the Prior Art] The technical problem of a mobile phone service is [how] quality on the limited frequency, and it is in whether the system which can own many users is built. There is a multi-input multi-output (Multi-Input Multi-Output:MIMO) system as a means to solve such a technical problem. This system configuration as shown in drawing 3030 A From two or more transmitters S1-SN to this time of day Symbol $c1(i) - cN(i)$ is transmitted on this frequency, respectively. These sending signals A MIMO receiver equipped with two or more antenna #1 - #M receives, and a MIMO receiver processes an input signal, presumes transmitting symbol $c1(i) - cN(i)$ of each transmitters S1-SN, and outputs it to an output terminal Out1 - OutN separately as $c1^{\wedge}(i) - cN^{\wedge}(i)$.

[0003] Examination about the concrete construction of the MIMO receiver in a MIMO system is not fully performed the place to current. the number of multi-passes with which N and the transmitted electric wave of each transmitter reach a MIMO receiver in the number of transmitters when performing the configuration of the MIMO receiver in a MIMO system based on a MLSE (maximum likelihood estimation) norm — the computational complexity of Q, then a MIMO receiver — $2(Q-1)N$ a digit — becoming — several transmitters — the computational complexity will become immense with the increment in N and the number Q of multi-passes. Moreover, when receiving that to which the information on a single user was transmitted as two or more parallel signals, much computational complexity is needed for separating each parallel signal with the increment in the number of multi-passes. Then, although this invention proposes the turbo receiving approach of two or more sequences signal with sufficient count effectiveness, it explains the turbo receiver to the existing single user which becomes origin of this invention first (one transmitter), i.e., 1 sequence sending signal.

[0004] turbo ***** for single users — the example of a configuration of the transmitter in this case and a receiver is shown in drawing 31. In a transmitter 10, after coding of information sequence $c(i)$ is performed by the encoder 11 and the interleave (rearrangement) of the coding output is carried out by INTARIBA 12, a carrier signal is modulated with a modulator 13 and the modulation output is transmitted. This sending signal is received by the receiver 20 through a transmission line (each channel of a multi-pass). Identification of a delay wave is performed by the ***** (SISO:Single-Input-Single-Output) equalizer 21 in a receiver 20. Generally an input signal is changed into baseband, and the input signal of that baseband is sampled on the frequency of 1 time or more of the frequency of the symbol signal of the information sequence of a sending signal, and the input of this equalizer 21 is changed into a digital signal, and is inputted into an equalizer 21 as an input signal of a digital signal.

[0005] Reception output [in / in the case of a single user, $N=1$ is hit in drawing 30 A, and / each receiving-antenna #m ($m=1, 2, \dots, M$)] $r_m(k) = \sum_{q=0}^{Q-1} h_m(q) \cdot b(k-q) + v_m(k)$ (1)

It can express. For m , an antenna index and h are [a user's (transmitter 1) transmitting symbol and $v_m(k)$ of a channel value (transmission-line impulse response: line characteristic) and $b(k-q+1)$] the thermal noise inside a receiver 20. And the output from all antenna #1-#M is expressed as a vector of a formula (2), and it is a formula (3).

$$r(k) = [r_1(k) \ r_2(k) \ \dots \ r_M(k)]^T \quad (2)$$

$$= \sum_{q=0}^{Q-1} H(q) \cdot b(k-q+1) + v(k) \quad (3)$$

A definition is given. here $v(k) = [v_1(k) \ v_2(k) \ \dots \ v_M(k)]^T$ (4)

$$H(q) = [h_1(q) \ h_2(q) \ \dots \ h_M(q)]^T \quad (5)$$

It comes out. Moreover, $[\]^T$ A transposed matrix is expressed. Next, the following vectors and matrices are defined in consideration of several Q of a multi-pass (channel).

[0006]

$$y(k) = [r_1(k) \ r_2(k) \ \dots \ r_M(k)]^T \quad (6)$$

$$= H \cdot b(k) + n(k) \quad (7)$$

It is here and is [0007].

[Equation 13]

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \ddots \\ 0 & H(0) & \dots & H(Q-1) \end{bmatrix} \quad (8)$$

$$[0008] \text{ However, } b(k-q) = [b(k+Q-1) \ b(k+Q-2) \ \dots \ b(k-Q+1)]^T \quad (9)$$

$$n(k) = [v_1(k) \ v_2(k) \ \dots \ v_M(k)]^T \quad (10)$$

It comes out. the logarithm of the probability for $r(k)$ which the top defined to be inputted into an equalizer 21, for this SISO equalizer 21 to be a linear equalization machine, and for each coding bit $\{b(i)\}$ to be +1 as that identification output, and the probability which is -1 — a likelihood ratio λ_1 (LLR:Log-LikelihoodRatio) is drawn.

[0009]

[Equation 14]

$$\lambda_1[b(k)] = \log \frac{\Pr[b(k)=+1|y(k)]}{\Pr[b(k)=-1|y(k)]} \quad (11)$$

$$\equiv \lambda_1[b(k)] + \lambda_2^p[b(k)] \quad (12)$$

[0010] It comes out. It is λ_1 here. $[b(k)]$ is the external information and λ_2^p which are sent to the consecutive decoder 24. $[b(k)]$ is prior information given to an equalizer 21. a logarithm — likelihood ratio $\lambda_1[b(k)]$ — prior information $\lambda_2^p[b(k)]$ is subtracted with a subtractor 22, and is further supplied to the SISO channel decoder 24 through DEINTARIBA 23. this decoder 24 — a logarithm — a likelihood ratio λ_2 and [0011]

$$\lambda_2[b(i)] = \log \frac{\Pr[b(i)=+1|\lambda_1[b(i)], i=0, \dots, B-1]}{\Pr[b(i)=-1|\lambda_1[b(i)], i=0, \dots, B-1]} \quad (13)$$

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$$\equiv \lambda_2[b(i)] + \lambda_2^p[b(i)] \quad (14)$$

[0012] It computes. It is λ_2 here. $[b(i)]$ is λ_2^p to an equalizer 21 in the case of a repeat. It is the external information given as $[b(k)]$, and is λ_1 . $[b(k)]$ is prior information λ_1^p to a decoder 24. It is given as $[b(i)]$. $\lambda_2[b(i)]$ is λ_1 with a subtractor 25. $[b(i)]$ is subtracted and an equalizer 21 and a subtractor 22 are supplied through INTARIBA 26. Thus, identification and decode are performed repeatedly and improvement in an error rate is attained. Next, calculation of the linearity filter shape given to receiving vector $y(k)$ as a detail of the equalizer 21 of the preceding paragraph is described. prior information λ_2^p of an equalizer 21 $[b(k)]$ — using — soft decision symbol estimate $b'(k) = \tanh[\lambda_2^p] \cdot [b$

(k)]/2] (15)

It computes. And replica $H-b[$ of an interferent component, i.e., an interferent component, $] '(k)$ is reproduced using this estimate and the channel matrix H , and it subtracts from an input signal. It is got blocked. $y'(k) - H-b'(k)$ (16)

$= H-(b(k)-b'(k)) + n(k)$ (17)

It is here. $b'(k) = [b'(k+Q-1) \dots b'(k-Q+1)]^T$ (18)

It calculates. Since replica $H-b[$ of an interferent component $] '(k)$ is not necessarily an exact replica, it cannot remove an interferent component completely by the formula (16). Then, it asks for linearity filter factor $w(k)$ which erases the remainder of an interferent component by the following MMSE (2nd [an average of] power error of the minimum) norms.

[0013]

$w(k) = \arg \min \|wH(k) \text{ and } y'(k) - b(k)\|^2$ (19)

H expresses conjugation transposition and is $\|$. $\|$ expresses a norm. It asks for $w(k)$ which makes a formula (19) min. the following derivation of $w(k)$ — reference: — it is indicated by Daryl Reynolds and Xiaodong Wang and "LowComplexity Turbo-Equalization for Diversity Channels" (<http://ee.tamu.edu/reynolds/>). There is drastic reduction of computational complexity as main achievement matters of this technique. The computational complexity of the conventional MLSE mold turbo is $2Q-1$. This technique is Q^3 to having been proportional to order. It is stopped by order. In addition, $wH(k) - y'(k)$ is the output of an equalizer 21 and is λ 1 after this. $[b(k)]$ is calculated, a decoder 24 is supplied through DEINTARIBA 23, and a decode operation is performed.

[0014] In order to perform identification processing in an equalizer 21, it is necessary to presume the channel value h (transmission-line impulse response) in a formula (1). Below, presumption of this channel value is described as channel presumption. Channel presumption is performed using the training sequence remembered to be the input signal of known training sequences, such as unique WORD sent to the head section in one frame. If the precision of channel presumption is bad, identification processing with an equalizer 21 will not be performed correctly. Although what is necessary is just to enlarge the rate that the training sequence in one frame occupies the precision of channel presumption to make it high, if it is made such, the transmission efficiency over original data will fall. Therefore, to make small the rate that the training sequence in one frame occupies, and to raise channel presumption precision is desired.

[0015] This has the same problem in the channel presumption in not only the receiver to the multi-sequence sending signal containing MIMO but a rake (RAKE) receiver, or the receiver which raises the probability of a decode result by decode processing repeatedly also in the receiver using an adaptive array antenna.

[0016]

[Problem(s) to be Solved by the Invention] The above-mentioned turbo receiver has the following technical problems.

- It is correspondence of only the sending signal of a single user (one set of transmitter), i.e., one sequence.

- In case an interferent component is reproduced, a channel value (matrix H) is required, and in case it is mounting, it is necessary to presume this.

The presumed error will degrade the effectiveness of identification repeatedly.

[0017] The purpose of this invention is to provide below with the turbo receiving approach which extended this object for reception to the receiver to two or more transmitting sequence signals, such as multiuser and $**$ single user juxtaposition transmission, and its receiver so that it may compensate these two points. Moreover, other purposes of this invention presume the channel value of an input signal from an input signal and the known signal as a reference sign. In the receiving approach of processing an input signal using the presumed channel value, performing decode processing to the processed signal, repeating processing and decode processing in which the channel value which carried out [above-mentioned] presumption was used to the same input signal, and performing them It is in offering the turbo receiving approach that a short paddle known signal can perform channel presumption with a sufficient precision comparatively, and its receiver.

[0018]

[Means for Solving the Problem] This 1st invention is the turbo receiving approach of receiving the sending signal of N sequence (N is two or more integers). M input signals r_m ($m=1, \dots, M$), From the known signal of N sequence, the channel value $h_{mn}(q)$, and ($n=1, \dots, N$) are calculated. Prior information λ on N sequence acquired by decode It is based on $[b_n(k)]$ and is soft decision transmitting symbol b'_n . It asks for (k). The channel value $h_{mn}(q)$ and soft decision transmitting symbol b'_n Interferent component $H-B'(k)$ made by sending signals other than the sending signal of the intersymbol interference which the sending signal of n sequence eye itself makes, and n sequence eye is calculated using (k), and it is here, and is [0019].

[Equation 16]

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \ddots \\ 0 & H(0) & \dots & H(Q-1) \end{bmatrix}$$

$$H(q) = \begin{bmatrix} h_{11}(q) & \dots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \dots & h_{MN}(q) \end{bmatrix}$$

[0020] $B'(k) = [b'^T(k+Q-1) \dots b'^T(k) \dots b'^T(k-Q+1)] T b'(k+q) = [b'_1(k+q) b'_2(k+q) \dots b'_N(k+q)]$
 $T q = Q-1 \dots -Q+1$ It is $b'(k) = [b'_1(k) \dots b'_N(k)]^T$ The zero of the element of $(b'(k))$ by $q=0$ n-ths,] Q is the number of the multi-passes of each sending-signal electric wave, $q=0, \dots, Q-1$, and \square . T expresses a transposed matrix.

[0021] this intersymbol-interference $H-B'(k)$ — from receiving vector $y(k)$ — deducting — difference — it asks for vector $y'(k)$.

here — $y = (y(k)) = [r^T(k+Q-1) \dots r^T(k) \dots r^T(k-Q+1)]^T$ — Tr —
 $(y(k)) = [r^T(k+Q-1) \dots r^T(k) \dots r^T(k-Q+1)]^T$ — T
 — a channel — a matrix — H — or — a reference sign — using — difference — for removing the residual interferent component in vector $y'(k)$ adaptation filter coefficient w_n to the input signal of the sending signal of n sequence eye (k) — asking — difference — vector $y'(k)$ — the above-mentioned adaptation filter factor w_n as the input signal [as opposed to / carry out filtering by (k) and / the sending signal of n sequence eye] by which interference removal was carried out — the logarithm of n sequence — a likelihood ratio is obtained. the logarithm of these N sequence — it decodes using a likelihood ratio.

[0022] the — two — invention — depending — if — the — one — invention — setting — q —
 = — zero — a case — $b'(k) = [b'_1(k) \dots f(b'_n(k)) \dots b'_N(k)]^T$ $T b'(k)$ — an element — f ($b'_n(k)$) is the n-th) f(.) is $f(0)=0$ and $d\{f(\text{characterized by considering as the function which makes a variable } b'_n(k) \text{ which fills } b'_n(k))/d[b'_n(k)] > 0\}$. According to the 3rd invention, identification processing is divided into two or more steps, and is performed, and the latter part lessens the number of the sequences of an identification output.

[0023] According to this 4th invention, the channel value of an input signal is presumed from an input signal and the known signal as a reference sign. In the turbo receiving approach of processing an input signal using the presumed channel value, performing decode processing to the processed signal, repeating processing and decode processing in which the channel value which carried out [above-mentioned] presumption was used to the same input signal, and performing them The probability of the decoded hard decision information symbol is determined from the value of the soft-decision information symbol, and the probability uses it for the reference sign of next channel presumption of the hard decision information symbol beyond a predetermined value.

[0024]

[Embodiment of the Invention] The example of the MIMO structure of a system by which this invention is applied to 1st invention (1) drawing 1 is shown. Transmitter S1 of N individual of a transmitting side — It sets to each of SN and is the information sequence $c_1(i) \dots c_N(i)$ is

encoded by the encoder 11-1, —, 11-N, respectively. A modulator 13-1, —, 13-N are supplied as a modulating signal through INTARIBA 12-1, —, 12-N, a carrier signal is modulated by these modulating signals, and these coding output is a signal $b_1(k)$, —, $b_N(k)$. It is transmitted as (k) . That is, sending signal b_1 from Transmitters S1, —, SN (k) , —, $b_N(k)$. It is the case where (k) is the sending signal of N sequence.

[0025] Input-signal $r(k)$ received by the multi-output receiver through the transmission line (channel) is inputted into the multi-output equalizer 31, and the signal received by the receiver is changed into baseband signaling, and the baseband signaling is sampled, for example with one half of the periods of the symbol period, is changed into a digital signal, and is inputted into an equalizer 31 as the digital signal. Moreover, let this digital signal be one or more integers $[M]$. For example, let the input signal from M antennas be the input signal of M digital signals. the logarithm of an equalizer 31 to N individual — likelihood ratio $\lambda_1[b_1(k)]$, —, $\lambda_1[b_N(k)]$ is outputted. $\lambda_1[b_1(k)]$, —, $\lambda_1[b_N(k)]$ is the prior information λ_1 , respectively. $\lambda_1[b_1(k)]$, —, $\lambda_1[b_N(k)]$ is subtracted by the subtractor 22-1, —, 22-N, respectively. Through DEINTARIBA 23-1, —, 23-N, it is inputted into the ***** (SISO) decoder (channel decoder) 24-1, —, 24-N, respectively, and decodes. a decoder 24-1, —, the decode information sequence c'_1 from 24-N (i), —, c'_N while (i) is outputted — a logarithm — likelihood ratio $\lambda_2[b_1(i)]$, —, $\lambda_2[b_N(i)]$ is outputted, respectively. $\lambda_2[b_1(i)]$, —, $\lambda_2[b_N(i)]$ is λ_1 by the subtractor 25-1, —, 25-N. $\lambda_1[b_1(i)]$, —, $\lambda_1[b_N(i)]$ is subtracted, respectively. Furthermore, INTARIBA 26-1, —, 26-N are led, respectively, and it is λ_2 . $\lambda_2[b_1(k)]$, —, $\lambda_2[b_N(k)]$ The multi-output equalizer 31 and a subtractor 22-1, —, 22-N are supplied as $\lambda_1[b_N(k)]$, respectively.

[0026] Input signal r_m from multiuser (two or more transmitters) (k) , and $(m=1, \dots, M)$ are an input of an equalizer 31. $r_m(k) = \sum_{q=0}^{Q-1} s_{m,n}(q) b_{n+(k-q)} v_m(k)$ (20) It becomes what was added by the multiple user. $q=0, \dots, Q-1$, and Q are $y(k) = \sum_{r=0}^{Q-1} r_T r_T(k+Q-1)$, if the number of the multi-passes of each transmitted electric wave and the same procedure as the case of a single user define vector $y(k)$. — $(k+Q-2)$ It is $r_T(k)$.

]T (21)

$$= H \cdot B(k) + n(k) \quad (22)$$

here — $r(k) = [r_1(k) \dots r_M(k)]^T$ [0027]

[Equation 17]

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \ddots \\ 0 & H(0) & \dots & H(Q-1) \end{bmatrix} \quad (23)$$

However, [0028]

[Equation 18]

$$H(q) = \begin{bmatrix} h_{11}(q) & \dots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \dots & h_{MN}(q) \end{bmatrix} \quad (24)$$

[0029]

$$B(k) = [b_T(k+Q-1) \dots b_T(k) \dots b_T(k-Q+1)]$$

]T (25)

$$b(k+q) = [b_1(k+q) \dots b_N(k+q)]^T \quad q=Q-1, Q-2, \dots, -Q+1 \quad (26)$$

It becomes. Next, in an interference removal step, it is assumed that the signal from the n -th user (transmitter) is a request now. the compound thing with interference which the signal of interference and the n -th user by the signal of users other than the n -th itself makes from this example using the soft decision symbol estimate of the signal from all users (transmitter), and the channel matrix (transmission-line impulse response value matrix) H , i.e., interference replica $H \cdot B'(k)$ — reproducing — as follows — $y(k)$ to this interference replica — subtracting — difference — vector $y'(k)$ is generated.

[0030]

$$y'(k) = y(k) - H \cdot B'(k) \quad (27)$$

$$= H \cdot (B(k) - B'(k)) + n(k) \quad (28)$$

$$\text{It is here, } B'(k) = [b'^T(k+Q-1) \dots b'^T(k) \dots b'^T(k-Q+1)]^T \quad (29)$$

$$\text{and } b'(k+q) = [b'^1(k+q) \dots b'^N(k+q)]^T : q = Q-1, \dots, -Q+1, \text{ and } q! = 0 \quad (30)$$

$$b'(k) = [b'^1(k) \dots 0 \dots b'^N(k)]^T : q = 0 \quad (31)$$

Zero in the element of $b'(k)$ is the n -th. $b'_n(k)$ is b'_n like a formula (15). It is the soft decision transmitting symbol estimate which calculated and calculated $(k) = \tanh [\lambda_2 [b_n(k)]/2]$.

Vector $B'(k)$ is the replica vector of an interference symbol.

[0031] Next, n -th filter factor w_n for users for erasing the interference remainder based on the remainder of an interferent component, i.e., the incompleteness of interferent component replica $H \cdot B'(k)$, and the interferent component which the signal of the n -th self makes w_n which makes the following formulas (32) min for (k) It asks for (k) by the MMSE (2nd [an average of] power error of the minimum) norm.

$$w_n(k) = \arg \min \|w_n H(k) \text{ and } y'(k) - b_n(k)\|^2 \quad (32)$$

The following actuation is the same as that of the case of a single user. That is, calculated $w_n(k)$ is used and it is $w_n H(k) \cdot y'(k)$ is calculated, DEINTARIBA 23- n is minded for the count result, and it is λ_1 . As $[b_n(i)]$, it inputs into decoder 24- n and a decode operation is performed.

[0032] It asks for filter (linear equalization) processing from the input signal r_m by the above approach from a user 1 to N . As a result, the number of outputs of an equalizer 31 serves as N , and these outputs are decoded by each decoder 24-1, ..., 24- N . The above is the escape for the multiuser (MIMO) of the turbo receiver for single users. From the above explanation, the example of a functional configuration of the multi-output equalizer 31 comes to be shown in drawing 2. Receiving vector $y(k)$ is generated by the receiving vector generation section 311, and M input signals $r_m(k)$ are supplied to the identification section 312-1 for every user - 313- N . Moreover, the channel matrix H calculated in the channel presumption machine 28 is supplied to the identification section 312-1 - 312- N . The prior information λ_2 from each channel decoder 24- n $[b_n(k)]$ is inputted into the soft decision symbol presumption section 313, and it is soft decision transmitting symbol estimate b'_n , respectively. $(k) = \tanh [\lambda_2 [b_n(k)]/2]$ is calculated. The functional configuration and processing in the identification section 312-1 - 312- N are the same, are represented with the identification section 312-1, and are explained.

[0033] Furthermore, it is the estimate b'^1 of a soft decision transmitting symbol. $(k) - b'_N(k)$ The interference replica vector generation section 314-1 is supplied, and it is the interference replica vector B'^1 by formula (29) - (31). (k) is generated. this vector B'^1 filtering of the (k) is carried out according to the channel matrix H in the filtering section 315-1 - having - interference replica component $H \cdot B'$ of that result - 1 (k) - the difference operation part 316-1 - receiving vector y^1 it deducts from (k) - having - difference - vector $y^1(k)$ is generated.

[0034] The filter coefficient presumption section 317-1 is asked for the filter factor w_1 the channel matrix H or for a reference sign being inputted so that it may mention later, and removing the remainder of said interferent component (k) at least. Filter factor w_1 to which the channel matrix H from the channel presumption machine 28, covariance σ_2 of a noise component, the soft decision transmitting symbol b'^1 from the soft decision symbol generation section 313-1 $(k) - b'_N(k)$ are inputted into the filter factor presumption section 317-1, and make a formula (32) min in this example (k) is called for by the 2nd [an average of] power error norm of the minimum. This filter factor w_1 The concrete processing which asks for (k) is described later. the adaptation filtering section 318-1 - difference - vector $y^1(k)$ - filter factor w_1 as the identification output of an input signal [as opposed to / it is processed by (k) and / the sending signal from a user 1] - $\lambda_1 [b^1(k)]$ is outputted.

[0035] Moreover, the procedure of the multi-input multi-output turbo receiving approach of the example of this invention mentioned above is shown in drawing 3. They are input-signal $r(k)$ and each training signal b_n at step S1. Covariance σ_2 of the channel value $h_{mn}(q)$ and a noise component are calculated from (k) . The channel matrix H is calculated from the channel value $h_{mn}(q)$ at step S2. Each prior information λ_2 acquired by the last processing in turbo

reception at step S3 $[b_n(k)]$ to soft decision transmitting symbol estimate $b'_n(k) = \tanh(\lambda_2 [b_n(k)]/2)$ is calculated.

[0036] Receiving vector $y(k)$ is generated from input-signal $r(k)$ by step S4, and it is each soft decision transmitting symbol estimate b'_n at step S5. (k) is used and it is interference replica vector B'_n by formula (29) - (31). Interferent component replica $H-B'_n$ [as opposed to / generate (k) and / the input signal from the n -th transmitter at step S6] (k) is calculated. step S7 — receiving vector $y(k)$ to interferent component replica $H-B'_n(k)$ — deducting — difference — vector y'_n It asks for (k) . Multiplier w_n of a filter for the channel matrix H , and the soft decision transmitting symbol $b'_1(k) - b'_N(k)$ and covariance σ^2 of a noise component to remove the residual interference in the input signal from the n -th transmitter at step S8 It asks for (k) by the 2nd [an average of] power error norm of the minimum which makes a formula (32) min.

[0037] step S9 — difference — vector $y'_n(k)$ — receiving — filter factor w_n filtering by (k) — carrying out — a logarithm — likelihood ratio $\lambda_1 [b_n(k)]$ is obtained. step S — 10 $\lambda_1 [b_n(k)]$ to prior information λ_2 the day interleave after subtracting $[b_n(k)]$ — giving — further — decode — carrying out — a logarithm — likelihood ratio $\lambda_2 [b_n(k)]$ is outputted. These step S4-S10 are processed being simultaneous or one by one about $n=1-N$. then — if it investigates whether the count of decode of turbo reception, i.e., a count, turned into a predetermined number at step S11 and does not have a predetermined number — step S12 — a logarithm — likelihood ratio $\lambda_2 [b_n(k)]$ to external information $\lambda_1 [b_n(k)]$ — subtracting — the result — an interleave — carrying out — prior information λ_2 In quest of $[b_n(k)]$, it returns to step S3. When decode is a count of predetermined at step S11, the decode result at that time is outputted at step S13.

[0038] Next, the channel presumption section 28 is described. Each input signal $r_m(k)$ can be expressed with a degree type.

$$r_m(k) = \sum_{q=0}^{Q-1} \sigma_m^2 h_{mn}(q) b_n^{*}(k-q) + v_m(k) \quad (33)$$

The channel presumption section 28 is the value and Noise v_m of $h_{mn}(q)$ of a channel value (transmission-line impulse response) in a formula (33). It asks for the mean power (σ^2) of (k) . Usually, a transmitting side inserts unique WORD (training signal) known with a receiver at the beginning of each transmitting frame, as shown in drawing 4 A, and the receiver presumes the channel value $h_{mn}(q)$ using RLS (recursive least square method) etc. by making the unique WORD (known signal) into a training sequence. the logarithm from each channel decoder 24-1, —, 24-N — likelihood ratio $\lambda_2 [b_1(i)]$, —, λ_2 About each of $[b_N(i)]$ If it is forward and negative about +1, -1, respectively Decode code-signal (transmitting coding symbol hard decision value) $b_1^{\wedge}(i)$, It outputs as — and $b_N^{\wedge}(i)$ and these $b_1^{\wedge}(i)$, —, $b_N^{\wedge}(i)$ are repeatedly inputted into the channel presumption machine 28 through INTARIBA 27-1, —, 27-N. While input-signal $r(k)$ is inputted into the channel presumption machine 28, unique WORD is inputted as a reference sign from the unique WORD storage section 29. The channel presumption machine 28 presumes each $h_{mn}(q)$ of a formula (33), and each value of σ^2 with the least square method based on the these-inputted signal. This presumption can be performed by the same technique as presumption of the impulse response in the case of presuming the impulse response of a transmission line and equalizing an input signal accommodative with an adaptation filter.

[0039] Thus, although the technique usually used uses a training sequence, it is necessary to make small the rate that the unique WORD in one frame occupies to gather a net transmission speed then, and the error of channel presumption increases. And the property of the repeat identification of the above [the error] will be degraded. Then, it is good to perform repeat presumption of a channel value as follows. The concept is shown in drawing 4 B. This also intends to presume the channel value repeatedly in each phase of repeat identification processing of the same input signal, i.e., repeat processing of turbo reception, and there is. That is, although a channel value is presumed to the information symbol sequence after unique WORD in the 1st time, using only unique WORD as a reference sign, an input signal is equalized using the presumed channel value and a transmitting symbol is presumed The symbol estimate (hard decision value) which used the unique WORD as a reference sign, performed channel

presumption and was obtained by the last decode processing before identification processing of the 2nd henceforth is also used as a reference sign, and performs channel presumption within [whole] a frame. In this case, it is good to use only the hard decision value judged to be probable as a reference sign not using all hard decision values. a hard decision — the logarithm from decoder 24 — likelihood ratio λ 2 If this is forward using $[b_n(i)]$ and it is +1 and negative, it is carried out by being referred to as -1. that time — the logarithm — likelihood ratio λ 2 It can be said that the hard decision value is probable, so that the absolute value of $[b_n(i)]$ is large. for example, a logarithm — 1 when judging likelihood 0.3 to be 1 — a logarithm — 1 when judging likelihood 5 to be 1 is more nearly probable. Then, a threshold is used for below and it is the probable hard decision value $b_n(i)$ is selected and how to perform channel presumption repeatedly using it is explained.

[0040] first — the logarithm from decoder 24 — likelihood ratio λ 2 $[b_n(i)]$ — using — soft decision value b^n of a symbol (i) — $b^n[(i) = \tan h[-\lambda/2 - b_n(i)]/2]$

It asks by carrying out. this actuation — a logarithm — it is to standardize a likelihood value to 1 and for an absolute value not to exceed 1. Next, the threshold (between 0 and 1) is prepared beforehand and it is the soft decision value b^n . It is the hard decision value b^n to what has the larger absolute value of (i) than the threshold. (i) is saved, and this is repeated and it uses for channel presumption. For example, when a threshold is set as 0.9, it is soft decision value b^n . Absolute values are 0.9 or more hard decision value b^n among (i). (i) is sorted out. Hard decision value b^n sorted out since the threshold was as high as 0.9 Since it is thought that the probability of (i) is high, it is thought that the precision of repeat channel presumption performed using these goes up, but in order that the part and the number of symbols sorted out may decrease, it is thought that repeat channel presumption precision falls. That is, it is necessary to select the optimal threshold between 0 and 1. Hard decision value b^n sorted out when a threshold is temporarily set up with 1 as a supplement Since there is (no i), it will be said that channel presumption is not performed repeatedly. Then, although stated later, a threshold is set about to 0.2 to 0.8, and is performed.

[0041] Therefore, transmitting symbol estimate (hard decision value) b^1 to the 1st information symbol sequence (i), — and the symbol value judged to be probable with the threshold in $b^N(i)$ are memorized in the symbol storage section 32 last time as transmitting symbol estimate from the output of INTARIBA 27-1, —, 27-N. In the 2nd repeat identification decode processing of input-signal $r(k)$ (input-signal $r(k)$ is memorized in the storage section), perform channel presumption using unique WORD first, and an information symbol sequence is received further. The last symbol storage section 32 to presumed transmitting symbol hard decision estimate $b^1(i)$, —, b^N Read the symbol value judged that is probable in (i), and it inputs into the channel presumption machine 28. Channel presumption is performed, that is, channel presumption within [whole] a frame is performed, and it is the estimate $h_{mn}(q)$ and σ^2 . It uses and the identification and the decode (transmitting symbol presumption) to input-signal $r(k)$ are performed. Under the present circumstances, the contents of storage of the symbol storage section 32 are updated last time by the symbol value was alike and judged that is probable with the threshold in that presumed transmitting symbol. Channel presumption in the case of identification and the repeat of decode performs channel presumption within [whole] a frame like the following by presumption which uses unique WORD, and presumption using that judged that is probable in the last presumed transmitting symbol. Identification and decode (transmitting symbol presumption) are performed using the presumed channel, and the symbol storage section 32 is updated last time. In addition, in the symbol storage section 32, it is the transmitting symbol hard decision value b^1 from a decoder last time [this]. (i), —, b^N Renewal of direct storing of the symbol value judged that is probable with the threshold in (i) is carried out last time at the symbol storage section 32, and when using the storage symbol value of the symbol storage section 32 last time [this], you may make it input into the channel presumption machine 28 through INTARIBA 27-1, —, 27-N.

[0042] By doing in this way, by the repeat, the error of channel presumption can decrease, the precision of symbol presumption can improve, and the problem of property degradation by the channel presumption error in turbo identification can be solved. Thus, when performing channel

presumption in an information symbol sequence using a probable symbol hard decision value, the functional configuration shown in drawing 5 is added to each decoder 24-n. a logarithm — likelihood ratio $\lambda_2 [b_n(i)]$ is inputted into the soft decision value presumption section 241. $b'_n(i) = \tanh(\lambda_2 [b_n(i)])$ is calculated, and it is transmitting symbol soft decision value $b'_n(i)$ is presumed. This value $b'_n(i)$ is compared with threshold T_h from the threshold setting section 243 by the comparator 242, and it is $b'_n(i)$ is outputted for (i) by smallness from 1 and T_h above T_h . on the other hand — a logarithm — likelihood ratio $\lambda_2 [b_n(i)]$ is inputted into the hard decision section 244. λ_2 Symbol hard decision value b^n set to -1 if $[b_n(i)]$ was forward and it was +1 and negative (i) is outputted and it is this symbol hard decision value $b^n(i)$. With [a corresponding symbol soft decision value] a threshold [more than], it is outputted, the gate 245 being used as open, the symbol storage section 32 is supplied last time through INTARIBA 27-n in drawing 1, and said symbol under storage is updated.

[0043] Moreover, the procedure of channel presumption also using a probable symbol hard decision value comes to be shown in drawing 6. Channel presumption by input-signal $r(k)$ and unique WORD is first performed at step S1, decode processing investigates whether it is the 1st time at step S2, and if it is the 1st time, steps S3-S10 under identification and decode processing, i.e., drawing 3, will be processed using the presumed channel value $h_{mn}(q)$ at step S3. step S4 — a logarithm — likelihood ratio $\lambda_2 [b_n(i)]$ — receiving — transmitting symbol hard decision processing — carrying out — hard decision value $b^n(i)$ — asking — step S5 — a logarithm — likelihood ratio $\lambda_2 [b_n(i)]$ — receiving — $b'_n(i) = \tanh(\lambda_2 [b_n(i)]/2)$ — calculating — transmitting symbol soft decision value $b'_n(i)$ is presumed. It is symbol soft decision value b'_n at step S6. (i) is correspondence symbol hard decision value b^n by whether it is more than threshold T_h . The probable thing of (i) is determined and the contents of storage in the symbol storage section 32 are updated last time with the probable symbol hard decision value at step S7. Next, if it investigates whether the count of decode is a predetermined value at step S8 and has not become a predetermined value, it returns to step S1. It returns to step S1 in drawing 3 through step S12 in drawing 3 correctly.

[0044] If judged with decode processing not being 1 time at step S2, it will read from the symbol storage section 32 last time by step S9, the last storage symbol, i.e., probable hard decision symbol, channel presumption will be performed using this and the information symbol sequence of input-signal $r(k)$, and it will move to step S3. In the above, also in processing of the 2nd henceforth, unique WORD carried out channel presumption from the initial state as a reference sign, and 2nd henceforth may use only the hard decision symbol appropriate for ** as a reference sign. In this case, it investigates whether it is the 1st processing by step S1', and if it is the 1st processing, a channel value is presumed for unique WORD by this and the input signal as a reference sign by step S2', and as a broken line shows in drawing 6, after memorizing that presumed channel value and the value of each parameter used for that presumption in the storage section by step S3', it will move to the identification of step S3, and decode processing.

[0045] If it is not the 1st time in step S1', in advance of channel presumption processing, the channel estimate and the various processing parameters which were previously memorized by step S4' will be set up, and it will move to step S9. The solution (32) to serves as a degree type in a place.

$$w_n(k) = (HG(k) HH + \sigma^2 I)^{-1} \text{ and } h \quad (34)$$

I is a unit matrix and σ^2 . It is the internal-noise power (covariance of a noise component) of a receiver, and $\sigma^2 I$ corresponds to the covariance matrix of a noise component, and $G(k)$ corresponds to a channel presumption square error.

[0046]

$$G(k) = E[(B(k) - B'(k)) (B(k) - B'(k))^H] \\ = \text{diag}[D(k+Q-1), \dots, D(k), \dots, D(k-Q+1)] \quad (35)$$

$E[\]$ expresses an average and diag expresses a diagonal matrix (elements other than the element of the diagonal line are zero). Again $D(k+q) = \text{diag}[1-b'^2_1(k+q), \dots, 1-b'^2_n(k+q), \dots, 1-b'^2_N(k+q)] \quad (36)$

At the time of $q=Q-1, Q-2, \dots, -Q+1$, and $q \neq 0, q=0$ $D(k) = \text{diag}[1-b'^2_1(k), \dots, 1, \dots, 1-b'^2_N(k)]$

(37)

One in Vector D (k) is the n-th element (it is considering as the signal of a request of the n-th user's sending signal).

[0047]

[Equation 19]

$$h = \begin{bmatrix} H_{1,(Q-1)N+n} \\ H_{2,(Q-1)N+n} \\ \vdots \\ H_{M-Q,(Q-1)N+n} \end{bmatrix} \quad (38)$$

[0048] That is, h consists of all elements of eye a $-(Q-1)N+n$ train of H of a formula (23). The channel matrix H presumed with the channel presumption vessel 28 in the filter coefficient presumption section 317-1 of the multi-output equalizer 31 as shown in drawing 2, and noise power σ^2 Soft decision transmitting symbol b^1 from the soft decision symbol generation section 313-1 (k) - b^N (k) is inputted and the residual interference removal filter factor w_n (k) calculates by formula (34) - (38). Although an inverse-matrix operation will be performed, as for a formula (34), this operation can reduce the amount of operations by using the lemma (Matrix Inversion Lemma) of an inverse matrix. That is, a formula (36) and b^1 each 2 of (37) When all parts are approximated to 1, it is $D(k+q) = \text{diag}[0, \dots, 0] = 0$. ($q \neq 0$) (39)

$D(k) = \text{diag}(0, \dots, [1, \dots, 0])$ (40)

That is, as for all other elements, only the element of the n line n train in the element of D (k) is set to 0 by 1. It is w_n if error matrix [of the formula (35) decided by these formulas (39) and (40)] G (k) is substituted for a formula (34). $(k) = (h - hH + \sigma^2 I)^{-1}$ and h (41)

It becomes. h was defined by the formula (38).

[0049] By this approximation, it is w_n . In order that (k) may not be dependent on k, it becomes unnecessary inverse-matrix calculating [of every discrete time of day k], and computational complexity is reduced. The lemma of an inverse matrix is applied to this formula (41). The lemma of this inverse matrix makes the square matrix of (M, M), and C as a matrix (M, N), and makes D the square matrix of (N, N) for A and B, and it is $A = B^{-1} + CD^{-1}CH$. When expressed, it is the inverse matrix of A. (42) $A^{-1} = B - BC(D + CHBBC)^{-1}CHB$

It is come out and given. It is set to $-1 + CD^{-1}CHh(k) - h(k)H = CD^{-1}CH$, $\sigma^2 I = B^{-1}$, $h(k) = CI = D^{-1}$, and $h(k)H = CH$. if this theorem is applied to the part of the inverse-matrix operation in a formula (41) — $h(k) - h(k)H + \sigma^2 I = B$ — If a formula (42) is calculated using this, the inverse-matrix operation in a formula (41) can be found. In addition, although the inverse-matrix operation $(D + CHBBC)^{-1}$ is included also in a formula (42), since this inverse matrix serves as Scala, it is easily calculable.

[0050] That is, it is w_n in this case. $(k) = 1/(\sigma^2 + hH \text{ and } h)h$ (41-1) It becomes. $1/()$ of the right-hand side of this formula is good also as 1, scalar, i.e., since it becomes in fixed numbers. Therefore, w_n Since it can place with $(k) = h$, it is w only at h. (k) is determined. What is necessary is to input into the filter coefficient presumption section 317-1 in drawing 2 only h shown by the formula under channel matrix H (38) from the channel presumption machine 28, as a broken line shows.

[0051] In addition, the approximation by the formula (39) and the formula (40) can lessen computational complexity of a formula (34) not only when using the lemma of an inverse matrix, but by this approximation. If especially this approximation is performed, and the lemma of an inverse matrix is used, the amount of operations can be decreased further and the covariance matrix of a noise component will be set to $\sigma^2 I$ in that case, it is w_n as shown in a formula (41-1). It can approximate by $(k) = h$, and becomes unrelated to a covariance matrix, and count is simplified further.

Signal b_n detected in the identification processing which subtracts $H - B^1$ (k) from receiving vector y (k) shown in the 2nd invention (error correction reflection) type (27) The transmitting symbol soft decision value of signals other than (k) is the signal b_n detected although the error correction decode result is reflected. The error correction decode result about (k) is not

reflected. Then, processing as follows is desirable.

[0052] It changes into a degree type, $b'(k)$ (31), i.e., the formula, in a formula (29).

$$b' = \begin{bmatrix} b'_{11} & b'_{12} & \dots & b'_{1N} \\ b'_{21} & b'_{22} & \dots & b'_{2N} \\ \vdots & \vdots & \ddots & \vdots \\ b'_{n1} & b'_{n2} & \dots & b'_{nN} \\ \vdots & \vdots & \ddots & \vdots \\ b'_{N1} & b'_{N2} & \dots & b'_{NN} \end{bmatrix} \quad (43)$$

however, $f(b'_n(k))$ is the function of the arbitration which considers (k) as an input signal b'_n detected by doing in this way. It becomes possible to make an error correction decode result reflect also about (k) . That is, it is without it is referred to as $b'_n(k) = 0$ (the signal which carries out **** leak *****) will be emphasized to a noise or an interference signal, and $b'_n(k)$ can be correctly detected by adding the suitable value according to $b'_n(k)$.

[0053] About $f(b'_n(k))$, it is b'_n . The sign of (k) is b'_n . It is related to the hard decision result of the symbol corresponding to (k) , and b'_n . It is b'_n , so that the absolute value of (k) is large. It is necessary to fulfill the following conditions from the property in which the dependability of the hard decision symbol corresponding to (k) is large. b'_n When the dependability of $(k) = 0$, i.e., a hard decision symbol, is 0, the value of this function f is also 0. namely, $f(0) = 0$ (44)

It comes out. Moreover, b'_n If the value of (k) is large, the value of Function f will also turn into a big value. namely, $d\{f(b'_n(k))/d\{b'_n(k)\} \geq 0$ (45)

It comes out. As the example of such $f(b'_n(k))$ $f(b'_n(k)) = \alpha b'_n(k)$ (46)

$f(b'_n(k)) = \alpha b'_n(k)^2$ (47)

*****. For example, a constant, then a formula (43) are $[\alpha]$ easily realizable using a formula (46). α is $0 < \alpha < 0.6$ here. If α is made larger than 0.6, a BER (error rate) property will deteriorate conversely and a right decode result will no longer be obtained. Moreover, carrying out adjustable $[\alpha]$ according to the reliability of a decode result is also considered. For example, α is set up for every repeat of decode processing. In this case, what is necessary is just to enlarge the value of α according to the count of a repeat of decode processing, in order that the reliability of a decode result may go up so that the count of a repeat of decode processing usually increases. Or what is necessary is to judge the reliability of the whole frame decoded for every repetition of decode processing, and just to determine the value of α based on the judgment. How to count the number of hard decision symbols which changed for example, the decode result from the time of the last decode as an approach of judging the reliability of the decoded frame, as compared with the decode result at the time of repeat decode 1 time ago can be considered. Namely, what is necessary is to judge with reliability being low, when there are many hard decision symbols which changed, and just to judge with reliability being high, when there are few hard decision symbols which changed.

[0054] Moreover, such b'_n It follows on modification of (k) and is the multiplier w_n of an MMSE (2nd [an average of] power error of the minimum) filter. It is desirable to change as follows the formula (35) used in case it asks for (k) .

$$G(k) = E[(B(k) - B'(k)) - (B(k) - B'(k))]H$$

$$= \text{diag}[D(k+Q-1), \dots, D(k), \dots, D(k-Q+1)]$$

It is [0055] from a formula (29) and a formula (31) here.

[Equation 20]

$$B'(k) = \begin{bmatrix} b'_{11}(k+Q-1) \\ b'_{11}(k+Q-2) \\ \vdots \\ b'_{11}(k) \\ \vdots \\ b'_{11}(k-Q+1) \end{bmatrix} \quad b'(k) = \begin{bmatrix} b'_1(k) \\ b'_2(k) \\ \vdots \\ -f(b'_n(k)) \\ \vdots \\ b'_N(k) \end{bmatrix}$$

[0056] It carries out. The element of the n line n train of $D(k)$ is $E[(b_n(k) + f(b'_n(k)))]$ and $[\text{and}] (b_n(k) + f(b'_n(k)))^* []^*$. A complex conjugate is expressed. In a BPSK modulation, this

formula turns into a degree type.

$$E = \left[\left(\sum_{k=1}^n b_n \left(\sum_{k=1}^n \text{two} + \sum_{k=1}^n 2b_n \left(\sum_{k=1}^n f(b'_n(k)) + \sum_{k=1}^n f(b'_n(k)) \right) \right) \right) \right] = E \left[\left(\sum_{k=1}^n b_n \left(\sum_{k=1}^n \text{two} \left(\sum_{k=1}^n \right) \right) + \sum_{k=1}^n \text{two} E \left[\left(\sum_{k=1}^n b_n(k) f(b'_n(k)) + E[f(b'_n(k)^2)] \right) \right] \right) \right]$$

The average of this 1st term is set to 1. Moreover, b_n A formula (37) is as follows when (k) is approximated by $b'(k)$.

[0057]

$$D(k) = \text{diag}[1 - b'_{21}(k) - b'_{22}(k) - \dots - b'_{2n-1}(k) - 1 + 2E[f(b'_n(k) b'_n(k)) + E[f(b'_n(k)^2) - b'_{2n+1}(k) - b'_{21}(k)]]] \quad (48)$$

For example, $D(k)$ is as follows when $f(b'_n(k))$ is made into a formula (46).

$$D = \left(\sum_{k=1}^n \right) = \text{diag} \left[\left(\sum_{k=1}^n \text{one} - b'_{21} \left(\sum_{k=1}^n \right) - \sum_{k=1}^n \text{one} - b'_{22} \left(\sum_{k=1}^n \right) - \sum_{k=1}^n \text{one} - b'_{2n-1} \left(\sum_{k=1}^n \right) - \sum_{k=1}^n \text{one} + (2\alpha + \alpha^2) b'_{2n+1} \left(\sum_{k=1}^n \right) - \sum_{k=1}^n \text{one} - b'_{21} \left(\sum_{k=1}^n \right) - \sum_{k=1}^n \text{one} - b'_{2n-1} \left(\sum_{k=1}^n \right) - \sum_{k=1}^n \text{one} - b'_{21}(k) \right] \quad (49)$$

Thus, when making an error correction decode result reflect in the signal to detect, it is the adaptation filter factor w_n . It is the sending signal b_1 from the 1st transmitter as a signal which detects the example of a functional configuration which presumes (k) . The case where it is referred to as (k) is shown in drawing 7 A. Soft decision transmitting symbol $b'_1(k)$ is inputted into the function operation part 331-1, and the function operation $f(b'_1(k))$ calculates. Moreover, soft decision transmitting symbol b'_1 from the decoder of N individual $(k) - b'_N(k)$, and $f(b'_1(k))$ are inputted into the error matrix generation section 332-1, and operation generation of the error matrix $G(k)$ is carried out by a formula (35), a formula (36), and the formula (48). This error matrix $G(k)$, and the presumed channel matrix H and noise power σ^2 It is inputted into the filter factor generation section 333-1, a formula (34) is calculated here, and it is the adaptation filter factor w_n . (k) is presumed. In this case, $f(b'_n(k))$ is inputted also into the interference replica vector generation section 314-1, and interference replica vector B' of a formula (30) and a formula (43) to a formula (29) $'(k)$ is generated. filter coefficient $w_n(k)$ — difference — vector $y'(k)$ carries out filtering in the adaptation filter section 318-1 — having — a logarithm — likelihood ratio $\lambda_1[b_1(k)]$ is obtained. In addition, in the case of the filter factor presumption section 317-1 in drawing 2, the function operation part 331-1 in drawing 7 A is omitted, and it is the soft decision transmitting symbol $b'_1(k) - b'_N(k)$ will be inputted into the error matrix generation section 332-1, and a formula (34) will calculate.

[0058] Although interference replica vector $B'(k)$ is generated by step S4 in drawing 3, steps S5-S7 are processed further and it asks for the filter factor w_n in step S8 (k) When calculating a formula (34) in processing of this step S8 As shown in drawing 7 B, it is the soft decision transmitting symbol b'_1 at step S8-2. $(k) - b'_N(k)$ is used. Formula (35) - (37) is calculated, error matrix $G(k)$ is generated, and it is error matrix $G(k)$, the presumed channel matrix H , and noise power σ^2 at step S8-3. It uses and is the adaptation filter factor w_n by the operation of a formula (34). It asks for (k) .

[0059] To reflect an error correction decode result in the signal detected as mentioned above Soft decision transmitting symbol b'_n of a signal to detect by step S8-1 before step S4 in drawing 7 B The function operation of the (k) is carried out. What is necessary is to use a formula (43) instead of a formula (31), that is, for a formula (29), a formula (30), and a formula (43) to generate interference replica vector $B'(k)$, and just to use a formula (48) instead of a formula (37) by step S4, step S8-2 using this. As mentioned above, it is f (by the case where it considers as $\alpha b'_n(k)$ or $\alpha b'_n(k)^2$, $b'_n(k)$). When changing α , the reliability of the count of processing or the decoded whole frame determines α by step S8-1-1, and it is $1 + (2\alpha + \alpha^2) b'_n$ at step S8-1-2. 2 What is necessary is to calculate and just to use as $f(b'_n(k))$.

[0060] The technique of making an error correction result reflect in this signal to detect is applicable also to the single user turbo receiver explained by the term of the conventional technique. Moreover, what is necessary is to be able to apply the approximation shown in a formula (39) and (40), and just to input into the filter coefficient generation section 333-1 the

matrix h shown in a formula (38) from the channel presumption machine 28 in this case, in the technique of making an error correction result reflect in this signal to detect, as a broken line shows in drawing 7 A. By ****, it is the adaptation filter coefficient w_n . Although it asked for (k) by the formula (34), that is, being asked using the channel matrix H , it is not necessary to use the channel matrix H . That is, in the 1st time of decode processing (turbo reception), the error vector G in a formula (34) serves as a unit matrix. therefore, difference — vector $y'(k)$, a training signal or this, and hard decision transmitting symbol $\hat{b}_n(k)$ — it mentioned above preferably — as — \hat{b}_n with high reliability (k) — the filter factor generation section 333-1 — inputting — RLS (recursive least square method) etc. — applying — serially — a target — adaptation filter factor $w_n(k)$ may be computed. The error vector G is the adaptation filter coefficient w_n 2nd after repeat processing of decode, in order to be dependent on the discrete time of day k . It is necessary to update (k) for every symbol, as stated previously, the channel matrix H is used, and it is the adaptation filter factor w_n . It is desirable to determine (k) .

[0061] The 4th invention (channel presumption)

It repeats, as mentioned above. To channel presumption the hard decision value of not only known information like unique WORD but an information symbol, and also using especially the probable thing as a reference sign Not only in when using for said multi-input multi-output turbo receiving approach, generally Presume the channel (transmission line) of an input signal from an input signal and a known signal, decode by processing an input signal using the presumed channel value, and the decode signal is used. It is applicable to the turbo receiving approach of performing the processing and decode processing by the channel value which repeated and presumed the same input signal.

[0062] The example which also applied the hard decision value of this information symbol to channel presumption and the turbo equalizer 41 at drawing 8 is shown. The turbo equalizer 41 determines a linear equalization filter factor with a presumed channel value, processes an input signal with the linear equalization filter, decodes the processed signal, and repeats and processes the same input signal using the decode signal. Input-signal $r(k)$ is supplied to the channel presumption machine 42 while it is inputted into the turbo equalizer 41. With the channel presumption vessel 42, a channel value (line characteristic) is presumed by input-signal $r(k)$ and the unique WORD from the storage section 29. Identification processing of the input-signal $r(k)$ is carried out by the presumed channel value within the turbo equalizer 41, and after that, while decode processing is carried out and decode data $c'(i)$ is outputted, soft decision value $b'(i)$ is outputted. By being inputted into the symbol selection machine 43, if the absolute value of soft decision value $b'(i)$ is more than threshold Th , soft decision value $b'(i)$ Updating storing of the hard decision value $\hat{b}(i)$ is carried out last time as a probable (reliable) thing at the symbol storage section 32. In the channel presumption processing in the channel presumption section 42 at the time of repeating and carrying out reception (equalizing processing) of the future same input-signal $r(k)$, not only unique WORD but hard decision value \hat{b} of the information symbol memorized by the symbol storage section 32 last time $\hat{b}(i)$ is used.

[0063] The turbo equalizer 41 is a part except the symbol storage section 32 the repeat channel presumption machine 28 receiving in a plane shown in drawing 1, the unique WORD storage section 29, and last time. You may be a receiver in drawing 29. That is, the solution (19) to serves as the following by the Wiener solution also in this case.

$$w(k) = E[y'(k) y'^H(k)] \text{ and } E[b(k) - y'(k)]$$

$$= [H\lambda(k) H + \sigma^2 I]^{-1} h \quad (50)$$

It is the thing and $\sigma^2 = E[|v|^2]$ (distribution of a noise) as which H was defined by the formula (8) here, and $h^* = [H(Q-1), \dots, H(0)]^T$ $TH(\cdot)$ was defined by the formula (5).

$$\lambda(k) = \text{diag}[-1 - b' - 12(k+Q-1), \dots, 1, \dots, -b'2](k-Q+1)$$

Thus, also in the receiver in drawing 29, presume channel $H(\cdot)$, it identification filter-factor $w(k)$ Asks using this channel $H(\cdot)$, filtering of the input signal is carried out by filter factor $w(k)$, and decode processing is performed to that processed output. Therefore, in this repeat reception, right channel presumption can be obtained more by using a hard decision information symbol with said dependability for channel presumption.

[0064] Drawing 9 shows the example of the turbo receiver which applied said repeat channel presumption approach to the repeat reception which performs rake (RAKE) composition processing. Input-signal $r(k)$ is supplied to the RAKE composition processing section 45 and the channel presumption machine 42. A channel value is presumed by input-signal $r(k)$ and unique WORD with the channel presumption vessel 42, and compensation over the phase rotation which each symbol received in the RAKE composition processing section 45 in the transmission line, and RAKE composition processing are performed by the presumed channel value, that is, time diversity processing is performed, and the 1st time is outputted to the turbo decoder 46. Decode data $c'(i)$ and soft decision value $b'(i)$ are outputted from the turbo decoder 46. Soft decision value $b'(i)$ is inputted into the symbol selection machine 43, and like said example, although seemingly it is the **, updating storing of hard decision value $b[\text{of an information symbol}]^{\wedge}(i)$ is carried out last time at the symbol storage section 32. In the repeat reception of RAKE receiving-turbo decoding of the 2nd henceforth, not only unique WORD but the hard decision value of the last information symbol is used for channel presumption with the channel presumption vessel 42. Thereby, since presumption of a channel can carry out to accuracy more, improvement in quality can be aimed at.

[0065] Drawing 10 shows the example of the turbo receiver which used the adaptive (adaptation) array antenna and which applied said repeat channel presumption approach to reception repeatedly. Input-signal $r(k)$ is received by the adaptive array antenna receive section 47. The branching input of the input signal is carried out at the channel presumption machine 42, and channel presumption is performed by this and unique WORD. Using the presumed channel value, toward the arrival direction of the purpose wave, the main beam of the antenna directional characteristics of the adaptive array antenna receive section 47 so that null may be suitable in the arrival direction of an interference wave. The weight to each antenna element or a corresponding receiving path is determined in the array weight decision section 48, and the weight is set as an applicable part. The reception output of the adaptive array antenna receive section 47 is supplied to the turbo decoder 46, and is decoded, the decode data $c'(i)$ and soft decision value $b'(i)$ are outputted, soft decision value $b'(i)$ is inputted into the symbol selection machine 43, and the updating storage of the probable hard decision value is carried out last time at the symbol storage section 32. In the repeat reception of the adaptive array antenna receive section 47-turbo decoder 46 of the 2nd henceforth, not only unique WORD but the hard decision value of the last information symbol is used for channel presumption with the channel presumption vessel 42. Channel presumption is performed more correctly by this, consequently control of antenna directional characteristics is performed more to accuracy, and improvement in quality can be aimed at.

[0066] In addition, if the turbo equalizer 41 in drawing 8 is shown simple, as shown in drawing 11 A, it will be the format of the series connection of ***** (SISO) equalizer (equalizer) 41a and SISO decoder (decoder) 41b, and repeat actuation will be performed between these equalizer 41a and decoder 41b. If the turbo decoder 46 in drawing 9 and drawing 10 is shown simple, as shown in drawing 11 B, it will be the format of the series connection of SISO decoder 46a and SISO decoder 46b, and decode will be repeatedly performed between decoder 46a and 46b. Even for a SISO decoder, drawing 9 and the turbo decoder 46 in drawing 10 are.

[0067] The example shown in the above drawing 8 thru/or drawing 10 is collectively shown in drawing 12. That is, it processes with the channel value which repeated the input signal and was first presumed with the channel presumption vessel 42 with the receiver (turbo receiver) 49. Carry out decode processing of the processed signal, output decode data (symbol) $c'(i)$ and its soft decision value $b'(i)$ as the decode processing result, and the soft decision value $b'(i)$ is set in the symbol selection vessel 43. As compared with a threshold, that judged whether correspondence decode data $c'(i)$ and a (symbol hard decision value) would be probable, and judged that is probable carries out updating storing of the hard decision value last time at the symbol storage section 32. It is made to perform channel presumption besides known information like unique WORD at accuracy to channel presumption in the channel presumption machine 42 in the repeat of processing-decode processing using the presumed channel value of the 2nd henceforth more also using the last symbol hard decision value.

[0068] The example of the procedure of the repeat input-signal approach of also using this symbol hard decision value for drawing 13 is shown. A channel value will be presumed with an input signal and a known signal at step S1, and it will investigate whether it is the 1st time of repeat processing at step S2, and if it is the 1st time, an input signal is processed with the channel value presumed at step S1 by step S3, after that, decode processing will be performed and a symbol hard decision value and a soft decision value will be calculated. The last symbol hard decision which memorizes to drawing by step S4 and has memorized what has the symbol soft decision value to a probable correspondence symbol hard decision value in the storage section 32 at step S5 at the taken-out symbol hard decision value is updated. Decode processing investigates whether it is a count of predetermined at step S6, and if it is not a count of predetermined, it returns to step S1. If it is not the 1st time of repeat processing at step S2, the last symbol hard decision value will be read from the storage section 32 at step S7, this and the information symbol of an input signal will perform channel presumption, and it will move to step S3.

[0069] As step S1' - S4' explained with reference to drawing 6 also in this case, processing of the 2nd henceforth does not need to use a known signal. Between the adaptive array antenna receive section 47 and the turbo decoder 46, as a broken line shows the example shown in drawing 10, the RAKE composition processing section 45 may be inserted. In this case, channel presumption for each symbol phase spin compensation in the RAKE composition processing section 45 and RAKE composition may be made to serve a double purpose with the channel presumption vessel 42, and may be prepared according to an individual.

[0070] It processed in the example of the 2nd invention in consideration of the example and error correction of the turbo receiving approach (the 1st invention) which carried out the noise above-mentioned other than the white nature Gaussian random noise, and the example of the turbo receiving approach (the 4th invention) of having the description in the channel presumption approach, having assumed that a noise was white nature Gaussian random noise. Namely, input signal r_m of each antenna v_m in the right-hand side of the formula (20) showing (k) is assumed in case of white nature Gaussian noise. White nature Gaussian noise follows Gaussian distribution, and is $E[v_m(k) \text{ and } v_m(k-q)] = \sigma^2 \delta_{k-q}$ here. : In the case of $q=0$, in the case of $0:q \neq 0$, $E[\]$ is expected value and σ^2 . It is a variance. It is the signal which has the becoming statistical property. The thermal noise which generates white nature Gaussian noise within an antenna element is mentioned as an example. It is a filter factor w_n that the assumption of this white nature Gaussian noise is reflected. It is the part of $\sigma^2 I$ in the formula (50) which asks for the formula (34) which asks for (k) , or filter factor $w(k)$. For example, w_n of a formula (34) (k) and $w_n(k) = (HG(k) HH + E[n(k) \text{ and } nH(k)])^{-1}h = (HG(k) HH + \sigma^2 I)$ it is computed through a $-1h$ process. Here, it is $v_m(k)$ is distributed σ^2 . It is calculated with $n(k)$ and $E[nH(k)] = \sigma^2 I$ by assumption called the white nature Gaussian noise which it has. channel matrices H and σ^2 presumed by the repeat channel presumption machine 28 (drawing 1) or 42 (drawing 1212) beforehand — a logarithm — error matrix $G(k)$ calculated from a likelihood value — a formula (34) — substituting — filter factor $w_n(k)$ is computed.

[0071] In a place, it is Noise v_m . The case where (k) is not white nature Gaussian noise is considered. In this case, since it cannot be referred to as $n(k)$ and $E[nH(k)] = \sigma^2 I$, it is a filter factor w_n . In order to compute (k) , it is necessary to presume expected-value (covariance) matrix [of a noise component] $E[n(k) \text{ and } nH(k)]$ by the option. This approach is explained below. The covariance matrix of a noise component is written as $U = E[n(k) \text{ and } nH(k)]$ here. It will become a degree type, if $y(k) = H-B(k) + n(k)$ of a formula (22) is transformed with $n(k) = y(k) - H-B(k)$ and it substitutes for a covariance matrix U .

[0072]

$$U = E[n(k) \text{ and } nH(k)]$$

$$= E[(y(k) - H - B(k)) (y(k) - H - B(k))^H]$$

Now, if $B(k)$ is [input signal] available by estimate \hat{H} of the channel matrix H , and the reference sign in vector $y(k)$ and channel estimate, Matrix U is a time average method.

$\hat{U} = \text{sigmak} = 0 \text{ Tr}(y(k) - \hat{H} - B(k)) (y(k) - \hat{H} - B(k))^H$ (51) It can presume. Here, Tr is the number of reference-sign symbols.

[0073] Covariance-matrix \hat{U} is presumed with the channel matrix H using a formula (51) during the repeat channel presumption machine 28 or repeat channel presumption in 42. The procedure is shown in drawing 14. The unique WORD and the information symbol sequence in one frame in an input signal are shown in drawing 14 A, and processing of the 1st henceforth is shown in drawing 14 B. The 1st processing makes only unique WORD a reference sign, and presumes the channel matrix H first. Next, U is presumed to be unique WORD by the formula (51) using the channel matrix estimate \hat{H} . These estimate U and \hat{H} are used and it is a filter factor $w_n(k)$.

$$w_n(k) = (\hat{H}^H G(k) \hat{H} \hat{H}^H + U^{-1})^{-1} h \quad (52)$$

It computes and is this filter coefficient w_n . 1st identification to an input signal is performed using (k) , and a transmit information symbol is presumed.

[0074] Among the information symbols presumed to be unique WORD by the 1st identification, the 2nd processing re-presumes U , after re-presuming H in the same procedure as the 1st time by making into a reference sign both thing * judged that is probable with the threshold. By repeating this actuation, for every repeat, channel matrix estimate \hat{H} becomes more exact, and the estimate of U becomes more exact, and it is a filter factor w_n . The precision of (k) goes up and the property of an equalizer improves. Turbo reception in case the noise which is not white nature Gaussian random noise is included in an input signal by the above processing can be performed.

[0075] as the identification output of the input signal of the sending signal from the 1st transmitter of the multi-output equalizer 31 which showed the functional configuration in the case of presuming the covariance matrix U of the noise in the input signal mentioned above, and performing linear equalization processing in drawing 2 — a logarithm — likelihood ratio λ . The example applied when asking for $[b_1(k)]$ is shown in drawing 15. The same reference number is attached to drawing 2 in drawing 15, and a corresponding part. Last time, the unique WORD from the unique WORD storage section 29 or the last symbol hard decision probable from the symbol storage section 32 is inputted into the reference vector generation section 319, and reference vector $B(k)$ is generated by a formula (25) and the formula (26) here. This reference vector $B(k)$, presumed channel matrix \hat{H} from the channel presumption machine 28, and receiving vector $[$ from the receiving vector generation section 311 $] y(k)$ are supplied to the covariance-matrix presumption section 321, a formula (51) is calculated here, and presumed matrix \hat{U} of a covariance matrix U is obtained.

[0076] Moreover, the soft decision transmitting symbol soft decision b'_1 from the soft decision symbol generation section 313-1 $(k) - b'_n$ Error matrix G_1 to which (k) is inputted into the error vector generation section 322-1, and corresponds with a channel presumption square error by the formula (35), the formula (36), and the formula (37) here (k) is generated. This error matrix $G_1(k)$, presumed covariance-matrix \hat{U} , and presumed channel matrix \hat{H} are supplied to the filter presumption section 323-1, a formula (52) is calculated here, and it is a filter factor $w_1(k)$ is presumed. this filter coefficient w_1 the difference from (k) and the difference operation part 316-1 — filtering $[$ as opposed to $/$ vector $y'(k)$ is supplied to the adaptation filter 318-1, and $/ y'(k)] w_1(k) H y'(k)$ should do — that result — a logarithm — likelihood ratio λ . It is outputted as $[b_1(k)]$.

[0077] When making an error correction decode result reflect also about the signal to detect As a broken line shows in drawing 15, form the function operation part 331-1 shown in drawing 7 $R > 7A$, and $f(b'_n(k))$ is calculated. What is necessary is to use a formula (43) instead of a formula (31) in the interference replica vector generation section 314-1, and just to use a formula (48) instead of a formula (37) in the error vector generation section 322-1. The technique shown in drawing 14 B is shown in drawing 16 as a flow chart. That is, the channel matrix H will be presumed using input-signal $r(k)$ and a known signal (for example, unique WORD) at step S1, and next, it investigates whether this processing is the 1st time in repeat processing at step S2, and if it is the 1st time, it will calculate a formula (51) using a known signal, presumed channel matrix \hat{H} , and input-signal $r(k)$ at step S3, and will ask for presumed covariance-matrix \hat{U} .

[0078] A formula (52) is calculated using error matrix $G(k)$ which becomes presumed channel matrix \hat{H} and presumed covariance-matrix \hat{U} with a symbol soft decision value by step S4, and it is a filter factor $w_n(k)$ is presumed. step S5 — presumed channel matrix \hat{H} and filter factor

$w_n(k)$ — using — an input signal — identification processing — carrying out — that is, a formula (27) — calculating — $w_n H(k) - y'(k)$ — calculating — a logarithm — likelihood ratio λ_{b1} It asks for $[b_n(k)]$, decode processing is performed to this, and the hard decision value and soft decision value of a transmitting symbol are presumed.

[0079] Step S6 calculates the probable (it is reliable) symbol hard decision value which corresponds from the symbol soft decision value more than a threshold. With this symbol hard decision value, the symbol hard decision value stored in the symbol storage section 32 last time is updated. Then, if it has not come to investigate whether the count of decode processing became a predetermined value at step S8 and is return and a predetermined value to step S1, the processing to the receiving frame will be ended. If the processing in repeat processing is not the 1st time at step S2 (i.e., if it is 2nd henceforth), a symbol hard decision value will be read from the symbol storage section 32 last time by step S9, the channel matrix H will be presumed by this and the information symbol in an input signal, and it will move to step S3.

[0080] 2nd henceforth can be prevented from using a known signal by changing steps S1 and S2 into the same processing as step S1' shown with the broken line in drawing 6 also in this case — S4'. Moreover, what is necessary is to perform the function operation $f(b'_n(k))$ at step S10 into drawing 16, as a broken line shows when the signal to detect also wants to make an error correction decode result reflected, and just to ask for error matrix $G(k)$ using this result. Furthermore, in the case of which, it is not necessary to use a hard decision transmitting symbol at presumption of covariance-matrix \hat{U} . it is said below that the covariance matrix U of that noise in the input signal in which the noise which is not this white nature Gaussian noise was included can be presumed — as — various kinds — it is applicable to useful application.

[0081] (1) The receiving method for the multi-sequence sending signal in which an interference signal with a strange receiver is included is mentioned. As shown in drawing 28, suppose that strange interference signal $i(k)$ (for example, signal from the cel and zone of others [mobile communication]) is received by the turbo receiver in addition to the sending signal of the sequence of N individual like the signal from the transmitter of the user of N man whom a turbo receiver tends to receive as a broken line shows. At this time, it is a formula (20). $r_m(k) = \sum_{q=0}^{Q-1} \sigma_{m1} h_{mn}(q) b_n(k-q+1) i(k) + v_m(k)$ It becomes (20)'. It sets to this model and is $i(k) + v_m(k) \approx v'_m(k)$ If $r_m(k) = \sum_{q=0}^{Q-1} \sigma_{m1} h_{mn}(q) b_n(k-q+1) v'_m(k)$ It becomes (20)". $v'_m(k)$ As a noise signal which is not white nature Gaussian noise, (k) performs presumption of H , and presumption of further U , as stated previously, and it is $w_n(k)$ can be presumed and turbo reception can be performed by repeating identification processing of an input signal, and transmitting symbol presumption.

[0082] (2) In the communication system using a transceiver separation filter, in case over sampling technique is performed from $1/2$ of a symbol period to an input signal at high speed, correlation cannot come out between the noise components contained in the input signal by which the sample was carried out by each time amount, and it cannot be considered that the noise in an input signal is white nature Gaussian noise. That is, it sets at a ceremony (20) and is $E[v_m(k) \text{ and } v_m(k-q)] = \sigma_{m2}$. : In the case of $q=0$, it does not become the case of $0:q \neq 0$. Therefore, the assumption $E[n(k) \text{ and } nH(k)] = \sigma_{m2} I$ Becoming cannot be performed. Then, by performing processing to the input signal separated with the transceiver separation filter in quest of a covariance matrix U using a formula (51), an input signal can be processed correctly.

[0083] (3) By the turbo receiving approach mentioned above, all the multi-pass components of Q pass from each transmitter (user) are compounded, and it has become constructing. however, when a long delay wave exists in a channel (example: — pass — the pass component of 1 symbol delay, 2 symbol delay, and 30 symbol delay in case it is 3-symbols-delayed, and it flies and 30 symbol delay exists), it is possible to take the plan which does not compound a long delay wave, but treats it as strange interference, and is removed with an adaptation filter. That is, a long delay wave is removable by treating this long delay wave component as interference signal $i(k)$ in the example of the above (1).

[0084] In the processing to the input signal in which the noise which is not the white nature Gaussian noise mentioned above was included Presumption of a covariance matrix U is presumed instead of $\sigma_{m2} I$ in a formula (50). Are applicable also to the single user turbo

receiving approach. Similarly A single user, Irrespective of multiuser, it is applicable to the turbo reception using the adaptive array antenna reception shown in the RAKE composition processing reception shown in drawing 9 , or drawing 10 , channel presumption with the channel [in / repeatedly / decode] presumption vessel 42 still more generally shown in drawing 12 , and presumption with a covariance matrix U. In addition, in RAKE reception, only channel presumption may be used.

[0085] the 3rd invention (multistage identification) **** — input signals r_1, \dots, r_M the multi-output equalizer 31 — it is — equalizing — a logarithm — likelihood ratio $\lambda_1 [b(k)]$, —, λ_N Although it asked for $[b(k)]$, in the modification (2) of the 1st invention, two or more identification stages are prepared in concatenation, and a more nearly latter equalizer is good also as a configuration which lessens the number of outputs. For example, as shown in drawing 17 , by dividing into two for this, with the preceding paragraph equalizer (multiuser equalizer) 71, the interferent component outside the identification range of latter single user equalizer 21' is canceled, therefore pretreatment of software interference cancellation and MMSE (2nd [an average of] power error of the minimum) norm linearity filtering is performed, for example, and the numbers of passes shown previously perform identification processing of the single user of Q by latter-part equalizer 21' after that.

[0086] Thus, identification processing is carried out in concatenation and computational complexity can be prevented from becoming immense also by using a linearity filter for processing of the preceding paragraph. The example of the MIMO structure of a system to which the configuration and this invention of the example based on the underlying concept of the 1st invention (2) of this turbo receiving method of a multi-output turbo receiver are applied is shown in drawing 18 , the same reference number is attached to drawing 1 and a corresponding part, and duplication explanation is omitted (the same is said of the following explanation). The sending signal from each transmitter is received through a transmission line (channel) by the turbo receiver 30. This input-signal $r(k)$ is inputted into the multiuser equalizer 71. From this equalizer 71 Signal u_1 with which interference by the signal from the transmitter of others [signal / from each transmitter of N individual] was removed, respectively (k) , — and $u_N(k)$ and each channel value $\alpha_1(k)$, —, $\alpha_N(k)$ is outputted and it is inputted into the single user equalizer 21-1, —, 21-N, respectively. from these SISO(s) equalizer 21-1, —, 21-N — respectively — a logarithm — likelihood ratio $\lambda_1 [b_1(k)]$, —, $\lambda_N [b_N(k)]$ is outputted. Although future processings are the same as that of the case of drawing 1 $R > 1$ than this, they are the single user equalizer 21-1, —, the channel value α_1 used by 21-N. (k) , —, $\alpha_N(k)$ is a channel value after multiuser identification, and differs from the channel matrix H. Therefore, this $\alpha_1(k)$, —, $\alpha_N(k)$ is described as the channel information after identification.

[0087] Hereafter, actuation of each part is explained. In consideration of several Q of a multi-pass (channel), formula (23) – (26) is defined like explanation of drawing 1 . An equalizer [of the latter part in drawing 18] 21-1, —, according [21-N] to signal symbol $(b_n(k), \text{ and } [b_n(k-1), \dots, b_n](K-Q+1) (n=1, \dots, N))$ of each user's self intersymbol-interference channel is equalized. Therefore, in the equalizer 71 of the preceding paragraph, processing which removes interference other than the above $(b_n(k), \text{ and } [b_n(k-1), \dots, b_n](K-Q+1) (n=1, \dots, N))$ in $y(k)$ is performed. The quantitative explanation is given to below.

[0088] First, a decoder 24-1, —, prior information $\lambda_2 p$ of the equalizer 71 fed back from 24-N It asks for soft decision transmitting symbol presumption $b'(k)$ by the formula (15) using $[b_n(k)] (n=1, \dots, N)$. Next, these soft decision transmitting symbol b'_n Replica $H-B'$ [of an interference signal] $'(k)$ is created using (k) and the channel matrix H, and it subtracts from receiving vector $y(k)$.

$y'_n(k) = y(k) - H-B'(k)$ (27) $B'(k) = [b'^T \dots (k+Q-1) b'^T(k) \dots b'^T(k-Q+1) T H - (B(k) - B'(k)) + n(k) \text{ and } (28) ' = \text{here } (29) ' = \text{and } b'(k+q) = [b'_1 b(k+q) ' 2(k+q) \dots b'_n \dots (k+q) b'_N(k+q)]^T :$
 $q=Q-1, \dots, 1$ (53) $b'(k+q) = [b'_1 b(k+q) ' 2 \dots (k+q) 0 \dots b'_N] (k+q) T : q=0 \text{ and } \dots -Q+1$ (54)
 (The zero in the element of $b'(k+q)$ are the n -th)

Actuation of subtracting this interference below will be called software interference cancellation. $y'_n(k)$ which will be obtained after subtraction supposing the replica of an interference signal is made ideally is the n -th user's symbol $b_n(k)$. A formula (54) shows $q=1, \dots$, that it cannot have

in having set the n -th element of $b'(k+q)$ to 0 by $-Q+1$ only with the intersymbol-interference component by a user's n -th own symbol $[b_n(k-1), \dots, b_n(k-Q+1)]$ of *****.

[0089] Although the contribution component from the signal of the n -th user (transmitter) within the receiving vector $r(k)$ is based on a symbol $(b_n(k), \dots, b_n(k-Q+1))$, it actually sees. But So that I may be understood from the definition of receiving vector [of a formula (21)] $y(k)$ In the contribution component from the signal of the n -th user (transmitter) in receiving BEKURUTOy(k) which compounds by the multi-pass and is made, it is the k -th symbol b_n . This is received if based on (k) . Symbol $[b_n(k+Q-1)$ of the future, $b_n(k+Q-2), \dots$, the intersymbol-interference component by $b_n(k+1)]$ will also be included. That is, the above-mentioned interference replica has also included the interferent component from the future. thus, the difference of formula (27)' — vector $y'(k)$ — the difference of a formula (27) — it differs from vector $y'(k)$.

[0090] Then, the next step of the preceding paragraph processing in an equalizer 71 is the interference surplus component after software interference cancellation, i.e., the residual interferent component based on said imperfect composition of interference replica $H-B'(k)$, and said future intersymbol-interference component y'_n The linearity filter of an MMSE (2nd [an average of] power error of the minimum) norm removes from (k) . That is, filter shape $w_n y'_n$ It is made for the result of having carried out filtering of the (k) as shown in a formula (55) to become equal to channel value α_{1n} , α_{2n} , \dots , the sum that carried out the multiplication of the α_{qn} , respectively as the symbol in the signal of the n -th user in an input signal $(b_n(k), \dots, b_n(k-Q+1))$.

$w_n H(k)$ and $y'_n(k) \sum_{q=0}^{Q-1} \alpha_{qn}(k)$ and $b_n(k-q) \alpha_{qn} H(k)$ and $b_n(k)$ (55)
Therefore, this filter shape $w_n(k)$ and channel value (channel information) α_{qn} after identification What is necessary is just to calculate a formula (55) in quest of (k) . It is w_n below. (k) and α_{qn} The calculation approach of (k) is shown. In addition, filter shape $w_n(k)$ is the filter factor w_n given by the formula (32) and the formula (34). Although it differs from (k) , the same notation is used for convenience.

[0091] The above-mentioned solution is defined as a solution of the following optimal problems.
 $(w_n(k) \alpha_{qn}(k)) = \arg \min \|w_n H(k) \text{ and } y'_n(k) - \alpha_{qn} H(k) \text{ and } b_n(k)\|_2$ (56)

It is contingent [on $\alpha_{1n}(k)=1$]. That is, w_n from which the right-hand side of a formula (56) serves as $\min(k)$ and α_{qn} It asks for (k) . Constraint $\alpha_{1n}(k)=1$ added is $\alpha_{qn}(k)=0$ and w_n It is for avoiding the becoming solution $(k)=0$. This is $\|\alpha_{qn}(k)\|_2=1$. Although solving by the constraint which becomes $(k)\|_2=1$ is also possible, below, it is α_{1n} . The solution in $(k)=1$ is shown. Since it is easy, a problem is replaced as follows. That is, m_n which makes the right-hand side of a formula (56) \min about w and α It is defined as (k) .

[0092]
 $m_n(k) = \arg \min \|m_n H(k) \text{ and } z_n(k)\|_2$ (57)
 $m_n H$ It is contingent [on (k) and $e_{MQ+1}=-1$]. ($\alpha_{1n}(k)=1$ and equivalence)
here — $m_n(k) \sum_{t=k-Q+1}^k [w_n T(k), -n[\alpha_{qn}(k) T] T]$ (58)
 $z_n(k) \sum_{t=k-Q+1}^k [y_n T(k) b_n(k) n T] T$ (59)
 $e_{MQ+1} = [0 \dots 1 \dots 0] T$ (60)

(— the element of one in e_{MQ+1} is $MQ+1$ st). The solution of this optimization problem is given below from reference [2] S.Haykin, Adaptive Filter Theory, and the Lagrange method of undetermined coefficients shown in Prentice Hall P.220-P227.

[0093]
 $m_n(k) = -RZZ^{-1}$ and $e_{MQ+1}/(e_{MQ+1}H, RZZ^{-1}, \text{ and } e_{MQ+1})$ (61)
It is here. $RZZ = \epsilon [z_n(k) \text{ and } z_n H(k)]$ (62)
 $\epsilon [A]$ expresses the expected value (average) of A .

[0094]
[Equation 21]
$$= E \begin{bmatrix} H \cdot A_n(k) \cdot H^H + \sigma^2 I & H_n^H \\ H_n & I \end{bmatrix} \quad (63)$$

[0095]

$\text{diag} [D_n(k+Q-1), \dots, D_n(k), \dots, D_n(k-Q+1)]$ (64) I is a unit matrix. σ^2 Noise power (variance of white nature Gaussian noise)

[0096]

[Equation 22]

$$H_n = \begin{bmatrix} h_n(Q-1) & 0 & 0 & 0 \\ h_n(Q-2) & h_n(Q-1) & 0 & 0 \\ \vdots & \vdots & \ddots & \vdots \\ h_n(0) & h_n(1) & \dots & h_n(Q-1) \end{bmatrix} \quad (65)$$

[0097]

$D_n = (k+q) \text{diag} [1-b_1^2(k+q), \dots, 1-b_n^2(k+q), \dots, 1-b_N^2(k+q)]$: $q=Q+1$ and \dots one (66) $D_n = (k+q) \text{diag} [\dots, 1-b_1^2(k+q), \dots, 1, \dots, 1-b_N^2(k+q)]$: $q=0, \dots, -Q+1$ (67)

diag expresses a diagonal matrix (elements other than the element of the diagonal line of a matrix are zero). That is, it is $m \times n$ if the channel matrices H and σ^2 are known. It can ask for (k) by the formula (61). Therefore, a formula (58) is followed and it is $w_n(k)$ and $\alpha_n(k)$ is called for.

[0098] This computed filter shape w_n By (k) , it is y_n . Filtering of the (k) is carried out by the degree type.

$u_n(k) = w_n H(k)$ and $y_n(k)$ (68)

H expresses a conjugate transposed matrix. This n processing result by which filtering was carried out is sent to equalizer 21- n to which consecutiveness corresponds. Thus, the left part of the formula (1) from the n -th user and the corresponding input signal $u_n(k)$ is obtained, the channel value $h_{mn}(q)$ of the right-hand side of a formula (1) and corresponding $\alpha_{mn}(k)$ are obtained, that is, a formula (1) and a corresponding formula (55) can be found. Therefore, $\alpha_n(k)$ is given to consecutive equalizer 21- n as an equalizer parameter (channel value). The above is preceding paragraph processing by the equalizer 71.

[0099] Next, the processing after consecutive equalizer 21- n is described. As mentioned above, since it corresponds with the formula (1), since it is shown in reference [1], a formula (55) omits actuation within equalizer 21- n for every user for details, as stated also above that what is necessary is just to carry out like actuation of the equalizer 21 in drawing 31. u_n which defined each equalizer 21- n by the top (k) and α_n the logarithm of the probability for the prior information λ_2 from (k) and decoder 24- n [$b_n(k)$] to be inputted, and for each coding bit to be +1 as an output, and the probability which is -1 — a likelihood ratio λ_1 (LLR: Log-Likelihood Ratio) is computed by the degree type.

[0100]

[Equation 23]

$$\Lambda_l[b(k)] = \log \frac{\Pr[b_n(k) = +1 | u_n(k), k = 0, \dots, B]}{\Pr[b_n(k) = -1 | u_n(k), k = 0, \dots, B]} \quad (69)$$

$$\equiv \lambda_1[b_n(k)] + \lambda_2^p[b_n(k)] \quad (70)$$

[0101] It is λ_1 here. [$b_n(k)$] is the external information and λ_2^p which are sent to consecutive decoder 24- n . [$b_n(k)$] is prior information given to an equalizer 31. decoder 24- n — a logarithm — likelihood ratio λ_2 It computes by the degree type.

[0102]

[Equation 24]

$$\Lambda_2[b_n(i)] = \log \frac{\Pr[b_n(i) = +1 | \lambda_1[b_n(i)], i = 0, \dots, B]}{\Pr[b_n(i) = -1 | \lambda_1[b_n(i)], i = 0, \dots, B]} \quad (71)$$

$$\equiv \lambda_2[b_n(i)] + \lambda_1^p[b_n(i)] \quad (72)$$

[0103] It is λ_2 here. $[b_n(i)]$ is the external information and λ_1^p which are given to an equalizer 71 and an equalizer 21 in the case of a repeat. $[b_n(k)]$ is the prior information given to decoder 24-n. The configuration shown in this drawing 18 performs identification and decode repeatedly, and improvement in an error rate is attained. The functional configuration of the multiuser equalizer 71 mentioned above is briefly explained with reference to drawing 19. each — an antenna — an input signal — a receive section — 70 — a vector — $r = (r_1, \dots, r_M)^T$ — $r = (r_1, \dots, r_M)^T$ — one — $(r_1, \dots, r_M)^T$ — $r_M = (r_1, \dots, r_M)^T$ — ***** — processing — having — this — a vector — $r = (r_1, \dots, r_M)^T$ — using — reception — a vector — generation — the section — 311 — setting — each — a multi-pass (channel) — having taken into consideration — a formula — $(y_1, \dots, y_M)^T$ — reception — a vector — $y = (y_1, \dots, y_M)^T$ — generating — having .

[0104] On the other hand, input-signal [from a receive section 70] $r(k)$, and each transmitter from the unique WORD storage section 29 and the corresponding known sequence signals, such as a unique WORD sequence for channel presumption, are inputted into the channel presumption machine 28, and the channel matrix H is presumed. moreover, the output of each decoder 24-1, —, 24-N — a logarithm — likelihood ratio $\lambda_2[b_1(i) | b_N(k)]$ is inputted into the soft decision symbol presumption section 313-1, —, 313-N. $i)$ —, —, $\lambda_2(k)$, —, λ_2 — $[b_N \text{ from } (i)]$ — respectively — prior information λ_1^p [— $b_1(i)$], —, λ_1^p $[b_N \text{ External information } \lambda_2 \text{ from which } (i)]$ was deducted [— b_1 It is the soft decision transmitting symbol b_1 by the formula (15), respectively. (k) , —, $b_N(k)$ is calculated. These are inputted into the interference vector generation section 72, and vector B [of the symbol estimate which can serve as an interference signal from other transmitters for every n] $'(k)$ is generated by formula (29)', (53), and (54) in the interference vector generation section 72. The product of vector $B'(k)$ and the channel matrix H of these N individual calculates, respectively by the other interference signal estimation section 73-1, —, 73-N, and replica $H-B(k)$ of an interferent component is calculated.

[0105] interferent component replica $H-B(k)$ of these N individual subtracts from receiving vector $y(k)$ by the subtraction section 74-1, —, 74-N, respectively — having — difference — a vector $y_1'(k)$, —, $y_N'(k)$ is called for. Soft decision transmitting symbol $b_1'(k)$, —, $b_N'(k)$ is inputted into the error matrix generation section 75. It is the error matrix λ_1 by the formula (64), (66), and (67). (k) , —, $\lambda_N(k)$ is generated. These, the channel matrix H , and noise power σ^2 It is inputted into the filter shape presumption section 76, and is a filter shape w_n at the filter shape presumption section 76 by a formula (58), (60), (61), (63), and (65). Channel information α after identification It is presumed. these filter shapes w_1 , — and w_N difference — vector $y_1'(k)$ — — and y_N' The multiplication of the (k) is carried out by the filtering section 77-1, —, 77-N, respectively. Filtering is carried out. That is, symbol $[b_n(k)]$ from each pass for every user, u_1 which is $b_n(k-1)$, —, the component of which interference [signal / other user] was removed from the input signal of $b_n(K-Q+1)$ (k) , — and u_N Channel information α_1 after the identification which (k) was obtained, respectively and was asked for it in these and the filter shape presumption section 76 (k) , —, $\alpha_N(k)$ is supplied to the single user equalizer 21-1 in drawing 18, —, 21-N, respectively.

[0106] The procedure of the 1st invention (2) of this turbo receiving method is shown in drawing 20. The same step notation was attached to the procedure shown in drawing 3, and a corresponding step in drawing 20. However, interference replica vector B_n in step S4 Formula (29)', (53), and (54) perform count of (k) . Step S13 is soft decision transmitting symbol $b_n(k)$ is used and it is error matrix λ_n by the formula (64), (66), and (67). (k) is generated. Step S14 is a channel, Matrix H , and noise power σ^2 . Error matrix $\lambda_n(k)$ is used and it is the residual interference removal filter w_n by a formula (58), (60), (61), (63), and (65). (k) and channel

information alphan It asks. step S15 — difference — vector $y_n(k)$ — residual interference removal filter shape $w_n(k)$ — filtering — carrying out — un It asks for (k) . step S16 — each filtering result $u_n(k)$ — receiving — single user identification processing — carrying out — a logarithm — likelihood ratio $\lambda_{bn}(k)$ It asks for $[b_n(k)]$, respectively and decode processing of these is carried out at step S10. Others are the same as that of the processing shown in drawing 3.

[0107] Although the identification range in latter-part equalizer 21-n is made into the intersymbol-interference section by the symbol $(b_N(k), \text{and } [b_n(k-1), \text{---}, b_n](K-Q+1) (n=1, \text{---}, N))$ in ****, this identification range can be adjusted. For example, as for the case of a very big value, the count load of latter equalizer 21-n becomes $[Q]$ large. In such a case, what is necessary is to set the identification range of latter-part equalizer 21-n to $Q' < Q$, and just to change so that the equalizer 71 of the preceding paragraph may remove the intersymbol interference of the signal of the same users other than $b_n(k)$, and $[b_n(k-1), \text{---}, b_n](K-Q'+1) (Q' < Q, n=1, \text{---}, N)$ section. This modification is explained later. As it divides into this preceding paragraph identification and latter-part identification and a broken line also shows a **** case in drawing 19 $R > 9$, in the channel presumption machine 28, the symbol storage section 32 is formed last time, and it is hard decision transmitting symbol \hat{b}_n . As a channel value is presumed using (k) , that presumed precision can be raised.

[0108] Signal u_n of N sequence which carried out identification separation of the interference [train / other-system] for these to the sending signal of N sequence in the multi-output equalizer 71 of the preceding paragraph in the example shown in drawing 17 Channel information alphan after identification It outputs and is the signal u_n of after that and N sequences each. Latter single user equalizer 22-n removed the intersymbol interference of the same sending signal. That is, it considered as two steps of concatenation identification configurations. It is good also as three or more steps of concatenation multistage configurations. For example, input signal r_m of an M sequence [as opposed to / in / as shown in drawing 21 / the equalizer 81 of the 1st step / the sending signal of N sequence] Identification signal sequence er_1 which inputted and removed interference by the No. $[U+1]$ transmitting sequence of the 1st — a No. $[U]$ transmitting sequence (k) and channel information e [after the identification] $\alpha(k)$, Identification signal sequence er_2 which removed interference by the 1st of the $U+1$ st — a No. $[N]$ transmitting sequence — the No. $[U]$ transmitting sequence (k) and channel information $e\alpha_2$ after the identification (k) is obtained. In 82-1 in the equalizer 82-1 of the 2nd step, and 82-2 inputted $er_1(k)$ and $e\alpha_1(k)$ — identification processing — carrying out — the [the 1st in the 1st — a No. / U / transmitting sequence —] — U_1 the U th of a watch transmitting sequence — identification signal sequence er_3 which removed interference by $1+1$ — the No. $[U]$ transmitting sequence Channel information $e\alpha_3$ after (k) and its identification With (k) the U th in the 1st — a No. $[U]$ transmitting sequence — the $[1+1 -]$ — U_2 the $[1\text{st} / \text{of a watch transmitting sequence} / \text{the} -]$ — the $[U \text{ No. } 1 \text{ transmitting sequence and}]$ — identification signal sequence er_4 which removed interference by U_2 — the No. $[U]$ transmitting sequence Channel information $e\alpha_4$ after (k) and its identification With (k) the U th in the 1st — the U th transmitting sequence — the $[the 1\text{st of } 2+1 - \text{the } U\text{th transmitting sequence} -]$ — U_2 Identification signal sequence er_5 which removed interference by the transmitting sequence Channel information $e\alpha_5$ after (k) and its identification (k) is outputted, respectively.

[0109] With the equalizer 82-2 of the 2nd step, it is the identification signal sequence er_2 similarly. (k) and channel information $e\alpha_2(k)$ is inputted and it is the identification signal sequence er_6 . (k) and channel information $e\alpha_6$ after identification (k) and identification signal sequence $er_7(k)$ and channel information $e\alpha_7$ after identification (k) is outputted. In the case of $N=5$, the equalizer 83-1 to 83-5 of the 3rd step turns into a single user equalizer in drawing 18. Or the input identification signal of an equalizer 83-3 may be constituted by two sending signals, may remove the mutual intervention between the two sending signals with an equalizer 83-3, and may equalize 2 sets of identification signals, and the channel information after the identification, respectively by the following single user equalizer 84-1 and 84-2. Furthermore, for example with an equalizer 83-4, it is the identification signal $er_6(k)$ and channel information $e\alpha_6(k)$ may be inputted and a mutual intervention with other two sending signals and the

(k).

[0115]

$\text{wg}(k) \text{ alphag}(k) = \arg \min \|\text{wg} H(k) \text{ and } y'g(k) - \text{alphag} H(k) \text{ and } bg(k)\|_2$ (56) 'alpha — 1 and 0
It is contingent [on (k) =1]. the added constraint — $\text{alphag}(k) = 0$ and $\text{wg}(k) = 0$ — in order to
avoid a solution — it is — $\|\text{alphag}(k)\|_2 = 1$ — although solving by the constraint is also
possible — the following — alpha — 1 and 0 In the case of (k) =1, a problem is replaced as
follows.

$\text{mg}(k) = \arg \min \|\text{mg} H(k) \text{ and } zg(k)\|_2$ (57) 'mg H It is contingent [on (k) and $eMQ'+1 = -1$].

Here, it is $\text{mg}(k) ** [\text{wg} T(k) - \text{alphag} T(k)] T$ (58) ' $zg(k) ** [\text{yg} T(k) b(k) g T] T$ (59) ' $eMQ'+1 =$
[0 — 1 — 0] T (60) ' ($eMQ'+1$ element of inner one MQ' the +1st)

The solution of this optimization problem is given below from the Lagrange method of
undetermined coefficients shown in said reference [2].

[0116]

$\text{mg}(k) = -R_{zz}^{-1}$ and $eMQ'+1/(eMQ'+1 H, R_{zz}^{-1}, \text{ and } eMQ'+1)$ [(61) ' — here — 0117]

[Equation 25]

$$R_{zz} = E\{z_g(k) \cdot z_g^H(k)\} \quad (62)'$$

$$= E \begin{bmatrix} H \cdot \Lambda(k) \cdot H^H + \sigma^2 I & H_g^H \\ H_g & I \end{bmatrix} \quad (63)'$$

[0118]

$\text{lambdan}(k) = \text{diag}[D_n(k+Q-1), \dots, D_n(k), \dots, D_n(k-Q+1)]$ (64) ' [0119]

[Equation 26]

$$H_g = \begin{bmatrix} h_1(Q-1) & 0 & 0 & \dots & h_U(Q-1) & 0 & 0 \\ h_1(Q-2) & \ddots & 0 & \dots & h_U(Q-2) & \ddots & 0 \\ h_1(Q-3) & \vdots & h_1(Q-1) & \dots & h_U(Q-3) & \vdots & h_U(Q-1) \\ \vdots & \vdots & \vdots & \dots & \vdots & \vdots & \vdots \\ h_1(0) & \dots & h_1(Q'-1) & \dots & h_U(0) & \dots & h_U(Q'-1) \end{bmatrix} \quad (65)'$$

[0120]

$D_n = (k+q) \text{ diag}[1-b'1^2(k+q), \dots, 1-b'n^2(k+q), \dots, 1-b'N^2(k+q)] : q=Q+1, \dots, 1$ (66)

$D_n = (k+q) \text{ diag}[1, \dots, 1, \text{ and } 1-b'U+12(k+q), \dots, 1-b'N^2(k+q)] : q=0, \dots, -Q'+1$ (67) ' $D_n = (k+q)$

$\text{diag}[1-b'1^2(k+q), \dots, 1-b'n^2(k+q), \dots, 1-b'N^2(k+q)] : q=Q', \dots, -Q'+1$ (74)

That is, it is mg if a channel parameter is known. It can ask for (k) by formula (61) '. Furthermore,
formula (58) ' is followed and it is $\text{wg}(k)$ and $\text{alphag}(k)$ and ($=\text{alpha1}(k)$) are called for. Such
count is performed in the filter shape presumption section 76 in drawing 19, and filtering of the
degree type is calculated and carried out in the filtering section 77-1.

[0121]

$\text{er1}(k) = \text{wg} H(k) \text{ and } y'g(k)$

This identification output $\text{er1}(k)$ and after [identification] channel information $\text{ealpha1}(k)$
 $=\text{alphag}(k)$ is sent to the latter equalizer 82-1. When dividing [for example,] into a 3
transmitting sequences (user) group and a 2 transmitting sequences (user) group as mentioned
above at the time of the transmitting sequence (user) of 5 It reaches $U=3$, the above-mentioned
algorithm is performed by 2, and they are these two identification outputs $\text{er1}(k)$, $\text{ealpha1}(k)$
and $\text{er2}(k)$ and ealpha2 It inputs into the equalizer the object for 3 transmitting sequences (user)
of consecutiveness to (k), and for 2 transmitting sequences (user), and the identification output
of each transmitting sequence (user) is obtained, respectively.

[0122] Moreover, it is applicable also to the single user turbo equalizer receiver shown in drawing
8, the RAKE composition processing turbo receiver shown in drawing 9, a turbo receiver
equipped with the adaptive array antenna receive section which showed drawing 10, and a turbo
receiver equipped with the channel presumption machine 42 still more generally shown in drawing
12 to make the error correction decode result of the signal which was mentioned above and to

detect reflect in a soft decision transmitting symbol. Furthermore, although the symbol hard decision value judged to be probable by presumption of the 2nd henceforth of the channel matrix H and covariance-matrix U^{\wedge} was also used as a reference sign in drawing 13, drawing 14, and drawing 15, 2nd henceforth may make only unique WORD a reference sign, covariance-matrix U^{\wedge} may be presumed using a formula (51), and channel presumption using a symbol hard decision value and presumption of covariance-matrix U^{\wedge} may be omitted.

the 1st invention (2) (juxtaposition transmission) — transmitting information sequence $c(i)$ by one user as two or more juxtaposition sequences next — frequency use — performing high-speed transmission efficiently is proposed. The example of the turbo receiver which applied this invention is explained to such a sending signal.

[0123] It sets to a transmitting side so that the same reference mark may be attached with drawing 1 at the part corresponding to drawing 22 and it may be shown. As for modulation output-signal [from a modulator 13] $b(j)$, the sequential distribution of the each symbol $b(j)$ are carried out by the serial-parallel transducer 14 at the sequence of N individual. Sequence signal $b1$ of two or more integer N individuals (k), —, bN Although it is referred to as (k) and shown in drawing, after these are changed into the signal of a radio frequency, they are transmitted from the antenna of N individual. The sequence signal of these N individual is received by the turbo receiver of this invention through a channel (transmission line). the receiving antenna of this receiver — one or more pieces — it is — this input signal — baseband digital input signal r_m of one or more integers [M] (k) — (— $m=$ — it is inputted into the multi-output equalizer 31 as 1, 2, —, M). Input signal $r_m(k)$ is generated as shown in drawing 28.

[0124] The processing the multi-output equalizer 31 is the same as that of the configuration shown in drawing 2, and same as the procedure shown in drawing 3 is performed. the logarithm from the decoder 24 shown in drawing 22 on that occasion — likelihood ratio $\lambda_2[b(i)]$ to external information $\lambda_1[b_i]$ is subtracted with a subtractor 25. The interleave of the subtraction output is carried out by INTARIBA 26, and it is the prior information λ_2 . It is referred to as $[b(j)]$. The prior information $\lambda_2[b(j)]$ is the prior information λ_2 on N sequence at the serial-parallel converter 15. $[b1(k)]$, —, λ_2 It is changed into $[bN(k)]$ and is inputted into the multi-output equalizer 31.

[0125] therefore, in the multi-output equalizer 31, the input signal of the M sequence carries out linear equalization processing similarly with having stated previously — having — the logarithm of N individual — likelihood ratio sequence $\lambda_1[b1(k)]$, —, $\lambda_1[bN(k)]$ is outputted. the logarithm of this N individual sequence — a likelihood ratio sequence — the juxtaposition-serializer 16 — the logarithm of one sequence — likelihood ratio sequence λ_1 It is changed into $[b(j)]$ and a subtractor 22 is supplied. By identification processing which the input signal format of the multi-output equalizer 31 became being the same as that of what was explained by drawing 1 thru/or drawing 3 according to this configuration, therefore was performed with reference to drawing 1 thru/or drawing 3 the logarithm of N sequence — likelihood ratio $\lambda_1[b1(k)]$, —, λ_1 He can obtain $[bN(k)]$ and it will be easily understood by using the serial-parallel converter 15 and the parallel-serial-conversion machine 16 that decode processing can be performed repeatedly. In drawing 1 thru/or drawing 3, identification of the n -th sending signal (eye n train) in the juxtaposition sending signal of N individual will be carried out in this case corresponding to the sending signal of the n -th transmitter. Moreover, it can be understood easily that the example which referred to drawing 4 thru/or drawing 7 $R > 7$ is also applicable about the reception to juxtaposition transmission of this N sequence signal. Moreover, by concatenation-processing by two or more identification stages shown in drawing 18 thru/or drawing 21, a receiving property improves compared with processing by the single identification stage shown in drawing 1 thru/or drawing 31:

[0126] The turbo receiving approach of this invention and a receiver are applicable also to the reception to a convolutional code / turbo sign + INTARIBA + multi-level modulation (QPSK, 8PSK, 16QAM, 64QAM, etc.), the TCM (Trellis Coded Modulation)/turbo TCM, etc.

By generation **** of M input signals, they are M input signals $r1.(k)$, —, rM Although it asked for (k) from M antenna #1, —, # M , you may ask from one antenna or may ask for many M input signals from L from the input signal of the antenna of two or more integers [L]. although

drawing 1 was not especially shown — each — the input signal from antenna #1, —, #M — a baseband transducer — input signals r_1 , —, r_M of baseband ** — it is carried out and samples — having — digital signal r_1 of the discrete time of day k (k), —, r_M It is referred to as (k).

[0127] For example, the input signal received by $L=2$ antenna #1 and #2 as shown in drawing 30 B is changed into baseband signaling by the baseband transducer 61-1 and 61-2, respectively. The baseband transducer 61-1 and each output of 61-2 the sampling signal and this sampling signal from the sampling signal generator 62 with the sampling signal which shifted the phase only $T/2$ of those periods T with the phase shifter 63 It is sampled by A/D converter 64-1, 64-2 and 64-3, and 64-4, respectively, and is a digital signal r_1 . (k), r_2 (k) and r_3 (k) and r_4 It is changed into (k), and is inputted into the turbo receiver 30 shown in drawing 1, drawing 18, or drawing 22, and you may make it obtain the decode output of N individual. In addition, input signal r_1 inputted into the turbo receiver 30 (k), —, r_4 Each sampling period of (k) is one input signal r_m per one antenna. The frequency of the sampling signal from the sampling signal generator 62 is selected so that it may be in agreement with the sampling period in the case of receiving (k).

[0128]

[Effect of the Invention] As stated above, according to this 1st invention (1), the multi-output (MIMO) receiving approach is realizable. An error rate property is shown in drawing 23 and drawing 24 as quantitative effectiveness. It sets to each drawing and they are E_b of an axis of abscissa / No. It is a bit energy pair noise ratio. The following was assumed as simulation conditions.

several users (transmitter) — $N=2$ Each user's number Q of multi-passes 5 The number of receiving antennas Two The number of information symbols in one frame 450 bits Unique numbers of words in one frame 25 bits The channel presuming method RLS (oblivion multiplier 0.99)

Error correcting code Rates $1/2$, restricted length 3 convolutional code

Doppler frequency 1000Hz (Rayleigh fading)

modulation technique BPSK Transmission speed 20Mbps Decoder 24 Max-Log-Map decoder The number of repeats 4 times The approximation by the lemma of said inverse matrix was not used for count of filter factor w without phasing within a frame.

[0129] the error rate property when, as for drawing 23, channel presumption being performed completely (a presumed error being nothing), that is, assuming that a channel is known — it is — several users (transmitter) — $N=2$ and several receiving antennas — it is the case of $M=2$ and the Rayleigh numbers of passes $Q=5$. The 1st repeat is in the condition which has not been carried out repeatedly, and is the result of performing a repeat once by the 2nd repeat. It turns out that the error rate property is sharply improved by the repeat. Thereby, it turns out that the turbo receiving approach for MIMO of this invention operates appropriately.

[0130] Drawing 24 shows the effectiveness of repeat channel presumption (the 4th invention). An axis of abscissa is threshold Th . It fixes to $E_b/No = 4\text{dB}$ (E_b is a part for one user), and, as for $Th=1.0$, one is considered to be the conventional method with which channel presumption using [choose that is,] a symbol hard decision value is not performed for a symbol hard decision value. In this case, since channel presumption is inaccurate, there is little repeat effectiveness of a BER property, so that clearly from drawing. Threshold $Th=0$ is the case where a hard decision value is all used as it is, if the hard decision value of an information symbol also uses in this way, an average bit error rate will be improved so that clearly from drawing, and it is understood that channel presumption can carry out correctly so much. Furthermore, about threshold $Th=0.2-0.6$, it turns out that it is better to use [whose average bit error rate serves as smallness from the case of $Th=0$] only a probable hard decision value. It is understood especially that the $Th=0.25$ neighborhood is also the most desirable.

[0131] A probable transmitting symbol hard decision value is used for drawing 25 with a threshold at channel presumption, that is, a threshold in case [this] the error rate property of the MIMO receiving approach using repeat channel presumption is shown as a curve 66 is set as 0.25, and a result is the property of 4 times after repeatedly, and are $N=2$, $M=2$, $Q=5$ Rayleigh, f_d $T_s = 1/20000$, and 900 symbols / frame. The error rate property when the hard decision value of

the conventional information symbol not using an error rate property when channel presumption is perfect for channel presumption for a comparison, that is, using channel presumption (channel presumption being only for 1 time) without a repeat for a curve 67 is shown in a curve 68. When repeat presumption of a channel is used from this graph, it turns out that the error rate property is approaching it in the case of channel presumption completeness.

[0132] Moreover, according to the channel presumption approach mentioned above, by judging whether a soft decision value to the decoded hard decision value is probable, and using the probable symbol information on a hard decision value for channel presumption in the case of next repeat reception, channel presumption can be performed more correctly and decode quality can be improved. Next, in order to check the effectiveness of an example of having presumed covariance-matrix \hat{U} (noises other than Gaussian characteristic noise), simulation was performed on condition that the following.

several users (transmitter) of all — N 3 (one user is set to strange interference: i (k) inside)
Each user's number Q of multi-passes 5 The number of receiving antennas Three The number of information symbols in one frame 450 bits Error correcting code Rates 1/2, restricted length 3 convolutional code

Doppler frequency 1000Hz Modulation technique BPSK Transmission speed 20Mbps Decoder 24 Log-MAP is a decoder. The number of repeats Three users (transmitter) were taken as ***** 4 times. The simulation result of the BER (bit error rate) property of H which showed drawing 26 to drawing 14, drawing 15, and drawing 16, and the turbo receiver which presumes \hat{U} , and drawing 27 show the BER property using the turbo receiver (receiver using the approach of drawing 13) shown in drawing 1 as it is. what improvement in a BER property is attained and BER moreover shows to drawing 26 to the same E_b/N_0 by making [many] a number repeatedly in drawing 27 although the effectiveness is hardly acquired in drawing 26 even if it is making the noise only into the white nature Gaussian random noise and repeats channel presumption and decode processing twice or more — ***** — it is understood that a small value is shown.

[0133] Next, symbol soft decision value $b'n$ of the input signal from the target user (transmitter) In order to check the effectiveness of the example (the 2nd invention) in which the error correction decode result was made to reflect to (k), simulation was performed on condition that the following.

user (transmitter) several N [all] 4 Each user's number Q of multi-passes 5 The number M of receiving antennas 2 Number of information symbols in one frame 900 Error correcting code Convolutional code (the rate of coding: one half, restricted length 3)
Modulation technique BPSK Decoder Log-Map decoder Rate of error coding 1/2 The number of repeats 5 It is $f(b'n(k)) = \alpha b'n$ again. (k)
It carried out.

[0134] Drawing 28 is [the multi-output turbo receiver shown in drawing 1, and] $b'n$. The former is black about a plotting point and the latter shows in white the BER property of a multi-input multi-output turbo receiver of having made the error correction decode result reflecting in (k), respectively. As for a round head, in the 3rd leftward trigonum, the 4th rightward trigonum expresses [the 1st downward trigonum / the 2nd rhombus] the 5th time repeatedly. The simulation result of the BER property over E_b/N_0 when fixing drawing 28 A to $\alpha = 0.2$ and drawing 26 B show the simulation result of the BER property over α when being referred to as $E_b/N_0 = 6\text{dB}$, respectively. In the case of $\alpha = 0$, it is $b'n$ here. It is equal when referred to as $(k) = 0$. From this drawing 28 A, it is $b'n$. In the multi-input multi-output receiver which made the error correction decode result reflect in (k) When the count of a repeat is 3rd henceforth compared with the multi-input multi-output turbo receiver shown in drawing 1, an improvement effect is large to BER at the time of repeat decode 1 time ago. Necessary E_b/N_0 to which the count of a repeat attains each BER in the range of $BER > 10^{-4}$ 3rd henceforth When it compares, $b'n$ Compared with the multi-input multi-output turbo receiver which showed the multi-input multi-output turbo receiver which made the error correction decode result reflect in (k) to drawing 1, gain about 0.5dB or more is acquired. Moreover, in the 5th $E_b/N_0 = 6\text{dB}$ repeat, it turns out that $BER = 10^{-5}$ BER is attained and BER can be reduced or less to $1/10$ compared with what was shown in drawing 1. From this drawing 28 B, as a value of α , the improvement is

obtained in $0 < \alpha < 0.6$, if α is made larger than 0.6, a BER property will deteriorate conversely and a right decode result will no longer be obtained. This result shows that the optimum value of α in this case is 0.2. However, the value of α is not restricted to said optimum value, and the proper range of α which has an improvement effect may be changed by the number of the number of the users who receive especially, a propagation environment including interference, and the antennas to receive etc., and the value of an optimum value α may also take other values.

[0135] According to [although it is $2 N_s (Q-1)$ order as stated previously] the turbo receiving approach of the 3rd invention, the computational complexity in the equalizer at the time of setting [the number of users (transmitter)] the number of the antennas of Q and a receiver to M for the number of N and the multi-passes of each transmitter, and extending the turbo receiver of the conventional single user to many outputs (MIMO) as it was in a BPSK modulation is $N (MQ)^3$. It ends with order. For example, although it is $2N(Q-1) \times 5 \times 10^4$ when $N=8$, $Q=20$, and $M=8$, it is $N(MQ)^3 \times 37$ and 107. It becomes, and according to the turbo receiving approach of this 2nd invention, computational complexity can be reduced remarkably.

[0136] According to the turbo receiving approach of this 3rd invention, on condition that the following, simulation was performed and it checked that a good bit error rate property was acquired. The channel matrix H was made into known.

The number N of users 4 Each user's number Q of multi-passes 5 The number M of receiving antennas Two The number of information symbols in one frame 900 bits Error correcting code Rates 1/2, restricted length 3 convolutional code

Doppler frequency 1000Hz (Rayleigh fading)

Modulation technique BPSK Transmission speed 20Mbps Decoder Log-MAP decoder The number of repeats 6 times Channel presumption shows the simulation result of this BER (bit error rate) property to ideal drawing 29. Axes of abscissa are average $E_b / (\text{bit-energy})$ N_0 (noise power), f_d is the Doppler frequency and T_s is a transmitting symbol period. MRC shown in this graph is a BER property acquired when Viterbi decoding of the signal after the maximum ratio composition (Maximal Ratio Combining: MRC) in an order 10 (2 antenna x 5 pass) diversity channel is carried out, and corresponds to the BER property at the time of an equalizer canceling interference completely. That is, whether BER of which after a repetition is close to a MRC curve can estimate the quality of a receiver. According to the turbo receiving approach of this 2nd invention by drawing 27, they are E_b / N_0 . If BER decreases and the count of a repeat is made [many] so that it becomes high, it turns out that a BER property approaches the BER property of MRC and MRC is especially approached very much by the count 6 of a repeat. That is, it was checked that the multi-output turbo receiver by the turbo receiving approach of this 3rd invention operates appropriately also on the severe conditions of four users, five pass each, and 2 receiving antennas.

[Translation done.]

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TECHNICAL FIELD

[Field of the Invention] This invention is applied to mobile communication and relates the waveform distortion based on interference to the turbo receiving approach of having applied the turbo sign technique and of performing identification repeatedly, and its receiver.

[Translation done.]

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 PRIOR ART

[Description of the Prior Art] The technical problem of a mobile phone service is [how] quality on the limited frequency, and it is in whether the system which can own many users is built. There is a multi-input multi-output (Multi-Input Multi-Output:MIMO) system as a means to solve such a technical problem. This system configuration as shown in drawing 3030 A From two or more transmitters S_1-S_N to this time of day Symbol $c_1(i) - c_N(i)$ is transmitted on this frequency, respectively. These sending signals A MIMO receiver equipped with two or more antenna #1 - #M receives, and a MIMO receiver processes an input signal, presumes transmitting symbol $c_1(i) - c_N(i)$ of each transmitters S_1-S_N , and outputs it to an output terminal Out1 - OutN separately as $c_1^{\wedge}(i) - c_N^{\wedge}(i)$.

[0003] Examination about the concrete construction of the MIMO receiver in a MIMO system is not fully performed the place to current. the number of multi-passes with which N and the transmitted electric wave of each transmitter reach a MIMO receiver in the number of transmitters when performing the configuration of the MIMO receiver in a MIMO system based on a MLSE (maximum likelihood estimation) norm — the computational complexity of Q, then a MIMO receiver — $2(Q-1)N$ a digit — becoming — several transmitters — the computational complexity will become immense with the increment in N and the number Q of multi-passes. Moreover, when receiving that to which the information on a single user was transmitted as two or more parallel signals, much computational complexity is needed for separating each parallel signal with the increment in the number of multi-passes. Then, although this invention proposes the turbo receiving approach of two or more sequences signal with sufficient count effectiveness, it explains the turbo receiver to the existing single user which becomes origin of this invention first (one transmitter), i.e., 1 sequence sending signal.

[0004] turbo ***** for single users — the example of a configuration of the transmitter in this case and a receiver is shown in drawing 31 . In a transmitter 10, after coding of information sequence $c(i)$ is performed by the encoder 11 and the interleave (rearrangement) of the coding output is carried out by INTARIBA 12, a carrier signal is modulated with a modulator 13 and the modulation output is transmitted. This sending signal is received by the receiver 20 through a transmission line (each channel of a multi-pass). Identification of a delay wave is performed by the ***** (SISO:Single-Input-Single-Output) equalizer 21 in a receiver 20. Generally an input signal is changed into baseband, and the input signal of that baseband is sampled on the frequency of 1 time or more of the frequency of the symbol signal of the information sequence of a sending signal, and the input of this equalizer 21 is changed into a digital signal, and is inputted into an equalizer 21 as an input signal of a digital signal.

[0005] Reception output [in / in the case of a single user, $N=1$ is hit in drawing 30 A, and / each receiving-antenna #m ($m=1, 2, \dots, M$)] $r_m(k) = \sum_{q=0}^{Q-1} h_m(q) - b(k-q) + v_m(k)$ (1) It can express. For m, an antenna index and h are [a user's (transmitter 1) transmitting symbol and $v_m(k)$ of a channel value (transmission-line impulse response: line characteristic) and $b(k-q+1)$] the thermal noise inside a receiver 20. And the output from all antenna #1-#M is expressed as a vector of a formula (2), and it is a formula (3).

$$r(k) = [r_1(k) \ r_2(k) \ \dots \ r_M(k)]^T \quad (2)$$

$$= \sum_{q=0}^{Q-1} H(q) - b(k-q+1) + v(k) \quad (3)$$

A definition is given. here $v(k) = [v_{\text{one}}(k) \ v_{\text{two}}(k)]^T$ (4)

$$H(q) = [h_1(q) \ \dots \ h_M(q)]^T \quad (5)$$

It comes out. Moreover, $[]^T$ A transposed matrix is expressed. Next, the following vectors and matrices are defined in consideration of several Q of a multi-pass (channel).

[0006]

$$y(k) = [r^T \ r^T(k+Q-1) \ \dots \ r^T(k)]^T \quad (6)$$

$$Hb(k) + n(k) \quad (7)$$

It is here and is [0007].

[Equation 13]

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \vdots \\ 0 & H(0) & \dots & H(Q-1) \end{bmatrix} \quad (8)$$

$$[0008] \text{ However, } b(k-Q) = [b(k+Q-1) \ b(k+Q-2) \ \dots \ b(k-Q+1)]^T \quad (9)$$

$$n(k) = [v^T \ v^T(k+Q-1) \ \dots \ v^T(k)]^T \quad (10)$$

It comes out. the logarithm of the probability for $r(k)$ which the top defined to be inputted into an equalizer 21, for this SISO equalizer 21 to be a linear equalization machine, and for each coding bit $\{b(i)\}$ to be +1 as that identification output, and the probability which is -1 — a likelihood ratio λ_1 (LLR:Log-LikelihoodRatio) is drawn.

[0009]

[Equation 14]

$$\Lambda_1[b(k)] = \log \frac{\Pr[b(k)=+1|y(k)]}{\Pr[b(k)=-1|y(k)]} \quad (11)$$

$$= \lambda_1[b(k)] + \lambda_2^p[b(k)] \quad (12)$$

[0010] It comes out. It is λ_1 here. $[b(k)]$ is the external information and λ_2^p which are sent to the consecutive decoder 24. $[b(k)]$ is prior information given to an equalizer 21. a logarithm — likelihood ratio λ_1 $[b(k)]$ — prior information λ_2 $[b(k)]$ is subtracted with a subtractor 22, and is further supplied to the SISO channel decoder 24 through DEINTARIBA 23. this decoder 24 — a logarithm — a likelihood ratio λ_2 and [0011]

[Equation 15]

$$\Lambda_2[b(i)] = \log \frac{\Pr[b(i)=+1|\lambda_1[b(i)], i=0, \dots, B-1]}{\Pr[b(i)=-1|\lambda_1[b(i)], i=0, \dots, B-1]} \quad (13)$$

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$$= \lambda_2[b(i)] + \lambda_2^p[b(i)] \quad (14)$$

[0012] It computes. It is λ_2 here. $[b(i)]$ is λ_2^p to an equalizer 21 in the case of a repeat. It is the external information given as $[b(k)]$, and is λ_1 . $[b(k)]$ is prior information λ_1^p to a decoder 24. It is given as $[b(i)]$. λ_2 $[b(i)]$ is λ_1 with a subtractor 25. $[b(i)]$ is subtracted and an equalizer 21 and a subtractor 22 are supplied through INTARIBA 26. Thus, identification and decode are performed repeatedly and improvement in an error rate is attained. Next, calculation of the linearity filter shape given to receiving vector $y(k)$ as a detail of the equalizer 21 of the preceding paragraph is described. prior information λ_2^p of an equalizer 21 $[b(k)]$ — using — soft decision symbol estimate $b'(k) = \tanh[\lambda_2^p [b(k)]]/2$ (15)

It computes. And replica Hb' of an interferent component, i.e., an interferent component, $b'(k)$ is reproduced using this estimate and the channel matrix H , and it subtracts from an input signal.

$$y'(k) = y(k) - Hb'(k) \quad (16)$$

$$= H(b(k) - b'(k)) + n(k) \quad (17)$$

$$b'(k) = [b'(k+Q-1) \ 0 \ \dots \ b'(k-Q+1)]^T \quad (18)$$

It calculates. Since replica $H-b[$ of an interferent component $]'$ (k) is not necessarily an exact replica, it cannot remove an interferent component completely by the formula (16). Then, it asks for linearity filter factor $w(k)$ which erases the remainder of an interferent component by the following MMSE (2nd [an average of] power error of the minimum) norms.

[0013]

$$w(k) = \arg \min \|wH(k) - y'(k) - b(k)\|_2^2 \quad (19)$$

H expresses conjugation transposition and is $\| \cdot \|$ expresses a norm. It asks for $w(k)$ which makes a formula (19) min. the following derivation of $w(k)$ — reference: — it is indicated by Daryl Reynolds and Xiaodong Wang and "LowComplexity Turbo-Equalization for Diversity Channels" (<http://ee.tamu.edu/reynolds/>). There is drastic reduction of computational complexity as main achievement matters of this technique. The computational complexity of the conventional MLSE mold turbo is $2Q-1$. This technique is Q3 to having been proportional to order. It is stopped by order. In addition, $wH(k) - y'(k)$ is the output of an equalizer 21 and is λ 1 after this. $[b(k)]$ is calculated, a decoder 24 is supplied through DEINTARIBA 23, and a decode operation is performed.

[0014] In order to perform identification processing in an equalizer 21, it is necessary to presume the channel value h (transmission-line impulse response) in a formula (1). Below, presumption of this channel value is described as channel presumption. Channel presumption is performed using the training sequence remembered to be the input signal of known training sequences, such as unique WORD sent to the head section in one frame. If the precision of channel presumption is bad, identification processing with an equalizer 21 will not be performed correctly. Although what is necessary is just to enlarge the rate that the training sequence in one frame occupies the precision of channel presumption to make it high, if it is made such, the transmission efficiency over original data will fall. Therefore, to make small the rate that the training sequence in one frame occupies, and to raise channel presumption precision is desired.

[0015] This has the same problem in the channel presumption in not only the receiver to the multi-sequence sending signal containing MIMO but a rake (RAKE) receiver, or the receiver which raises the probability of a decode result by decode processing repeatedly also in the receiver using an adaptive array antenna.

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EFFECT OF THE INVENTION

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Doppler frequency 1000Hz (Rayleigh fading)

modulation technique BPSK Transmission speed 20Mbps Decoder 24 Max-Log-Map decoder The number of repeats 4 times The approximation by the lemma of said inverse matrix was not used for count of filter factor w without phasing within a frame.

[0129] the error rate property when, as for drawing 23, channel presumption being performed completely (a presumed error being nothing), that is, assuming that a channel is known — it is — several users (transmitter) — N= 2 and several receiving antennas — it is the case of M= 2 and the Rayleigh numbers of passes Q= 5. The 1st repeat is in the condition which has not been carried out repeatedly, and is the result of performing a repeat once by the 2nd repeat. It turns out that the error rate property is sharply improved by the repeat. Thereby, it turns out that the turbo receiving approach for MIMO of this invention operates appropriately.

[0130] Drawing 24 shows the effectiveness of repeat channel presumption (the 4th invention). An axis of abscissa is threshold Th. It fixes to Eb/No =4dB (Eb is a part for one user), and, as for Th=1.0, one is considered to be the conventional method with which channel presumption using [choose that is,] a symbol hard decision value is not performed for a symbol hard decision value. In this case, since channel presumption is inaccurate, there is little repeat effectiveness of a BER property, so that clearly from drawing. Threshold Th=0 is the case where a hard decision value is all used as it is, if the hard decision value of an information symbol also uses in this way, an average bit error rate will be improved so that clearly from drawing, and it is understood that channel presumption can carry out correctly so much. Furthermore, about threshold Th=0.2-0.6, it turns out that it is better to use [whose average bit error rate serves as smallness from the case of Th=0] only a probable hard decision value. It is understood especially that the Th=0.25 neighborhood is also the most desirable.

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repeat presumption of a channel is used from this graph, it turns out that the error rate property is approaching it in the case of channel presumption completeness.

[0132] Moreover, according to the channel presumption approach mentioned above, by judging whether a soft decision value to the decoded hard decision value is probable, and using the probable symbol information on a hard decision value for channel presumption in the case of next repeat reception, channel presumption can be performed more correctly and decode quality can be improved. Next, in order to check the effectiveness of an example of having presumed covariance-matrix \hat{U} (noises other than Gaussian characteristic noise), simulation was performed on condition that the following.

several users (transmitter) of all — $N=3$ (one user is set to strange interference: $i(k)$ inside)
Each user's number Q of multi-passes 5 The number of receiving antennas Three The number of information symbols in one frame 450 bits Error correcting code Rates 1/2, restricted length 3 convolutional code

Doppler frequency 1000Hz Modulation technique BPSK Transmission speed 20Mbps Decoder 24 Log-MAP is a decoder. The number of repeats Three users (transmitter) were taken as ***** 4 times. The simulation result of the BER (bit error rate) property of H which showed drawing 26 to drawing 14, drawing 15, and drawing 16, and the turbo receiver which presumes \hat{U} , and drawing 27 show the BER property using the turbo receiver (receiver using the approach of drawing 13) shown in drawing 1 as it is. what improvement in a BER property is attained and BER moreover shows to drawing 26 to the same E_b/N_0 by making [many] a number repeatedly in drawing 27 although the effectiveness is hardly acquired in drawing 26 even if it is making the noise only into the white nature Gaussian random noise and repeats channel presumption and decode processing twice or more — ***** — it is understood that a small value is shown.

[0133] Next, symbol soft decision value $b'n$ of the input signal from the target user (transmitter) In order to check the effectiveness of the example (the 2nd invention) in which the error correction decode result was made to reflect to (k) , simulation was performed on condition that the following.

user (transmitter) several N [all] 4 Each user's number Q of multi-passes 5 The number M of receiving antennas 2 Number of information symbols in one frame 900 Error correcting code Convolutional code (the rate of coding: one half, restricted length 3)
Modulation technique BPSK Decoder Log-Map decoder Rate of error coding 1/2 The number of repeats 5 It is $f(b'n(k)) = \alpha b'n$ again. (k)

It carried out.

[0134] Drawing 28 is [the multi-output turbo receiver shown in drawing 1, and] $b'n$. The former is black about a plotting point and the latter shows in white the BER property of a multi-input multi-output turbo receiver of having made the error correction decode result reflecting in (k) , respectively. As for a round head, in the 3rd leftward trigonum, the 4th rightward trigonum expresses [the 1st downward trigonum / the 2nd rhombus] the 5th time repeatedly. The simulation result of the BER property over E_b/N_0 when fixing drawing 28 A to $\alpha=0.2$ and drawing 26 B show the simulation result of the BER property over α when being referred to as $E_b/N_0=6\text{dB}$, respectively. In the case of $\alpha=0$, it is $b'n$ here. It is equal when referred to as $(k)=0$. From this drawing 28 A, it is $b'n$. In the multi-input multi-output receiver which made the error correction decode result reflect in (k) When the count of a repeat is 3rd henceforth compared with the multi-input multi-output turbo receiver shown in drawing 1, an improvement effect is large to BER at the time of repeat decode 1 time ago. Necessary E_b/N_0 to which the count of a repeat attains each BER in the range of $BER>10^{-4}$ 3rd henceforth When it compares, $b'n$ Compared with the multi-input multi-output turbo receiver which showed the multi-input multi-output turbo receiver which made the error correction decode result reflect in (k) to drawing 1, gain about 0.5dB or more is acquired. Moreover, in the 5th $E_b/N_0=6\text{dB}$ repeat, it turns out that $BER=10^{-5}$ BER is attained and BER can be reduced or less to $1/10$ compared with what was shown in drawing 1. From this drawing 28 B, as a value of α , the improvement is obtained in $0<\alpha<0.6$, if α is made larger than 0.6, a BER property will deteriorate conversely and a right decode result will no longer be obtained. This result shows that the optimum value of α in this case is 0.2. However, the value of α is not restricted to said

optimum value, and the proper range of alpha which has an improvement effect may be changed by the number of the number of the users who receive especially, a propagation environment including interference, and the antennas to receive etc., and the value of an optimum value alpha may also take other values.

[0135] According to [although it is $2 N_s (Q-1)$ order as stated previously] the turbo receiving approach of the 3rd invention, the computational complexity in the equalizer at the time of setting [the number of users (transmitter)] the number of the antennas of Q and a receiver to M for the number of N and the multi-passes of each transmitter, and extending the turbo receiver of the conventional single user to many outputs (MIMO) as it was in a BPSK modulation is $N (MQ)^3$. It ends with order. For example, although it is $2N(Q-1) \times 5 \times 10^4$ when $N=8$, $Q=20$, and $M=8$, it is $N(MQ)^3 \times 37$ and 107. It becomes, and according to the turbo receiving approach of this 2nd invention, computational complexity can be reduced remarkably.

[0136] According to the turbo receiving approach of this 3rd invention, on condition that the following, simulation was performed and it checked that a good bit error rate property was acquired. The channel matrix H was made into known.

The number N of users 4 Each user's number Q of multi-passes 5 The number M of receiving antennas Two The number of information symbols in one frame 900 bits Error correcting code Rates 1/2, restricted length 3 convolutional code

Doppler frequency 1000Hz (Rayleigh fading)

Modulation technique BPSK Transmission speed 20Mbps Decoder Log-MAP decoder The number of repeats 6 times Channel presumption shows the simulation result of this BER (bit error rate) property to ideal drawing 29. Axes of abscissa are average $E_b / (\text{bit energy})$ No (noise power), f_d is the Doppler frequency and T_s is a transmitting symbol period. MRC shown in this graph is a BER property acquired when Viterbi decoding of the signal after the maximum ratio composition (Maximal Ratio Combining: MRC) in an order 10 (2 antenna x 5 pass) diversity channel is carried out, and corresponds to the BER property at the time of an equalizer canceling interference completely. That is, whether BER of which after a repetition is close to a MRC curve can estimate the quality of a receiver. According to the turbo receiving approach of this 2nd invention by drawing 27, they are E_b / N_0 . If BER decreases and the count of a repeat is made [many] so that it becomes high, it turns out that a BER property approaches the BER property of MRC and MRC is especially approached very much by the count 6 of a repeat. That is, it was checked that the multi-output turbo receiver by the turbo receiving approach of this 3rd invention operates appropriately also on the severe conditions of four users, five pass each, and 2 receiving antennas.

[Translation done.]

* NOTICES *

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1.This document has been translated by computer. So the translation may not reflect the original precisely.

2.*** shows the word which can not be translated.

3.In the drawings, any words are not translated.

TECHNICAL PROBLEM

[Problem(s) to be Solved by the Invention] The above-mentioned turbo receiver has the following technical problems.

- It is correspondence of only the sending signal of a single user (one set of transmitter), i.e., one sequence.

- In case an interferent component is reproduced, a channel value (matrix H) is required, and in case it is mounting, it is necessary to presume this.

The presumed error will degrade the effectiveness of identification repeatedly.

[0017] The purpose of this invention is to provide below with the turbo receiving approach which extended this object for reception to the receiver to two or more transmitting sequence signals, such as multiuser and ** single user juxtaposition transmission, and its receiver so that it may compensate these two points. Moreover, other purposes of this invention presume the channel value of an input signal from an input signal and the known signal as a reference sign. In the receiving approach of processing an input signal using the presumed channel value, performing decode processing to the processed signal, repeating processing and decode processing in which the channel value which carried out [above-mentioned] presumption was used to the same input signal, and performing them It is in offering the turbo receiving approach that a short paddle known signal can perform channel presumption with a sufficient precision comparatively, and its receiver.

[Translation done.]

* NOTICES *

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MEANS

[Means for Solving the Problem] This 1st invention is the turbo receiving approach of receiving the sending signal of N sequence (N is two or more integers). M input signals r_m ($m=1, \dots, M$), From the known signal of N sequence, the channel value $h_{mn}(q)$, and ($n=1, \dots, N$) are calculated. Prior information λ on N sequence acquired by decode It is based on $[b_n(k)]$ and is soft decision transmitting symbol b'_n . It asks for (k). The channel value $h_{mn}(q)$ and soft decision transmitting symbol b'_n Interferent component $H-B'(k)$ made by sending signals other than the sending signal of the intersymbol interference which the sending signal of n sequence eye itself makes, and n sequence eye is calculated using (k), and it is here, and is [0019].

[Equation 16]

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \ddots \\ 0 & H(0) & \dots & H(Q-1) \end{bmatrix}$$

$$H(q) = \begin{bmatrix} h_{11}(q) & \dots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \dots & h_{MN}(q) \end{bmatrix}$$

[0020] $B'(k) = [b'^T(k+Q-1) \dots b'^T(k) \dots b'^T(k-Q+1)]^T b'(k+q) = [b'^1(k+q) b'^2(k+q) \dots b'^N(k+q)]^T$
 $T_{q=Q-1} \dots -Q+1$ It is $b'(k) = [b'^1(k) \dots b'^N(k)]^T$ The zero of the element of (b'(k) by $q=0$ n-ths), Q is the number of the multi-passes of each sending-signal electric wave, $q=0, \dots, Q-1$, and \square . T expresses a transposed matrix.

[0021] this intersymbol-interference $H-B'(k)$ — from receiving vector $y(k)$ — deducting — difference — it asks for vector $y'(k)$.

here — $y = (-k) = - [-rT - rT(k+Q-1) - (k+Q-2) - rT - (-k)] - Tr - (-k) = - [-r - one - (-k) - r - two - (-k) - rM - (-k)] - T$
 — a channel — a matrix — H — or — a reference sign — using — difference — for removing the residual interferent component in vector $y'(k)$ adaptation filter coefficient w_n to the input signal of the sending signal of n sequence eye (k) — asking — difference — vector $y'(k)$ — the above-mentioned adaptation filter factor w_n as the input signal [as opposed to / carry out filtering by (k) and / the sending signal of n sequence eye] by which interference removal was carried out — the logarithm of n sequence — a likelihood ratio is obtained. the logarithm of these N sequence — it decodes using a likelihood ratio.

[0022] the — two — invention — depending — if — the — one — invention — setting — $q = 0$ — a case — $b'(k) = [b'^1(k) \dots f(b'_n(k)) \dots b'^N(k)]^T$ $Tb'(k)$ — an element — $f(b'_n(k))$ is the n-th $f()$ is $f(0) = 0$ and $d\{f(\text{characterized by considering as the function which makes a variable } b'_n(k) \text{ which fills } b'_n(k)) / d\{b'_n(k)\} > 0\}$. According to the 3rd invention, identification processing is divided into two or more steps, and is performed, and the latter part lessens the number of the sequences of an identification output.

[0023] According to this 4th invention, the channel value of an input signal is presumed from an

input signal and the known signal as a reference sign. In the turbo receiving approach of processing an input signal using the presumed channel value, performing decode processing to the processed signal, repeating processing and decode processing in which the channel value which carried out [above-mentioned] presumption was used to the same input signal, and performing them The probability of the decoded hard decision information symbol is determined from the value of the soft-decision information symbol, and the probability uses it for the reference sign of next channel presumption of the hard decision information symbol beyond a predetermined value.

[0024]

[Embodiment of the Invention] The example of the MIMO structure of a system by which this invention is applied to 1st invention (1) drawing 1 is shown. Transmitter S1 of N individual of a transmitting side — It sets to each of SN and is the information sequence $c_1(i) \sim c_N(i)$ is encoded by the encoder 11-1, —, 11-N, respectively. A modulator 13-1, —, 13-N are supplied as a modulating signal through INTARIBA 12-1, —, 12-N, a carrier signal is modulated by these modulating signals, and these coding output is a signal $b_1(k), \dots, b_N(k)$ It is transmitted as (k). That is, sending signal b_1 from Transmitters S1, —, SN (k), —, b_N It is the case where (k) is the sending signal of N sequence.

[0025] Input-signal $r(k)$ received by the multi-output receiver through the transmission line (channel) is inputted into the multi-output equalizer 31, and the signal received by the receiver is changed into baseband signaling, and the baseband signaling is sampled, for example with one half of the periods of the symbol period, is changed into a digital signal, and is inputted into an equalizer 31 as the digital signal. Moreover, let this digital signal be one or more integers [M]. For example, let the input signal from M antennas be the input signal of M digital signals. the logarithm of an equalizer 31 to N individual — likelihood ratio $\lambda_1[b_1(k)], \dots, \lambda_1[b_N(k)]$ is outputted. $\lambda_1[b_1(k)], \dots, \lambda_1[b_N(k)]$ is the prior information λ_1 , respectively. $[b_1(k)], \dots, \lambda_1[b_N(k)]$ is subtracted by the subtractor 22-1, —, 22-N, respectively. Through DEINTARIBA 23-1, —, 23-N, it is inputted into the ***** (SISO) decoder (channel decoder) 24-1, —, 24-N, respectively, and decodes. a decoder 24-1, —, the decode information sequence c'_1 from 24-N (i), —, c'_N while (i) is outputted — a logarithm — likelihood ratio $\lambda_2[b_1(i)], \dots, \lambda_2[b_N(i)]$ is outputted, respectively. $\lambda_2[b_1(i)], \dots, \lambda_2[b_N(i)]$ is λ_1 by the subtractor 25-1, —, 25-N. $[b_1(i)], \dots, \lambda_1[b_N(i)]$ is subtracted, respectively. Furthermore, INTARIBA 26-1, —, 26-N are led, respectively, and it is λ_2 . $[b_1(k)], \dots, \lambda_2$ The multi-output equalizer 31 and a subtractor 22-1, —, 22-N are supplied as $[b_N(k)],$ respectively.

[0026] Input signal r_m from multiuser (two or more transmitters) (k), and ($m=1, \dots, M$) are an input of an equalizer 31. $r_m(k) = \sum_{q=0}^{Q-1} h_{mn}(q) b_n(k-q) + v_m(k)$ (20) It becomes what was added by the multiple user. $q=0, \dots, Q-1$, and Q are $y(k) \otimes [r_T \ r_T(k+Q-1)]$, if the number of the multi-passes of each transmitted electric wave and the same procedure as the case of a single user define vector $y(k)$. — ($k+Q-2$) It is $r_T(k)$.

]T (21)

$$= H-B(k) + n(k) \quad (22)$$

here — $r(k) = [r_1(k) \dots r_M(k)]^T$ [0027]

[Equation 17]

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \ddots \\ 0 & H(0) & \dots & H(Q-1) \end{bmatrix} \quad (23)$$

However, [0028]

[Equation 18]

$$H(q) = \begin{bmatrix} h_{11}(q) & \dots & h_{1N}(q) \\ \vdots & & \vdots \\ h_{M1}(q) & \dots & h_{MN}(q) \end{bmatrix} \quad (24)$$

[0029]

$$B(k) = [b^T(k+Q-1) \dots b^T(k) \dots b^T(k-Q+1)]^T \quad (25)$$

]T (25)

$$b(k+q) = [b^T(k+q) \dots b^T(k+q) \dots b^T(k+q)]^T \quad q=Q-1, Q-2, \dots, -Q+1 \quad (26)$$

It becomes. Next, in an interference removal step, it is assumed that the signal from the n -th user (transmitter) is a request now. the compound thing with interference which the signal of interference and the n -th user by the signal of users other than the n -th itself makes from this example using the soft decision symbol estimate of the signal from all users (transmitter), and the channel matrix (transmission-line impulse response value matrix) H , i.e., interference replica $H-B'$, $(k) \rightarrow$ reproducing \rightarrow as follows $\rightarrow y(k)$ to this interference replica \rightarrow subtracting \rightarrow difference \rightarrow vector $y'(k)$ is generated.

[0030]

$$y'(k) = y(k) - H-B'(k) \quad (27)$$

$$= H-(B(k)-B'(k)) + n(k) \quad (28)$$

$$\text{It is here. } B'(k) = [b'^T(k+Q-1) \dots b'^T(k) \dots b'^T(k-Q+1)]^T \quad (29)$$

$$\text{and } b'(k+q) = [b'^T(k+q) \dots b'^T(k+q) \dots b'^T(k+q)]^T \quad q=Q-1, \dots, -Q+1, \text{ and } q \neq 0 \quad (30)$$

$$b'(k) = [b'^T(k) \dots 0 \dots b'^T(k)]^T \quad q=0 \quad (31)$$

Zero in the element of $b'(k)$ is the n -th. $b'_n(k)$ is b'_n like a formula (15). It is the soft decision transmitting symbol estimate which calculated and calculated $(k) = \tanh[\lambda^2 [b_n(k)]/2]$.

Vector $B'(k)$ is the replica vector of an interference symbol.

[0031] Next, n -th filter factor w_n for users for erasing the interference remainder based on the remainder of an interferent component, i.e., the incompleteness of interferent component replica $H-B'(k)$, and the interferent component which the signal of the n -th self makes w_n which makes the following formulas (32) min for (k) It asks for (k) by the MMSE (2nd [an average of] power error of the minimum) norm.

$$w_n(k) = \arg \min \|w_n H(k) \text{ and } y'(k) - b_n(k)\|^2 \quad (32)$$

The following actuation is the same as that of the case of a single user. That is, calculated $w_n(k)$ is used and it is $w_n H(k) - y'(k)$ is calculated, DEINTARIBA 23- n is minded for the count result, and it is λ^2 . As $[b_n(i)]$, it inputs into decoder 24- n and a decode operation is performed.

[0032] It asks for filter (linear equalization) processing from the input signal r_m by the above approach from a user 1 to N . As a result, the number of outputs of an equalizer 31 serves as N , and these outputs are decoded by each decoder 24-1, \dots , 24- N . The above is the escape for the multiuser (MIMO) of the turbo receiver for single users. From the above explanation, the example of a functional configuration of the multi-output equalizer 31 comes to be shown in drawing 2. Receiving vector $y(k)$ is generated by the receiving vector generation section 311, and M input signals $r_m(k)$ are supplied to the identification section 312-1 for every user $-13-31-N$. Moreover, the channel matrix H calculated in the channel presumption machine 28 is supplied to the identification section 312-1 $-312-N$. The prior information λ^2 from each channel decoder 24- n $[b_n(k)]$ is inputted into the soft decision symbol presumption section 313, and it is soft decision transmitting symbol estimate b'_n , respectively. $(k) = \tanh[\lambda^2 [b_n(k)]/2]$ is calculated. The functional configuration and processing in the identification section 312-1 $-312-N$ are the same, are represented with the identification section 312-1, and are explained.

[0033] Furthermore, it is the estimate b'_1 of a soft decision transmitting symbol. $(k) - b'_N(k)$ The interference replica vector generation section 314-1 is supplied, and it is the interference replica vector B'_1 by formula (29) $- (31)$. (k) is generated. this vector B'_1 filtering of the (k) is carried out according to the channel matrix H in the filtering section 315-1 \rightarrow having \rightarrow interference replica component $H-B'$ of that result $\rightarrow 1(k) \rightarrow$ the difference operation part 316-1 \rightarrow receiving vector y_1 it deducts from $(k) \rightarrow$ having \rightarrow difference \rightarrow vector $y'_1(k)$ is generated.

[0034] The filter coefficient presumption section 317-1 is asked for the filter factor w_1 the channel matrix H or for a reference sign being inputted so that it may mention later, and removing the remainder of said interferent component (k) at least. Filter factor w_1 to which the channel matrix H from the channel presumption machine 28, covariance σ^2 of a noise

component, the soft decision transmitting symbol $b^1(k) - b^N(k)$ are inputted into the filter factor presumption section 317-1, and make a formula (32) min in this example (k) is called for by the 2nd [an average of] power error norm of the minimum. This filter factor w_1 The concrete processing which asks for (k) is described later. the adaptation filtering section 318-1 — difference — vector $y^1(k) -$ filter factor w_1 as the identification output of an input signal [as opposed to / it is processed by (k) and / the sending signal from a user 1] — $\lambda_1 [b^1(k)]$ is outputted.

[0035] Moreover, the procedure of the multi-input multi-output turbo receiving approach of the example of this invention mentioned above is shown in drawing 3. They are input-signal $r(k)$ and each training signal b_n at step S1. Covariance σ^2 of the channel value $h_{mn}(q)$ and a noise component are calculated from (k). The channel matrix H is calculated from the channel value $h_{mn}(q)$ at step S2. Each prior information λ_2 acquired by the last processing in turbo reception at step S3 [$b_n(k)$] to soft decision transmitting symbol estimate $b^n(k) = \tanh(\lambda_2 [b_n(k)]/2)$ is calculated.

[0036] Receiving vector $y(k)$ is generated from input-signal $r(k)$ by step S4, and it is each soft decision transmitting symbol estimate b^n at step S5. (k) is used and it is interference replica vector B^n by formula (29) - (31). Interferent component replica $H-B^n$ [as opposed to / generate (k) and / the input signal from the n -th transmitter at step S6] (k) is calculated. step S7 — receiving vector $y(k)$ to interferent component replica $H-B^n(k)$ — deducting — difference — vector y^n It asks for (k). Multiplier w_n of a filter for the channel matrix H , and the soft decision transmitting symbol $b^1(k) - b^N(k)$ and covariance σ^2 of a noise component to remove the residual interference in the input signal from the n -th transmitter at step S8 It asks for (k) by the 2nd [an average of] power error norm of the minimum which makes a formula (32) min.

[0037] step S9 — difference — vector $y^n(k)$ — receiving — filter factor w_n filtering by (k) — carrying out — a logarithm — likelihood ratio $\lambda_1 [b_n(k)]$ is obtained. step S — $10\lambda_1 [b_n(k)]$ to prior information λ_2 the day interleave after subtracting [$b_n(k)$] — giving — further — decode — carrying out — a logarithm — likelihood ratio $\lambda_2 [b_n(k)]$ is outputted. These step S4-S10 are processed being simultaneous or one by one about $n = 1 - N$. then — if it investigates whether the count of decode of turbo reception, i.e., a count, turned into a predetermined number at step S11 and does not have a predetermined number — step S12 — a logarithm — likelihood ratio $\lambda_2 [b_n(k)]$ to external information $\lambda_1 [b_n(k)]$ — subtracting — the result — an interleave — carrying out — prior information λ_2 In quest of [$b_n(k)$], it returns to step S3. When decode is a count of predetermined at step S11, the decode result at that time is outputted at step S13.

[0038] Next, the channel presumption section 28 is described. Each input signal $r_m(k)$ can be expressed with a degree type.

$$r_m(k) = \sum_{q=0}^{Q-1} \sigma_{m=1}^N h_{mn}(q) \text{ and } b_{n+(k-q)} v_m(k) \quad (33)$$

The channel presumption section 28 is the value and Noise v_m of $h_{mn}(q)$ of a channel value (transmission-line impulse response) in a formula (33). It asks for the mean power (σ^2) of (k). Usually, a transmitting side inserts unique WORD (training signal) known with a receiver at the beginning of each transmitting frame, as shown in drawing 4 A, and the receiver presumes the channel value $h_{mn}(q)$ using RLS (recursive least square method) etc. by making the unique WORD (known signal) into a training sequence. the logarithm from each channel decoder 24-1, —, 24-N — likelihood ratio $\lambda_2 [b^1(i)]$, —, λ_2 About each of [$b^N(i)$] If it is forward and negative about +1, -1, respectively Decode code-signal (transmitting coding symbol hard decision value) $b^1(i)$, It outputs as — and $b^N(i)$ and these $b^1(i)$, —, $b^N(i)$ are repeatedly inputted into the channel presumption machine 28 through INTARIBA 27-1, —, 27-N. While input-signal $r(k)$ is inputted into the channel presumption machine 28, unique WORD is inputted as a reference sign from the unique WORD storage section 29. The channel presumption machine 28 presumes each $h_{mn}(q)$ of a formula (33), and each value of σ^2 with the least square method based on the these-inputted signal. This presumption can be performed by the same technique as presumption of the impulse response in the case of presuming the impulse response of a transmission line and equalizing an input signal accommodative with an adaptation

filter.

[0039] Thus, although the technique usually used uses a training sequence, it is necessary to make small the rate that the unique WORD in one frame occupies to gather a net transmission speed then, and the error of channel presumption increases. And the property of the repeat identification of the above [the error] will be degraded. Then, it is good to perform repeat presumption of a channel value as follows. The concept is shown in drawing 4 B. This also intends to presume the channel value repeatedly in each phase of repeat identification processing of the same input signal, i.e., repeat processing of turbo reception, and there is. That is, although a channel value is presumed to the information symbol sequence after unique WORD in the 1st time, using only unique WORD as a reference sign, an input signal is equalized using the presumed channel value and a transmitting symbol is presumed. The symbol estimate (hard decision value) which used the unique WORD as a reference sign, performed channel presumption and was obtained by the last decode processing before identification processing of the 2nd henceforth is also used as a reference sign, and performs channel presumption within [whole] a frame. In this case, it is good to use only the hard decision value judged to be probable as a reference sign not using all hard decision values. a hard decision — the logarithm from decoder 24-n — likelihood ratio λ 2 If this is forward using $[b_n(i)]$ and it is +1 and negative, it is carried out by being referred to as -1. that time — the logarithm — likelihood ratio λ 2 It can be said that the hard decision value is probable, so that the absolute value of $[b_n(i)]$ is large. for example, a logarithm — 1 when judging likelihood 0.3 to be 1 — a logarithm — 1 when judging likelihood 5 to be 1 is more nearly probable. Then, a threshold is used for below and it is the probable hard decision value $b_n(i)$ is selected and how to perform channel presumption repeatedly using it is explained.

[0040] first — the logarithm from decoder 24-n — likelihood ratio λ 2 $[b_n(i)]$ — using — soft decision value b^n of a symbol (i) — $b^n(i) = \tan h[-\lambda/2 - b_n(i)]/2$
It asks by carrying out. this actuation — a logarithm — it is to standardize a likelihood value to 1 and for an absolute value not to exceed 1. Next, the threshold (between 0 and 1) is prepared beforehand and it is the soft decision value b^n . It is the hard decision value b^n to what has the larger absolute value of (i) than the threshold. (i) is saved, and this is repeated and it uses for channel presumption. For example, when a threshold is set as 0.9, it is soft decision value b^n . Absolute values are 0.9 or more hard decision value b^n among (i). (i) is sorted out. Hard decision value b^n sorted out since the threshold was as high as 0.9 Since it is thought that the probability of (i) is high, it is thought that the precision of repeat channel presumption performed using these goes up, but in order that the part and the number of symbols sorted out may decrease, it is thought that repeat channel presumption precision falls. That is, it is necessary to select the optimal threshold between 0 and 1. Hard decision value b^n sorted out when a threshold is temporarily set up with 1 as a supplement Since there is (no i), it will be said that channel presumption is not performed repeatedly. Then, although stated later, a threshold is set about to 0.2 to 0.8, and is performed.

[0041] Therefore, transmitting symbol estimate (hard decision value) b_1^1 to the 1st information symbol sequence (i), — and the symbol value judged to be probable with the threshold in $b_N^1(i)$ are memorized in the symbol storage section 32 last time as transmitting symbol estimate from the output of INTARIBA 27-1, —, 27-N. In the 2nd repeat identification decode processing of input-signal $r(k)$ (input-signal $r(k)$ is memorized in the storage section), perform channel presumption using unique WORD first, and an information symbol sequence is received further. The last symbol storage section 32 to presumed transmitting symbol hard decision estimate $b_1^1(i)$, —, b_N^1 Read the symbol value judged that is probable in (i), and it inputs into the channel presumption machine 28. Channel presumption is performed, that is, channel presumption within [whole] a frame is performed, and it is the estimate $h_{mn}(q)$ and σ^2 . It uses and the identification and the decode (transmitting symbol presumption) to input-signal $r(k)$ are performed. Under the present circumstances, the contents of storage of the symbol storage section 32 are updated last time by the symbol value was alike and judged that is probable with the threshold in that presumed transmitting symbol. Channel presumption in the case of identification and the repeat of decode performs channel presumption within [whole] a frame

like the following by presumption which uses unique WORD, and presumption using that judged that is probable in the last presumed transmitting symbol. Identification and decode (transmitting symbol presumption) are performed using the presumed channel, and the symbol storage section 32 is updated last time. In addition, in the symbol storage section 32, it is the transmitting symbol hard decision value b^1 from a decoder last time [this]. (i), —, b^N Renewal of direct storing of the symbol value judged that is probable with the threshold in (i) is carried out last time at the symbol storage section 32, and when using the storage symbol value of the symbol storage section 32 last time [this], you may make it input into the channel presumption machine 28 through INTARIBA 27-1, —, 27-N.

[0042] By doing in this way, by the repeat, the error of channel presumption can decrease, the precision of symbol presumption can improve, and the problem of property degradation by the channel presumption error in turbo identification can be solved. Thus, when performing channel presumption in an information symbol sequence using a probable symbol hard decision value, the functional configuration shown in drawing 5 is added to each decoder 24-n. a logarithm — likelihood ratio $\lambda 2 [b^n(i)]$ is inputted into the soft decision value presumption section 241. $b^n(i) = \tanh(\lambda 2 [b^n(i)])$ is calculated, and it is transmitting symbol soft decision value b^n . (i) is presumed. This value $b^n(i)$ is compared with threshold Th from the threshold setting section 243 by the comparator 242, and it is b^n . 0 is outputted for (i) by smallness from 1 and Th above Th . on the other hand — a logarithm — likelihood ratio $\lambda 2 [b^n(i)]$ is inputted into the hard decision section 244. $\lambda 2$ Symbol hard decision value b^n set to -1 if $[b^n(i)]$ was forward and it was +1 and negative (i) is outputted and it is this symbol hard decision value b^n . (i) With [a corresponding symbol soft decision value] a threshold [more than], it is outputted, the gate 245 being used as open, the symbol storage section 32 is supplied last time through INTARIBA 27-n in drawing 1, and said symbol under storage is updated.

[0043] Moreover, the procedure of channel presumption also using a probable symbol hard decision value comes to be shown in drawing 6. Channel presumption by input-signal $r(k)$ and unique WORD is first performed at step S1, decode processing investigates whether it is the 1st time at step S2, and if it is the 1st time, steps S3-S10 under identification and decode processing, i.e., drawing 3, will be processed using the presumed channel value $h_{mn}(q)$ at step S3. step S4 — a logarithm — likelihood ratio $\lambda 2 [b^n(i)]$ — receiving — transmitting symbol hard decision processing — carrying out — hard decision value $b^n(i)$ — asking — step S5 — a logarithm — likelihood ratio $\lambda 2 [b^n(i)]$ — receiving — $b^n(i) = \tanh(\lambda 2 [b^n(i)]/2)$ — calculating — transmitting symbol soft decision value $b^n(i)$ is presumed. It is symbol soft decision value b^n at step S6. (i) is correspondence symbol hard decision value b^n by whether it is more than threshold Th . The probable thing of (i) is determined and the contents of storage in the symbol storage section 32 are updated last time with the probable symbol hard decision value at step S7. Next, if it investigates whether the count of decode is a predetermined value at step S8 and has not become a predetermined value, it returns to step S1. It returns to step S1 in drawing 3 through step S12 in drawing 3 correctly.

[0044] If judged with decode processing not being 1 time at step S2, it will read from the symbol storage section 32 last time by step S9, the last storage symbol, i.e., probable hard decision symbol, channel presumption will be performed using this and the information symbol sequence of input-signal $r(k)$, and it will move to step S3. In the above, also in processing of the 2nd henceforth, unique WORD carried out channel presumption from the initial state as a reference sign, and 2nd henceforth may use only the hard decision symbol appropriate for ** as a reference sign. In this case, it investigates whether it is the 1st processing by step S1', and if it is the 1st processing, a channel value is presumed for unique WORD by this and the input signal as a reference sign by step S2', and as a broken line shows in drawing 6, after memorizing that presumed channel value and the value of each parameter used for that presumption in the storage section by step S3', it will move to the identification of step S3, and decode processing.

[0045] If it is not the 1st time in step S1', in advance of channel presumption processing, the channel estimate and the various processing parameters which were previously memorized by step S4' will be set up, and it will move to step S9. The solution (32) to serves as a degree type in a place.

$w_n(k) = (H G(k) H H + \sigma^2 I)^{-1}$ and h (34)

I is a unit matrix and σ^2 is the internal-noise power (covariance of a noise component) of a receiver, and $\sigma^2 I$ corresponds to the covariance matrix of a noise component, and $G(k)$ corresponds to a channel presumption square error.

[0046]

$$G(k) = E[(B(k) - B'(k))(B(k) - B'(k))^H] \\ = \text{diag}[D(k+Q-1), \dots, D(k), \dots, D(k-Q+1)]$$

(35)

$E[\cdot]$ expresses an average and diag expresses a diagonal matrix (elements other than the element of the diagonal line are zero). Again $D(k+q) = \text{diag}[1-b'^2_1(k+q), \dots, 1-b'^2_n(k+q), \dots, 1-b'^2_N(k+q)]$ (36)

At the time of $q=Q-1, Q-2, \dots, -Q+1$, and $q!=0, q=0$ $D(k) = \text{diag}[1-b'^2_1(k), \dots, 1, \dots, 1-b'^2_N(k)]$ (37)

One in Vector $D(k)$ is the n -th element (it is considering as the signal of a request of the n -th user's sending signal).

[0047]

[Equation 19]

$$h = \begin{bmatrix} H_{1,(Q-1)N+n} \\ H_{2,(Q-1)N+n} \\ \vdots \\ H_{M-Q,(Q-1)N+n} \end{bmatrix} \quad (38)$$

[0048] That is, h consists of all elements of eye a $-(Q-1)N+n$ train of H of a formula (23). The channel matrix H presumed with the channel presumption vessel 28 in the filter coefficient presumption section 317-1 of the multi-output equalizer 31 as shown in drawing 2, and noise power σ^2 Soft decision transmitting symbol b'_1 from the soft decision symbol generation section 313-1 $(k) - b'_N(k)$ is inputted and the residual interference removal filter factor $w_n(k)$ calculates by formula (34) - (38). Although an inverse-matrix operation will be performed, as for a formula (34), this operation can reduce the amount of operations by using the lemma (Matrix Inversion Lemma) of an inverse matrix. That is, a formula (36) and b' each 2 of (37) When all parts are approximated to 1, it is $D(k+q) = \text{diag}[0, \dots, 0] = 0$. ($q!=0$) (39)

$$D(k) = \text{diag}(0, \dots, [1, \dots, 0]) \quad (40)$$

That is, as for all other elements, only the element of the n line n train in the element of $D(k)$ is set to 0 by 1. It is w_n if error matrix $[$ of the formula (35) decided by these formulas (39) and (40) $] G(k)$ is substituted for a formula (34). $(k) = (h - hH + \sigma^2 I)^{-1}$ and h (41)

It becomes. h was defined by the formula (38).

[0049] By this approximation, it is w_n . In order that (k) may not be dependent on k , it becomes unnecessary inverse-matrix calculating $[$ of every discrete time of day k $]$, and computational complexity is reduced. The lemma of an inverse matrix is applied to this formula (41). The lemma of this inverse matrix makes the square matrix of (M, M) , and C as a matrix (M, N) , and makes D the square matrix of (N, N) for A and B , and it is $A = B^{-1} + CD^{-1}CH$. When expressed, it is the inverse matrix of A . (42) $A^{-1} = B - BC(D + CHBBC)^{-1}CHB$

It is come out and given. It is set to $-1 + CD^{-1}CHh(k) - h(k)H = CD^{-1}CH$, $\sigma^2 I = B^{-1}$, $h(k) = CI = D^{-1}$, and $h(k)H = CH$. if this theorem is applied to the part of the inverse-matrix operation in a formula (41) $- h(k) - h(k)H + \sigma^2 I = B$ — If a formula (42) is calculated using this, the inverse-matrix operation in a formula (41) can be found. In addition, although the inverse-matrix operation $(D + CHBBC)^{-1}$ is included also in a formula (42), since this inverse matrix serves as Scala, it is easily calculable.

[0050] That is, it is w_n in this case. $(k) = 1/(\sigma^2 + hH$ and $h) h$ (41-1) It becomes. $1/(\cdot)$ of the right-hand side of this formula is good also as 1, scalar, i.e., since it becomes in fixed numbers. Therefore, w_n Since it can place with $(k) = h$, it is w only at h . (k) is determined. What is necessary is to input into the filter coefficient presumption section 317-1 in drawing 2 only h shown by the formula under channel matrix H (38) from the channel presumption machine 28, as

a broken line shows.

[0051] In addition, the approximation by the formula (39) and the formula (40) can lessen computational complexity of a formula (34) not only when using the lemma of an inverse matrix, but by this approximation. If especially this approximation is performed, and the lemma of an inverse matrix is used, the amount of operations can be decreased further and the covariance matrix of a noise component will be set to $\sigma^2 I$ in that case, it is as shown in a formula (41-1). It can approximate by $(k) = h$, and becomes unrelated to a covariance matrix, and count is simplified further.

Signal b_n detected in the identification processing which subtracts $H-B'(k)$ from receiving vector $y(k)$ shown in the 2nd invention (error correction reflection) type (27) The transmitting symbol soft decision value of signals other than (k) is the signal b_n detected although the error correction decode result is reflected. The error correction decode result about (k) is not reflected. Then, processing as follows is desirable.

[0052] It changes into a degree type, $b'(k)$ (31), i.e., the formula, in a formula (29).

$$b' = \frac{1}{2} \left(\frac{1}{2} (k) \right) = \frac{1}{2} \left[\frac{1}{2} (b' - \text{one} - (k)) - \frac{1}{2} (b' - \text{two} - (k)) \right] \\ b'_n - \text{one} - (k) = f(b'_n(k)) = b'_n + \text{one} - (k) - b'_n - (k) \quad (43)$$

however, $f(b'_n(k)) = b'_n$ the function of the arbitration which considers (k) as an input — signal b_n detected by doing in this way It becomes possible to make an error correction decode result reflect also about (k) . That is, it is without it is referred to as $b'_n(k) = 0$ (the signal which carries out ***** leak ***** will be emphasized to a noise or an interference signal, and $b_n(k)$ can be correctly detected by adding the suitable value according to $b'_n(k)$).

[0053] About $f(b'_n(k))$, it is b'_n . The sign of (k) is b'_n . It is related to the hard decision result of the symbol corresponding to (k) , and b'_n . It is b'_n , so that the absolute value of (k) is large. It is necessary to fulfill the following conditions from the property in which the dependability of the hard decision symbol corresponding to (k) is large. b'_n When the dependability of $(k) = 0$, i.e., a hard decision symbol, is 0, the value of this function f is also 0. namely, $f(0) = 0$ (44)

It comes out. Moreover, b'_n If the value of (k) is large, the value of Function f will also turn into a big value. namely, $-d\{f(b'_n(k))\}/d\{b'_n(k)\} \geq 0$ (45)

It comes out. As the example of such $f(b'_n(k))$ $f(b'_n(k)) = \alpha b'_n(k)$ (46)

$$f(b'_n(k)) = \alpha b'_n(k)^2 \quad (47)$$

*****. For example, a constant, then a formula (43) are $[\alpha]$ easily realizable using a formula (46). α is $0 < \alpha < 0.6$ here. If α is made larger than 0.6, a BER (error rate) property will deteriorate conversely and a right decode result will no longer be obtained.

Moreover, carrying out adjustable $[\alpha]$ according to the reliability of a decode result is also considered. For example, α is set up for every repeat of decode processing. In this case, what is necessary is just to enlarge the value of α according to the count of a repeat of decode processing, in order that the reliability of a decode result may go up so that the count of a repeat of decode processing usually increases. Or what is necessary is to judge the reliability of the whole frame decoded for every repetition of decode processing, and just to determine the value of α based on the judgment. How to count the number of hard decision symbols which changed for example, the decode result from the time of the last decode as an approach of judging the reliability of the decoded frame, as compared with the decode result at the time of repeat decode 1 time ago can be considered. Namely, what is necessary is to judge with reliability being low, when there are many hard decision symbols which changed, and just to judge with reliability being high, when there are few hard decision symbols which changed.

[0054] Moreover, such b'_n It follows on modification of (k) and is the multiplier w_n of an MMSE (2nd [an average of] power error of the minimum) filter. It is desirable to change as follows the formula (35) used in case it asks for (k) .

$$G(k) = E[(B(k) - B'(k)) - (B(k) - B'(k))$$

)H]

$$= \text{diag} [D(k+Q-1), \dots, D(k), \dots, D(k-Q+1)]$$

It is [0055] from a formula (29) and a formula (31) here.

[Equation 20]

$$B'(k) = \begin{bmatrix} b'(k+Q-1) \\ b'(k+Q-2) \\ \vdots \\ b'(k) \\ \vdots \\ b'(k-Q+1) \end{bmatrix} \quad b'(k) = \begin{bmatrix} b'_1(k) \\ b'_2(k) \\ \vdots \\ -f(b'_n(k)) \\ \vdots \\ b'_N(k) \end{bmatrix}$$

[0056] It carries out. The element of the n line n train of $D(k)$ is $E[(b_n(k)+f(b'_n(k)))]$ and $[\text{and}] (b_n(k)+f(b'_n(k))) * []^*$. A complex conjugate is expressed. In a BPSK modulation, this formula turns into a degree type.

$E[-b_n - (-k) - \text{two} - + - 2b - n - (-k) - f(b'_n(k)) - + - f(b'_n(k)) - \text{two} -] = -E[-b_n - \text{two} - (-k) -] + - \text{two} - E[-b_n(k) f(b'_n(k))] + E[f(b'_n(k)^2)]$

The average of this 1st term is set to 1. Moreover, b_n A formula (37) is as follows when (k) is approximated by $b'(k)$.

[0057]

$D(k) = \text{diag}[1-b'_{21}(k) \ 1-b'_{22}(k) \ \dots \ 1-b'_{2n-1}(k) \ 1+2E[f(b'_n(k) b'_n(k))]$
 $+E[-f(b'_n(k)^2) \ 1-b'_{2n+1}(k) \ 1-b'_{21}(k) \ \dots]$

(48)

For example, $D(k)$ is as follows when $f(b'_n(k))$ is made into a formula (46).

$D(-k) = \text{diag}[-\text{one} - b'_{21}(-k) \ \dots \ -\text{one} - b'_{2n-1}(-k) \ -\text{one} - b'_{2n+1}(-k) \ -\text{one} - b'_{21}(-k) \ \dots]$ (49)

Thus, when making an error correction decode result reflect in the signal to detect, it is the adaptation filter factor w_n . It is the sending signal b_1 from the 1st transmitter as a signal which detects the example of a functional configuration which presumes (k) . The case where it is referred to as (k) is shown in drawing 7 A. Soft decision transmitting symbol $b'_1(k)$ is inputted into the function operation part 331-1, and the function operation $f(b'_1(k))$ calculates. Moreover, soft decision transmitting symbol b'_1 from the decoder of N individual $(k) - b'_N(k)$, and $f(b'_1(k))$ are inputted into the error matrix generation section 332-1, and operation generation of the error matrix $G(k)$ is carried out by a formula (35), a formula (36), and the formula (48). This error matrix $G(k)$, and the presumed channel matrix H and noise power σ^2 It is inputted into the filter factor generation section 333-1, a formula (34) is calculated here, and it is the adaptation filter factor w_n . (k) is presumed. In this case, $f(b'_n(k))$ is inputted also into the interference replica vector generation section 314-1, and interference replica vector B' of a formula (30) and a formula (43) to a formula (29) $'(k)$ is generated. filter coefficient $w_n(k) -$ difference - vector $y'(k)$ carries out filtering in the adaptation filter section 318-1 - having - a logarithm - likelihood ratio $\lambda_1[b_1(k)]$ is obtained. In addition, in the case of the filter factor presumption section 317-1 in drawing 2, the function operation part 331-1 in drawing 7 A is omitted, and it is the soft decision transmitting symbol $b'_1(k) - b'_N(k)$ will be inputted into the error matrix generation section 332-1, and a formula (34) will calculate.

[0058] Although interference replica vector $B'(k)$ is generated by step S4 in drawing 3, steps S5-S7 are processed further and it asks for the filter factor w_n in step S8 (k) When calculating a formula (34) in processing of this step S8 As shown in drawing 7 B, it is the soft decision transmitting symbol b'_1 at step S8-2. $(k) - b'_N(k)$ is used. Formula (35) - (37) is calculated, error matrix $G(k)$ is generated, and it is error matrix $G(k)$, the presumed channel matrix H , and noise power σ^2 at step S8-3. It uses and is the adaptation filter factor w_n by the operation of a formula (34). It asks for (k) .

[0059] To reflect an error correction decode result in the signal detected as mentioned above Soft decision transmitting symbol b'_n of a signal to detect by step S8-1 before step S4 in

drawing 7 B The function operation of the (k) is carried out. What is necessary is to use a formula (43) instead of a formula (31), that is, for a formula (29), a formula (30), and a formula (43) to generate interference replica vector $B'(k)$, and just to use a formula (48) instead of a formula (37) by step S4, step S8-2 using this. As mentioned above, it is f (by the case where it considers as $\alpha b^n(k)$ or $\alpha b^n(k)^2$, $b^n(k)$). When changing α , the reliability of the count of processing or the decoded whole frame determines α by step S8-1-1, and it is $1+(2\alpha+\alpha^2)b^n$ at step S8-1-2. 2 What is necessary is to calculate and just to use as f ($b^n(k)$).

[0060] The technique of making an error correction result reflect in this signal to detect is applicable also to the single user turbo receiver explained by the term of the conventional technique. Moreover, what is necessary is to be able to apply the approximation shown in a formula (39) and (40), and just to input into the filter coefficient generation section 333-1 the matrix h shown in a formula (38) from the channel presumption machine 28 in this case, in the technique of making an error correction result reflect in this signal to detect, as a broken line shows in drawing 7 A. By ****, it is the adaptation filter coefficient w_n . Although it asked for (k) by the formula (34), that is, being asked using the channel matrix H , it is not necessary to use the channel matrix H . That is, in the 1st time of decode processing (turbo reception), the error vector G in a formula (34) serves as a unit matrix. therefore, difference — vector $y'(k)$, a training signal or this, and hard decision transmitting symbol $\hat{b}^n(k)$ — it mentioned above preferably — as — \hat{b}^n with high reliability (k) — the filter factor generation section 333-1 — inputting — RLS (recursive least square method) etc. — applying — serially — a target — adaptation filter factor $w_n(k)$ may be computed. The error vector G is the adaptation filter coefficient w_n 2nd after repeat processing of decode, in order to be dependent on the discrete time of day k . It is necessary to update (k) for every symbol, as stated previously, the channel matrix H is used, and it is the adaptation filter factor w_n . It is desirable to determine (k).

[0061] The 4th invention (channel presumption)

It repeats, as mentioned above. To channel presumption the hard decision value of not only known information like unique WORD but an information symbol, and also using especially the probable thing as a reference sign Not only in when using for said multi-input multi-output turbo receiving approach, generally Presume the channel (transmission line) of an input signal from an input signal and a known signal, decode by processing an input signal using the presumed channel value, and the decode signal is used. It is applicable to the turbo receiving approach of performing the processing and decode processing by the channel value which repeated and presumed the same input signal.

[0062] The example which also applied the hard decision value of this information symbol to channel presumption and the turbo equalizer 41 at drawing 8 is shown. The turbo equalizer 41 determines a linear equalization filter factor with a presumed channel value, processes an input signal with the linear equalization filter, decodes the processed signal, and repeats and processes the same input signal using the decode signal. Input-signal $r(k)$ is supplied to the channel presumption machine 42 while it is inputted into the turbo equalizer 41. With the channel presumption vessel 42, a channel value (line characteristic) is presumed by input-signal $r(k)$ and the unique WORD from the storage section 29. Identification processing of the input-signal $r(k)$ is carried out by the presumed channel value within the turbo equalizer 41, and after that, while decode processing is carried out and decode data $c'(i)$ is outputted, soft decision value $b'(i)$ is outputted. By being inputted into the symbol selection machine 43, if the absolute value of soft decision value $b'(i)$ is more than threshold Th , soft decision value $b'(i)$ Updating storing of the hard decision value $\hat{b}^n(i)$ is carried out last time as a probable (reliable) thing at the symbol storage section 32. In the channel presumption processing in the channel presumption section 42 at the time of repeating and carrying out reception (equalizing processing) of the future same input-signal $r(k)$, not only unique WORD but hard decision value \hat{b}^n of the information symbol memorized by the symbol storage section 32 last time $\hat{b}^n(i)$ is used.

[0063] The turbo equalizer 41 is a part except the symbol storage section 32 the repeat channel presumption machine 28 receiving in a plane shown in drawing 1, the unique WORD storage section 29, and last time. You may be a receiver in drawing 29. That is, the solution (19) to

serves as the following by the Wiener solution also in this case.

$w(k) = E[y'(k) y'^H(k)]$ and $E[b(k) - y'(k)]$

]

$= [H\lambda(k) H + \sigma^2 I]^{-1} h$ (50)

It is the thing and $\sigma^2 = E[|v|^2]$ (distribution of a noise) as which H was defined by the formula (8) here, and $h^*[H(Q-1), \dots, H(0)]^T$ was defined by the formula (5).

$\lambda(k) = \text{diag}[-1-b', \dots, -12(k+Q-1), \dots, 1, \dots, -b'^2](k-Q+1)$

Thus, also in the receiver in drawing 29, presume channel $H(\cdot)$, it identification filter-factor $w(k)$ Asks using this channel $H(\cdot)$, filtering of the input signal is carried out by filter factor $w(k)$, and decode processing is performed to that processed output. Therefore, in this repeat reception, right channel presumption can be obtained more by using a hard decision information symbol with said dependability for channel presumption.

[0064] Drawing 9 shows the example of the turbo receiver which applied said repeat channel presumption approach to the repeat reception which performs rake (RAKE) composition processing. Input-signal $r(k)$ is supplied to the RAKE composition processing section 45 and the channel presumption machine 42. A channel value is presumed by input-signal $r(k)$ and unique WORD with the channel presumption vessel 42, and compensation over the phase rotation which each symbol received in the RAKE composition processing section 45 in the transmission line, and RAKE composition processing are performed by the presumed channel value, that is, time diversity processing is performed, and the 1st time is outputted to the turbo decoder 46. Decode data $c'(i)$ and soft decision value $b'(i)$ are outputted from the turbo decoder 46. Soft decision value $b'(i)$ is inputted into the symbol selection machine 43, and like said example, although seemingly it is the **, updating storing of hard decision value $b[\text{of an information symbol}]^i(i)$ is carried out last time at the symbol storage section 32. In the repeat reception of RAKE receiving-turbo decoding of the 2nd henceforth, not only unique WORD but the hard decision value of the last information symbol is used for channel presumption with the channel presumption vessel 42. Thereby, since presumption of a channel can carry out to accuracy more, improvement in quality can be aimed at.

[0065] Drawing 10 shows the example of the turbo receiver which used the adaptive (adaptation) array antenna and which applied said repeat channel presumption approach to reception repeatedly. Input-signal $r(k)$ is received by the adaptive array antenna receive section 47. The branching input of the input signal is carried out at the channel presumption machine 42, and channel presumption is performed by this and unique WORD. Using the presumed channel value, toward the arrival direction of the purpose wave, the main beam of the antenna directional characteristics of the adaptive array antenna receive section 47 so that null may be suitable in the arrival direction of an interference wave. The weight to each antenna element or a corresponding receiving path is determined in the array weight decision section 48, and the weight is set as an applicable part. The reception output of the adaptive array antenna receive section 47 is supplied to the turbo decoder 46, and is decoded, the decode data $c'(i)$ and soft decision value $b'(i)$ are outputted, soft decision value $b'(i)$ is inputted into the symbol selection machine 43, and the updating storage of the probable hard decision value is carried out last time at the symbol storage section 32. In the repeat reception of the adaptive array antenna receive section 47-turbo decoder 46 of the 2nd henceforth, not only unique WORD but the hard decision value of the last information symbol is used for channel presumption with the channel presumption vessel 42. Channel presumption is performed more correctly by this, consequently control of antenna directional characteristics is performed more to accuracy, and improvement in quality can be aimed at.

[0066] In addition, if the turbo equalizer 41 in drawing 8 is shown simple, as shown in drawing 11 A, it will be the format of the series connection of ***** (SISO) equalizer (equalizer) 41a and SISO decoder (decoder) 41b, and repeat actuation will be performed between these equalizer 41a and decoder 41b. If the turbo decoder 46 in drawing 9 and drawing 10 is shown simple, as shown in drawing 11 B, it will be the format of the series connection of SISO decoder 46a and SISO decoder 46b, and decode will be repeatedly performed between decoder 46a and 46b. Even for a SISO decoder, drawing 9 R 9 and the turbo decoder 46 in drawing 10 are.

[0067] The example shown in the above drawing 8 thru/or drawing 10 is collectively shown in drawing 12. That is, it processes with the channel value which repeated the input signal and was first presumed with the channel presumption vessel 42 with the receiver (turbo receiver) 49. Carry out decode processing of the processed signal, output decode data (symbol) c' (i) and its soft decision value b' (i) as the decode processing result, and the soft decision value b' (i) is set in the symbol selection vessel 43. As compared with a threshold, that judged whether correspondence decode data c' (i) and a (symbol hard decision value) would be probable, and judged that is probable carries out updating storing of the hard decision value last time at the symbol storage section 32. It is made to perform channel presumption besides known information like unique WORD at accuracy to channel presumption in the channel presumption machine 42 in the repeat of processing—decode processing using the presumed channel value of the 2nd henceforth more also using the last symbol hard decision value.

[0068] The example of the procedure of the repeat input-signal approach of also using this symbol hard decision value for drawing 13 is shown. A channel value will be presumed with an input signal and a known signal at step S1, and it will investigate whether it is the 1st time of repeat processing at step S2, and if it is the 1st time, an input signal is processed with the channel value presumed at step S1 by step S3, after that, decode processing will be performed and a symbol hard decision value and a soft decision value will be calculated. The last symbol hard decision which memorizes to drawing by step S4 and has memorized what has the symbol soft decision value to a probable correspondence symbol hard decision value in the storage section 32 at step S5 at the taken-out symbol hard decision value is updated. Decode processing investigates whether it is a count of predetermined at step S6, and if it is not a count of predetermined, it returns to step S1. If it is not the 1st time of repeat processing at step S2, the last symbol hard decision value will be read from the storage section 32 at step S7, this and the information symbol of an input signal will perform channel presumption, and it will move to step S3.

[0069] As step S1' - S4' explained with reference to drawing 6 also in this case, processing of the 2nd henceforth does not need to use a known signal. Between the adaptive array antenna receive section 47 and the turbo decoder 46, as a broken line shows the example shown in drawing 10, the RAKE composition processing section 45 may be inserted. In this case, channel presumption for each symbol phase spin compensation in the RAKE composition processing section 45 and RAKE composition may be made to serve a double purpose with the channel presumption vessel 42, and may be prepared according to an individual.

[0070] It processed in the example of the 2nd invention in consideration of the example and error correction of the turbo receiving approach (the 1st invention) which carried out the noise above-mentioned other than the white nature Gaussian random noise, and the example of the turbo receiving approach (the 4th invention) of having the description in the channel presumption approach, having assumed that a noise was white nature Gaussian random noise. Namely, input signal r_m of each antenna v_m in the right-hand side of the formula (20) showing (k) (k) is assumed in case of white nature Gaussian noise. White nature Gaussian noise follows Gaussian distribution, and is $E[v_m(k) \text{ and } v_m(k-q)] = \sigma^2$ here. : In the case of $q=0$, in the case of $0:q! = 0$, $E[\]$ is expected value and σ^2 . It is a variance. It is the signal which has the becoming statistical property. The thermal noise which generates white nature Gaussian noise within an antenna element is mentioned as an example. It is a filter factor w_n that the assumption of this white nature Gaussian noise is reflected. It is the part of $\sigma^2 I$ in the formula (50) which asks for the formula (34) which asks for (k), or filter factor $w(k)$. For example, w_n of a formula (34) (k) and $w_n(k) = (HG(k) HH + E[n(k) \text{ and } n^H(k)])^{-1} h = (HG(k) HH + \sigma^2 I)$ it is computed through a -1 h process. Here, it is $v_m(k)$ is distributed σ^2 . It is calculated with $n(k)$ and $E[n^H(k)] = \sigma^2 I$ by assumption called the white nature Gaussian noise which it has. channel matrices H and σ^2 presumed by the repeat channel presumption machine 28 (drawing 1) or 42 (drawing 1212) beforehand — a logarithm — error matrix $G(k)$ calculated from a likelihood value — a formula (34) — substituting — filter factor $w_n(k)$ is computed.

[0071] In a place, it is Noise v_m . The case where (k) is not white nature Gaussian noise is considered. In this case, since it cannot be referred to as $n(k)$ and $E[n^H(k)] = \sigma^2 I$, it is a

filter factor w_n . In order to compute (k) , it is necessary to presume expected-value (covariance) matrix [of a noise component] $E [n(k) \text{ and } nH(k)]$ by the option. This approach is explained below. The covariance matrix of a noise component is written as $U \approx E [n(k) \text{ and } nH(k)]$ here. It will become a degree type, if $y(k) = H-B(k)+n(k)$ of a formula (22) is transformed with $n(k) = y(k) - H-B(k)$ and it substitutes for a covariance matrix U .

[0072]

$$U = E [n(k) \text{ and } nH(k)]$$

$$= E [(y(k) - H - B(k)) - (y(k) - H - B(k)) H]$$

Now, if $B(k)$ is [input signal] available by estimate \hat{H} of the channel matrix H , and the reference sign in vector $y(k)$ and channel estimate, Matrix U is a time average method. $U = \sum_{k=0}^{\text{Tr}} (y(k) - \hat{H} - B(k)) \text{ and } (y(k) - \hat{H} - B(k)) H$ (51) It can presume. Here, Tr is the number of reference-sign symbols.

[0073] Covariance-matrix \hat{U} is presumed with the channel matrix H using a formula (51) during the repeat channel presumption machine 28 or repeat channel presumption in 42. The procedure is shown in drawing 14. The unique WORD and the information symbol sequence in one frame in an input signal are shown in drawing 14 A, and processing of the 1st henceforth is shown in drawing 14 B. The 1st processing makes only unique WORD a reference sign, and presumes the channel matrix H first. Next, U is presumed to be unique WORD by the formula (51) using the channel matrix estimate \hat{H} . These estimate U and \hat{H} are used and it is a filter factor $w_n(k)$. $w_n(k) = (\hat{H}^T G(k) \hat{H}^T \hat{H} + \hat{U})^{-1} h$ (52)

It computes and is this filter coefficient w_n . 1st identification to an input signal is performed using (k) , and a transmit information symbol is presumed.

[0074] Among the information symbols presumed to be unique WORD by the 1st identification, the 2nd processing re-presumes U , after re-presuming H in the same procedure as the 1st time by making into a reference sign both thing * judged that is probable with the threshold. By repeating this actuation, for every repeat, channel matrix estimate \hat{H} becomes more exact, and the estimate of U becomes more exact, and it is a filter factor w_n . The precision of (k) goes up and the property of an equalizer improves. Turbo reception in case the noise which is not white nature Gaussian random noise is included in an input signal by the above processing can be performed.

[0075] as the identification output of the input signal of the sending signal from the 1st transmitter of the multi-output equalizer 31 which showed the functional configuration in the case of presuming the covariance matrix U of the noise in the input signal mentioned above, and performing linear equalization processing in drawing 2 — a logarithm — likelihood ratio λ 1 The example applied when asking for $[b_1(k)]$ is shown in drawing 15. The same reference number is attached to drawing 2 in drawing 15, and a corresponding part. Last time, the unique WORD from the unique WORD storage section 29 or the last symbol hard decision probable from the symbol storage section 32 is inputted into the reference vector generation section 319, and reference vector $B(k)$ is generated by a formula (25) and the formula (26) here. This reference vector $B(k)$, presumed channel matrix \hat{H} from the channel presumption machine 28, and receiving vector [from the receiving vector generation section 311] $y(k)$ are supplied to the covariance-matrix presumption section 321, a formula (51) is calculated here, and presumed matrix \hat{U} of a covariance matrix U is obtained.

[0076] Moreover, the soft decision transmitting symbol soft decision $b'1$ from the soft decision symbol generation section 313-1 $(k) - b'n$ Error matrix $G1$ to which (k) is inputted into the error vector generation section 322-1, and corresponds with a channel presumption square error by the formula (35), the formula (36), and the formula (37) here (k) is generated. This error matrix $G1(k)$, presumed covariance-matrix \hat{U} , and presumed channel matrix \hat{H} are supplied to the filter presumption section 323-1, a formula (52) is calculated here, and it is a filter factor $w1$. (k) is presumed, this filter coefficient $w1$ the difference from (k) and the difference operation part 316-1 — filtering [as opposed to / vector $y'(k)$ is supplied to the adaptation filter 318-1, and / $y'(k)$] $w1(k) H y'(k)$ should do — that result — a logarithm — likelihood ratio λ 1 It is outputted as $[b_1(k)]$.

[0077] When making an error correction decode result reflect also about the signal to detect As

a broken line shows in drawing 15, form the function operation part 331-1 shown in drawing 7 R>7A, and $f(b'n(k))$ is calculated. What is necessary is to use a formula (43) instead of a formula (31) in the interference replica vector generation section 314-1, and just to use a formula (48) instead of a formula (37) in the error vector generation section 322-1. The technique shown in drawing 14 B is shown in drawing 16 as a flow chart. That is, the channel matrix H will be presumed using input-signal $r(k)$ and a known signal (for example, unique WORD) at step S1, and next, it investigates whether this processing is the 1st time in repeat processing at step S2, and if it is the 1st time, it will calculate a formula (51) using a known signal, presumed channel matrix H^{\wedge} , and input-signal $r(k)$ at step S3, and will ask for presumed covariance-matrix U^{\wedge} .

[0078] A formula (52) is calculated using error matrix $G(k)$ which becomes presumed channel matrix H^{\wedge} and presumed covariance-matrix U^{\wedge} with a symbol soft decision value by step S4, and it is a filter factor $w_n(k)$ is presumed. step S5 — presumed channel matrix H^{\wedge} and filter factor $w_n(k)$ — using — an input signal — identification processing — carrying out — that is, a formula (27) — calculating — $w_n H(k) - y'(k)$ — calculating — a logarithm — likelihood ratio λ It asks for $[b_n(k)]$, decode processing is performed to this, and the hard decision value and soft decision value of a transmitting symbol are presumed.

[0079] Step S6 calculates the probable (it is reliable) symbol hard decision value which corresponds from the symbol soft decision value more than a threshold. With this symbol hard decision value, the symbol hard decision value stored in the symbol storage section 32 last time is updated. Then, if it has not come to investigate whether the count of decode processing became a predetermined value at step S8 and is return and a predetermined value to step S1, the processing to the receiving frame will be ended. If the processing in repeat processing is not the 1st time at step S2 (i.e., if it is 2nd henceforth), a symbol hard decision value will be read from the symbol storage section 32 last time by step S9, the channel matrix H will be presumed by this and the information symbol in an input signal, and it will move to step S3.

[0080] 2nd henceforth can be prevented from using a known signal by changing steps S1 and S2 into the same processing as step S1' shown with the broken line in drawing 6 also in this case — S4'. Moreover, what is necessary is to perform the function operation $f(b'n(k))$ at step S10 into drawing 16, as a broken line shows when the signal to detect also wants to make an error correction decode result reflected, and just to ask for error matrix $G(k)$ using this result.

Furthermore, in the case of which, it is not necessary to use a hard decision transmitting symbol at presumption of covariance-matrix U^{\wedge} . it is said below that the covariance matrix U of that noise in the input signal in which the noise which is not this white nature Gaussian noise was included can be presumed — as — various kinds — it is applicable to useful application.

[0081] (1) The receiving method for the multi-sequence sending signal in which an interference signal with a strange receiver is included is mentioned. As shown in drawing 28, suppose that strange interference signal $i(k)$ (for example, signal from the cel and zone of others [mobile communication]) is received by the turbo receiver in addition to the sending signal of the sequence of N individual like the signal from the transmitter of the user of N man whom a turbo receiver tends to receive as a broken line shows. At this time, it is a formula (20). $r_m(k) = \sum_{q=0}^{Q-1} \sum_{n=1}^N h_{mn}(q) b_{n+(k-q+1)} + v_m(k)$ It becomes (20)'. It sets to this model and is $i(k) + v_m(k)$. $r_m(k) = \sum_{q=0}^{Q-1} \sum_{n=1}^N h_{mn}(q) b_{n+(k-q+1)} + v_m(k)$ It becomes (20)". $v_m(k)$ As a noise signal which is not white nature Gaussian noise, (k) performs presumption of H , and presumption of further U , as stated previously, and it is $w_n(k)$ can be presumed and turbo reception can be performed by repeating identification processing of an input signal, and transmitting symbol presumption.

[0082] (2) In the communication system using a transceiver separation filter, in case over sampling technique is performed from $1/2$ of a symbol period to an input signal at high speed, correlation cannot come out between the noise components contained in the input signal by which the sample was carried out by each time amount, and it cannot be considered that the noise in an input signal is white nature Gaussian noise. That is, it sets at a ceremony (20) and is $E[v_m(k) \text{ and } v_m(k-q)] = \sigma^2 \delta_{q=0}$. In the case of $q \neq 0$, it does not become the case of $0: q \neq 0$. Therefore, the assumption $E[n(k) \text{ and } nH(k)] = \sigma^2 I$ Becoming cannot be performed. Then, by performing processing to the input signal separated with the transceiver separation filter in quest

of a covariance matrix U using a formula (51), an input signal can be processed correctly.

[0083] (3) By the turbo receiving approach mentioned above, all the multi-pass components of Q pass from each transmitter (user) are compounded, and it has become constructing. however, when a long delay wave exists in a channel (example: — pass — the pass component of 1 symbol delay, 2 symbol delay, and 30 symbol delay in case it is 3-symbols-delayed, and it flies and 30 symbol delay exists), it is possible to take the plan which does not compound a long delay wave, but treats it as strange interference, and is removed with an adaptation filter. That is, a long delay wave is removable by treating this long delay wave component as interference signal $i(k)$ in the example of the above (1).

[0084] In the processing to the input signal in which the noise which is not the white nature Gaussian noise mentioned above was included Presumption of a covariance matrix U is presumed instead of $\sigma^2 I$ in a formula (50). Are applicable also to the single user turbo receiving approach. Similarly A single user, Irrespective of multiuser, it is applicable to the turbo reception using the adaptive array antenna reception shown in the RAKE composition processing reception shown in drawing 9, or drawing 10, channel presumption with the channel [in / repeatedly / decode] presumption vessel 42 still more generally shown in drawing 12, and presumption with a covariance matrix U . In addition, in RAKE reception, only channel presumption may be used.

[0085] the 3rd invention (multistage identification) **** — input signals r_1 , —, r_M the multi-output equalizer 31 — it is — equalizing — a logarithm — likelihood ratio $\lambda_1 [b(k)]$, —, λ_N Although it asked for $[b(k)]$, in the modification (2) of the 1st invention, two or more identification stages are prepared in concatenation, and a more nearly latter equalizer is good also as a configuration which lessens the number of outputs. For example, as shown in drawing 17, by dividing into two for this, with the preceding paragraph equalizer (multiuser equalizer) 71, the interferent component outside the identification range of latter single user equalizer 21' is canceled, therefore pretreatment of software interference cancellation and MMSE (2nd [an average of] power error of the minimum) norm linearity filtering is performed, for example, and the numbers of passes shown previously perform identification processing of the single user of Q by latter-part equalizer 21' after that.

[0086] Thus, identification processing is carried out in concatenation and computational complexity can be prevented from becoming immense also by using a linearity filter for processing of the preceding paragraph. The example of the MIMO structure of a system to which the configuration and this invention of the example based on the underlying concept of the 1st invention (2) of this turbo receiving method of a multi-output turbo receiver are applied is shown in drawing 18, the same reference number is attached to drawing 1 and a corresponding part, and duplication explanation is omitted (the same is said of the following explanation). The sending signal from each transmitter is received through a transmission line (channel) by the turbo receiver 30. This input-signal $r(k)$ is inputted into the multiuser equalizer 71. From this equalizer 71 Signal u_1 with which interference by the signal from the transmitter of others [signal / from each transmitter of N individual] was removed, respectively (k) , — and $u_N(k)$ and each channel value $\alpha_1(k)$, —, $\alpha_N(k)$ is outputted and it is inputted into the single user equalizer 21-1, —, 21-N, respectively. from these SISO(s) equalizer 21-1, —, 21-N — respectively — a logarithm — likelihood ratio $\lambda_1 [b_1(k)]$, —, $\lambda_N [b_N(k)]$ is outputted. Although future processings are the same as that of the case of drawing 1 $R > 1$ than this, they are the single user equalizer 21-1, —, the channel value α_1 used by 21-N. (k) , —, $\alpha_N(k)$ is a channel value after multiuser identification, and differs from the channel matrix H . Therefore, this $\alpha_1(k)$, —, $\alpha_N(k)$ is described as the channel information after identification.

[0087] Hereafter, actuation of each part is explained. In consideration of several Q of a multi-pass (channel), formula (23) - (26) is defined like explanation of drawing 1. An equalizer [of the latter part in drawing 18] 21-1, —, according [21-N] to signal symbol $(b_n(k))$, and $[b_n(k-1), —, b_n(K-Q+1)]$ ($n=1, —, N$) of each user's self intersymbol-interference channel is equalized. Therefore, in the equalizer 71 of the preceding paragraph, processing which removes interference other than the above $(b_n(k))$, and $[b_n(k-1), —, b_n(K-Q+1)]$ ($n=1, —, N$) in $y(k)$ is performed. The quantitative explanation is given to below.

[0088] First, a decoder 24-1, —, prior information λ_{2p} of the equalizer 71 fed back from 24-N It asks for soft decision transmitting symbol presumption $b'(k)$ by the formula (15) using $[b_n(k)]$ ($n=1, \dots, N$). Next, these soft decision transmitting symbol b'_n Replica H-B[of an interference signal] $'(k)$ is created using (k) and the channel matrix H , and it subtracts from receiving vector $y(k)$.

$y'_n(k) = y(k) - H-B'(k)$ (27) $B'(k) = [b'^T \dots (k+Q-1) b'^T(k) \dots b'^T(k-Q+1)]^T H - (B(k) - B'(k)) + n$
 (k) and (28) $' =$ here (29) $' =$ and $b'(k+q) = [b'^1 b(k+q)'_2 (k+q) \dots b'_n \dots (k+q) b'_N (k+q)]^T$:
 $q=Q-1, \dots, 1$ (53) $b'(k+q) = [b'^1 b(k+q)'_2 \dots (k+q) 0 \dots b'_N] (k+q) T$: $q=0$ and $\dots -Q+1$ (54)
 (The zero in the element of $b'(k+q)$ are the n -th)

Actuation of subtracting this interference below will be called software interference cancellation. $y'_n(k)$ which will be obtained after subtraction supposing the replica of an interference signal is made ideally is the n -th user's symbol $b_n(k)$. A formula (54) shows $q=1, \dots$, that it cannot have in having set the n -th element of $b'(k+q)$ to 0 by $-Q+1$ only with the intersymbol-interference component by a user's n -th own symbol $[b_n(k-1), \dots, b_n(k-Q+1)]$ of *****.

[0089] Although the contribution component from the signal of the n -th user (transmitter) within the receiving vector $r(k)$ is based on a symbol $(b_n(k), \text{ and } [b_n(k-1), \dots, b_n(k-Q+1)])$, it actually sees. But So that I may be understood from the definition of receiving vector [of a formula (21)] $y(k)$ In the contribution component from the signal of the n -th user (transmitter) in receiving BEKURUTOy(k) which compounds by the multi-pass and is made, it is the k -th symbol b_n . This is received if based on (k) . Symbol $[b_n(k+Q-1)$ of the future, $b_n(k+Q-2), \dots$, the intersymbol-interference component by $b_n(k+1)]$ will also be included. That is, the above-mentioned interference replica has also included the interferent component from the future. thus, the difference of formula (27) $' =$ vector $y'(k) =$ the difference of a formula (27) $' =$ it differs from vector $y'(k)$.

[0090] Then, the next step of the preceding paragraph processing in an equalizer 71 is the interference surplus component after software interference cancellation, i.e., the residual interferent component based on said imperfect composition of interference replica $H-B'(k)$, and said future intersymbol-interference component y'_n The linearity filter of an MMSE (2nd [an average of] power error of the minimum) norm removes from (k) . That is, filter shape $w_n y'_n$ It is made for the result of having carried out filtering of the (k) as shown in a formula (55) to become equal to channel value $\alpha_{1n}, \alpha_{2n}, \dots$, the sum that carried out the multiplication of the α_{qn} , respectively as the symbol in the signal of the n -th user in an input signal $(b_n(k), \text{ and } [b_n(k-1), \dots, b_n(k-Q+1)])$.

$w_n H(k)$ and $y'_n(k) = \sum_{q=0}^{Q-1} \alpha_{qn}(k)$ and $b_n = (k-q) \alpha_{qn} H(k)$ and $b_n(k)$ (55)

Therefore, this filter shape $w_n(k)$ and channel value (channel information) α_{qn} after identification What is necessary is just to calculate a formula (55) in quest of (k) . It is w_n below. (k) and α_{qn} The calculation approach of (k) is shown. In addition, filter shape $w_n(k)$ is the filter factor w_n given by the formula (32) and the formula (34). Although it differs from (k) , the same notation is used for convenience.

[0091] The above-mentioned solution is defined as a solution of the following optimal problems. $(w_n(k) \alpha_{qn}(k)) = \arg \min \|w_n H(k) \text{ and } y'_n(k)$

$- \alpha_{qn} H(k) \text{ and } b_n(k) \|_2$ (56)

It is contingent [on $\alpha_{1n}(k) = 1$]. That is, w_n from which the right-hand side of a formula (56) serves as $\min(k)$ and α_{qn} It asks for (k) . Constraint $\alpha_{1n}(k) = 1$ added is $\alpha_{qn}(k) = 0$ and w_n It is for avoiding the becoming solution $(k) = 0$. This is $\| \alpha_{qn} \|_2$. Although solving by the constraint which becomes $(k) \|_2 = 1$ is also possible, below, it is α_{1n} . The solution in $(k) = 1$ is shown. Since it is easy, a problem is replaced as follows. That is, m_n which makes the right-hand side of a formula (56) \min about w and α It is defined as (k) .

[0092]

$m_n(k) = \arg \min \|m_n H(k) \text{ and } z_n(k) \|_2$ (57)

$m_n H$ It is contingent [on (k) and $e_{MQ+1} = -1$]. ($\alpha_{1n}(k) = 1$ and equivalence)

here $\dots m_n(k) = [w_n^T(k), -n[\alpha](k) T]^T$ (58)

$z_n(k) = [y_n^T(k) b(k) n T]^T$ (59)

$e_{MQ+1} = [0 \dots 1 \dots 0]^T$ (60)

(— the element of one in eMQ+1 is MQ+1st). The solution of this optimization problem is given below from reference [2] S.Haykin, Adaptive Filter Theory, and the Lagrange method of undetermined coefficients shown in Prentice Hall P.220-P227.

[0093]

$m_n(k) = -RZZ^{-1}$ and $eMQ+1/(eMQ+1H, RZZ^{-1}, \text{ and } eMQ+1)$ (61)

It is here. $RZZ = \epsilon$ [zn (k) and zn H (k)] (62)

ϵ [A] expresses the expected value (average) of A.

[0094]

[Equation 21]

$$= E \begin{bmatrix} H \cdot A_n(k) \cdot H^H + \sigma^2 I & H_n^H \\ H_n & I \end{bmatrix} \quad (63)$$

[0095]

$\lambda_{dn}(k) = \text{diag} [D_n(k+Q-1), \dots, D_n(k), \dots, D_n(k-Q+1)]$ (64) I is a unit matrix. σ^2 Noise power (variance of white nature Gaussian noise)

[0096]

[Equation 22]

$$H_n = \begin{bmatrix} h_n(Q-1) & 0 & 0 & 0 \\ h_n(Q-2) & h_n(Q-1) & 0 & 0 \\ \vdots & \vdots & \ddots & \vdots \\ h_n(0) & h_n(1) & \dots & h_n(Q-1) \end{bmatrix} \quad (65)$$

[0097]

$D_n = (k+q) \text{ diag} [1-b'^2(k+q), \dots, 1-b'^2(k+q), \dots, 1-b'^2(k+q)]$ (k+q) : q=Q+1 and — one (66) $D_n = (k+q) \text{ diag} [1-b'^2(k+q), \dots, 1, \dots, 1-b'^2(k+q)]$ (k+q) : q=0, —, -Q+1 (67)

diag expresses a diagonal matrix (elements other than the element of the diagonal line of a matrix are zero). That is, it is m_n if the channel matrices H and σ^2 are known. It can ask for (k) by the formula (61). Therefore, a formula (58) is followed and it is $w_n(k)$ and $\alpha_n(k)$ is called for.

[0098] This computed filter shape w_n By (k), it is y'_n . Filtering of the (k) is carried out by the degree type.

$u_n(k) = w_n H(k)$ and $y'_n(k)$ (68)

H expresses a conjugate transposed matrix. This n processing result by which filtering was carried out is sent to equalizer 21-n to which consecutiveness corresponds. Thus, the left part of the formula (1) from the n-th user and the corresponding input signal $u_n(k)$ is obtained, the channel value $h_{mn}(q)$ of the right-hand side of a formula (1) and corresponding $\alpha_{mn}(k)$ are obtained, that is, a formula (1) and a corresponding formula (55) can be found. Therefore, $\alpha_{mn}(k)$ is given to consecutive equalizer 21-n as an equalizer parameter (channel value). The above is preceding paragraph processing by the equalizer 71.

[0099] Next, the processing after consecutive equalizer 21-n is described. As mentioned above, since it corresponds with the formula (1), since it is shown in reference [1], a formula (55) omits actuation within equalizer 21-n for every user for details, as stated also above that what is necessary is just to carry out like actuation of the equalizer 21 in drawing 31. u_n which defined each equalizer 21-n by the top (k) and α_{mn} the logarithm of the probability for the prior information λ_2 from (k) and decoder 24-n [$b_n(k)$] to be inputted, and for each coding bit to be +1 as an output, and the probability which is -1 — a likelihood ratio λ_1 (LLR: Log-Likelihood Ratio) is computed by the degree type.

[0100]

[Equation 23]

$$\Lambda_1[b(k)] = \log \frac{\Pr[b_n(k) = +1 | u_n(k), k = 0, \dots, B]}{\Pr[b_n(k) = -1 | u_n(k), k = 0, \dots, B]} \quad (69)$$

$$\equiv \lambda_1[b_n(k)] + \lambda_2^p[b_n(k)] \quad (70)$$

[0101] It is lambda 1 here. $[b_n(k)]$ is the external information and lambda2p which are sent to consecutive decoder 24-n. $[b_n(k)]$ is prior information given to an equalizer 31. decoder 24-n — a logarithm — likelihood ratio lambda 2 It computes by the degree type.

[0102]

[Equation 24]

$$\Lambda_2[b_n(i)] = \log \frac{\Pr[b_n(i) = +1 | \lambda_1[b_n(i)], i = 0, \dots, B]}{\Pr[b_n(i) = -1 | \lambda_1[b_n(i)], i = 0, \dots, B]} \quad (71)$$

$$\equiv \lambda_2[b_n(i)] + \lambda_1^p[b_n(i)] \quad (72)$$

[0103] It is lambda 2 here. $[b_n(i)]$ is the external information and lambda1 p which are given to an equalizer 71 and an equalizer 21 in the case of a repeat. $[b_n(k)]$ is the prior information given to decoder 24-n. The configuration shown in this drawing 18 performs identification and decode repeatedly, and improvement in an error rate is attained. The functional configuration of the multiuser equalizer 71 mentioned above is briefly explained with reference to drawing 19. each — an antenna — an input signal — a receive section — 70 — a vector — r — (k) — = — [r — one — (k) — rM — (k) —] — ***** — processing — having — this — a vector — r — (k) — using — reception — a vector — generation — the section — 311 — setting — each — a multi-pass (channel) — having taken into consideration — a formula — (21) — reception — a vector — y — (k) — generating — having .

[0104] On the other hand, input-signal [from a receive section 70] $r(k)$, and each transmitter from the unique WORD storage section 29 and the corresponding known sequence signals, such as a unique WORD sequence for channel presumption, are inputted into the channel presumption machine 28, and the channel matrix H is presumed. moreover, the output of each decoder 24-1, —, 24-N — a logarithm — likelihood ratio lambda2 $[b_1() [b_n(k)]$ is inputted into the soft decision symbol presumption section 313-1, —, 313-N. i —], —, lambda2 (k) , —, lambda 2 — $[b_N$ from (i)] — respectively — prior information lambda1 p [$b_1(i)$], —, lambda1p $[b_N$ External information lambda 2 from which (i)] was deducted [b_1 It is the soft decision transmitting symbol b_1 by the formula (15), respectively. (k) , —, $b_N(k)$ is calculated. These are inputted into the interference vector generation section 72, and vector B' of the symbol estimate which can serve as an interference signal from other transmitters for every n]' (k) is generated by formula (29) ', (53), and (54). in the interference vector generation section 72. The product of vector $B'(k)$ and the channel matrix H of these N individual calculates, respectively by the other interference signal estimation section 73-1, —, 73-N, and replica $H-B(k)$ of an interferent component is calculated.

[0105] interferent component replica $H-B(k)$ of these N individual subtracts from receiving vector $y(k)$ by the subtraction section 74-1, —, 74-N, respectively — having — difference — a vector $y_1(k)$, —, $y_N(k)$ is called for. Soft decision transmitting symbol $b_1(k)$, —, $b_N(k)$ is inputted into the error matrix generation section 75. It is the error matrix lambda 1 by the formula (64), (66), and (67). (k) , —, lambdaN (k) is generated. These, the channel matrix H , and noise power sigma2 It is inputted into the filter shape presumption section 76, and is a filter shape w_n at the filter shape presumption section 76 by a formula (58), (60), (61), (63), and (65). Channel information alphan after identification It is presumed. these filter shapes w_1 , — and w_N difference — vector $y_1(k)$ — — and y_N The multiplication of the (k) is carried out by the filtering section 77-1, —, 77-N, respectively. Filtering is carried out. That is, symbol $[b_n(k)$ from

each pass for every user, u_1 which is $b_n(k-1)$, —, the component of which interference [signal / other user] was removed from the input signal of $b_n(K-Q+1)$ (k), — and u_N Channel information α_1 after the identification which (k) was obtained, respectively and was asked for it in these and the filter shape presumption section 76 (k), —, $\alpha_N(k)$ is supplied to the single user equalizer 21-1 in drawing 18, —, 21-N, respectively.

[0106] The procedure of the 1st invention (2) of this turbo receiving method is shown in drawing 20. The same step notation was attached to the procedure shown in drawing 3, and a corresponding step in drawing 20. However, interference replica vector B'_n in step S4 Formula (29)', (53), and (54) perform count of (k). Step S13 is soft decision transmitting symbol $b'_n(k)$ is used and it is error matrix λ_{mbdan} by the formula (64), (66), and (67). (k) is generated. Step S14 is a channel, Matrix H, and noise power σ^2 . Error matrix $\lambda_{\text{mbdan}}(k)$ is used and it is the residual interference removal filter w_n by a formula (58), (60), (61), (63), and (65). (k) and channel information α_n It asks. step S15 — difference — vector $y'_n(k)$ — residual interference removal filter shape $w_n(k)$ — filtering — carrying out — u_n It asks for (k). step S16 — each filtering result $u_n(k)$ — receiving — single user identification processing — carrying out — a logarithm — likelihood ratio λ_{mbdan} It asks for $[b_n(k)]$, respectively and decode processing of these is carried out at step S10. Others are the same as that of the processing shown in drawing 3.

[0107] Although the identification range in latter-part equalizer 21-n is made into the intersymbol-interference section by the symbol ($b_N(k)$, and $[b_n(k-1), \dots, b_n(K-Q+1)]$ ($n=1, \dots, N$)) in ****, this identification range can be adjusted. For example, as for the case of a very big value, the count load of latter equalizer 21-n becomes [Q] large. In such a case, what is necessary is to set the identification range of latter-part equalizer 21-n to $Q' < Q$, and just to change so that the equalizer 71 of the preceding paragraph may remove the intersymbol interference of the signal of the same users other than $b_n(k)$, and $[b_n(k-1), \dots, b_n(K-Q'+1)]$ ($Q' < Q$, $n=1, \dots, N$) section. This modification is explained later. As it divides into this preceding paragraph identification and latter-part identification and a broken line also shows a **** case in drawing 19 $R > 9$, in the channel presumption machine 28, the symbol storage section 32 is formed last time, and it is hard decision transmitting symbol \hat{b}_n . As a channel value is presumed using (k), that presumed precision can be raised.

[0108] Signal u_n of N sequence which carried out identification separation of the interference [train / other-system] for these to the sending signal of N sequence in the multi-output equalizer 71 of the preceding paragraph in the example shown in drawing 17 Channel information α_n after identification It outputs and is the signal u_n of after that and N sequences each. Latter single user equalizer 22-n removed the intersymbol interference of the same sending signal. That is, it considered as two steps of concatenation identification configurations. It is good also as three or more steps of concatenation multistage configurations. For example, input signal r_m of an M sequence [as opposed to / in / as shown in drawing 21 / the equalizer 81 of the 1st step / the sending signal of N sequence] Identification signal sequence er_1 which inputted and removed interference by the No. [U+1] transmitting sequence of the 1st — a No. [U] transmitting sequence (k) and channel information e [after the identification] $\alpha(k)$, Identification signal sequence er_2 which removed interference by the 1st of the U+1st — a No. [N] transmitting sequence — the No. [U] transmitting sequence (k) and channel information α_2 after the identification (k) is obtained. In 82-1 in the equalizer 82-1 of the 2nd step, and 82-2 inputted $er_1(k)$ and $\alpha_1(k)$ — identification processing — carrying out — the [the 1st in the 1st — a No. / U / transmitting sequence —] — U_1 the Uth of a watch transmitting sequence — identification signal sequence er_3 which removed interference by 1+1 — the No. [U] transmitting sequence Channel information α_3 after (k) and its identification With (k) the Uth in the 1st — a No. [U] transmitting sequence — the [1+1 —] — U_2 the [1st / of a watch transmitting sequence / the / —] — the [U No. 1 transmitting sequence and] — identification signal sequence er_4 which removed interference by U_2 — the No. [U] transmitting sequence Channel information α_4 after (k) and its identification With (k) the Uth in the 1st — the Uth transmitting sequence — the [the 1st of 2+1 — the Uth transmitting sequence —] — U_2 Identification signal sequence er_5 which removed interference by the transmitting sequence

Channel information α_5 after (k) and its identification (k) is outputted, respectively.

[0109] With the equalizer 82-2 of the 2nd step, it is the identification signal sequence er_2 similarly. (k) and channel information α_2 (k) is inputted and it is the identification signal sequence er_6 . (k) and channel information α_6 after identification (k) and identification signal sequence er_7 (k) and channel information α_7 after identification (k) is outputted. In the case of $N=5$, the equalizer 83-1 to 83-5 of the 3rd step turns into a single user equalizer in drawing 18. Or the input identification signal of an equalizer 83-3 may be constituted by two sending signals, may remove the mutual intervention between the two sending signals with an equalizer 83-3, and may equalize 2 sets of identification signals, and the channel information after the identification, respectively by the following single user equalizer 84-1 and 84-2. Furthermore, for example with an equalizer 83-4, it is the identification signal er_6 . (k) and channel information α_6 (k) may be inputted and a mutual intervention with other two sending signals and the intersymbol interference by the multi-pass of itself may be removed about all the configuration sending signals, for example, each of three sending signals. You may constitute from one thru/or the plurality of the equalizer 82-1 of the 2nd step, and 82-2 so that each identification signal over two or more sending signals may be acquired at once.

[0110] Generally two or more identification signal sequences and the group of after [identification] channel information are outputted from the equalizer of the 1st step as mentioned above. the group of the channel information after each identification signal sequence and its identification — 1 thru/or two or more equalizers — 1 — or two or more steps are concatenated — making — final — the 1- each identification output of the Nth transmitting sequence, i.e., this example, — a logarithm — likelihood ratio $\lambda_1 [b_n(k)]$ can also be made to output. Thus, when performing multistage concatenation identification processing, it is desirable for the latter part to make smallness the value of numbers-of-passes Q which carries out interference removal, as mentioned above, and to lessen the amount of data processing. In this case, as mentioned above, an interferent component with the pass which decreased in number in the latter part is removed in the identification stage in front of that.

[0111] In the following with the equalizer 21 of the 1st step in drawing 21 The transmitting sequence of N individual, the number of the multi-passes of each transmitting sequence — identification signal sequence er_1 of the group of the input signal of Q to U transmitting sequences Channel information α_1 after (k) and identification (k) is obtained and identification processing with the equalizer 82-1 of the latter part explains the identification processing in the case of making the number of the multi-passes of each transmitting train system into Q'. Although interference vector $B'(k)$ is generated in the interference vector generation section 72 almost like the example shown in drawing 18 and drawing 19, this constructive mood (53) and a formula (54) change into formula (53) and formula (54)' and a formula (73).

[0112]

$$b'(k+q) = [b'_1 b(k+q)]^T - (k+q) b'_n(k+q)$$

$$- b'_N(k+q)]^T : q=Q-1, \dots, 1 \quad (53)$$

$$b'(k+q) = [0 \dots 0 b'_{U+1}(k+q) \dots b'_N(k+q)]^T : q=0, \dots, -Q'+1 \quad (54)' \quad b'(k+q) = [b'_1 b(k+q)]^T - (k+q) b'_n(k+q)$$

$- b'_N(k+q)]^T : q=Q', \dots, -Q'+1 \quad (73)$ Formula (54)' is for equalizing except for the self and the mutual intersymbol-interference component of each [these] sequence based on the symbol of the 1st - the Uth transmitting sequence itself, and the multi-pass of Q'. A formula (73) is for removing the self and the mutual intersymbol interference of the 1st - the Uth transmitting sequence based on the Q'+1st thru/or the Qth pass in order to decrease the number of multi-passes to Q' by latter identification.

[0113] Thus, interference signal replica $H-B'(k)$ is made using obtained interference vector $B'(k)$, and this is subtracted from receiving vector $y(k)$, that is, a degree type is calculated. $y'_g(k) = y(k) - H-B'(k)$ Actuation of subtracting this interference below (27) " $= H-(B(k)-B'(k)) + n(k)$ and (28)" will be called software interference cancellation. y'_g which will be obtained after subtraction supposing replica $H-B'$ [of an interference signal] (k) is made ideally It turns out that (k) cannot have only the signal component of $b_n(k)$, $[b_n(k-1), \dots, b_n(k-Q'+1)]$, and $(n=1-U)$.

[0114] Next, the linearity filter of an MMSE norm removes the interference surplus component after software interference cancellation like the above-mentioned. The formula in this case (55) and the corresponding formula become degree type (55) '.

$$\text{bg}(-k-) = -[b - \text{one}(-k-) - b - \text{one}(k-Q'+1) - bU - (-k-) - bU -](k-Q'+1) - T - (55-2)$$

[0115]
 $(w_g(k) \text{ alphag}(k)) = \arg \min \|w_g H(k) \text{ and } y'g(k) - \text{alphag} H(k) \text{ and } b_g(k)\|_2$ (56) 'alpha' — 1 and 0
 It is contingent [on $(k) = 1$]. the added constraint — $\text{alphag}(k) = 0$ and $w_g(k) = 0$ — in order to
 avoid a solution — it is — $\|\text{alphag}(k)\|_2 = 1$ — although solving by the constraint is also
 possible — the following — alpha — 1 and 0 In the case of $(k) = 1$, a problem is replaced as
 follows.

$$= E \begin{bmatrix} H \cdot \Lambda(k) \cdot H^H + \sigma^2 I & H_g^H \\ H_g & I \end{bmatrix} \quad (63)'$$
$$H_g = \begin{bmatrix} h_1(Q-1) & 0 & 0 & \dots & h_U(Q-1) & 0 & 0 \\ h_1(Q-2) & \ddots & 0 & \dots & h_U(Q-2) & \ddots & 0 \\ h_1(Q-3) & \vdots & h_1(Q-1) & \dots & h_U(Q-3) & \vdots & h_U(Q-1) \\ \vdots & \vdots & \vdots & \dots & \vdots & \vdots & \vdots \\ h_1(0) & \dots & h_1(Q'-1) & \dots & h_U(0) & \dots & h_U(Q'-1) \end{bmatrix} \quad (65')$$

$\alpha(k)$ is sent to the latter equalizer 82-1. When dividing [for example,] into a 3 transmitting sequences (user) group and a 2 transmitting sequences (user) group as mentioned above at the time of the transmitting sequence (user) of 5 It reaches $U=3$, the above-mentioned algorithm is performed by 2, and they are these two identification outputs $er1(k)$, $\alpha1(k)$ and $er2(k)$ and $\alpha2$ It inputs into the equalizer the object for 3 transmitting sequences (user) of consecutiveness to (k) , and for 2 transmitting sequences (user), and the identification output of each transmitting sequence (user) is obtained, respectively.

[0122] Moreover, it is applicable also to the single user turbo equalizer receiver shown in drawing 8, the RAKE composition processing turbo receiver shown in drawing 9, a turbo receiver equipped with the adaptive array antenna receive section which showed drawing 10, and a turbo receiver equipped with the channel presumption machine 42 still more generally shown in drawing 12 to make the error correction decode result of the signal which was mentioned above and to detect reflect in a soft decision transmitting symbol. Furthermore, although the symbol hard decision value judged to be probable by presumption of the 2nd henceforth of the channel matrix H and covariance-matrix \hat{U} was also used as a reference sign in drawing 13, drawing 14, and drawing 15, 2nd henceforth may make only unique WORD a reference sign, covariance-matrix \hat{U} may be presumed using a formula (51), and channel presumption using a symbol hard decision value and presumption of covariance-matrix \hat{U} may be omitted.

the 1st invention (2) (juxtaposition transmission) — transmitting information sequence $c(i)$ by one user as two or more juxtaposition sequences next — frequency use — performing high-speed transmission efficiently is proposed. The example of the turbo receiver which applied this invention is explained to such a sending signal.

[0123] It sets to a transmitting side so that the same reference mark may be attached with drawing 1 at the part corresponding to drawing 22 and it may be shown. As for modulation output-signal [from a modulator 13] $b(j)$, the sequential distribution of the each symbol $b(j)$ are carried out by the serial-parallel transducer 14 at the sequence of N individual. Sequence signal $b1$ of two or more integer N individuals (k) , —, bN Although it is referred to as (k) and shown in drawing, after these are changed into the signal of a radio frequency, they are transmitted from the antenna of N individual. The sequence signal of these N individual is received by the turbo receiver of this invention through a channel (transmission line). the receiving antenna of this receiver — one or more pieces — it is — this input signal — baseband digital input signal r_m of one or more integers [M] (k) — (— $m=$ — it is inputted into the multi-output equalizer 31 as 1, 2, —, M). Input signal $r_m(k)$ is generated as shown in drawing 28.

[0124] The processing the multi-output equalizer 31 is the same as that of the configuration shown in drawing 2, and same as the procedure shown in drawing 3 is performed. the logarithm from the decoder 24 shown in drawing 22 on that occasion — likelihood ratio $\lambda 2 [b(i)]$ to external information $\lambda 1 [b_i]$ is subtracted with a subtractor 25. The interleave of the subtraction output is carried out by INTARIBA 26, and it is the prior information $\lambda 2$. It is referred to as $[b(j)]$. The prior information $\lambda 2 [b(j)]$ is the prior information $\lambda 2$ on N sequence at the serial-parallel converter 15. $[b1(k)]$, —, $\lambda 2$ It is changed into $[bN(k)]$ and is inputted into the multi-output equalizer 31.

[0125] therefore, in the multi-output equalizer 31, the input signal of the M sequence carries out linear equalization processing similarly with having stated previously — having — the logarithm of N individual — likelihood ratio sequence $\lambda 1 [b1(k)]$, —, $\lambda 1 [bN(k)]$ is outputted. the logarithm of this N individual sequence — a likelihood ratio sequence — the juxtaposition-serializer 16 — the logarithm of one sequence — likelihood ratio sequence $\lambda 1$ It is changed into $[b(j)]$ and a subtractor 22 is supplied. By identification processing which the input signal format of the multi-output equalizer 31 became being the same as that of what was explained by drawing 1 thru/or drawing 3 according to this configuration, therefore was performed with reference to drawing 1 thru/or drawing 3 the logarithm of N sequence — likelihood ratio $\lambda 1 [b1(k)]$, —, $\lambda 1$ He can obtain $[bN(k)]$ and it will be easily understood by using the serial-parallel converter 15 and the parallel-serial-conversion machine 16 that decode processing can be performed repeatedly. In drawing 1 thru/or drawing 3, identification of the n -th sending signal (eye n train) in the juxtaposition sending signal of N

individual will be carried out in this case corresponding to the sending signal of the n -th transmitter. Moreover, it can be understood easily that the example which referred to drawing 4 thru/or drawing 7 R> 7 is also applicable about the reception to juxtaposition transmission of this N sequence signal. Moreover, by concatenation-processing by two or more identification stages shown in drawing 18 thru/or drawing 21, a receiving property improves compared with processing by the single identification stage shown in drawing 1 thru/or drawing 31.

[0126] The turbo receiving approach of this invention and a receiver are applicable also to the reception to a convolutional code / turbo sign + INTARIBA + multi-level modulation (QPSK, 8PSK, 16QAM, 64QAM, etc.), the TCM (Trellis Coded Modulation)/turbo TCM, etc.

By generation **** of M input signals, they are M input signals $r_1(k)$, ..., $r_M(k)$. Although it asked for (k) from M antenna #1, ..., # M , you may ask from one antenna or may ask for many M input signals from L from the input signal of the antenna of two or more integers $[L]$. although drawing 1 was not especially shown — each — the input signal from antenna #1, ..., # M — a baseband transducer — input signals r_1 , ..., r_M of baseband ** — it is carried out and samples — having — digital signal r_1 of the discrete time of day $k(k)$; ..., $r_M(k)$. It is referred to as (k) .

[0127] For example, the input signal received by $L=2$ antenna #1 and #2 as shown in drawing 30 B is changed into baseband signaling by the baseband transducer 61-1 and 61-2, respectively. The baseband transducer 61-1 and each output of 61-2 the sampling signal and this sampling signal from the sampling signal generator 62 with the sampling signal which shifted the phase only $T/2$ of those periods T with the phase shifter 63 It is sampled by A/D converter 64-1, 64-2 and 64-3, and 64-4, respectively, and is a digital signal $r_1(k)$, $r_2(k)$ and $r_3(k)$ and $r_4(k)$. It is changed into (k) , and is inputted into the turbo receiver 30 shown in drawing 1, drawing 18, or drawing 22, and you may make it obtain the decode output of N individual. In addition, input signal r_1 inputted into the turbo receiver 30 (k) , ..., $r_4(k)$. Each sampling period of (k) is one input signal r_m per one antenna. The frequency of the sampling signal from the sampling signal generator 62 is selected so that it may be in agreement with the sampling period in the case of receiving (k) .

[Translation done.]

* NOTICES *

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1.This document has been translated by computer. So the translation may not reflect the original precisely.

2.**** shows the word which can not be translated.

3.In the drawings, any words are not translated.

DESCRIPTION OF DRAWINGS

[Brief Description of the Drawings]

[Drawing 1] Drawing showing the functional configuration of a system including the example of the turbo receiver of this 1st invention.

[Drawing 2] Drawing showing the example of a concrete functional configuration of the multi-output equalizer 31 in drawing 1.

[Drawing 3] The flow chart showing the example of the turbo receiving approach of this 1st invention.

[Drawing 4] Drawing in which A shows the example of a frame structure, and B are drawings showing the processing in each repeat for explaining the repeat channel presuming method in the 4th invention.

[Drawing 5] Drawing showing the example of a functional configuration for taking out a probable hard decision symbol.

[Drawing 6] The flow chart showing the example of the procedure of repeat channel presumption in this invention.

[Drawing 7] Drawing showing some examples of a functional configuration of the equalizer 31 in the 2nd invention in which the error correction decode result of the signal which A detects is made to reflect, and B are drawings showing the example of the procedure.

[Drawing 8] Drawing showing the example of the receiver performed by repeating a turbo equalizer.

[Drawing 9] Drawing showing the example of the receiver which performs the repeat of RAKE receiving-turbo decode.

[Drawing 10] Drawing showing the example of the receiver which performs the repeat behind an adaptive array antenna receiving-turbo.

[Drawing 11] Drawing showing the outline of a turbo equalizer and a turbo decoder.

[Drawing 12] Drawing showing the outline of the receiver which repeats the processing using a presumed channel, and its processed decode processing of a signal to an input signal.

[Drawing 13] The flow chart showing the example of the procedure of the outline of the receiving approach which repeats the processing using a presumed channel, and its processed decode processing of a signal to an input signal.

[Drawing 14] Drawing in which A shows the example of a frame structure, and B are drawings showing repeat processing of presumption of the Channel H and the noise covariance matrix U in the case of including noises other than the white nature Gaussian random noise in an input signal.

[Drawing 15] Drawing showing some examples of a functional configuration of the equalizer using presumption of the noise covariance matrix U.

[Drawing 16] The flow chart showing the example of the procedure which repeats decode processing with channel value presumption using presumption of the noise covariance matrix U.

[Drawing 17] Drawing showing the principle of the turbo receiver by this 3rd invention.

[Drawing 18] Drawing showing the example of a functional configuration of the turbo receiver by this 3rd invention.

[Drawing 19] Drawing showing the example of the functional configuration of the multiuser

(preceding paragraph) equalizer 71 in drawing 18 .

[Drawing 20] The flow chart showing the example of the procedure of the turbo receiving approach by this 3rd invention.

[Drawing 21] Drawing showing other examples of a functional configuration of the multistage identification part in the 3rd invention.

[Drawing 22] Drawing showing the example of a system configuration to which the example of the 1st invention (2) was applied.

[Drawing 23] The error rate property Fig. of the turbo receiver which applied the 1st invention (1) (assuming that the channel was presumed completely, a part for E_b (bit energy):2 user N_0 is noise energy).

[Drawing 24] Drawing showing the error rate property at the time of changing a threshold (Th) and performing channel presumption repeatedly.

[Drawing 25] The error rate property Fig. of the turbo receiver using [on the 4th invention and] especially repeat channel presumption.

[Drawing 26] Drawing showing the error rate property of the turbo receiver using presumption of the noise covariance matrix U .

[Drawing 27] Drawing showing the error rate property of the turbo receiver shown in drawing 1 .

[Drawing 28] Drawing showing the error rate property of the example of the 2nd invention in which the error correction decode result of the signal to detect was made to reflect.

[Drawing 29] Drawing showing the simulation result of the error rate property of the turbo receiver of this 3rd invention.

[Drawing 30] Drawing showing the concept of a MIMO system.

[Drawing 31] Drawing showing the functional configuration of the conventional turbo transmitter-receiver for single users.

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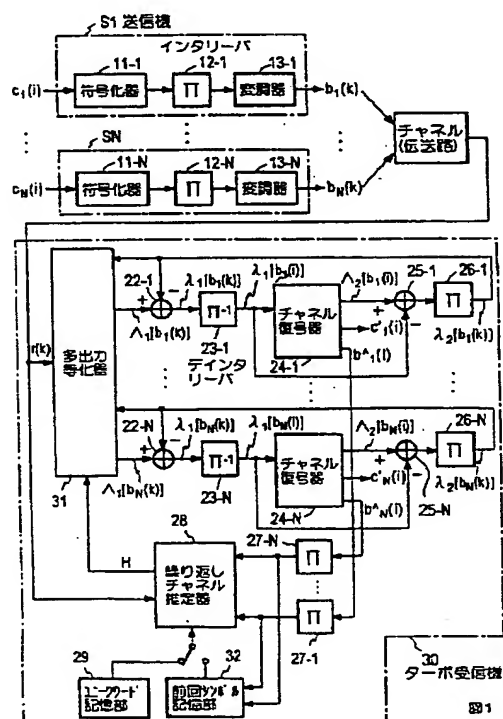
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(54) 【発明の名称】 ターボ受信方法及びその受信機

(57) 【要約】

【課題】 多入力多出力 (複数ユーザ) の受信を可能とする。

【解決手段】 M 個の受信信号 r_m ($m=1, \dots, M$) と、既知信号により、各伝送路インパルス応答 $h_{mn}(q)$ を推定し (ユーザ数 N , $n=1, \dots, N$)、 $h_{mn}(q)$ を要素とする $M \times N$ 行列 $\mathbf{H}(q)$ 、その $\mathbf{H}(q)$ を要素とする $Q \times Q$ 行列 \mathbf{H} を求め (Q は各送信波のマルチパスの数、 $q=0, \dots, Q-1$)、復号 $\lambda_2[b_n(k)]$ により軟判定値 $b'_n(k)$ を求め、これを用いて干渉成分ベクトル $\mathbf{B}'(k)$ を作り、干渉レプリカ $\mathbf{H} \cdot \mathbf{B}'(k)$ を求め、これを受信ベクトル $\mathbf{y}(k)$ から引き、 $\mathbf{y}'(k)$ を求め、 $\mathbf{y}(k)$ と \mathbf{H} を用いて最小平均2乗誤差規範で $\mathbf{y}'(k)$ 中の残余干渉成分を除する、 n 番目のユーザに対する適応フィルタ $\mathbf{w}_n(k)$ を求め、 $\mathbf{y}'(k)$ を $\mathbf{w}_n(k)$ に通して干渉除去されたユーザ n からの受信信号として対数尤度比を得る。



【特許請求の範囲】

【請求項1】 2以上の整数N個の送信機からの信号を受信するターボ受信方法であって、

1以上の整数M個の受信信号 r_m と、既知信号とから、チャンネル値 $h_{mn}(q)$ 及びチャンネル行列 H を計算し、ここで、 $m=1, \dots, M$ 、 $n=1, \dots, N$ 、 $q=0, \dots, Q-1$ 、 Q は各送信電波のマルチパスの数、 N 個の事前情報 $\lambda_2 [b_n(k)]$ から軟判定送信シンボル $b'_n(k)$ を求め、ここで k は離散的時刻、チャンネル値 $h_{mn}(q)$ と軟判定送信シンボル $b'_n(k)$ を用いて、 n 番目の送信機の送信信号に対する干渉成分 $H \cdot B'(k)$ を計算し、ここで

【数1】

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \vdots \\ 0 & & H(0) & \dots & H(Q-1) \end{bmatrix}$$

$$H(q) = \begin{bmatrix} h_{11}(q) & \dots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \dots & h_{MN}(q) \end{bmatrix}$$

$$B'(k) = [b'^T(k+Q-1) \dots b'^T(k) \dots b'^T(k-Q+1)]^T$$

$$w_n(k) = (H G(k) H^H + U)^{-1} h$$

ここで、

$$G(k) = \text{diag} [D(k+Q-1) \dots D(k) \dots D(k-Q+1)]$$

$$D(k+q) = \text{diag} [1 - b'^2_1(k+q), \dots, 1 - b'^2_n(k+q), \dots, 1 - b'^2_1(k+q)] \quad q=Q-1 \dots -Q+1, q \neq 0, \\ = \text{diag} [1 - b'^2_1(k+q), \dots, 1, \dots, 1 - b'^2_N(k+q)] \quad q=0 \text{で、}$$

【数2】

$$h = \begin{bmatrix} H_{1,(Q-1) \cdot N+n} \\ H_{2,(Q-1) \cdot N+n} \\ \vdots \\ H_{M,(Q-1) \cdot N+n} \end{bmatrix}$$

$H_{1,(Q-1) \cdot N+n}$ は上記行列 H の1行 $(Q-1)N+n$ 列成分により算出することを特徴とする請求項1記載のターボ受信方法。

【請求項3】 2以上の整数N個の送信機からの信号を受信するターボ受信方法であって、

1以上の整数M個の受信信号 r_m と、既知信号とから、チャンネル値 $h_{mn}(q)$ 及びチャンネル行列 H を計算し、ここで $m=1, \dots, M$ 、 $n=1, \dots, N$ 、 $q=0, \dots, Q-1$ 、 Q は各送信電波のマルチパスの数

$$b'(k+q) = [b'_1(k+q) b'_2(k+q) \dots b'_N(k+q)]^T$$

$$q=Q-1 \dots -Q+1 \quad q \neq 0 \text{で}$$

$$b'(k) = [b'_1(k) \dots 0 \dots b'_N(k)]^T \quad q=0 \text{で}$$

$b'(k)$ の要素のゼロは n 番目であり、 $[\]^T$ は転置行列であり、

この干渉成分 $H \cdot B'(k)$ を受信ベクトル $y(k)$ から差し引き差分ベクトル $y'(k)$ を求め、ここで $y(k) = [r^T(k+Q-1) \dots r^T(k+Q-2) \dots r^T(k)]^T$
 $r(k) = [r_1(k) r_2(k) \dots r_M(k)]^T$
チャンネル行列 H 又は参照信号を用いて、差分ベクトル $y'(k)$ 内の残余干渉成分を除去する、 n 番目の送信機よりの送信信号の受信信号に対する適応フィルタ係数 $w_n(k)$ を求め、

差分ベクトル $y'(k)$ を上記適応フィルタ係数 $w_n(k)$ によりフィルタ処理して、 n 番目の送信機よりの送信信号に対する干渉除去された受信信号として対数尤度比を得ることを特徴とするターボ受信方法。

【請求項2】 受信ベクトル $y(k)$ 中の雑音成分の共分散行列を U として、軟判定送信シンボル $b'_n(k)$ 、上記チャンネル行列 H と、を用いて、上記適応フィルタ $w_n(k)$ を

N 個の事前情報 $\lambda_2 [b_n(k)]$ から軟判定送信シンボル $b'_n(k)$ を求め、ここで k は離散的時刻、チャンネル値 $h_{mn}(q)$ と軟判定送信シンボル $b'_n(k)$ を用いて、 n 番目の送信機の送信信号に対する干渉成分 $H \cdot B'(k)$ を計算し、

ここで

【数3】

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \vdots \\ 0 & & H(0) & \dots & H(Q-1) \end{bmatrix}$$

$$H(q) = \begin{bmatrix} h_{11}(q) & \dots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \dots & h_{MN}(q) \end{bmatrix}$$

$$\begin{aligned} \mathbf{B}'(k) &= [\mathbf{b}'^T(k+Q-1) \cdots \mathbf{b}'^T(k) \cdots \mathbf{b}'^T(k-Q+1)]^T \\ \mathbf{b}'(k+q) &= [b'_{1,1}(k+q) \ b'_{2,1}(k+q) \cdots b'_{N,1}(k+q)]^T \\ q &= Q-1, \dots, -Q+1 \quad q \neq 0 \text{で} \\ \mathbf{b}'(k) &= [b'_{1,n}(k) \cdots f(b'_{n,n}(k)) \cdots b'_{N,n}(k)]^T \\ q &= 0 \text{で} \end{aligned}$$

$\mathbf{b}'(k)$ の要素の $f(b'_{n,n}(k))$ は n 番目であり、 $f(\cdot)$ は $f(0)=0$ 、かつ $d\{f(b'_{n,n}(k))\}/d\{b'_{n,n}(k)\} \geq 0$ を満たす $b'_{n,n}(k)$ を変数とする関数、 $[\cdot]^T$ は転置行列であり、

この干渉成分 $\mathbf{H} \cdot \mathbf{B}'(k)$ を受信ベクトル $\mathbf{y}(k)$ から差し引き差分ベクトル $\mathbf{y}'(k)$ を求め、

$$\mathbf{w}_n(k) = (\mathbf{H} \mathbf{G}(k) \mathbf{H}^H + \mathbf{U})^{-1} \mathbf{h}$$

ここで、

$$\begin{aligned} \mathbf{G}(k) &= \text{diag}[\mathbf{D}(k+Q-1) \cdots \mathbf{D}(k) \cdots \mathbf{D}(k-Q+1)] \\ \mathbf{D}(k+q) &= \text{diag}[1-b'_{1,1}(k+q), \dots, 1-b'_{2,n}(k+q), \dots, 1-b'_{2,1}(k+q)] \quad q=Q-1, \dots, -Q+1, q \neq 0 \text{で}, \\ &= \text{diag}[1-b'_{2,1}(k+q), \dots, 1-b'_{2,n-1}(k), 1+2E[f(b'_{n,n}(k))] + E[f(b'_{n,n}(k)^2)], 1-b'_{2,n+1}(k), \dots, 1-b'_{2,N}(k+q)] \quad q=0 \text{で} \end{aligned}$$

$E[\cdot]$ は平均を表わす。

【数4】

$$\mathbf{h} = \begin{bmatrix} H_{1,(Q-1) \cdot N+n} \\ H_{2,(Q-1) \cdot N+n} \\ \vdots \\ H_{M,(Q-1) \cdot N+n} \end{bmatrix}$$

$H_{1,(Q-1) \cdot N+n}$ は上記行列 \mathbf{H} の1行 $(Q-1)N+n$ 列成分により算出することを特徴とする請求項3記載のターボ受信方法。

【請求項5】 上記適応フィルタ $\mathbf{w}_n(k)$ の計算における逆行列演算を逆行列の補助定理を用いて行うことを特徴とする請求項2又は4に記載のターボ受信方法。

【請求項6】 受信ベクトル $\mathbf{y}(k)$ 内の雑音成分の共分散行列 \mathbf{U} をガウス分布の分散値 σ^2 と単位行列から求まる $\sigma^2 \mathbf{I}$ とすることを特徴とする請求項1乃至5の何れかに記載のターボ受信方法。

【請求項7】 上記受信ベクトル $\mathbf{y}(k)$ 内の雑音成分の共分散行列 \mathbf{U} を、上記受信ベクトル $\mathbf{y}(k)$ 、上記推定チャネル行列 \mathbf{H} を用い、

$$\begin{aligned} \mathbf{U}^{-1} &= \sum_{k=0} \text{Tr}(\mathbf{y}(k) - \mathbf{H} \hat{\mathbf{B}}(k)) \cdot (\mathbf{y}(k) - \mathbf{H} \hat{\mathbf{B}}(k))^H \\ \mathbf{B}(k) &= [\mathbf{b}^T(k+Q-1) \cdots \mathbf{b}^T(k) \cdots \mathbf{b}^T(k-Q+1)]^T \end{aligned}$$

ここで $\mathbf{y}(k) = [\mathbf{r}^T(k+Q-1) \cdots \mathbf{r}^T(k+Q-2) \cdots \mathbf{r}^T(k)]^T$

$\mathbf{r}(k) = [r_1(k) \ r_2(k) \cdots r_M(k)]^T$
チャネル行列 \mathbf{H} 又は参照信号を用いて、差分ベクトル $\mathbf{y}'(k)$ 内の残余干渉成分を除去する、 n 番目の送信機よりの送信信号の受信信号に対する適応フィルタ係数 $\mathbf{w}_n(k)$ を求め、

差分ベクトル $\mathbf{y}'(k)$ を上記適応フィルタ係数 $\mathbf{w}_n(k)$ によりフィルタ処理して、 n 番目の送信機よりの送信信号に対する干渉除去された受信信号として対数尤度比を得ることを特徴とするターボ受信方法。

【請求項4】 上記受信ベクトル $\mathbf{y}(k)$ 中の雑音成分の共分散行列を \mathbf{U} として、軟判定送信シンボル $b'_{n,n}(k)$ 、上記チャネル行列 \mathbf{H} を用いて、上記適応フィルタ $\mathbf{w}_n(k)$ を

$$\mathbf{b}(k+q) = [b_1(k+q) \cdots b_N(k+q)]^T$$

($q=-Q+1 \cdots Q-1$)

Tr は参照信号の長さであることを特徴とする請求項1乃至5の何れかに記載のターボ受信方法。

【請求項8】 上記 $\mathbf{D}(k+q)$ を0と近似し、上記 $\mathbf{D}(k)$ を $\text{diag}[0, \dots, 1, \dots, 0]$ で近似することを特徴とする請求項2乃至7の何れかに記載のターボ受信方法。

【請求項9】 2以上の整数 N 個の送信機からの信号を受信するターボ受信方法であって、

1以上の整数 M 個の受信信号 r_m と、既知信号とから、チャネル値 $h_{mn}(q)$ 及びチャネル行列 \mathbf{H} を計算し、

ここで、 $m=1, \dots, M$ 、 $n=1, \dots, N$ 、 $q=0, \dots, Q-1$ 、 Q は各送信電波のマルチパスの数

N 個の事前情報 $\lambda_2[b_n(k)]$ から軟判定送信シンボル $b'_{n,n}(k)$ を求め、ここで k は離散的時刻、

チャネル値 $h_{mn}(q)$ と軟判定送信シンボル $b'_{n,n}(k)$ を用いて、 n 番目の送信機の送信信号に対する干渉成分 $\mathbf{H} \cdot \mathbf{B}'(k)$ を計算し、

ここで

【数5】

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \ddots \\ 0 & H(0) & \dots & H(Q-1) \end{bmatrix}$$

$$H(q) = \begin{bmatrix} h_{11}(q) & \dots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \dots & h_{MN}(q) \end{bmatrix}$$

$$\begin{aligned} B'(k) &= [b'^T(k+Q-1) \dots b'^T(k) \dots b'^T(k-Q+1)]^T \\ b'(k+q) &= [b'_1(k+q) \ b'_2(k+q) \dots b'_N(k+q)]^T \\ q &= Q-1, \dots, -Q+1 \quad q \neq 0 \\ b'(k) &= [b'_1(k) \dots 0 \dots b'_N(k)]^T \\ q &= 0 \end{aligned}$$

$b'(k)$ の要素のゼロは n 番目であり、 $[\]^T$ は転置行列であり、

この干渉成分 $H \cdot B'(k)$ を受信ベクトル $y(k)$ から差し引き差分ベクトル $y'(k)$ を求め、ここで $y(k) = [r^T(k+Q-1) \ r^T(k+Q-2) \dots r^T(k)]^T$

$r(k) = [r_1(k) \ r_2(k) \dots r_M(k)]^T$ 受信ベクトル $y(k)$ 内の雑音成分の共分散行列を、ガウス分布の分散 σ^2 と単位行列 I から求まる σ^2

I として、

【数6】

$$h = \begin{bmatrix} H_{1,(Q-1) \cdot N+n} \\ H_{2,(Q-1) \cdot N+n} \\ \vdots \\ H_{M \cdot Q,(Q-1) \cdot N+n} \end{bmatrix}$$

により決定した適応フィルタ係数 w_n により差分ベクトル $y'(k)$ をフィルタ処理して、 n 番目の送信機よりの送信信号に対する干渉が除去された受信信号として対数尤度比を得ることを特徴とするターボ受信方法。

【請求項10】 2以上の整数 N 個の送信機からの信号を受信するターボ受信方法であって、

1以上の整数 M 個の受信信号 r_m と、既知信号とから、チャネル値 $h_{mn}(q)$ 及びチャネル行列 H を計算し、ここで $m=1, \dots, M, n=1, \dots, N, q=0, \dots, Q-1, Q$ は各送信電波のマルチパスの数 N 個の事前情報 $\lambda_2 [b_n(k)]$ から軟判定送信シンボル $b'_n(k)$ を求め、ここで k は離散的時刻、チャネル値 $h_{mn}(q)$ と軟判定送信シンボル b'

$n(k)$ を用いて、 n 番目の送信機の送信信号に対する干渉成分 $H \cdot B'(k)$ を計算し、

ここで

【数7】

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \ddots \\ 0 & H(0) & \dots & H(Q-1) \end{bmatrix}$$

$$H(q) = \begin{bmatrix} h_{11}(q) & \dots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \dots & h_{MN}(q) \end{bmatrix}$$

$$\begin{aligned} B'(k) &= [b'^T(k+Q-1) \dots b'^T(k) \dots b'^T(k-Q+1)]^T \\ b'(k+q) &= [b'_1(k+q) \ b'_2(k+q) \dots b'_N(k+q)]^T \\ q &= Q-1, \dots, -Q+1 \quad q \neq 0 \\ b'(k) &= [b'_1(k) \dots f(b'_n(k)) \dots b'_N(k)]^T \\ q &= 0 \end{aligned}$$

$b'(k)$ の要素の $f(b'_n(k))$ は n 番目であり、 $f(\)$ は $f(0)=0$ 、かつ $d[f(b'_n(k))]/d[b'_n(k)] \geq 0$ を満たす $b'_n(k)$ を変数とする関数、 $[\]^T$ は転置行列であり、

この干渉成分 $H \cdot B'(k)$ を受信ベクトル $y(k)$ から差し引き差分ベクトル $y'(k)$ を求め、ここで $y(k) = [r^T(k+Q-1) \ r^T(k+Q-2) \dots r^T(k)]^T$

$r(k) = [r_1(k) \ r_2(k) \dots r_M(k)]^T$ 受信ベクトル $y(k)$ 内の雑音成分の共分散行列を、ガウス分布の分散 σ^2 と単位行列 I から求まる σ^2

I として、

【数8】

$$h = \begin{bmatrix} H_{1,(Q-1) \cdot N+n} \\ H_{2,(Q-1) \cdot N+n} \\ \vdots \\ H_{M \cdot Q,(Q-1) \cdot N+n} \end{bmatrix}$$

により決定した適応フィルタ係数 w_n により差分ベクトル $y'(k)$ をフィルタ処理して、 n 番目の送信機よりの送信信号に対する干渉が除去された受信信号として対数尤度比を得ることを特徴とするターボ受信方法。

【請求項11】 2以上の整数 N 個の送信機からの送信信号を受信するターボ受信方法であって、

1以上の整数 M 個の受信信号と既知信号とから受信信号

の伝送特性であるチャネル値を求め、

N個の事前情報から軟判定送信シンボルをそれぞれ推定し、

N個の送信信号をそれぞれ1乃至複数個の送信信号よりなるL個 ($L \leq N$) の送信信号群に分割し、その各送信信号群について、軟判定送信シンボル及びチャネル値よりなるチャネル行列を用いて、他の送信信号群からの干渉をそれぞれ除去したL個の等化信号と、その等化信号の伝送特性とそれぞれ対応する等化後のチャネル情報を求め、

これらL組の等化信号とそのチャネル情報の各組について、その等化信号群を受信信号とし、チャネル情報をチャネル値とし、その構成送信信号が複数個の場合は、その構成送信信号を更に1乃至複数個の送信信号よりなる複数の送信信号群に分割して軟判定送信シンボルを用いて、その送信信号群について、他の送信信号群からの干渉をそれぞれ除去した等化信号と等化後のチャネル情報を求め、構成送信信号が1個の場合はその等化信号とチャネル情報と軟判定送信シンボルを用いて、その送信信号自体のマルチパスによる干渉を除去し、

全ての等化信号の構成送信信号が1個になるまで上記分割、干渉除去及び等化後のチャネル情報の生成を繰り返し、最終的に各送信信号についてそれ自体のマルチパスによる干渉を除去した等化信号を求め、又は上記等化信号及びそのチャネル情報の組についてその等化信号の構成送信信号ごとにその送信信号相互間干渉及び自身の符号間干渉を除去した等化信号を求めることを特徴とするターボ受信方法。

【請求項12】 上記各送信信号群について、軟判定送信シンボル及びチャネルを用いて、他の送信信号群からの干渉レプリカをそれぞれ生成し、受信信号から干渉レプリカをそれぞれ差し引いてそれぞれ差分信号を求め、上記チャネル値と軟判定送信シンボルから干渉剰余成分除去用フィルタ特性及び上記等化後のチャネル情報を、各差分信号ごとに求め、その干渉剰余成分除去用フィルタ特性により対応する差分信号をフィルタ処理して、上記等化信号を得ることを特徴とする請求項11記載のターボ受信方法。

【請求項13】 上記受信信号 $r_1(k), \dots, r_M(k)$ から受信ベクトル

$$\mathbf{y}(k) = [r^T(k+Q-1) \ r^T(k+Q-2) \ \dots \ r^T(k)]^T$$

$$\mathbf{r}(k) = [r_1(k) \ r_2(k) \ \dots \ r_M(k)]^T$$

$[\]^T$ は転置行列を表わすを求め、

上記伝送特性をチャネル行列 \mathbf{H} として

【数9】

$$\mathbf{H} = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \\ 0 & H(0) & \dots & H(Q-1) \end{bmatrix}$$

$$\mathbf{H}(q) = [h_1(q) \ \dots \ h_N(q)]$$

$$h_n(q) = [h_{1n}(q) \ \dots \ h_{Mn}(q)]^T$$

$m=1, \dots, M, n=1, \dots, N$, マルチパスの数を Q とし、 $q=0, \dots, Q-1$ であり、 $h_{mn}(q)$ は受信信号 r_m に含まれる第 n 送信機からのパス q のチャネル値であり、を求め、

上記軟判定送信シンボルを $b'_n(k)$ とし、上記1つの送信信号群についてその構成を第1乃至第 U 送信信号、ここで U は $N > U \geq 1$ なる整数であり、上記他の送信信号群よりの干渉レプリカを $\mathbf{H} \cdot \mathbf{B}'(k)$ により計算し、

$$\text{ここで } \mathbf{B}'(k) = [b'^T(k+Q-1) \ \dots$$

$$b'^T(k) \ \dots \ b'^T(k-Q+1)]^T$$

$$b'(k+q) = [b'_1(k+q) \ b'_2(k+q) \ \dots \ b'_n(k+q) \ \dots \ b'_N(k+q)]^T : q = Q-1, \dots, 1 \text{ で}$$

$$b'(k+q) = [0 \ \dots \ 0 \ b'_{U+1}(k+q) \ \dots \ b'_N(k+q)]^T : q = 0, \dots, -Q+1 \text{ で、}$$

$b'(k+q)$ 中の0の要素の数は U 個であり、

この干渉レプリカ $\mathbf{H} \cdot \mathbf{B}'(k)$ を上記受信ベクトル $\mathbf{y}(k)$ から引算して上記差分ベクトル $\mathbf{y}_g(k)$ を求めることを特徴とする請求項12記載のターボ受信方法。

【請求項14】 上記等化信号とそのチャネル情報に対し、更に干渉除去を行う際に、その等化信号が先に受けた干渉除去処理の際のマルチパスの数を小とすることを特徴とする請求項11又は12記載のターボ受信方法。

【請求項15】 上記受信信号 $r_1(k), \dots, r_M(k)$ から受信ベクトル

$$\mathbf{y}(k) = [r^T(k+Q-1) \ r^T(k+Q-2) \ \dots \ r^T(k)]^T$$

$$\mathbf{r}(k) = [r_1(k) \ r_2(k) \ \dots \ r_M(k)]^T$$

$[\]^T$ は転置行列を表わすを求め、

上記伝送特性をチャネル行列 \mathbf{H} として

【数10】

$$\mathbf{H} = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \\ 0 & H(0) & \dots & H(Q-1) \end{bmatrix}$$

$$\mathbf{H}(q) = [h_1(q) \ \dots \ h_N(q)]$$

$$h_n(q) = [h_{1n}(q) \ \dots \ h_{Mn}(q)]^T$$

$m=1, \dots, M, n=1, \dots, N$, マルチパスの数を Q とし、 $q=0, \dots, Q-1$ であり、 $h_{mn}(q)$ は受信信号 r_m に含まれる第 n 送信機からのパス q のチャネル値であり、を求め、

上記軟判定送信シンボルを $b'_n(k)$ とし、上記1つの送信信号群についてその構成を第1乃至第 U 送信信号とし、ここで U は $N > U \geq 1$ なる整数であり、この送信信号群に対し干渉除去処理された等化信号に対する干渉除去処理におけるマルチパスの数を $Q' < Q$ とし、上記

他の送信信号群よりの干渉レプリカを $\mathbf{H} \cdot \mathbf{B}'$ (k) により計算し、

ここで

$$\mathbf{B}'(k) = [\mathbf{b}'^T(k+Q-1) \cdots \mathbf{b}'^T(k-Q+1)]^T$$

$$\mathbf{b}'(k+q) = [\mathbf{b}'_1(k+q) \mathbf{b}'_2(k+q) \cdots \mathbf{b}'_N(k+q)]^T : q = Q-1, \dots, 1$$

$$\mathbf{b}'(k+q) = [0 \cdots 0 \mathbf{b}'_{u+1}(k+q) \cdots \mathbf{b}'_N(k+q)]^T : q = 0, \dots, -Q'+1$$

$\mathbf{b}'(k+q)$ 中の0の要素数はU個であり、

$$\mathbf{b}'(k+q) = [\mathbf{b}'_1(k+q) \cdots \mathbf{b}'_n(k+q) \cdots \mathbf{b}'_N(k+q)]^T : q = Q', \dots, -Q+1$$

この干渉レプリカ $\mathbf{H} \cdot \mathbf{B}'(k)$ を上記受信ベクトル $\mathbf{y}(k)$ から引算して差分ベクトル $\mathbf{y}'_g(k)$ を求めることを特徴とする請求項14記載のターボ受信方法。

【請求項16】 ターボ受信処理の2回目以後の繰返し処理において、既知信号と前回の処理で得られた送信符号化シンボル硬判定出力とを参照信号とし、この参照信号と受信信号とを用いて、上記チャネル行列を計算することを特徴とする請求項1乃至15の何れかに記載のターボ受信方法。

【請求項17】 前回の処理で得られた送信符号化シンボル硬判定出力中の確からしさが所定値以上のものを参照信号として上記チャネル行列の計算に用いることを特徴とする請求項16記載のターボ受信方法。

【請求項18】 上記N個の事前情報 λ_2 [$\mathbf{b}_n(k)$] は上記N個の送信機と対応したN個の復号器より得たものであり、上記n番目の送信信号に対する干渉除去された受信信号としての対数尤度比を対応する復号器へ供給することを特徴とする請求項1乃至17の何れかに記載のターボ受信方法。

【請求項19】 上記N個の送信信号は、1つの情報系列をN個の並列の系列としてN個の送信機によりそれぞれ送信した信号であり、上記N個の事前情報 λ_2 [$\mathbf{b}_n(k)$] は1個の復号器よりの事前情報 λ_2 [$\mathbf{b}(j)$] を直列-並列変換したものであり、上記N個の送信信号に対する干渉除去された受信信号としてのN個の対数尤度比を並列-直列変換して上記復号器へ供給することを特徴とする請求項1乃至17の何れかに記載のターボ受信方法。

【請求項20】 2以上の整数N個の送信機からの信号を受信するターボ受信機であって、

1以上の整数M個の受信信号 \mathbf{r}_m を得る受信信号生成部と、ここで $m=1, \dots, M$

各受信信号 \mathbf{r}_m と既知信号の参照信号とが入力され、チャネル値 $h_{mn}(q)$ 及びチャネル行列 \mathbf{H} を計算するチャネル推定器と、

ここで

【数11】

$$\mathbf{H} = \begin{bmatrix} H(0) & \cdots & H(Q-1) & 0 \\ \vdots & \ddots & \vdots & \vdots \\ 0 & H(0) & \cdots & H(Q-1) \end{bmatrix}$$

$$H(q) = \begin{bmatrix} h_{11}(q) & \cdots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \cdots & h_{MN}(q) \end{bmatrix}$$

$n=1, \dots, N$

各受信信号 \mathbf{r}_m が入力されて受信ベクトル

$$\mathbf{y}(k) = [\mathbf{r}^T(k+Q-1) \mathbf{r}^T(k+Q-2) \cdots \mathbf{r}^T(k)]^T$$

$$\mathbf{r}(k) = [\mathbf{r}_1(k) \mathbf{r}_2(k) \cdots \mathbf{r}_M(k)]^T$$

ここでkは離散的時刻、Qは各送信電波のマルチパスの数、 $q=0, \dots, Q-1$ 、 $[\]^T$ は転置行列を表わす、を生成する受信ベクトル生成部と、

N個の事前情報が入力され、軟判定送信シンボル $\mathbf{b}'_n(k)$ を生成する軟判定シンボル生成部と、

各軟判定送信シンボル $\mathbf{b}'_1(k) \sim \mathbf{b}'_N(k)$ が入力され、n番目の送信信号に対する干渉レプリカベクトル

$$\mathbf{B}'(k) = [\mathbf{b}'^T(k+Q-1) \cdots \mathbf{b}'^T(k-Q+1)]^T$$

$$\mathbf{b}'(k+q) = [\mathbf{b}'_1(k+q) \mathbf{b}'_2(k+q) \cdots \mathbf{b}'_N(k+q)]^T$$

$q=Q-1, \dots, -Q+1$, $q \neq 0$ で

$$\mathbf{b}'(k) = [\mathbf{b}'_1(k) \cdots 0 \cdots \mathbf{b}'_N(k)]^T$$

$q=0$ で

$\mathbf{b}'(k)$ の要素のゼロはn番目、

を生成するレプリカベクトル生成部と、

チャネル行列 \mathbf{H} と干渉レプリカベクトル $\mathbf{B}'(k)$ が入力され、n番目の送信信号の受信信号に対する干渉成分 $\mathbf{H} \cdot \mathbf{B}'(k)$ を計算して出力するフィルタ処理部と、

干渉成分 $\mathbf{H} \cdot \mathbf{B}'(k)$ と受信ベクトル \mathbf{y}

$$(k) \text{ が入力され、差分ベクトル } \mathbf{y}'(k) = \mathbf{y}(k) - \mathbf{H} \cdot \mathbf{B}'(k) \text{ を出力する差演算部と、}$$

チャネル行列 \mathbf{H} 又は参照信号が入力され、差分ベクトル $\mathbf{y}'(k)$ 内の残余干渉成分を除去するn番目の送信機よりの送信信号の受信信号に対する適応フィルタ係数 $w_n(k)$ を求めるフィルタ係数推定部と、

差分ベクトル $\mathbf{y}'(k)$ と上記適応フィルタ係数 $w_n(k)$ が入力され、 $\mathbf{y}'(k)$ に対しフィルタ処理して、n番目の送信機よりの送信信号に対する干渉除去された受信信号として対数尤度比を得てn番目の復号器へ供給する適応フィルタ部と、を具備することを特徴とするターボ受信機。

【請求項21】 2以上の整数N個の送信機からの信号を受信するターボ受信機であって、

1以上の整数M個の受信信号 r_m を得る受信信号生成部と、ここで $m=1, \dots, M$

N個の復号器と、

各受信信号 r_m と、既知信号の参照信号とが入力され、チャンネル値 $h_{mn}(q)$ 及びチャンネル行列 H を計算するチャンネル推定器と、

ここで

【数12】

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \ddots \\ 0 & & H(0) & \dots & H(Q-1) \end{bmatrix}$$

$$H(q) = \begin{bmatrix} h_{11}(q) & \dots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \dots & h_{MN}(q) \end{bmatrix}$$

$n=1, \dots, N$

各受信信号 r_m が入力されて受信ベクトル

$$\mathbf{y}(k) = [r^T(k+Q-1) \ r^T(k+Q-2) \ \dots \ r^T(k)]^T$$

$$\mathbf{r}(k) = [r_1(k) \ r_2(k) \ \dots \ r_M(k)]^T$$

ここで k は離散的時刻、 Q は各送信電波のマルチパスの数、 $q=0, \dots, Q-1$ 、 $[\]^T$ は転置行列を表わす、を生成する受信ベクトル生成部と、

N個の事前情報が入力され、軟判定送信シンボル $b'_n(k)$ ($n=1, \dots, N$)を生成する軟判定シンボル生成部と、

各軟判定送信シンボル $b'_{11}(k) \sim b'_{1N}(k)$ が入力され、 n 番目の送信機よりの送信信号に対する干渉レプリカベクトル

$$\mathbf{B}'(k) = [b'^T(k+Q-1) \ \dots \ b'^T(k) \ \dots \ b'^T(k-Q+1)]^T$$

$$b'(k+q) = [b'_{11}(k+q) \ b'_{12}(k+q) \ \dots \ b'_{1N}(k+q)]^T$$

$q=Q-1, \dots, -Q+1, \quad q \neq 0$ で

$$b'(k) = [b'_{11}(k) \ \dots \ f(b'_{1n}(k)) \ \dots \ b'_{1N}(k)]^T$$

$q=0$ で

$b'(k)$ の要素の $f(b'_{1n}(k))$ は n 番目、 $f(\)$ は $f(0)=0$ 、かつ $d\{f(b'_{1n}(k))\}/d\{b'_{1n}(k)\} \geq 0$ を満たす $b'_{1n}(k)$ を変数とする関数であり、を生成するレプリカベクトル生成部と、

チャンネル行列 H と干渉レプリカベクトル $\mathbf{B}'(k)$ が入力され、 n 番目の送信機よりの送信信号の受信信号に対する干渉成分 $\mathbf{H} \cdot \mathbf{B}'(k)$ を計算して出力

するフィルタ処理部と、

干渉成分 $\mathbf{H} \cdot \mathbf{B}'(k)$ と受信ベクトル $\mathbf{y}(k)$ が入力され、差分ベクトル $\mathbf{y}'(k) = \mathbf{y}(k) - \mathbf{H} \cdot \mathbf{B}'(k)$ を出力する差演算部と、チャンネル行列 H 又は参照信号が入力され、差分ベクトル $\mathbf{y}'(k)$ 内の残余干渉成分を除去する n 番目の送信機よりの送信信号の受信信号に対する適応フィルタ係数 $w_n(k)$ を求めるフィルタ係数推定部と、差分ベクトル $\mathbf{y}'(k)$ と上記適応フィルタ係数 $w_n(k)$ が入力され、 $\mathbf{y}'(k)$ に対しフィルタ処理して、 n 番目の送信機よりの送信信号に対する干渉除去された受信信号として対数尤度比を得て n 番目の復号器へ供給する適応フィルタ部と、を具備することを特徴とするターボ受信機。

【請求項22】 2以上の整数N個の送信機から送信信号を受信するターボ受信機であって、

1以上の整数M個の受信信号を生成する受信信号生成部と、

上記M個の受信信号と既知信号の参照信号が入力され、その伝送特性であるチャンネル値を推定するチャンネル推定器と、

上記M個の受信信号と、上記チャンネル値N個の事前情報とが入力され、1乃至複数の上記送信機の送信信号ごとに、他の送信機の送信信号による干渉成分を除去した等化信号と、その等化信号と対応する等化後のチャンネル情報との複数組を出力する前段等化器と、

上記前段等化器より上記等化信号とそのチャンネル情報の組と、その等化信号の構成送信信号と対応する事前情報とがそれぞれ入力され、その等化信号から、構成送信信号のそれぞれについてそのマルチパスによる符号間干渉又はこれとその構成信号中の他の送信信号との相互干渉とを除去して対数尤度比を出力する複数の後段等化器と、を具備するターボ受信機。

【請求項23】 2以上の整数N個の送信機から送信信号を受信するターボ受信機であって、

1以上の整数M個の受信信号を生成する受信信号生成部と、

上記M個の受信信号と既知信号の参照信号が入力され、その伝送特性であるチャンネル値を推定するチャンネル推定器と、

上記M個の受信信号と、上記チャンネル値とN個の事前情報とが入力され、1乃至複数の上記送信機の送信信号ごとに、他の送信機の送信信号による干渉成分を除去した等化信号と、その等化信号と対応する等化後のチャンネル情報との複数組を出力する前段等化器と、

上記前段等化器より上記等化信号とそのチャンネル情報の組とその等化信号を構成する複数の送信信号と対応する事前情報とが入力され、その等化信号の複数の構成送信信号中の1乃至複数の送信信号ごとに、その構成送信信号中の他の他送信信号による干渉成分を除去した等化信

号と、その等化信号と対応する等化後のチャネル情報との複数組を出力する複数の後段等化器を具備するターボ受信機。

【請求項24】 復号器よりの硬判定送信シンボルが、これにより更新記憶される前回シンボル記憶部と、ターボ受信処理の2回目以後の繰り返し処理において、前回シンボル記憶部から硬判定送信シンボルを読み出し、参照信号としてチャネル推定器へ供給する手段とを備えることを特徴とする請求項20乃至23の何れかに記載のターボ受信機。

【請求項25】 軟判定送信シンボルが入力され、しきい値と比較する比較部と、その比較部の出力により制御され、硬判定送信シンボル中のその軟判定送信シンボルがしきい値以上のものを前回シンボル記憶部へ格納する選択部とを備える請求項24記載のターボ受信機。

【請求項26】 上記出力されたN個の対数尤度比がそれぞれ供給されるN個の復号器を備え、上記N個の復号器の出力から上記N個の事前情報が得られることを特徴とする請求項20乃至25の何れかに記載のターボ受信機。

【請求項27】 上記N個の送信信号は1つの情報系列をN個の並列の系列としてN個の送信機よりそれぞれ送信された信号であり、上記出力されるN個の対数尤度比を直列系列に変換する並列-直列変換部と、上記直列系列の対数尤度比が入力される復号器と、上記復号器よりの事前情報をN個の並列系列に変換して上記N個の事前情報を得る直列-並列変換部とを備えることを特徴とする請求項20乃至25の何れかに記載のターボ受信機。

【請求項28】 受信信号の伝送路特性としてのチャネル値を、受信信号と参照信号としての既知信号とから推定し、その推定したチャネル値を用いて受信信号を処理し、その処理した信号に対し復号処理を行い、同一受信信号に対し上記推定したチャネル値を利用した処理と復号処理とを繰り返し行う受信方法において、復号された硬判定情報シンボルの確からしさを、その軟判定情報シンボルの値から決定し、確からしさが所定値以上の硬判定情報シンボルをも次のチャネル推定の参照信号に用いることを特徴とするターボ受信方法。

【請求項29】 受信ベクトル $\mathbf{y}(k)$ 内の雑音成分の共分散行列として、上記繰り返し毎に、 $\sigma^2 \mathbf{I}$ (σ^2 はガウス分布の分散値、 \mathbf{I} は単位行列) を計算する過程を含むことを特徴とする請求項28記載のターボ受信方法。

【請求項30】 受信信号ベクトル $\mathbf{y}(k)$ 内の雑音成分の共分散行列 \mathbf{U} を、上記繰り返し毎に、推定されたチャネル行列 \mathbf{H}^{\wedge} と受信信号ベクトル $\mathbf{y}(k)$ を用いて、

$$\mathbf{U}^{\wedge} = \sum_{k=0} \text{Tr}(\mathbf{y}(k) - \mathbf{H}^{\wedge} \cdot \mathbf{B}(k)) \cdot (\mathbf{y}(k) - \mathbf{H}^{\wedge} \cdot \mathbf{B}(k)) \mathbf{H}^{\wedge}$$

$$\mathbf{B}(k) = [\mathbf{b}^T(k+Q-1) \cdots \mathbf{b}^T(k) \cdots$$

$$\mathbf{b}^T(k-Q+1)]^T$$

$$\mathbf{b}(k+q) = [\mathbf{b}_1(k+q) \cdots \mathbf{b}_N(k+q)]^T$$

$$(q = -Q+1 \cdots Q-1)$$

$\mathbf{b}_1(k+q)$ から $\mathbf{b}_N(k+q)$ は、上記既知信号及び上記確からしさが所定値以上の硬判定情報シンボルよりなる参照信号、 T_r はその参照信号長であり、を計算する過程を含むことを特徴とする請求項28記載のターボ受信方法。

【請求項31】 上記推定したチャネル値を利用した処理と復号処理との繰り返しは、上記推定したチャネル値により線形等化フィルタを決定し、その線形等化フィルタにより受信信号を処理し、その処理した信号を復号することの繰り返しであることを特徴とする請求項28～30の何れかに記載のターボ受信方法。

【請求項32】 上記推定したチャネル値を利用した処理と復号処理との繰り返しは、上記推定したチャネル値により、レーク合成処理部内で、各シンボルが伝送路で受けた位相回転を補償するレーク合成処理を行い、そのレーク合成処理された信号をターボデコーダにより復号することの繰り返しであることを特徴とする請求項28～30の何れかに記載のターボ受信方法。

【請求項33】 上記推定したチャネル値を利用した処理と復号処理との繰り返しは、アダプティブアンテナ受信部に対し、上記推定したチャネル値によりアンテナ指向特性を決定する重みを設定し、アダプティブアンテナ受信部の出力をターボデコーダにより復号することの繰り返しであることを特徴とする請求項28～30の何れかに記載のターボ受信方法。

【請求項34】 上記アダプティブアンテナ受信部の出力をレーク合成処理部内で、各シンボルが伝送路で受けた位相回転を上記推定したチャネル値により補償するレーク合成処理を行い、そのレーク合成処理された信号を上記ターボデコーダへ供給することを特徴とする請求項33記載のターボ受信方法。

【請求項35】 受信信号の伝送路特性であるチャネル値を、受信信号と参照信号としての既知信号とから推定し、その推定したチャネル値を用いて受信信号を処理し、その処理した信号に対し復号処理を行い、同一受信信号に対し上記推定したチャネル値を利用した処理と復号処理とを繰り返し行う受信機において、

復号された硬判定情報シンボルの確からしさが所定値以上か否かを、その軟判定情報シンボルの値がしきい値以上か否かにより決定する手段と、

その確からしいと決定された硬判定情報シンボルにより記憶内容が更新記憶される前回シンボル記憶部を備え、次のチャネル推定の参照信号として前回シンボル記憶部の記憶内容が用いられることを特徴とするターボ受信機。

【発明の詳細な説明】

【0001】

【発明の属する技術分野】この発明は、例えば移動通信に適用され、干渉にもとづく波形歪を、ターボ符号技術を応用した繰返し等化を行うターボ受信方法、及びその受信機に関する。

【0002】

【従来の技術】移動体通信事業の課題は限られた周波数上でいかに高品質で多数のユーザを所有できるシステムを構築するかということにある。このような課題を解決する手段として多入力多出力 (Multi-Input Multi-Output: MIMO) システムがある。このシステム構成は図30Aに示されているように複数の送信機S1~SNから同時刻、同周波数上でシンボル $c_1(i) \sim c_N(i)$ をそれぞれ送信し、これらの送信信号を、複数のアンテナ#1~#Mを備えるMIMO受信機で受信し、MIMO受信機は受信信号を処理し、各送信機S1~SNの送信シンボル $c_1(i) \sim c_N(i)$ を推定して $\hat{c}_1(i) \sim \hat{c}_N(i)$ として出力端子Out1~OutNに別々に出力する。

【0003】現在までのところMIMOシステムにおけるMIMO受信機の具体的な構成法に関する検討は十分に行われていない。MIMOシステムにおけるMIMO受信機の構成をMLSE (最尤推定) 規範に基づいて行う場合は、送信機の数N、各送信機の送信電波がMIMO受信機に到達するマルチパスの数をQとすれば、MIMO受信機の計算量は $2^{(Q-1)N}$ の桁になってしまい、送信機数N、マルチパス数Qの増加に伴いその計算

$$r_m(k) = \sum_{q=0}^{Q-1} h_m(q) \cdot b(k-q) + v_m(k) \quad (1)$$

と表すことができる。mはアンテナインデックス、hはチャンネル値 (伝送路インパルス応答: 伝送路特性)、 $b(k-q+1)$ はユーザ (送信機1) の送信シンボル、v

$$\begin{aligned} \mathbf{r}(k) &= [r_1(k) \ r_2(k) \ \cdots \ r_M(k)]^T \\ &= \sum_{q=0}^{Q-1} \mathbf{H}(q) \cdot \mathbf{b}(k-q+1) + \mathbf{v}(k) \end{aligned} \quad (3)$$

を定義する。ここで、

$$\mathbf{v}(k) = [v_1(k) \ v_2(k) \ \cdots \ v_M(k)]^T \quad (4)$$

$$\mathbf{H}(q) = [h_1(q) \ \cdots \ h_M(q)]^T \quad (5)$$

である。また $[\]^T$ は転置行列を表す。次にマルチパス (チャンネル) の数Qを考慮して以下のベクトル及び

$$\begin{aligned} \mathbf{y}(k) &\equiv [\mathbf{r}^T(k+Q-1) \ \mathbf{r}^T(k+Q-2) \ \cdots \ \mathbf{r}^T(k)]^T \\ &\equiv \mathbf{H} \cdot \mathbf{b}(k) + \mathbf{n}(k) \end{aligned} \quad (6) \quad (7)$$

ここで、

【0007】

【数13】

$$\mathbf{H} = \begin{bmatrix} H(0) & \cdots & H(Q-1) & 0 \\ & \ddots & & \ddots \\ 0 & H(0) & \cdots & H(Q-1) \end{bmatrix} \quad (8)$$

$$\mathbf{b}(k-q) = [b(k+Q-1) \ b(k+Q-2) \ \cdots \ b(k-Q+1)]^T \quad (9)$$

$$\mathbf{n}(k) = [\mathbf{v}^T(k+Q-1) \ \mathbf{v}^T(k+Q-2) \ \cdots \ \mathbf{v}^T(k)]^T$$

量は莫大なものとなる。またシングルユーザの情報を複数の並列信号として送信されたものを受信する場合に、各並列信号を分離するにはマルチパス数の増加に伴い多くの計算量を必要とする。そこでこの発明は計算効率のよい複数系列信号のターボ受信方法を提案するものであるが、まずこの発明の元となる既存のシングルユーザ (送信機1台)、つまり1系列送信信号に対するターボ受信機について説明する。

【0004】シングルユーザ用ターボ受信機

この場合の送信機、受信機の構成例を図31に示す。送信機10では情報系列 $c(i)$ の符号化が符号化器11で行われ、その符号化出力がインタリーブ12でインタリーブ (並べ替え) された後、変調器13で搬送波信号を変調し、その変調出力が送信される。この送信信号は伝送路 (マルチパスの各チャネル) を通じて受信機20に受信される。受信機20では軟入力軟出力 (SISO: Single-Input-Single-Output) 等化器21により遅延波の等化が行われる。この等化器21の入力は一般に受信信号がベースバンドに変換され、そのベースバンドの受信信号が、送信信号の情報系列のシンボル信号の周波数の1倍以上の周波数でサンプリングされてディジタル信号に変換され、ディジタル信号の受信信号として等化器21へ入力される。

【0005】シングルユーザの場合図30Aで $N=1$ にあたり、各受信アンテナ#m ($m=1, 2, \dots, M$) における受信出力は、

$$m(k) \text{ は受信機20の内部の熱雑音である。そして全} \quad (1)$$

てのアンテナ#1~#Mからの出力を式(2)のベクトルとして表わし、式(3)

$$\mathbf{r}(k) = [r_1(k) \ r_2(k) \ \cdots \ r_M(k)]^T \quad (2)$$

$$= \sum_{q=0}^{Q-1} \mathbf{H}(q) \cdot \mathbf{b}(k-q+1) + \mathbf{v}(k) \quad (3)$$

$$\mathbf{v}(k) = [v_1(k) \ v_2(k) \ \cdots \ v_M(k)]^T \quad (4)$$

$$\mathbf{H}(q) = [h_1(q) \ \cdots \ h_M(q)]^T \quad (5)$$

行列を定義する。

【0006】

$$\begin{aligned} \mathbf{y}(k) &\equiv [\mathbf{r}^T(k+Q-1) \ \mathbf{r}^T(k+Q-2) \ \cdots \ \mathbf{r}^T(k)]^T \\ &\equiv \mathbf{H} \cdot \mathbf{b}(k) + \mathbf{n}(k) \end{aligned} \quad (6) \quad (7)$$

【0008】ただし、

である。上で定義した $r(k)$ が等化器21に入力され、このSISO等化器21は線形等化器であって、その等化出力として各符号化ビット $\{b(i)\}$ が+1である確率と-1である確率の対数尤度比 Λ_1 (LLR: Log-LikelihoodRatio) が導出される。

【0009】

【数14】

$$\Lambda_1[b(k)] = \log \frac{\Pr[b(k)=+1|y(k)]}{\Pr[b(k)=-1|y(k)]} \quad (11)$$

$$\equiv \lambda_1[b(k)] + \lambda_2^p[b(k)] \quad (12)$$

$$\Lambda_2[b(i)] = \log \frac{\Pr[b(i)=+1|\lambda_1[b(i)], i=0, \dots, B-1]}{\Pr[b(i)=-1|\lambda_1[b(i)], i=0, \dots, B-1]} \quad (13)$$

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$$\equiv \lambda_2[b(i)] + \lambda_2^p[b(i)] \quad (14)$$

【0012】を算出する。ここで $\lambda_2[b(i)]$ は繰り返しの際に等化器21に $\lambda_2^p[b(k)]$ として与えられる外部情報であり、 $\lambda_1[b(k)]$ が復号器24に事前情報 $\lambda_1^p[b(i)]$ として与えられる。 $\Lambda_2[b(i)]$ は減算器25で $\lambda_1[b(i)]$ が減算され、インタリバー26を介して等化器21及び減算器

$$b'(k) = \tanh[\lambda_2^p[b(k)]]/2 \quad (15)$$

を算出する。そして、この推定値とチャネル行列 H を用いて干渉成分、つまり干渉成分のレプリカ $H \cdot b'$

$$y'(k) \equiv y(k) - H \cdot b'(k) \quad (16)$$

$$= H \cdot (b(k) - b'(k)) + n(k) \quad (17)$$

ここで、

$$b'(k) = [b'(k+Q-1) \dots 0 \dots b'(k-Q+1)]^T \quad (18)$$

を計算する。干渉成分のレプリカ $H \cdot b'(k)$ は正確なレプリカに必ずしもなっていないから、式(16)により干渉成分を完全に除去できない。そこで干渉

$$w(k) = \arg \min \| w^H(k) \cdot y'(k) - b(k) \|^2 \quad (19)$$

H は共役転置を表わし、 $\| \cdot \|$ はノルムを表わす。式

(19)を最小とする $w(k)$ を求める。以下の w

(k)の導出は文献: Daryl Reynolds and Xiaodong Wang, "Low Complexity Turbo-Equalization for Diversity Channels" (<http://ee.tamu.edu/reynolds/>) に記載されている。この手法の主な達成事項として計算量の大幅削減がある。従来のMLSE型ターボの計算量は2Q-1のオーダに比例していたのに対し、この手法はQ³のオーダで抑えられている。なお $w^H(k) \cdot y'(k)$ は等化器21の出力であって、これから $\lambda_1[b(k)]$ が計算されてデインタリバー23を介して復号器24へ供給され、復号演算が行われる。

【0014】等化器21において等化処理を行うには、式(1)中のチャネル値(伝送路インパルス応答) h を

(10)

【0010】である。ここで $\lambda_1[b(k)]$ は後続の復号器24に送られる外部情報、 $\lambda_2^p[b(k)]$ は等化器21に与えられる事前情報である。対数尤度比 $\Lambda_1[b(k)]$ は事前情報 $\lambda_2[b(k)]$ が減算器22で減算され、更にデインタリバー23を介してSISOチャネル復号器24へ供給される。この復号器24は対数尤度比 Λ_2 、

【0011】

【数15】

22へ供給される。このようにして繰り返し等化、復号が行われて誤り率の向上が達成される。次に前段の等化器21の詳細として受信ベクトル $y(k)$ に施す線形フィルタ特性の算定について述べる。等化器21の事前情報 $\lambda_2^p[b(k)]$ を用いて軟判定シンボル推定値

$b'(k)$ を再生し、受信信号から引き算する。つまり

$$y'(k) \equiv y(k) - H \cdot b'(k) \quad (16)$$

$$= H \cdot (b(k) - b'(k)) + n(k) \quad (17)$$

成分の残りを消す線形フィルタ係数 $w(k)$ を以下のMMSE(最小平均2乗誤差)規範で求める。

【0013】

$$w(k) = \arg \min \| w^H(k) \cdot y'(k) - b(k) \|^2 \quad (19)$$

推定する必要がある。このチャネル値の推定を以下ではチャネル推定と記す。チャネル推定は、1フレーム内の先頭部に送られて来るユニークワードなどの既知のトレーニング系列の受信信号と、記憶してあるトレーニング系列とを用いて行われている。チャネル推定の精度が悪いと、等化器21での等化処理が正しく行われず、チャネル推定の精度を高くするには1フレーム内のトレーニング系列の占める割合を大きくすればよいが、そうすると本来のデータに対する伝送効率が低下する。従って、1フレーム内のトレーニング系列の占める割合を小さくし、かつチャネル推定精度を向上させることが望まれる。

【0015】このことはMIMOを含む多系列送信信号に対する受信機に限らず、レーク(RAKE)受信機や

アダプティブアレーアンテナを用いた受信機においても繰り返し復号処理により復号結果の確からしさを向上させる受信機では、そのチャネル推定においては同様な問題がある。

【0016】

【発明が解決しようとする課題】上記のターボ受信機は以下の課題を持っている。

- ・シングルユーザ（一台の送信機）、つまり1系列の送信信号のみの対応である。
- ・干渉成分を再生する際にチャネル値（行列H）が必要であり、実装の際にはこれを推定する必要がある。その推定誤差が繰り返し等化の効果を劣化させてしまう。

【0017】この発明の目的はこの2点を補うべく以下にこの受信用をマルチユーザ、やシングルユーザ並列送信などの複数の送信系列信号に対する受信機に拡張したターボ受信方法及びその受信機を提供することにある。またこの発明の他の目的は、受信信号のチャネル値を、受信信号と参照信号としての既知信号とから推定し、その推定したチャネル値を用いて受信信号を処理し、その処理した信号に対し、復号処理を行い、同一受信信号に対し、上記推定したチャネル値を利用した処理と復号処理とを繰り返し行う受信方法において、比較的短かい既知信号によりチャネル推定を精度よく行うことができるターボ受信方法及びその受信機を提供することにある。

【0018】

【課題を解決するための手段】この第1発明はN系列（Nは2以上の整数）の送信信号を受信するターボ受信方法であって、M個の受信信号 r_m （ $m=1, \dots, M$ ）と、N系列の既知信号とから、チャネル値 $h_{mn}(q)$ （ $n=1, \dots, N$ ）を計算し、復号により得られたN系列の事前情報 $\lambda_2 [b_n(k)]$ に基づき軟判定送信シンボル $b'_n(k)$ を求め、チャネル値 $h_{mn}(q)$ と軟判定送信シンボル $b'_n(k)$ を用いて、n系列目の送信信号自身が作る符号間干渉とn系列目の送信信号以外の送信信号によって作られる干渉成分 $H \cdot B'$ （k）を計算し、ここで

【0019】

【数16】

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \ddots \\ 0 & & H(0) & \dots & H(Q-1) \end{bmatrix}$$

$$H(q) = \begin{bmatrix} h_{11}(q) & \dots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \dots & h_{MN}(q) \end{bmatrix}$$

【0020】 $B'(k) = [b'^T(k+Q-1) \dots b'^T(k) \dots b'^T(k-Q+1)]^T$

$$b'(k+q) = [b'_1(k+q) \ b'_2(k+q) \dots b'_N(k+q)]^T$$

$$q = Q-1 \dots -Q+1 \quad q \neq 0$$

$$b'(k) = [b'_1(k) \dots 0 \dots b'_N(k)]^T$$

$$q = 0$$

（ $b'(k)$ の要素のゼロはn番目）、Qは各送信信号電波のマルチパスの数、 $q=0, \dots, Q-1$ 、 $[\]^T$ は転置行列を表す。

【0021】この符号間干渉 $H \cdot B'(k)$ を受信ベクトル $y(k)$ から差し引き差分ベクトル $y'(k)$ を求める。

$$\text{ここで } y(k) = [r^T(k+Q-1) \ r^T(k+Q-2) \dots r^T(k)]^T$$

$$r(k) = [r_1(k) \ r_2(k) \dots r_M(k)]^T$$

チャネル行列H又は参照信号を用いて差分ベクトル $y'(k)$ 内の残余干渉成分を除去するための、n系列目の送信信号の受信信号に対する適応フィルタ係数 $w_n(k)$ を求め、差分ベクトル $y'(k)$ を上記適応フィルタ係数 $w_n(k)$ によりフィルタ処理して、n系列目の送信信号に対する干渉除去された受信信号としてn系列の対数尤度比を得る。これらN系列の対数尤度比を用いて復号する。

【0022】第2発明によれば、第1発明において、 $q=0$ の場合に、

$$b'(k) = [b'_1(k) \dots f(b'_n(k)) \dots b'_N(k)]^T$$

$b'(k)$ の要素の $f(b'_n(k))$ はn番目であり、 $f(\)$ は $f(0)=0$ 、かつ $d\{f(b'_n(k))\}/d\{b'_n(k)\} \geq 0$ を満たす $b'_n(k)$ を変数とする関数とすることを特徴とする。第3発明によれば、等化処理を複数段階に分けて行い、後段階、等化出力の系列の数を少なくする。

【0023】この第4発明によれば受信信号のチャネル値を、受信信号と参照信号としての既知信号とから推定し、その推定したチャネル値を用いて受信信号を処理し、その処理した信号に対し復号処理を行い、同一受信信号に対し、上記推定したチャネル値を利用した処理と復号処理とを繰り返し行うターボ受信方法において、復号された硬判定情報シンボルの確からしさを、その軟判定情報シンボルの値から決定し、その確からしさが所定値以上の硬判定情報シンボルをも次回のチャネル推定の参照信号に用いる。

【0024】

【発明の実施の形態】第1発明（1）

図1にこの発明が適用されるMIMOシステムの構成例を示す。送信側のN個の送信機 $S_1 \dots S_N$ のそれぞれにおいて情報系列 $c_1(i) \dots c_N(i)$ がそれぞれ符号器 $11-1, \dots, 11-N$ で符号化され、これら符号化出力はインタリバー $12-1, \dots, 12-N$ を通じて変

調器13-1, ..., 13-Nに変調信号として供給され、これら変調信号により搬送波信号が変調されて信号 $b_1(k)$, ..., $b_N(k)$ として送信される。つまり送信機S1, ..., SNからの送信信号 $b_1(k)$, ..., $b_N(k)$ がN系列の送信信号の場合である。

【0025】伝送路(チャネル)を通じて多出力受信機に受信された受信信号 $r(k)$ は多出力等化器31にされ、受信機に受信された信号はベースバンド信号に変換され、そのベースバンド信号は例えばそのシンボル周期の1/2の周期でサンプリングされてデジタル信号に変換されそのデジタル信号として等化器31にされる。またこのデジタル信号は1以上の整数M個とされる。例えばM個のアンテナよりの受信信号がM個のデジタル信号の受信信号とされる。等化器31からN個の対数尤度比 $\Lambda_1[b_1(k)]$, ..., $\Lambda_1[b_N(k)]$ が出力される。 $\Lambda_1[b_1(k)]$, ..., $\Lambda_1[b_N(k)]$ はそれぞれ事前情報 $\lambda_1[b_1(k)]$, ..., $\lambda_1[b_N(k)]$ が減算器22-

$$r_m(k) = \sum_{q=0}^{Q-1} \sum_{n=1}^N h_{mn}(q) \cdot b_n(k-q) + v_m(k) \quad (20)$$

と複数ユーザ分足し合わせたものとなる。 $q=0, \dots, Q-1$, Qは各送信電波のマルチパスの数、そしてシン

1, ..., 22-Nでそれぞれ減算され、デインタリーバ23-1, ..., 23-Nを通じて軟入力軟出力(SISO)復号器(チャネル復号器)24-1, ..., 24-Nにそれぞれされて復号され、復号器24-1, ..., 24-Nから復号情報系列 $c'_1(i)$, ..., $c'_N(i)$ が出力されると共に対数尤度比 $\Lambda_2[b_1(i)]$, ..., $\Lambda_2[b_N(i)]$ がそれぞれ出力される。 $\Lambda_2[b_1(i)]$, ..., $\Lambda_2[b_N(i)]$ は減算器25-1, ..., 25-Nにより $\lambda_1[b_1(i)]$, ..., $\lambda_1[b_N(i)]$ がそれぞれ減算され、更に、インタリーバ26-1, ..., 26-Nをそれぞれ通じて $\lambda_2[b_1(k)]$, ..., $\lambda_2[b_N(k)]$ として多出力等化器31及び減算器22-1, ..., 22-Nにそれぞれ供給される。

【0026】マルチユーザ(複数送信機)からの受信信号 $r_m(k)$ ($m=1, \dots, M$)は、等化器31のとして、

グルユーザの場合と同じ手順でベクトル $y(k)$ を定義すると、

$$y(k) \equiv [r^T(k+Q-1) \ r^T(k+Q-2) \ \dots \ r^T(k)]^T \quad (21)$$

$$= H \cdot B(k) + n(k) \quad (22)$$

ここで、 $r(k) = [r_1(k) \ \dots \ r_M(k)]^T$

【0027】

【数17】

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \ddots \\ 0 & H(0) & \dots & H(Q-1) \end{bmatrix} \quad (23)$$

ただし、

$$B(k) = [b^T(k+Q-1) \ \dots \ b^T(k) \ \dots \ b^T(k-Q+1)]^T \quad (25)$$

$$b(k+q) = [b_1(k+q) \ b_2(k+q) \ \dots \ b_N(k+q)]^T \quad (26)$$

$$q=Q-1, Q-2, \dots, -Q+1$$

となる。次に干渉除去ステップにおいて、今第n番目のユーザ(送信機)からの信号が所望であると仮定する。この例では全ユーザ(送信機)よりの信号の軟判定シンボル推定値とチャネル行列(伝送路インパルス応答値行列)Hを用いて、第n番目以外のユーザの信号による

$$y'(k) \equiv y(k) - H \cdot B'(k) \quad (27)$$

$$= H \cdot (B(k) - B'(k)) + n(k) \quad (28)$$

ここで、

$$B'(k) = [b'^T(k+Q-1) \ \dots \ b'^T(k) \ \dots \ b'^T(k-Q+1)]^T \quad (29)$$

そして、

$$b'(k+q) = [b'_1(k+q) \ b'_2(k+q) \ \dots \ b'_N(k+q)]^T : q=Q-1, \dots, -Q+1, q \neq 0 \quad (30)$$

【0028】

【数18】

$$H(q) = \begin{bmatrix} h_{11}(q) & \dots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \dots & h_{MN}(q) \end{bmatrix} \quad (24)$$

【0029】

干渉と第n番目のユーザの信号自身を作る干渉との合成したもの、つまり干渉レプリカ $H \cdot B'(k)$ を再生して以下のように、 $y(k)$ からこの干渉レプリカを引算して差分ベクトル $y'(k)$ を生成する。

【0030】

$$\mathbf{b}'(k) = [b'_1(k) \cdots 0 \cdots b'_N(k)]^T : q=0 \quad (31)$$

$\mathbf{b}'(k)$ の要素中の0はn番目である。 $b'_n(k)$ は式(15)と同様に $b'_n(k) = \tanh[\lambda_2[b_n(k)]]/2$ を計算して求めた軟判定送信シンボル推定値である。ベクトル $\mathbf{B}'(k)$ は干渉シンボルのレプリカベクトルである。

【0031】次に干渉成分の残り、つまり干渉成分レブ

$$\mathbf{w}_n(k) = \arg \min \|\mathbf{w}_n^H(k) \cdot \mathbf{y}'(k) - b_n(k)\|^2 \quad (32)$$

以下の操作はシングルユーザの場合と同一である。つまり求めた $\mathbf{w}_n(k)$ を用いて $\mathbf{w}_n^H(k) \cdot \mathbf{y}'(k)$ を計算し、その計算結果をデインタリーブ23-nを介して $\lambda_1[b_n(i)]$ として、復号器24-nに入力して復号演算が行われる。

【0032】ユーザ1からNまで以上の方法で受信信号 r_m に対しフィルタ(線形等化)処理を求めていく。その結果等化器31の出力数はNとなり、これら出力は各々の復号器24-1, ..., 24-Nにより復号される。以上がシングルユーザ用ターボ受信機のマルチユーザ(MIMO)用への拡張である。以上の説明から、多出力等化器31の機能構成例は図2に示ようになる。M個の受信信号 $r_m(k)$ は受信ベクトル生成部311により受信ベクトル $\mathbf{y}(k)$ が生成され、各ユーザごとの等化部312-1~313-Nへ供給される。またチャネル推定器28において計算されたチャネル行列 \mathbf{H} も等化部312-1~312-Nへ供給される。各チャネル復号器24-nからの事前情報 $\lambda_2[b_n(k)]$ が軟判定シンボル推定部313に入力され、それぞれ軟判定送信シンボル推定値 $b'_n(k) = \tanh[\lambda_2[b_n(k)]]/2$ が計算される。等化部312-1~312-N内の機能構成と処理は同一であり、等化部312-1で代表して説明する。

【0033】さらに軟判定送信シンボルの推定値 $b'_1(k) \sim b'_N(k)$ が、干渉レプリカベクトル生成部314-1に供給され、式(29)~(31)により干渉レプリカベクトル $\mathbf{B}'_1(k)$ が生成され、このベクトル $\mathbf{B}'_1(k)$ はフィルタ処理部315-1でチャネル行列 \mathbf{H} によりフィルタ処理され、その結果の干渉レプリカ成分 $\mathbf{H} \cdot \mathbf{B}'_1(k)$ が、差演算部316-1で受信ベクトル $\mathbf{y}_1(k)$ から差し引かれ、差分ベクトル $\mathbf{y}'_1(k)$ が生成される。

【0034】フィルタ係数推定部317-1に少なくともチャネル行列 \mathbf{H} 、又は後述するように参照信号が入力され、前記干渉成分の残りを除去するためのフィルタ係数 $\mathbf{w}_1(k)$ が求められる。この例ではチャネル推定器28よりのチャネル行列 \mathbf{H} と雑音成分の共分散 σ^2 と、軟判定シンボル生成部313-1からの軟判定送信シンボル $b'_1(k) \sim b'_N(k)$ がフィルタ係数推定部317-1に入力され、式(32)を最小とするフィルタ係数 $\mathbf{w}_1(k)$ が最小平均2乗誤差規範で求めら

れる。このフィルタ係数 $\mathbf{w}_1(k)$ を求める具体的処理は後で述べる。適応フィルタ処理部318-1で差分ベクトル $\mathbf{y}'_1(k)$ がフィルタ係数 $\mathbf{w}_1(k)$ により処理され、ユーザ1からの送信信号に対する受信信号の等化出力として $\lambda_1[b_1(k)]$ が出力される。

【0035】また前述したこの発明の実施例の多入力多出力ターボ受信方法の処理手順を図3に示す。ステップS1で受信信号 $r(k)$ と各トレーニング信号 $b_n(k)$ からチャネル値 $h_{mn}(q)$ 及び雑音成分の共分散 σ^2 を計算し、ステップS2でそのチャネル値 $h_{mn}(q)$ からチャネル行列 \mathbf{H} を計算し、ステップS3でターボ受信処理における前回の処理で得た各事前情報 $\lambda_2[b_n(k)]$ から軟判定送信シンボル推定値 $b'_n(k) = \tanh[\lambda_2[b_n(k)]]/2$ を計算する。

【0036】ステップS4で受信信号 $r(k)$ から受信ベクトル $\mathbf{y}(k)$ を生成し、ステップS5で各軟判定送信シンボル推定値 $b'_n(k)$ を用いて式(29)~(31)により干渉レプリカベクトル $\mathbf{B}'_n(k)$ を生成し、ステップS6でn番目送信機よりの受信信号に対する干渉成分レプリカ $\mathbf{H} \cdot \mathbf{B}'_n(k)$ を計算する。ステップS7で受信ベクトル $\mathbf{y}(k)$ から干渉成分レプリカ $\mathbf{H} \cdot \mathbf{B}'_n(k)$ を差し引き、差分ベクトル $\mathbf{y}'_n(k)$ を求める。ステップS8でチャネル行列 \mathbf{H} と、軟判定送信シンボル $b'_1(k) \sim b'_N(k)$ と、雑音成分の共分散 σ^2 とにより、n番目送信機よりの受信信号中の残余干渉を除去するためのフィルタの係数 $\mathbf{w}_n(k)$ を、式(32)を最小とする最小平均2乗誤差規範で求める。

【0037】ステップS9で差分ベクトル $\mathbf{y}'_n(k)$ に対しフィルタ係数 $\mathbf{w}_n(k)$ によるフィルタ処理を行って対数尤度比 $\lambda_1[b_n(k)]$ を得る。ステップS10で $\lambda_1[b_n(k)]$ から事前情報 $\lambda_2[b_n(k)]$ を減算した後、デインタリーブを施し、更に復号を行って対数尤度比 $\lambda_2[b_n(k)]$ を出力する。このステップS4~S10の処理を $n=1 \sim N$ について同時に又は順次に行う。その後、ステップS11で復号回数、つまりターボ受信処理回数が所定数になったかを調べ、所定数になってなければ、ステップS12で対数尤度比 $\lambda_2[b_n(k)]$ から外部情報 $\lambda_1[b_n(k)]$ を減算し、その結果をインタリーブして事前

情報 $\lambda_2 [b_n(k)]$ を求めてステップS3に戻る。
ステップS11で復号が所定回数の場合はステップS13でその時の復号結果を出力する。

$$r_m(k) = \sum_{q=0}^{Q-1} \sum_{n=1}^N h_{mn}(q) \cdot b_n(k-q) + v_m(k) \quad (33)$$

チャネル推定部28は式(33)中のチャネル値(伝送路インパルス応答)の $h_{mn}(q)$ の値とノイズ $v_m(k)$ の平均電力($\equiv \sigma^2$)を求める。通常送信側は図4Aに示すように受信機で既知のユニークワード(トレーニング信号)を各送信フレームの始めに挿入し、受信機はそのユニークワード(既知信号)をトレーニング系列としてRLS(再帰的最小2乗法)などを用いてチャネル値 $h_{mn}(q)$ を推定していく。各チャネル復号器24-1, ..., 24-Nから、その対数尤度比 $\Lambda_2 [b_1(i)]$, ..., $\Lambda_2 [b_N(i)]$ のそれぞれについて、正であれば+1を負であれば-1をそれぞれ復号符号信号(送信符号化シンボル硬判定値) $b_1^{\wedge}(i)$, ..., $b_N^{\wedge}(i)$ として出力し、これら $b_1^{\wedge}(i)$, ..., $b_N^{\wedge}(i)$ はインタリ-バ27-1, ..., 27-Nを通じて繰り返しチャネル推定器28に入力される。チャネル推定器28には受信信号 $r(k)$ が入力されると共にユニークワード記憶部29からユニークワードが参照信号として入力される。チャネル推定器28はこれら入力された信号に基づき、式(33)の各 $h_{mn}(q)$ と σ^2 の各値を最小2乗法により推定する。この推定は伝送路のインパルス応答を推定して受信信号を適応フィルタにより適応的に等化する場合のインパルス応答の推定と同様の手法で行うことができる。

【0039】このようにトレーニング系列を用いるのは通常用いられる手法であるが、正味の伝送速度を上げるには1フレーム内のユニークワードの占める割合を小さくする必要があり、そうすればチャネル推定の誤差は増大する。そしてその誤差が上記の繰り返し等化の特性を劣化させてしまう。そこでチャネル値の繰り返し推定を次のようにするとよい。その概念を図4Bに示す。これは同一受信信号の繰り返し等化処理、つまりターボ受信処理の繰り返し処理の各段階でチャネル値も繰り返し推定していこうというものである。つまり1回目においてはユニークワードの後の情報シンボル系列に対しては、ユニークワードのみを参照信号として用いてチャネル値を推定し、その推定したチャネル値を用いて受信信号を等化し送信シンボルを推定するが、2回目以降の等化処理の前に、そのユニークワードを参照信号として用いてチャネル推定を行い、かつ前回の復号処理で得られたシンボル推定値(硬判定値)も参照信号として用いてフレーム内全体でチャネル推定を行う。この場合、全ての硬判定値を用いるのではなく、確からしいと判断された硬判定値のみを参照信号として用いるとよい。硬判定は復号器24-nからの対数尤度比 $\Lambda_2 [b_n(i)]$ を用いてこれが正なら+1、負なら-1とすることによって

【0038】次にチャネル推定部28について述べる。
各受信信号 $r_m(k)$ は次式で表わせる。

行われる。その際その対数尤度比 $\Lambda_2 [b_n(i)]$ の絶対値が大きいほどその硬判定値は確からしいと言える。例えば、対数尤度0.3を1と判定した時の1よりも、対数尤度5を1と判定したときの1の方が確からしい。そこで以下にしきい値を用いて確からしい硬判定値 $b_n(i)$ を選定し、それを用いて繰り返しチャネル推定を行う方法を説明する。

【0040】まず復号器24-nよりの対数尤度比 $\Lambda_2 [b_n(i)]$ を用いて、シンボルの軟判定値 $b'_n(i)$ を、

$$b'_n(i) = \tanh [\Lambda_2 [b_n(i)] / 2]$$

として求める。この操作は対数尤度値を1に規格化し絶対値が1を超えることはないようにするためである。次に予めしきい値(0と1の間)を用意しておき、その軟判定値 $b'_n(i)$ の絶対値がそのしきい値よりも大きいものに対してその硬判定値 $b_n^{\wedge}(i)$ を保存しておく、これを繰り返しチャネル推定に用いる。例えばしきい値を0.9に設定すると軟判定値 $b'_n(i)$ のうち絶対値が0.9以上の硬判定値 $b_n^{\wedge}(i)$ のみが選別される。しきい値が0.9と高いため選別された硬判定値 $b_n^{\wedge}(i)$ の確からしさは高いと考えられるから、これらを利用して行う繰り返しチャネル推定の精度は上がると考えられるが、その分、選別されるシンボル数が減少するため繰り返しチャネル推定精度は下がるとも考えられる。つまり最適なしきい値を0と1の間で選定する必要がある。補足として仮にしきい値を1と設定した場合、選別される硬判定値 $b_n^{\wedge}(i)$ はないため繰り返しチャネル推定は行われないということになる。そこで後で述べるが、しきい値は0.2~0.8程度に設定して行う。

【0041】従って1回目の情報シンボル系列に対する送信シンボル推定値(硬判定値) $b_1^{\wedge}(i)$, ..., $b_N^{\wedge}(i)$ 中のしきい値により確からしいと判断されたシンボル値をインタリ-バ27-1, ..., 27-Nの出力から前回送信シンボル推定値として前回シンボル記憶部32に記憶しておき、受信信号 $r(k)$ の2回目の繰り返し等化復号処理においては(受信信号 $r(k)$ は記憶部に記憶してある)、まずユニークワードを用いてチャネル推定を行い、更に情報シンボル系列に対して、前回シンボル記憶部32から、推定送信シンボル硬判定推定値 $b_1^{\wedge}(i)$, ..., $b_N^{\wedge}(i)$ 中の確からしいと判定されたシンボル値を読み出してチャネル推定器28に入力して、チャネル推定を行い、つまりフレーム内全体でのチャネル推定を行い、その推定値 $h_{mn}(q)$ と σ^2 を用いて、受信信号 $r(k)$ に対する

等化、復号（送信シンボル推定）を行う。この際にその推定した送信シンボル中のしきい値により確からしいと判定されたシンボル値で前回シンボル記憶部32の記憶内容を更新しておく。以下同様にして、等化、復号の繰り返しの際におけるチャンネル推定はユニークワードを用いる推定と、前回の推定送信シンボル中の確からしいと判定されたものを用いる推定とによりフレーム内全体でチャンネル推定を行う。その推定チャンネルを用いて等化、復号（送信シンボル推定）を行い、また前回シンボル記憶部32の更新を行う。なおこの前回シンボル記憶部32には復号器からの送信シンボル硬判定値 $b_n^{\wedge}(i)$, ..., $b_N^{\wedge}(i)$ 中のしきい値により確からしいと判定されたシンボル値を前回シンボル記憶部32に直接格納更新し、この前回シンボル記憶部32の記憶シンボル値を利用する場合にインタリパ27-1, ..., 27-Nを通してチャンネル推定器28へ入力するようにしてもよい。

【0042】このようにすることによって繰り返しのより、チャンネル推定の誤差が減少し、シンボル推定の精度が向上し、ターボ等化におけるチャンネル推定誤差による特性劣化の問題を改善することができる。このように確からしいシンボル硬判定値を用いて情報シンボル系列においてチャンネル推定を行う場合には、各復号器24-nに図5に示す機能構成が付加される。対数尤度比 $\Lambda_2[b_n(i)]$ が軟判定値推定部241に入力され、 $b_n'(i) = \tanh(\Lambda_2[b_n(i)])$ が計算され、送信シンボル軟判定値 $b_n'(i)$ が推定され、この値 $b_n'(i)$ が比較部242でしきい値設定部243からのしきい値 T_h と比較され、 $b_n'(i)$ が T_h 以上で1、 T_h より小で0が出力される。一方対数尤度比 $\Lambda_2[b_n(i)]$ が硬判定部244に入力され、 $\Lambda_2[b_n(i)]$ が正なら+1、負なら-1とされたシンボル硬判定値 $b_n^{\wedge}(i)$ が出力され、このシンボル硬判定値 $b_n^{\wedge}(i)$ は、対応するシンボル軟判定値がしきい値以上であればゲート245が開とされて出力され、図1中のインタリパ27-nを通じて前回シンボル記憶部32に供給され、記憶中の前記シンボルが更新される。

【0043】また確からしいシンボル硬判定値をも利用

$$w_n(k) = (H G(k) H^H + \sigma^2 I)^{-1} \cdot h \quad (34)$$

I は単位行列、 σ^2 は受信機の内部雑音電力（雑音成分の共分散）であり、 $\sigma^2 I$ は雑音成分の共分散行

$$\begin{aligned} G(k) &\equiv E[(B(k) - B'(k)) \cdot (B(k) - B'(k))^H] \\ &= \text{diag}[D(k+Q-1), \dots, D(k), \dots, D(k-Q+1)] \end{aligned} \quad (35)$$

$E[\]$ は平均を、diagは対角行列（対角線の要素以外の

$$D(k+q) = \text{diag}[1 - b_1'^2(k+q), \dots, 1 - b_N'^2(k+q)] \quad (36)$$

$q = Q-1, Q-2, \dots, -Q+1, q \neq 0$ の時

$$D(k) = \text{diag}[1 - b_1'^2(k), \dots, 1, \dots, 1 - b_N'^2(k)]$$

したチャンネル推定の手順は図6に示すようになる。まずステップS1で受信信号 $r(k)$ とユニークワードとによるチャンネル推定を行い、ステップS2で復号処理が1回目か否かを調べ、1回目であれば、ステップS3でその推定したチャンネル値 $h_{mn}(q)$ を用いて等化、復号処理、つまり図3中のステップS3～S10の処理を行う。ステップS4で対数尤度比 $\Lambda_2[b_n(i)]$ に対し、送信シンボル硬判定処理を行い、硬判定値 $b_n^{\wedge}(i)$ を求め、ステップS5で対数尤度比 $\Lambda_2[b_n(i)]$ に対し、 $b_n'(i) = \tanh(\Lambda_2[b_n(i)]/2)$ を計算して送信シンボル軟判定値 $b_n'(i)$ を推定する。ステップS6でシンボル軟判定値 $b_n'(i)$ がしきい値 T_h 以上か否かにより、対応シンボル硬判定値 $b_n^{\wedge}(i)$ の確からしいものを決定し、ステップS7でその確からしいシンボル硬判定値により、前回シンボル記憶部32内の記憶内容を更新する。次にステップS8で復号回数が所定値であるかを調べ、所定値になっていなければ、ステップS1へ戻る。正確には図3中のステップS12を経て図3中のステップS1に戻る。

【0044】ステップS2で復号処理が1回でないと判定されると、ステップS9で前回シンボル記憶部32から前回の記憶シンボル、つまり確からしい硬判定シンボルを読み出し、これと受信信号 $r(k)$ の情報シンボル系列とを用いてチャンネル推定を行ってステップS3に移る。以上においては、2回目以後の処理においても、ユニークワードも参照信号として初期状態からチャンネル推定をしたが、2回目以後は参照信号として確らしい硬判定シンボルのみを用いてもよい。この場合は図6中に破線で示すように、ステップS1'で1回目の処理かを調べ、1回目の処理であれば、ステップS2'でユニークワードを参照信号としてこれと、受信信号とによりチャンネル値の推定を行い、ステップS3'でその推定チャンネル値と、その推定に用いた各パラメータの値を記憶部に記憶した後、ステップS3の等化、復号処理へ移る。

【0045】ステップS1'で1回目でなければ、チャンネル推定処理に先立ち、ステップS4'で先に記憶したチャンネル推定値と各種処理パラメータを設定してステップS9へ移る。所で式(32)の解は次式となる。

列、 $G(k)$ はチャンネル推定2乗誤差に対応する。

【0046】

要素はゼロを表わす。また

$$(k+q), \dots, 1 - b_N'^2(k+q) \quad (36)$$

は

ベクトル $\mathbf{D}(k)$ 中の1は n 番目の要素 (n 番目のユーザの送信信号を所望の信号としている) である。

【0047】

【数19】

$$\mathbf{h} = \begin{bmatrix} H_{1,(Q-1) \cdot N + n} \\ H_{2,(Q-1) \cdot N + n} \\ \vdots \\ H_{M-Q,(Q-1) \cdot N + n} \end{bmatrix} \quad (38)$$

【0048】つまり \mathbf{h} は式 (23) の \mathbf{H} の $(Q-1) \cdot N + n$ 列目の全要素からなる。図2に示したよう

$$\mathbf{D}(k+q) = \text{diag}[0, \dots, 0] = \mathbf{0} \quad (q \neq 0) \quad (39)$$

$$\mathbf{D}(k) = \text{diag}[0, \dots, 1, \dots, 0] \quad (40)$$

つまり、 $\mathbf{D}(k)$ の要素中の n 行 n 列の要素のみが1で、他の全ての要素は0となる。これら式 (39),

$$\mathbf{w}_n(k) = (\mathbf{h} \cdot \mathbf{h}^H + \sigma^2 \mathbf{I})^{-1} \cdot \mathbf{h} \quad (41)$$

となる。 \mathbf{h} は式 (38) で定義されたもの。

【0049】この近似により、 $\mathbf{w}_n(k)$ は k に依存しないため、離散的時刻 k 毎の逆行列計算が不要となり、計算量が削減される。この式 (41) に対し、逆行

$$\mathbf{A}^{-1} = \mathbf{B} - \mathbf{B}\mathbf{C}(\mathbf{D} + \mathbf{C}^H\mathbf{B}\mathbf{B}\mathbf{C})^{-1}\mathbf{C}^H\mathbf{B} \quad (42)$$

で与えられる。式 (41) 中の逆行列演算の部分にこの定理を適用すると、

$$\mathbf{h}(k) \cdot \mathbf{h}(k)^H + \sigma^2 \mathbf{I} = \mathbf{B}^{-1} + \mathbf{C}\mathbf{D}^{-1}\mathbf{C}^H$$

$$\mathbf{h}(k) \cdot \mathbf{h}(k)^H = \mathbf{C}\mathbf{D}^{-1}\mathbf{C}^H, \quad \sigma^2 \mathbf{I} = \mathbf{B}^{-1}, \quad \mathbf{h}(k) = \mathbf{C}$$

$$\mathbf{w}_n(k) = 1 / (\sigma^2 + \mathbf{h}^H \cdot \mathbf{h}) \cdot \mathbf{h} \quad (41-1)$$

となる。この式の右辺の $1 / ()$ はスカラー、即ち一定数となるため1としてもよい。よって $\mathbf{w}_n(k) = \mathbf{h}$ と置けるから、 \mathbf{h} のみで $\mathbf{w}_n(k)$ が決定される。図2中のフィルタ係数推定部317-1には、破線で示すように、チャネル推定器28からチャネル行列 \mathbf{H} 中の式 (38) で示される \mathbf{h} のみを入力すればよい。

【0051】なお、式 (39)、式 (40) による近似は逆行列の補助定理を用いる場合に限らず、この近似により式 (34) の計算量を少くすることができる。特にこの近似を行い、かつ逆行列の補助定理を用いれば更に演算量を減少でき、またその際に雑音成分の共分散行列

$$\mathbf{b}'(k) = [\mathbf{b}'_1(k) \quad \mathbf{b}'_2(k) \quad \dots \quad \mathbf{b}'_{n-1}(k) \quad f(\mathbf{b}'_n(k)) \quad \mathbf{b}'_{n+1}(k) \quad \dots \quad \mathbf{b}'_N(k)] \quad (43)$$

ただし、 $f(\mathbf{b}'_n(k))$ は $\mathbf{b}'_n(k)$ を入力とする任意の関数このようにすることにより、検出する信号 $\mathbf{b}_n(k)$ に関しても誤り訂正復号結果を反映させることが可能となる。つまり $\mathbf{b}'_n(k) = 0$ とすることなく ($\mathbf{b}'_n(k)$ に応じた適当な値を加算することによ

(37)

に多出力等化器31のフィルタ係数推定部317-1では、チャネル推定器28で推定されたチャネル行列 \mathbf{H} 及び雑音電力 σ^2 と、軟判定シンボル生成部313-1よりの軟判定送信シンボル $\mathbf{b}'_1(k) \sim \mathbf{b}'_N(k)$ とが入力されて、残余干渉除去フィルタ係数 $\mathbf{w}_n(k)$ が式 (34) ~ (38) により演算される。式 (34) は逆行列演算を行うことになるが、この演算は逆行列の補助定理 (Matrix Inversion Lemma) を用いることにより演算量を削減することができる。つまり式 (36) 及び (37) の各 \mathbf{b}'_2 の部分を全て1に近似すると、

$$\mathbf{D}(k+q) = \text{diag}[0, \dots, 0] = \mathbf{0} \quad (q \neq 0) \quad (39)$$

$$\mathbf{D}(k) = \text{diag}[0, \dots, 1, \dots, 0] \quad (40)$$

(40) で決まる式 (35) の誤差行列 $\mathbf{G}(k)$ を式 (34) に代入すると、

$$\mathbf{w}_n(k) = (\mathbf{h} \cdot \mathbf{h}^H + \sigma^2 \mathbf{I})^{-1} \cdot \mathbf{h} \quad (41)$$

列の補助定理を適用する。この逆行列の補助定理は \mathbf{A} , \mathbf{B} を (M, M) の正方行列、 \mathbf{C} を (M, N) 行列、 \mathbf{D} を (N, N) の正方行列とし、 $\mathbf{A} = \mathbf{B}^{-1} + \mathbf{C}\mathbf{D}^{-1}\mathbf{C}^H$ で表される場合、 \mathbf{A} の逆行列は

$$\mathbf{A}^{-1} = \mathbf{B} - \mathbf{B}\mathbf{C}(\mathbf{D} + \mathbf{C}^H\mathbf{B}\mathbf{B}\mathbf{C})^{-1}\mathbf{C}^H\mathbf{B} \quad (42)$$

$$\mathbf{I} = \mathbf{D}^{-1}, \quad \mathbf{h}(k)^H = \mathbf{C}^H$$

となり、これを用いて式 (42) を計算すれば式 (41) 中の逆行列演算が求まる。なお式 (42) 中にも逆行列演算 $(\mathbf{D} + \mathbf{C}^H\mathbf{B}\mathbf{B}\mathbf{C})^{-1}$ が含まれるが、この逆行列はスカラーとなるから簡単に計算することができる。

【0050】つまりこの場合は、

$$\mathbf{w}_n(k) = 1 / (\sigma^2 + \mathbf{h}^H \cdot \mathbf{h}) \cdot \mathbf{h} \quad (41-1)$$

を $\sigma^2 \mathbf{I}$ とすると、式 (41-1) に示すように $\mathbf{w}_n(k) = \mathbf{h}$ で近似でき、共分散行列に無関係となり、更に計算が簡略化される。

第2発明 (誤り訂正反映)

式 (27) に示した受信ベクトル $\mathbf{y}(k)$ から $\mathbf{H} \cdot \mathbf{B}'(k)$ を減算する等化処理では、検出する信号 $\mathbf{b}_n(k)$ 以外の信号の送信シンボル軟判定値は誤り訂正復号結果が反映されているが、検出する信号 $\mathbf{b}_n(k)$ に関する誤り訂正復号結果が反映されていない。そこで、以下のように処理をすることが好ましい。

【0052】式 (29) 中の $\mathbf{b}'(k)$ 、つまり式 (31) を次式に変更する。

$$\mathbf{b}'(k) = [\mathbf{b}'_1(k) \quad \mathbf{b}'_2(k) \quad \dots \quad \mathbf{b}'_{n-1}(k) \quad f(\mathbf{b}'_n(k)) \quad \mathbf{b}'_{n+1}(k) \quad \dots \quad \mathbf{b}'_N(k)] \quad (43)$$

り、例えば、雑音や干渉信号に埋もれた検出する信号を強調することになって、 $\mathbf{b}_n(k)$ を正しく検出することができる。

【0053】 $f(\mathbf{b}'_n(k))$ については、 $\mathbf{b}'_n(k)$ の符号は $\mathbf{b}'_n(k)$ に対応するシンボルの硬

判定結果に関係し、また $b'_n(k)$ の絶対値が大きいほど $b'_n(k)$ に対応する硬判定シンボルの信頼性が大きいという性質から以下の条件を満たす必要がある。

$$f(0) = 0$$

である。また $b'_n(k)$ の値が大きければ関数 f の値

$$d\{f(b'_n(k))\} / d\{b'_n(k)\} \geq 0 \quad (45)$$

である。このような $f(b'_n(k))$ の例としては、

$$f(b'_n(k)) = \alpha \times b'_n(k) \quad (46)$$

$$f(b'_n(k)) = \alpha \times b'^2_n(k) \quad (47)$$

が挙げられる。例えば式(46)を用いて α を定数とすれば式(43)を簡単に実現できる。ここで α は $0 < \alpha < 0.6$ である。 α を 0.6 より大きくすると逆に BER (誤り率) 特性が劣化してしまい、正しい復号結果が得られなくなる。また、 α を復号結果の信頼度に応じて可変することも考えられる。例えば復号処理の繰り返し毎に α を設定する。この場合、通常は復号処理の繰り返し回数が多くなるほど復号結果の信頼度が上がるため、復号処理の繰り返し回数に応じて α の値を大きくすれば良い。あるいは、復号処理の繰り返しごとに復号されたフレーム全体の信頼度を判定し、その判定に基づいて α

$b'_n(k) = 0$ 、つまり硬判定シンボルの信頼性が 0 の場合はこの関数 f の値も 0 である。即ち

$$(44)$$

も大きな値となる。即ち

の値を決定すればよい。復号されたフレームの信頼度を判定する方法として、例えば復号結果を1回前の繰り返し復号時の復号結果と比較し、前回の復号時から変化した硬判定シンボル数をカウントする方法が考えられる。すなわち、変化した硬判定シンボル数が多い場合には信頼度は低いと判定し、変化した硬判定シンボル数が少ない場合には信頼度が高いと判定すればよい。

【0054】また、このような $b'_n(k)$ の変更に伴い、MMSE (最小平均2乗誤差) フィルタの係数 $w_n(k)$ を求める際に用いる式(35)を以下のように変更することが望ましい。

$$G(k) = E[(B(k) - B'(k)) \cdot (B(k) - B'(k))^H]$$

$$= \text{diag}[D(k+Q-1), \dots, D(k), \dots, D(k-Q+1)]$$

ここで式(29)、式(31)より

【0055】

【数20】

$$B'(k) = \begin{bmatrix} b'(k+Q-1) \\ b'(k+Q-2) \\ \vdots \\ b'(k) \\ \vdots \\ b'(k-Q+1) \end{bmatrix} \quad b'(k) = \begin{bmatrix} b'_1(k) \\ b'_2(k) \\ \vdots \\ -f(b'_n(k)) \\ \vdots \\ b'_N(k) \end{bmatrix}$$

【0056】とする。 $D(k)$ の n 行 n 列の要素は $E[(b_n(k) + f(b'_n(k))) \cdot (b_n(k) + f(b'_n(k)))^*]$

$[]^*$ は複素共役を表す。この式は BPSK 変調の場合は次式となる。

$$E[b_n(k)^2 + 2b_n(k)f(b'_n(k)) +$$

$$D(k) = \text{diag}[1 - b'^2_1(k) \quad 1 - b'^2_2(k) \cdots \\ 1 - b'^2_{n-1}(k) \quad 1 + 2E[f(b'_n(k))b'_n(k)] \\ + E[f(b'_n(k))^2] \quad 1 - b'^2_{n+1}(k) \cdots 1 - b'^2_1(k)] \quad (48)$$

例えば、 $f(b'_n(k))$ を式(46)とした場合に

$$D(k) = \text{diag}[1 - b'^2_1(k) \quad 1 - b'^2_2(k) \cdots \\ 1 - b'^2_{n-1}(k) \quad 1 + (2\alpha + \alpha^2)b'_n(k) \quad 1 - b'^2_{n+1}(k) \cdots 1 - b'^2_1(k)] \quad (49)$$

このように検出する信号に誤り訂正復号結果を反映させ

$$f(b'_n(k))^2] = E[b_n^2(k)] + 2E[b_n(k)f(b'_n(k))] + E[f(b'_n(k))^2]$$

この第1項の平均値は1となる。また $b_n(k)$ を $b'(k)$ で近似すると式(37)は以下ようになる。

【0057】

は、 $D(k)$ は下記のようになる。

る場合に適応フィルタ係数 $w_n(k)$ を推定する機能

構成例を、検出する信号として第1番目の送信機からの送信信号 $b_1(k)$ とした場合を図7Aに示す。軟判定送信シンボル $b'_1(k)$ が関数演算部331-1に入力され、関数演算 $f(b'_1(k))$ が演算される。またN個の復号器からの軟判定送信シンボル $b'_1(k) \sim b'_N(k)$ と $f(b'_1(k))$ が誤差行列生成部332-1に入力され、式(35)、式(36)及び式(48)により誤差行列 $G(k)$ が演算生成される。この誤差行列 $G(k)$ と、推定チャネル行列 H 及び雑音電力 σ^2 とがフィルタ係数生成部333-1に入力され、ここで式(34)が計算され、適応フィルタ係数 $w_n(k)$ が推定される。この場合は干渉レプリカベクトル生成部314-1にも $f(b'_n(k))$ が入力され、式(30)と式(43)から式(29)の干渉レプリカベクトル $B'(k)$ が生成される。フィルタ係数 $w_n(k)$ により差分ベクトル $y'(k)$ が適応フィルタ部318-1でフィルタ処理されて対数尤度比 $\Lambda_1[b_1(k)]$ が得られる。なお図2中のフィルタ係数推定部317-1の場合は図7A中の関数演算部331-1が省略され、軟判定送信シンボル $b'_1(k) \sim b'_N(k)$ のみが誤差行列生成部332-1に入力され、式(34)が演算されることになる。

【0058】図3中において、ステップS4で干渉レプリカベクトル $B'(k)$ を生成し、更にステップS5～S7を処理し、ステップS8におけるフィルタ係数 $w_n(k)$ を求めるが、このステップS8の処理において式(34)を演算する場合は、図7Bに示すように、ステップS8-2で軟判定送信シンボル $b'_1(k) \sim b'_N(k)$ を用いて、式(35)～(37)を演算して誤差行列 $G(k)$ を生成し、ステップS8-3で誤差行列 $G(k)$ と推定チャネル行列 H 及び雑音電力 σ^2 を用いて式(34)の演算により適応フィルタ係数 $w_n(k)$ を求める。

【0059】前述のように検出した信号に誤り訂正復号結果を反映させたい場合は、図7Bにおいて、ステップS4の前にステップS8-1で検出したい信号の軟判定送信シンボル $b'_n(k)$ を関数演算し、これを用いて、ステップS4では式(31)の代りに式(43)を用い、つまり式(29)、式(30)、式(43)により干渉レプリカベクトル $B'(k)$ を生成し、ステップS8-2で式(37)の代りに式(48)を用いればよい。前述したように $f(b'_n(k))$ を $\alpha b'_n(k)$ 又は $\alpha b'^2_n(k)$ とする場合で、 α を変化させる場合はステップS8-1-1で処理回数あるいは復号されたフレーム全体の信頼度により α を決定し、ステップS8-1-2で $1 + (2\alpha + \alpha^2) b'_n(k)$ を演算して $f(b'_n(k))$ として用いればよい。

【0060】この検出する信号に誤り訂正結果を反映させる手法は従来技術の項で説明したシングルユーザターボ受信機にも適用することができる。また、この検出す

る信号に誤り訂正結果を反映させる手法において、式(39)及び(40)に示した近似を適用することができ、この場合は、図7A中に破線で示すようにフィルタ係数生成部333-1に、チャネル推定器28から式(38)に示す行列 H のみを入力すればよい。上述では適応フィルタ係数 $w_n(k)$ を式(34)により求めた、つまりチャネル行列 H を用いて求めたが、チャネル行列 H を用いなくてもよい。即ち復号処理(ターボ受信処理)の1回目では、式(34)中の誤差ベクトル G は単位行列となる。従って、差分ベクトル $y'(k)$ と、トレーニング信号又はこれと硬判定送信シンボル $\hat{b}_n(k)$ 、好ましくは前述したように信頼度が高い $\hat{b}_n(k)$ とをフィルタ係数生成部333-1に入力して、RLS(再帰的最小2乗法)などを適用して逐次的に適応フィルタ係数 $w_n(k)$ を算出してもよい。誤差ベクトル G は離散的時刻 k に依存するため、復号の繰り返し処理の2回目以降は、適応フィルタ係数 $w_n(k)$ をシンボル毎に更新する必要があり、先に述べたようにチャネル行列 H を用いて適応フィルタ係数 $w_n(k)$ を決定することが好ましい。

【0061】第4発明(チャネル推定)

前述したように繰り返しチャネル推定にユニークワードのような既知情報のみならず、情報シンボルの硬判定値、特にその確からしいものも参照信号として用いることは、前記多入力多出力ターボ受信方法に利用する場合に限らず、一般的に、受信信号のチャネル(伝送路)を、受信信号と既知信号とから推定し、その推定したチャネル値を用いて受信信号を処理して復号を行い、その復号信号を利用して、同一受信信号を繰り返し、推定したチャネル値による処理と復号処理とを行うターボ受信方法に適用できる。

【0062】図8に、この情報シンボルの硬判定値もチャネル推定、ターボコライザ41に適用した例を示す。ターボコライザ41は推定チャネル値により線形等化フィルタ係数を決定し、その線形等化フィルタにより受信信号を処理し、その処理した信号を復号し、その復号信号を利用して、同一受信信号を繰り返し処理する。受信信号 $r(k)$ はターボコライザ41へ入力されると共に、チャネル推定器42へ供給され、チャネル推定器42では受信信号 $r(k)$ と記憶部29からのユニークワードとによりチャネル値(伝送路特性)が推定され、その推定されたチャネル値によりターボコライザ41内で受信信号 $r(k)$ が等化処理され、その後、復号処理され、復号データ $c'(i)$ が出力されると共に、軟判定値 $b'(i)$ が出力される。軟判定値 $b'(i)$ はシンボル選定器43に入力されその軟判定値 $b'(i)$ の絶対値がしきい値 T_h 以上であれば、その硬判定値 $\hat{b}(i)$ が、確からしい(信頼性が高い)ものとして前回シンボル記憶部32に更新格納され、以後における同一受信信号 $r(k)$ を繰り返し受信処理(イ

コライズ処理)する際のチャネル推定部42におけるチャネル推定処理においては、ユニークワードのみならず、前回シンボル記憶部32に記憶されている情報シンボルの硬判定値 $\hat{b}(i)$ も用いる。

【0063】ターボコライザ41は例えば図1に示し

$$\begin{aligned} \mathbf{w}(k) &= E[\mathbf{y}'(k) \mathbf{y}'^H(k)] \cdot E[b(k) \cdot \mathbf{y}'(k)] \\ &= [\mathbf{H}\Lambda(k)\mathbf{H} + \sigma^2 \mathbf{I}] \cdot \mathbf{h} \end{aligned} \quad (50)$$

ここで \mathbf{H} は式(8)で定義されたものであり、

$$\mathbf{h} \equiv [\mathbf{H}(Q-1), \dots, \mathbf{H}(0)]^T$$

$\mathbf{H}(\cdot)$ は式(5)で定義されたもの、 $\sigma^2 = E[\|\mathbf{v}\|^2]$ (雑音の分散)

$$\Lambda(k) = \text{diag}[1 - b'^2(k+Q-1), \dots, 1, \dots, 1 - b'^2(k-Q+1)]$$

このように図29中の受信機においても、チャネル $\mathbf{H}(\cdot)$ を推定し、このチャネル $\mathbf{H}(\cdot)$ を用いて等化フィルタ係数 $\mathbf{w}(k)$ 求め、受信信号をフィルタ係数 $\mathbf{w}(k)$ でフィルタ処理し、その処理した出力に対し復号処理を行う。従ってこの繰り返し受信処理において、前記信頼性のある硬判定情報シンボルもチャネル推定に用いることにより、より正しいチャネル推定を得ることができる。

【0064】図9はレーク(RAKE)合成処理を行う繰り返し受信に前記繰り返しチャネル推定方法を適用したターボ受信機の例を示す。受信信号 $r(k)$ はRAKE合成処理部45とチャネル推定器42に供給される。1回目はチャネル推定器42で受信信号 $r(k)$ とユニークワードとによりチャネル値が推定され、RAKE合成処理部45内において、各シンボルが伝送路で受けた位相回転に対する補償とRAKE合成処理が、推定されたチャネル値により行われ、つまり時間ダイバーシチ処理が行われてターボデコーダ46へ出力される。ターボデコーダ46より復号データ $c'(i)$ と、軟判定値 $b'(i)$ が出力される。軟判定値 $b'(i)$ はシンボル選定器43に入力され、前記例と同様に、その確らしいものの情報シンボルの硬判定値 $\hat{b}(i)$ が前回シンボル記憶部32に更新格納される。2回目以後のRAKE受信ターボデコーディングの繰り返し受信処理においては、チャネル推定器42でユニークワードのみならず、前回の情報シンボルの硬判定値もチャネル推定に利用される。これにより、チャネルの推定がより正確に行えるため、品質の向上が図れる。

【0065】図10はアダプティブ(適応)アレーアンテナを用いた繰り返し受信に、前記繰り返しチャネル推定方法を適用したターボ受信機の例を示す。受信信号 $r(k)$ はアダプティブアレーアンテナ受信部47に受信され、その受信信号はチャネル推定器42に分岐入力され、これとユニークワードとによりチャネル推定が行われ、その推定したチャネル値を用いて、アダプティブアレーアンテナ受信部47のアンテナ指向特性の主ビーム

た受信機中の繰り返しチャネル推定器28、ユニークワード記憶部29、前回シンボル記憶部32を除いた部分である。図29中の受信機であってもよい。つまり、この場合も式(19)の解は、ウィーナー解により下記となる。

が目的波の到来方向に向き、ヌルが干渉波の到来方向に向くように、アレー重み決定部48で各アンテナ素子、又は対応する受信経路に対する重みが決定され、その重みが該当箇所を設定される。アダプティブアレーアンテナ受信部47の受信出力はターボデコーダ46へ供給されて復号され、その復号データ $c'(i)$ と軟判定値 $b'(i)$ が出力され、軟判定値 $b'(i)$ はシンボル選定器43に入力され、確からしい硬判定値が前回シンボル記憶部32に更新記憶される。2回目以後のアダプティブアレーアンテナ受信部47ターボデコーダ46の繰り返し受信処理においてはチャネル推定器42でユニークワードのみならず、前回の情報シンボルの硬判定値もチャネル推定に利用される。これによりチャネル推定がより正しく行われ、その結果、アンテナ指向特性の制御がより正確に行われ、品質の向上が図れる。

【0066】なお図8におけるターボコライザ41は簡略に示すと、図11Aに示すように軟入力軟出力(SISO)コライザ(等化器)41aとSISOデコーダ(復号器)41bの直列接続の形式であり、これら等化器41aと復号器41b間で繰り返し動作が行われる。図9及び図10中のターボデコーダ46は簡略に示すと、図11Bに示すように、SISOデコーダ46aとSISOデコーダ46bの直列接続の形式であり、デコーダ46aと46b間で繰り返し復号が行われる。図9及び図10中のターボデコーダ46は、SISOデコーダ一つでもよい。

【0067】以上の図8乃至図10に示した例をまとめて図12に示す。つまり受信信号を繰り返し受信機(ターボ受信機)49でまず、チャネル推定器42で推定したチャネル値により処理し、その処理した信号を復号処理し、その復号処理結果として復号データ(シンボル) $c'(i)$ とその軟判定値 $b'(i)$ を出力し、その軟判定値 $b'(i)$ をシンボル選定器43において、しきい値と比較して、対応復号データ $c'(i)$ (シンボル硬判定値)が確からしいかを判定し、確からしいと判定されたものはその硬判定値を前回シンボル記憶部32に更新格納して、2回目以後の推定チャネル値を用いた処理—復号処理の繰り返しにおけるチャネル推定器42におけるチャネル推定に、ユニークワードのような既知情報の他に前回のシンボル硬判定値をも用いて、チャネル推定をより正確に行うようにするものである。

【0068】図13に、このシンボル硬判定値をも用い

る繰り返し受信信号方法の処理手順の例を示す。ステップS1で受信信号と既知信号とによりチャネル値を推定し、ステップS2で繰り返し処理の1回目が否かを調べ、1回目であればステップS3でステップS1で推定したチャネル値により受信信号を処理し、その後、復号処理を行ってシンボル硬判定値と軟判定値を求める。ステップS4でそのシンボル軟判定値から対応シンボル硬判定値の確からしいものを取出し、ステップS5でその取出したシンボル硬判定値に記憶部32に記憶してある前回のシンボル硬判定値を更新する。ステップS6で復号処理が所定回数かを調べ、所定回数になっていなければステップS1に戻る。ステップS2で繰り返し処理の1回目でなければ、ステップS7で記憶部32から前回のシンボル硬判定値を読み出し、これと、受信信号の情報シンボルとによりチャネル推定を行ってステップS3に移る。

【0069】この場合も、図6を参照してステップS1'～S4'により説明したように、2回目以後の処理は既知信号を用いなくてもよい。図10に示した例においてアダプティブアレーアンテナ受信部47とターボデコーダ46との間に破線で示すようにRAKE合成処理部45を挿入してもよい。この場合、RAKE合成処理

$$\begin{aligned} \mathbf{w}_n(k) &= (\mathbf{H} \mathbf{G}(k) \mathbf{H}^H + E[\mathbf{n}(k) \cdot \mathbf{n}^H(k)])^{-1} \mathbf{h} \\ &= (\mathbf{H} \mathbf{G}(k) \mathbf{H}^H + \sigma^2 \mathbf{I})^{-1} \mathbf{h} \end{aligned}$$

の過程を経て算出される。ここで、 $\mathbf{v}_m(k)$ が分散 σ^2 を有する白色性ガウス雑音という仮定により、 $E[\mathbf{n}(k) \cdot \mathbf{n}^H(k)] = \sigma^2 \mathbf{I}$ と計算される。繰り返しチャネル推定器28(図1)又は42(図12)により推定される、チャネル行列 \mathbf{H} と、 σ^2 と、事前対数尤度値から計算される誤差行列 $\mathbf{G}(k)$ とを、式(34)に代入してフィルタ係数 $\mathbf{w}_n(k)$ が算出される。

【0071】所で、雑音 $\mathbf{v}_m(k)$ が白色性ガウス雑音でない場合を考える。この場合は、 $E[\mathbf{n}(k) \cdot$

$$\begin{aligned} \mathbf{U} &= E[\mathbf{n}(k) \cdot \mathbf{n}^H(k)] \\ &= E[(\mathbf{y}(k) - \mathbf{H} \cdot \mathbf{B}(k)) \cdot (\mathbf{y}(k) - \mathbf{H} \cdot \mathbf{B}(k))^H] \end{aligned}$$

今、受信信号によりベクトル $\mathbf{y}(k)$ 、チャネル推定値によりチャネル行列 \mathbf{H} の推定値 $\hat{\mathbf{H}}$ 、参照信号に

$$\begin{aligned} \hat{\mathbf{U}} &= \sum_{k=0}^T \text{Tr}(\mathbf{y}(k) - \hat{\mathbf{H}} \cdot \mathbf{B}(k)) \cdot (\mathbf{y}(k) - \hat{\mathbf{H}} \cdot \mathbf{B}(k))^H \end{aligned}$$

と推定することができる。ここで、 Tr は参照信号シンボル数である。

【0073】繰り返しチャネル推定器28又は42における繰り返しチャネル推定中にチャネル行列 \mathbf{H} とともに、式(51)を利用して共分散行列 $\hat{\mathbf{U}}$ を推定する。その手順を図14に示す。図14Aに受信信号中の1フレームにおけるユニークワードと情報シンボル系列とを

$$\mathbf{w}_n(k) = (\hat{\mathbf{H}} \mathbf{G}(k) \hat{\mathbf{H}}^H + \hat{\mathbf{U}})^{-1} \mathbf{h} \quad (52)$$

部45における各シンボル位相回転補正、RAKE合成のためのチャネル推定は、チャネル推定器42で兼用してもよく、個別に設けてもよい。

【0070】白色性ガウス雑音以外の雑音

前述したターボ受信方法(第1発明)の実施例や誤り訂正を考慮した第2発明の実施例、またチャネル推定方法に特徴を有するターボ受信方法(第4発明)の実施例では雑音が白色性ガウス雑音であると仮定して処理した。即ち各アンテナの受信信号 $\mathbf{r}_m(k)$ を示す式(20)の右辺中の $\mathbf{v}_m(k)$ を白色性ガウス雑音であると仮定をしている。ここで白色性ガウス雑音とは、ガウス分布に従い、

$$E[\mathbf{v}_m(k) \cdot \mathbf{v}_m(k-q)] = \sigma^2 : q=0 \text{ の場合}, 0 : q \neq 0 \text{ の場合}$$

$E[\cdot]$ は期待値、 σ^2 は分散値である。なる統計的性質を有する信号である。白色性ガウス雑音はアンテナ素子内で発生する熱雑音などが例に挙げられる。この白色性ガウス雑音の仮定が反映されるのは、フィルタ係数 $\mathbf{w}_n(k)$ を求める式(34)又はフィルタ係数 $\mathbf{w}(k)$ を求める式(50)中の $\sigma^2 \mathbf{I}$ の部分である。

例えば式(34)の $\mathbf{w}_n(k)$ は、

$\mathbf{n}^H(k) = \sigma^2 \mathbf{I}$ とすることができないため、フィルタ係数 $\mathbf{w}_n(k)$ を算出するために、雑音成分の期待値(共分散)行列 $E[\mathbf{n}(k) \cdot \mathbf{n}^H(k)]$ を別の方法で推定する必要がある。以下にこの方法を説明する。ここで雑音成分の共分散行列を $\mathbf{U} \equiv E[\mathbf{n}(k) \cdot \mathbf{n}^H(k)]$ と略記する。式(22)の $\mathbf{y}(k) = \mathbf{H} \cdot \mathbf{B}(k) + \mathbf{n}(k)$ を $\mathbf{n}(k) = \mathbf{y}(k) - \mathbf{H} \cdot \mathbf{B}(k)$ と変形して、共分散行列 \mathbf{U} に代入すると次式となる。

【0072】

より $\mathbf{B}(k)$ が利用可能であれば、行列 \mathbf{U} は時間平均法により、

$$(51)$$

示し、図14Bに1回目以後の処理を示す。1回目の処理はユニークワードのみを参照信号とし、まずチャネル行列 \mathbf{H} を推定する。次にユニークワードと、そのチャネル行列推定値 $\hat{\mathbf{H}}$ を用いて式(51)により、 \mathbf{U} を推定する。これら推定値 \mathbf{U} と $\hat{\mathbf{H}}$ を用いてフィルタ係数 $\mathbf{w}_n(k)$

を算出し、このフィルタ係数 $w_n(k)$ を用いて受信信号に対する1回目の等化を行い送信情報シンボルを推定する。

【0074】2回目の処理はユニークワードと、1回目の等化で推定された情報シンボルのうちしきい値によって確からしいと判定されたもの*との両方を参照信号として、1回目と同じ手順で H を再推定した後、 U を再推定する。この操作を繰り返すことによって、繰り返し毎に、チャンネル行列推定値 H^{\wedge} がより正確になり、また U の推定値がより正確になり、フィルタ係数 $w_n(k)$ の精度が上がり、等化器の特性が向上する。以上の処理により白色性ガウス雑音でない雑音が受信信号に含まれる場合のターボ受信を行うことができる。

【0075】前述した受信信号中のその雑音の共分散行列 U を推定して線形等化処理を行う場合の機能構成を、図2中に示した多出力等化器31の第1番目の送信機からの送信信号の受信信号の等化出力として対数尤度比 $\Lambda_1[b_1(k)]$ を求める場合に適用した例を図15に示す。図15中の図2と対応する部分には同一参照番号を付けてある。ユニークワード記憶部29からのユニークワード又は前回シンボル記憶部32から確からしい前回のシンボル硬判定が参照ベクトル生成部319に入力され、ここで式(25)及び式(26)により参照ベクトル $B(k)$ が生成される。この参照ベクトル $B(k)$ と、チャンネル推定器28からの推定チャンネル行列 H^{\wedge} と、受信ベクトル生成部311からの受信ベクトル $y(k)$ が共分散行列推定部321に供給され、ここで式(51)が計算されて共分散行列 U の推定行列 U^{\wedge} が得られる。

【0076】また軟判定シンボル生成部313-1からの軟判定送信シンボル軟判定 $b'_{n1}(k) \sim b'_n(k)$ が誤差ベクトル生成部322-1に入力され、ここで式(35)、式(36)及び式(37)によりチャンネル推定2乗誤差と対応する誤差行列 $G_1(k)$ が生成される。この誤差行列 $G_1(k)$ と、推定共分散行列 U^{\wedge} と、推定チャンネル行列 H^{\wedge} とがフィルタ推定部323-1へ供給され、ここで式(52)が計算されてフィルタ係数 $w_1(k)$ が推定される。このフィルタ係数 $w_1(k)$ と差演算部316-1からの差分ベクトル $y'(k)$ が適応フィルタ318-1へ供給されて、 $y'(k)$ に対するフィルタ処理 $w_1(k)$ $H y'(k)$ がなされ、その結果が対数尤度比 $\Lambda_1[b_1(k)]$ として出力される。

【0077】検出する信号についても誤り訂正復号結果を反映させる場合は、図15中に破線で示すように、図7Aに示した関数演算部331-1を設けて $f(b'_n(k))$ を演算し、干渉レプリカベクトル生成部314-1では式(31)の代りに式(43)を用い、誤差ベクトル生成部322-1では式(37)の代りに式(48)を用いればよい。図14Bに示した手法を図16に

流れ図として示す。つまりステップS1で受信信号 $r(k)$ と既知信号(例えばユニークワード)を用いてチャンネル行列 H を推定し、次はステップS2でこの処理が繰り返し処理における1回目であるか否かを調べ、1回目であれば、ステップS3で既知信号と推定チャンネル行列 H^{\wedge} と、受信信号 $r(k)$ とを用いて式(51)を演算して推定共分散行列 U^{\wedge} を求める。

【0078】ステップS4で推定チャンネル行列 H^{\wedge} と、推定共分散行列 U^{\wedge} と、シンボル軟判定値によりなる誤差行列 $G(k)$ とを用いて式(52)を計算してフィルタ係数 $w_n(k)$ を推定する。ステップS5で推定チャンネル行列 H^{\wedge} とフィルタ係数 $w_n(k)$ を用いて受信信号を等化処理し、つまり式(27)を計算し、 $w_n H(k) \cdot y'(k)$ を計算して、対数尤度比 $\Lambda_1[b_n(k)]$ を求め、これに対し復号処理を行って送信シンボルの硬判定値及び軟判定値を推定する。

【0079】ステップS6はしきい値以上のシンボル軟判定値より対応する確からしい(信頼性の高い)シンボル硬判定値を求める。このシンボル硬判定値により、前回シンボル記憶部32に格納されているシンボル硬判定値を更新する。その後、ステップS8で復号処理回数が所定値になったかを調べ、なっていないならばステップS1に戻り、所定値になっていれば、その受信フレームに対する処理を終了する。ステップS2で繰り返し処理における処理が1回目でなければ、つまり2回目以後であれば、ステップS9で前回シンボル記憶部32からシンボル硬判定値を読み出し、これと、受信信号中の情報シンボルとによりチャンネル行列 H を推定してステップS3に移る。

【0080】この場合も、図6中で破線で示したステップS1' ~ S4' と同様の処理にステップS1とS2を変更することにより、2回目以後は、既知信号を用いなくともできる。また検出する信号も誤り訂正復号結果を反映させたい場合は図16中に破線で示すようにステップS10で関数演算 $f(b'_n(k))$ を行い、この結果を用いて誤差行列 $G(k)$ を求めればよい。更に何れの場合においても共分散行列 U^{\wedge} の推定に硬判定送信シンボルを用いなくともよい。この白色性ガウス雑音でない雑音が含まれた受信信号中のその雑音の共分散行列 U を推定できることは以下に述べるように各種有益な応用に適用することができる。

【0081】(1)受信機が未知の干渉信号が含まれる多系列送信信号に対する受信法が挙げられる。図28に示すように、ターボ受信機が受信しようとするN人のユーザの送信機からの信号のように、N個の系列の送信信号に加え、破線で示すようにターボ受信機で未知の干渉信号 $i(k)$ (例えば移動通信で他のセルやゾーンからの信号)が受信されたとする。このとき式(20)は、

$$r_m(k) = \sum_{q=0}^{Q-1} \sum_{n=1}^N h_{mn}(q) \cdot b_n(k-q+1) + i(k) + v_m(k) \quad (20)'$$

となる。このモデルにおいて、 $i(k) + v_m(k) \equiv v'_m(k)$ とすると、

$$r_m(k) = \sum_{q=0}^{Q-1} \sum_{n=1}^N h_{mn}(q) \cdot b_n(k-q+1) + v'_m(k) \quad (20)''$$

となる。 $v'_m(k)$ は白色性ガウス雑音でない雑音信号として、先に述べたように \mathbf{H} の推定、更に \mathbf{U} の推定を行い、 $\mathbf{w}_n(k)$ を推定し、受信信号の等化処理、送信シンボル推定を繰り返すことによりターボ受信を行うことができる。

【0082】(2) 送受信分離フィルタを用いた通信システムにおいて、受信信号に対し、シンボル周期の2分の1よりも高速でオーバーサンプリングを行う際には、各時間でサンプルされた受信信号に含まれる雑音成分間に相関が出て、受信信号中の雑音を白色性ガウス雑音とみなすことができない。つまり、式(20)において、 $E[v_m(k) \cdot v_m(k-q)] = \sigma^2 : q=0$ の場合、 $0 : q \neq 0$ の場合とはならない。よって

$$E[r_m(k) \cdot r_m^H(k)] = \sigma^2 \mathbf{I}$$

なる仮定ができない。そこで送受信分離フィルタにより分離された受信信号に対する処理を式(51)を利用して共分散行列 \mathbf{U} を求めて行うことにより、受信信号を正しく処理することができる。

【0083】(3) 前述したターボ受信方法では、各送信機(ユーザ)からの Q パスのマルチパス成分をすべて合成するしくみになっている。しかし、チャンネルに長遅延波が存在する場合(例: パスが1シンボル遅延、2シンボル遅延、3シンボル遅延、とんで、30シンボル遅延が存在する場合の30シンボル遅延のパス成分)は、長遅延波を合成せず、それを未知干渉として扱い、適応フィルタで除去する方針をとることが可能である。つまりこの長遅延波成分を前記(1)の例における干渉信号 $i(k)$ として扱うことで長遅延波を除去することができる。

【0084】上述した白色性ガウス雑音でない雑音が含まれた受信信号に対する処理において、共分散行列 \mathbf{U} の推定は式(50)における $\sigma^2 \mathbf{I}$ の代りに推定して、シングルユーザターボ受信方法にも適用でき、同様にシングルユーザ、マルチユーザに拘らず、図9に示したRAKE合成処理受信や図10に示したアダプティブアンテナ受信を用いるターボ受信、更に一般に図12に示した繰り返し復号におけるチャンネル推定器42でのチャンネル推定と共分散行列 \mathbf{U} との推定に適用できる。なおRAKE受信の場合はチャンネル推定のみを利用してよい。

【0085】第3発明(多段等化)

上述では受信信号 r_1, \dots, r_M を多出力等化器31で等化して対数尤度比 $\Lambda_1[b(k)], \dots, \Lambda_N[b(k)]$ を求めたが、第1発明の変形例(2)では複数の

の等化段を連続的に設け、後段の等化器程、出力数を少なくする構成としてもよい。例えばこれを図17に示すように二つに分け前段等化器(マルチユーザ等化器)71で、後段のシングルユーザ等化器21'の等化範囲外の干渉成分をキャンセルし、そのため例えばソフト干渉キャンセルとMMSE(最小平均2乗誤差)規範線形フィルタリングの前処理を行い、その後、後段等化器21'により、先に示したパス数が Q のシングルユーザの等化処理を行う。

【0086】このように連続的に等化処理し、前段の処理に線形フィルタを用いることによっても計算量が莫大なものにならないようにすることができる。このターボ受信法の第1発明(2)の基本的概念をもとにした実施例の多出力ターボ受信機の構成及びこの発明が適用されるMIMOシステムの構成例を図18に示し、図1と対応する部分に同一参照番号を付けて重複説明を省略する(以下の説明も同様)。伝送路(チャンネル)を通じてターボ受信機30に、各送信機よりの送信信号が受信される。この受信信号 $r(k)$ はマルチユーザ等化器71に入力され、この等化器71から、 N 個の各送信機よりの信号が、それぞれ他の送信機からの信号による干渉が除去された信号 $u_1(k), \dots, u_N(k)$ と各チャンネル値 $\alpha_1(k), \dots, \alpha_N(k)$ が出力されてそれぞれシングルユーザ等化器21-1, \dots , 21-Nに入力され、これらSISO等化器21-1, \dots , 21-Nからそれぞれ対数尤度比 $\Lambda_1[b_1(k)], \dots, \Lambda_1[b_N(k)]$ が出力される。これより以後の処理は図1の場合と同様であるが、シングルユーザ等化器21-1, \dots , 21-Nで用いられるチャンネル値 $\alpha_1(k), \dots, \alpha_N(k)$ はマルチユーザ等化後のチャンネル値であり、チャンネル行列 \mathbf{H} とは異なる。よってこの $\alpha_1(k), \dots, \alpha_N(k)$ を等化後のチャンネル情報と記す。

【0087】以下、各部の動作を説明する。マルチパス(チャンネル)の数 Q を考慮して図1の説明と同様に式(23)~(26)を定義する。図18中の後段の等化器21-1, \dots , 21-Nは各ユーザの自身の信号シンボル $[b_n(k), b_n(k-1), \dots, b_n(K-Q+1)]$ ($n=1, \dots, N$) による符号間干渉チャンネルを等化するものである。そのため前段の等化器71では $\mathbf{y}(k)$ 内の上記 $[b_n(k), b_n(k-1), \dots, b_n(K-Q+1)]$ ($n=1, \dots, N$) 以外の干渉を除去する処理を行う。以下にその定量的な説明を行う。

【0088】まず、復号器24-1, \dots , 24-Nから

フィードバックされる等化器71の事前情報 $\lambda_2^P [b_n(k)]$ ($n=1, \dots, N$)を用いて軟判定送信シンボル推定 $b'_n(k)$ を式(15)により求める。次にこ

$$y'_n(k) \equiv y(k) - H \cdot B'(k) \quad (27)'$$

$$= H \cdot (B(k) - B'(k)) + n(k) \quad (28)'$$

ここで、

$$B'(k) = [b'^T(k+Q-1) \dots b'^T(k) \dots b'^T(k-Q+1)]^T \quad (29)'$$

そして、

$$b'(k+q) = [b'_1(k+q) b'_2(k+q) \dots b'_n(k+q) \dots b'_N(k+q)]^T : q=Q-1, \dots, 1 \quad (53)$$

$$b'(k+q) = [b'_1(k+q) b'_2(k+q) \dots 0 \dots b'_N(k+q)]^T : q=0, \dots, -Q+1 \quad (54)$$

($b'(k+q)$ の要素中のゼロは n 番目)

以下この干渉を引算する操作をソフト干渉キャンセルと呼ぶことにする。理想的に干渉信号のレプリカが作られているとすると、引算後得られる $y'_n(k)$ は第 n 番目のユーザのシンボル $b_n(k)$ と、式(54)により $q=1, \dots, -Q+1$ で $b'(k+q)$ の n 番目の要素を0としたことに基ずくその第 n 番目のユーザ自身のシンボル $[b_n(k-1), \dots, b_n(k-Q+1)]$ による符号間干渉成分としか持ち得ないことが分かる。

【0089】実際受信ベクトル $r(k)$ 内の第 n 番目ユーザ(送信機)の信号からの寄与成分はシンボル $[b_n(k), b_n(k-1), \dots, b_n(k-Q+1)]$ によるもののみだが、式(21)の受信ベクトル $y(k)$ の定義から理解されるように、マルチパス合成して作られる受信ベクトル $y(k)$ 内の第 n 番目ユーザ(送信機)の信号からの寄与成分には k 番目のシンボル $b_n(k)$ を基準にすればこれに対して未来のシンボ

$$w_n^H(k) \cdot y'_n(k) \div \sum_{q=0}^{Q-1} \alpha_q(k) \cdot b_n(k-q) = \alpha_n^H(k) \cdot b_n(k) \quad (55)$$

従ってこのフィルタ特性 $w_n(k)$ 及び等化後のチャネル値(チャネル情報) $\alpha_n(k)$ を求めて式(55)を演算すればよい。以下に $w_n(k)$ 、 $\alpha_n(k)$ の算出方法を示す。なおフィルタ特性 $w_n(k)$ は式(32)、式(34)で与えられるフィル

$$(w_n(k), \alpha_n(k)) = \arg \min \| w_n^H(k) \cdot y'_n(k) - \alpha_n^H(k) \cdot b_n(k) \|^2 \quad (56)$$

$\alpha_{1n}(k)=1$ を条件とする。つまり式(56)の右辺が最小となる $w_n(k)$ と $\alpha_n(k)$ を求める。付加された拘束条件 $\alpha_{1n}(k)=1$ は、 $\alpha_n(k)=0$ 、 $w_n(k)=0$ なる解を避ける為である。これは、 $\| \alpha_n(k) \|^2 = 1$ なる拘束条件で解く事も可

$$m_n(k) = \arg \min \| m_n^H(k) \cdot z_n(k) \|^2 \quad (57)$$

$m_n^H(k) \cdot e_{MQ+1} = -1$ を条件とする。 $(\alpha_{1n}(k)=1$ と等価)

$$m_n(k) \equiv [w_n^T(k), -\alpha_n^T(k)]^T \quad (58)$$

$$z_n(k) \equiv [y_n^T(k), b_n^T(k)]^T \quad (59)$$

れら軟判定送信シンボル $b'_n(k)$ とチャネル行列 H を用いて干渉信号のレプリカ $H \cdot B'(k)$ を作成し、受信ベクトル $y(k)$ から引算する。

ル $[b_n(k+Q-1), b_n(k+Q-2), \dots, b_n(k+1)]$ による符号間干渉成分も含んでしまう。つまり上記干渉レプリカはその未来からの干渉成分も含めている。このように式(27)'の差分ベクトル $y'_n(k)$ は式(27)の差分ベクトル $y'_n(k)$ と異なっている。

【0090】そこで等化器71における前段処理の次のステップはソフト干渉キャンセル後の干渉余剰成分、つまり前記干渉レプリカ $H \cdot B'(k)$ の不完全合成に基づく残余干渉成分と前記未来符号間干渉成分とを $y'_n(k)$ からMMSE(最小平均2乗誤差)規範の線形フィルタにより除去する。つまり、フィルタ特性 w_n により $y'_n(k)$ を、式(55)に示すようにフィルタ処理した結果が、受信信号中の第 n 番目ユーザの信号中のシンボル $[b_n(k), b_n(k-1), \dots, b_n(k-Q+1)]$ にチャネル値 $\alpha_{1n}, \alpha_{2n}, \dots, \alpha_{Qn}$ をそれぞれ乗算した和と等しくなるようにする。

タ係数 $w_n(k)$ とは異なっているが便宜上同一記号を用いる。

【0091】上記の解は以下の最適問題の解として定義される。

能であるが以下では、 $\alpha_{1n}(k)=1$ の場合の解を示す。簡単の為、以下のように問題を置き換える。つまり式(56)の右辺を w 、 α について最小とする $m_n(k)$ と定義する。

【0092】

ここで、

$$e_{MQ+1} = [0 \cdots 1 \cdots 0]^T \quad (60)$$

(e_{MQ+1} 中の1の要素は $MQ+1$ 番目)である。文献
[2] S. Haykin, Adaptive Filter Theory, Prentice Hall
P. 220~P. 227に示されているラグランジェ未定係数法

より、この最適化問題の解は以下で与えられる。
【0093】

$$m_n(k) = -R_{ZZ}^{-1} \cdot e_{MQ+1} / (e_{MQ+1}^H \cdot R_{ZZ}^{-1} \cdot e_{MQ+1}) \quad (61)$$

ここで、

$$R_{ZZ} = E[z_n(k) \cdot z_n^H(k)] \quad (62)$$

$E[A]$ は A の期待値(平均値)を表わす。

【0095】

【0094】

【数21】

$$= E \begin{bmatrix} H \cdot \Lambda_n(k) \cdot H^H + \sigma^2 I & H_n^H \\ H_n & I \end{bmatrix} \quad (63)$$

$$\Lambda_n(k) = \text{diag} [D_n(k+Q-1), \dots, D_n(k), \dots, D_n(k-Q+1)] \quad (64)$$

I は単位行列 σ^2 は雑音電力(白色性ガウス雑音の分散値)

【0097】

【0096】

【数22】

$$H_n = \begin{bmatrix} h_n(Q-1) & 0 & 0 & 0 \\ h_n(Q-2) & h_n(Q-1) & 0 & 0 \\ \vdots & \vdots & \ddots & \vdots \\ h_n(0) & h_n(1) & \dots & h_n(Q-1) \end{bmatrix} \quad (65)$$

$$D_n(k+q) = \text{diag} [1-b'_1 2(k+q), \dots, 1-b'_n 2(k+q), \dots, 1-b'_N 2(k+q)] : q=Q+1, \dots, 1 \quad (66)$$

$$D_n(k+q) = \text{diag} [1-b'_1 2(k+q), \dots, 1, \dots, 1-b'_N 2(k+q)] : q=0, \dots, -Q+1 \quad (67)$$

diag は対角行列(行列の対角線の要素以外の要素はゼロ)を表わす。つまりチャネル行列 H 、 σ^2 が既知であれば、 $m_n(k)$ は式(61)で求めることができる。よって式(58)に従い $w_n(k)$ 、 α

$n(k)$ も求められる。

【0098】この算出されたフィルタ特性 $w_n(k)$ により、 $y'_n(k)$ を次式によりフィルタ処理する。

$$u_n(k) = w_n^H(k) \cdot y'_n(k) \quad (68)$$

H は共役転置行列を表わす。このフィルタ処理された n 個の処理結果が後続の対応する等化器21-nに送られる。このようにして第 n 番目のユーザよりの式(1)の左辺と対応する受信信号 $u_n(k)$ が得られ、また式(1)の右辺のチャネル値 $h_{mn}(q)$ と対応する $\alpha_{mn}(k)$ が得られ、つまり式(1)と対応する式(55)が求まる。よって $\alpha_n(k)$ も等化器パラメータ(チャネル値)として後続の等化器21-nに付与される。以上が等化器71による前段処理である。

【0099】次に後続の等化器21-n以降の処理について述べる。前述したように式(55)は式(1)と対

応しているから、ユーザ毎の等化器21-n内での動作は図31中の等化器21の動作と同様に行えばよく上記でも述べた通り、文献[1]に示されているため詳細は省略する。各等化器21-nは上で定義した $u_n(k)$ 、 $\alpha_n(k)$ 及び復号器24-nからの事前情報 $\lambda_2[b_n(k)]$ を入力し、出力として各符号化ビットが+1である確率と-1である確率の対数尤度比 Λ_1 (LLR: Log-Likelihood Ratio)を次式により算出する。

【0100】

【数23】

$$\Lambda_1[b(k)] = \log \frac{\Pr[b_n(k) = +1 | u_n(k), k=0, \dots, B]}{\Pr[b_n(k) = -1 | u_n(k), k=0, \dots, B]} \quad (69)$$

$$\equiv \lambda_1[b_n(k)] + \lambda_2^P[b_n(k)] \quad (70)$$

【0101】ここで $\lambda_1[b_n(k)]$ は後続の復号器24-nに送られる外部情報、 $\lambda_2^P[b_n(k)]$ は等化器31に与えられる事前情報である。復号器24-

nは対数尤度比 Λ_2 を次式により算出する。

【0102】

【数24】

$$\Lambda_2[b_n(i)] = \log \frac{\Pr[b_n(i) = +1 | \lambda_1[b_n(i)], i=0, \dots, B]}{\Pr[b_n(i) = -1 | \lambda_1[b_n(i)], i=0, \dots, B]} \quad (71)$$

$$\equiv \lambda_2[b_n(i)] + \lambda_1^P[b_n(i)] \quad (72)$$

【0103】ここで $\lambda_2[b_n(i)]$ は繰り返しの際に等化器71と等化器21に与えられる外部情報、 $\lambda_1^P[b_n(k)]$ は復号器24-nに与えられた事前情報である。この図18に示した構成により繰り返し等化、復号を行い誤り率の向上が達成される。前述したマルチユーザ等化器71の機能構成を図19を参照して簡単に説明する。各アンテナよりの受信信号は受信部70でベクトル $r(k) = [r_1(k) \dots r_M(k)]$ として処理され、このベクトル $r(k)$ を用いて受信ベクトル生成部311において各マルチパス(チャネル)を考慮した式(21)の受信ベクトル $y(k)$ が生成される。

【0104】一方、受信部70よりの受信信号 $r(k)$ と、ユニークワード記憶部29からの各送信機と対応した、チャネル推定用のユニークワード系列などの既知系列信号とがチャネル推定器28に入力されてチャネル行列 H が推定される。また各復号器24-1, ..., 24-Nの出力対数尤度比 $\Lambda_2[b_1(i)]$, ..., $\Lambda_2[b_N(i)]$ からそれぞれ事前情報 $\lambda_1^P[b_1(i)]$, ..., $\lambda_1^P[b_N(i)]$ が差し引かれた外部情報 $\lambda_2[b_1(k)]$, ..., $\lambda_2[b_N(k)]$ が軟判定シンボル推定部313-1, ..., 313-Nに入力され、それぞれ式(15)により軟判定送信シンボル $b'_1(k)$, ..., $b'_N(k)$ が計算され、これらが干渉ベクトル生成部72に入力され、干渉ベクトル生成部72では各nごとに他の送信機からの干渉信号となり得るシンボル推定値のベクトル $B'(k)$ が式(29)'、(53)及び(54)により生成される。これらN個のベクトル $B'(k)$ とチャネル行列 H との積が他干渉信号推定部73-1, ..., 73-Nでそれぞれ演算されて干渉成分のレプリカ $H \cdot B(k)$ が求められる。

【0105】これらN個の干渉成分レプリカ $H \cdot B(k)$ が受信ベクトル $y(k)$ から引算部74-1, ..., 74-Nでそれぞれ引算されて、差分ベクトル

$y'_1(k)$, ..., $y'_N(k)$ が求められる。軟判定送信シンボル $b'_1(k)$, ..., $b'_N(k)$ が誤差行列生成部75に入力されて、式(64)、(66)、(67)により誤差行列 $\Lambda_1(k)$, ..., $\Lambda_N(k)$ が生成され、これらとチャネル行列 H 及び雑音電力 σ^2 がフィルタ特性推定部76に入力され、フィルタ特性推定部76では式(58)、(60)、(61)、(63)及び(65)により、フィルタ特性 w_n と等化後のチャネル情報 α_n とが推定される。これらフィルタ特性 w_1 , ..., w_N と差分ベクトル $y'_1(k)$, ..., $y'_N(k)$ とがフィルタ処理部77-1, ..., 77-Nでそれぞれ乗算され、つまりフィルタ処理されて、各ユーザごとの各パスからのシンボル $[b_n(k), b_n(k-1), \dots, b_n(K-Q+1)]$ の受信信号から他ユーザ信号よりの干渉が除去された成分である $u_1(k)$, ..., $u_N(k)$ がそれぞれ得られ、これらとフィルタ特性推定部76で求められた等化後のチャネル情報 $\alpha_1(k)$, ..., $\alpha_N(k)$ がそれぞれ図18中のシングルユーザ等化器21-1, ..., 21-Nへ供給される。

【0106】このターボ受信法の第1発明(2)の処理手順を図20に示す。図20において、図3に示した処理手順と対応するステップには同一ステップ記号を付けた。ただし、ステップS4における干渉レプリカベクトル $B'_n(k)$ の計算は式(29)'、(53)及び(54)により行う。ステップS13は軟判定送信シンボル $b'_n(k)$ を用い、式(64)、(66)、(67)により誤差行列 $\Lambda_n(k)$ を生成する。ステップS14はチャネルと行列 H 及び雑音電力 σ^2 と誤差行列 $\Lambda_n(k)$ を用い、式(58)、(60)、(61)、(63)、(65)により残余干渉除去フィルタ $w_n(k)$ とチャネル情報 α_n を求める。ステップS15で差分ベクトル $y'_n(k)$ を残余干渉除去フィルタ特性 $w_n(k)$ によりフィルタ処理して $u_n(k)$ を求める。ステップS16で各フィルタ処理結果 u

$n(k)$ に対し、シングルユーザ等化処理を行って対数尤度比 $\Lambda_n[b_n(k)]$ をそれぞれ求め、これらをステップS10で復号処理する。その他は図3に示した処理と同様である。

【0107】上述では後段等化器21-nにおける等化範囲は、シンボル $[b_n(k), b_n(k-1), \dots, b_n(K-Q+1)]$ ($n=1, \dots, N$) による符号間干渉区間としているが、この等化範囲は調節可能である。例えば、Qが非常に大きな値の場合は、後段の等化器21-nの計算負荷が大きくなる。このような場合、後段等化器21-nでの等化範囲を $Q' < Q$ とし、前段の等化器71で、 $[b_n(k), b_n(k-1), \dots, b_n(K-Q'+1)]$ ($Q' < Q, n=1, \dots, N$) 区間以外の同一ユーザの信号の符号間干渉を除去するように変更すればよい。この変更については後で説明する。この前段等化と後段等化に分けて信う場合も、図19中に破線で示すようにチャネル推定器28において前回シンボル記憶部32を設けて硬判定送信シンボル $\hat{b}_n(k)$ をも用いてチャネル値の推定を行うようにして、その推定精度を向上させることができる。

【0108】図17に示した例では前段の多出力等化器71ではN系列の送信信号に対し、これらを他系列よりの干渉を等化分離した、N系列の信号 u_n と、等化後のチャネル情報 $e\alpha_n$ を出力し、その後、各N系列の信号 u_n を後段のシングルユーザ等化器22-nにより同一送信信号の符号間干渉を除去した。つまり、2段の縦続等化構成とした。3段以上の縦続多段構成としてもよい。例えば図21に示すように、第1段目の等化器81において、N系列の送信信号に対するM系列の受信信号 r_m を入力して第1～第U番送信系列の第U+1番送信系列による干渉を除去した等化信号系列 $er_1(k)$ 及びその等化後のチャネル情報 $e\alpha(k)$ と、第U+1～第N番送信系列の第1～第U番送信系列による干渉を除去した等化信号系列 $er_2(k)$ 及びその等化後のチャネル情報 $e\alpha_2(k)$ とを得、第2段目の等化器82-1及び82-2中の82-1では、入力された $er_1(k)$ 及び $e\alpha_1(k)$ を等化処理して、第1～第U番送信系列中の第1～第U₁番送信系列の第U₁+1～第U番送信系列による干渉を除去した等化信号系列 $er_3(k)$ 及びその等化後のチャネル情報 $e\alpha_3(k)$ と、第1～第U番送信系列中の第U₁+1～第U₂番送信系列の第1～第U₁番送信系列及び第U₂～第U番送信系列による干渉を除去した等化信号系列 $er_4(k)$ 及びその等化後のチャネル情報 $e\alpha_4(k)$ と、第1～第U番送信系列中の第U₂+1～第U番送信系列の第1～第U₂番送信系列による干渉を除去した等化信号

系列 $er_5(k)$ 及びその等化後のチャネル情報 $e\alpha_5(k)$ をそれぞれ出力する。

【0109】同様に第2段目の等化器82-2では等化信号系列 $er_2(k)$ とチャネル情報 $e\alpha_2(k)$ が入力されて、等化信号系列 $er_6(k)$ 及び等化後のチャネル情報 $e\alpha_6(k)$ と等化信号系列 $er_7(k)$ 及び等化後のチャネル情報 $e\alpha_7(k)$ を出力する。N=5の場合は第3段目の等化器83-1～83-5は図18中のシングルユーザ等化器となる。あるいは、等化器83-3の入力等化信号は2つの送信信号により構成され、等化器83-3によりその2つの送信信号間の相互干渉を除去して2組の等化信号とその等化後のチャネル情報とを次のシングルユーザ等化器84-1, 84-2でそれぞれ等化してもよい。更に、例えば等化器83-4では等化信号 $er_6(k)$ とチャネル情報 $e\alpha_6(k)$ を入力して、その構成送信信号の全て、例えば3つの送信信号のそれぞれについて他の2つの送信信号との相互干渉と、それ自身のマルチパスによる符号間干渉を除去してもよい。第2段目の等化器82-1, 82-2の1つ乃至複数で、複数の送信信号に対する各等化信号を一挙に得るように構成してもよい。

【0110】以上のように一般には第1段目の等化器から複数の等化信号系列と等化後チャネル情報の組を出力し、各等化信号系列及びその等化後のチャネル情報の組について、1乃至複数の等化器を1乃至複数段縦続させて、最終的には第1～第N番目の送信系列のそれぞれの等化出力、つまりこの例では対数尤度比 $\Lambda_1[b_n(k)]$ を出力させることもできる。このように多段縦続等化処理を行う場合は、前述したように後段程、干渉除去するパス数Qの値を小として、演算処理量を少なくすることが好ましい。この場合は、前述したように、後段において減少したパスによる干渉成分を、その直前の等化段で除去するようにする。

【0111】以下において、図21中の第1段目の等化器21で、N個の送信系列、各送信系列のマルチパスの数がQの受信信号からU個の送信系列の群の等化信号系列 $er_1(k)$ 及び等化後のチャネル情報 $e\alpha_1(k)$ を得、その後段の等化器82-1での等化処理では各送信系列のマルチパスの数を Q' とする場合の等化処理を説明する。図18及び図19に示した実施例とほぼ同様に干渉ベクトル生成部72で干渉ベクトル $B'(k)$ を生成するが、この構成式(53)、式(54)が式(53)、式(54)'及び式(73)に変更する。

【0112】

$$B'(k+q) = [b'_1(k+q) \ b'_2(k+q) \ \dots \ b'_n(k+q) \ \dots \ b'_N(k+q)]^T : q=Q-1, \dots, 1 \quad (53)$$

$$B'(k+q) = [0 \ \dots \ 0 \ b'_{U+1}(k+q) \ \dots \ b'_N(k+q)]^T : q=0, \dots, -Q'+1 \quad (54)'$$

$$\mathbf{b}'(k+q) = [b'_{1,0}(k+q) \ b'_{1,Q'-1}(k+q) \ \dots \ b'_{U,0}(k+q) \ \dots \ b'_{U,Q'-1}(k+q)]^T : q=Q', \dots, -Q+1 \quad (73)$$

式(54)'は第1～第U送信系列自体のシンボルと、 Q' のマルチパスに基づくこれら各系列の自身及び相互の符号間干渉成分を除いて等化するためのものであり、式(73)は後段の等化でマルチパスの数を Q' に減少するため、 $Q'+1$ 番目乃至 Q 番目のパスに基づく、第1～第U送信系列の自身及び相互の符号間干渉を除去す

$$\mathbf{y}'_g(k) \equiv \mathbf{y}(k) - \mathbf{H} \cdot \mathbf{B}'(k) \quad (27)'$$

$$= \mathbf{H} \cdot (\mathbf{B}(k) - \mathbf{B}'(k)) + \mathbf{n}(k) \quad (28)'$$

以下この干渉を引算する操作をソフト干渉キャンセルと呼ぶことにする。理想的に干渉信号のレプリカ $\mathbf{H} \cdot \mathbf{B}'(k)$ が作られているとすると、引算後得られる $\mathbf{y}'_g(k)$ は第1～第U送信系列のシンボル、 $[b_n(k), b_n(k-1), \dots, b_n(k-Q'+1)]$, ($n=1 \sim U$)の信号成分しか持ち得ないこと

$$\mathbf{w}_g^H(k) \cdot \mathbf{y}'_g(k) \equiv \sum_{n=1}^U \sum_{q=0}^{Q'-1} \alpha_{nq}(k) \cdot b_n(k-q) = \alpha_g^H(k) \cdot \mathbf{b}_g(k) \quad (55)'$$

ここで、

$$\alpha_g(k) = [\alpha_{1,0}(k), \dots, \alpha_{1,Q'-1}(k), \dots, \alpha_{U,0}(k), \dots, \alpha_{U,Q'-1}(k)]^T \quad (55-1)$$

$$\mathbf{b}_g(k) = [b_1(k), \dots, b_1(k-Q'+1), \dots, b_U(k), \dots, b_U(k-Q'+1)]^T \quad (55-2)$$

これら $\mathbf{w}_g(k)$, $\alpha_g(k)$ を求めることも前述と同様に式(56)を次式として右辺が最小となる $\mathbf{w}_g(k)$, $\alpha_g(k)$ を求める。

$$(\mathbf{w}_g(k), \alpha_g(k)) = \arg \min \| \mathbf{w}_g^H(k) \cdot \mathbf{y}'_g(k) - \alpha_g^H(k) \cdot \mathbf{b}_g(k) \|^2 \quad (56)'$$

$\alpha_{1,0}(k)=1$ を条件とする。付加された拘束条件は、 $\alpha_g(k)=0$, $\mathbf{w}_g(k)=0$ なる解を避ける為であり、 $\| \alpha_g(k) \|^2 = 1$ なる拘束条件で解

$$\mathbf{m}_g(k) = \arg \min \| \mathbf{m}_g^H(k) \cdot \mathbf{z}_g(k) \|^2 \quad (57)'$$

$\mathbf{m}_g^H(k) \cdot \mathbf{e}_{MQ'+1} = -1$ を条件とする。

$$\mathbf{m}_g(k) \equiv [\mathbf{w}_g^T(k), -\alpha_g^T(k)]^T \quad (58)'$$

$$\mathbf{z}_g(k) \equiv [\mathbf{y}_g^T(k), \mathbf{b}_g^T(k)]^T \quad (59)'$$

$$\mathbf{e}_{MQ'+1} = [0 \ \dots \ 1 \ \dots \ 0]^T \quad (60)'$$

($\mathbf{e}_{MQ'+1}$ 中の1の要素は $MQ'+1$ 番目)

前記文献[2]に示されているラグランジェ未定係数法

$$\mathbf{m}_g(k) = -\mathbf{R}_{zz}^{-1} \cdot \mathbf{e}_{MQ'+1} / (\mathbf{e}_{MQ'+1}^H \cdot \mathbf{R}_{zz}^{-1} \cdot \mathbf{e}_{MQ'+1}) \quad (61)'$$

ここで、

【0117】

【数25】

$$\mathbf{R}_{zz} = E[\mathbf{z}_g(k) \cdot \mathbf{z}_g^H(k)] \quad (62)'$$

$$= E \begin{bmatrix} \mathbf{H} \cdot \Lambda(k) \cdot \mathbf{H}^H + \sigma^2 \mathbf{I} & \mathbf{H}_g^H \\ \mathbf{H}_g & \mathbf{I} \end{bmatrix} \quad (63)'$$

$$\Lambda_n(k) = \text{diag}[\mathbf{D}_n(k+Q-1), \dots, \mathbf{D}_n(k), \dots, \mathbf{D}_n(k-Q+1)] \quad (64)'$$

るためのものである。

【0113】このようにして得られた干渉ベクトル $\mathbf{B}'(k)$ を用いて干渉信号レプリカ $\mathbf{H} \cdot \mathbf{B}'(k)$ を作り、これを受信ベクトル $\mathbf{y}(k)$ から引算し、つまり次式を計算する。

が分かる。

【0114】次にソフト干渉キャンセル後の干渉余剰成分を前述と同様にMMS E規範の線形フィルタで除去する。この場合の式(55)と対応した式は次式(55)'となる。

$\mathbf{w}_g(k)$, $\alpha_g(k)$ を求める。

【0115】

く事も可能であるが以下では、 $\alpha_{1,0}(k)=1$ の場合以下のように問題を置き換える。

ここで、

よりこの最適化問題の解は以下で与えられる。

【0116】

【0118】

【0119】

【数26】

$$H_g = \begin{bmatrix} h_1(Q-1) & 0 & 0 & \dots & h_U(Q-1) & 0 & 0 \\ h_1(Q-2) & \ddots & 0 & \dots & h_U(Q-2) & \ddots & 0 \\ h_1(Q-3) & \vdots & h_1(Q-1) & \dots & h_U(Q-3) & \vdots & h_U(Q-1) \\ \vdots & \vdots & \vdots & \dots & \vdots & \vdots & \vdots \\ h_1(0) & \dots & h_1(Q'-1) & \dots & h_U(0) & \dots & h_U(Q'-1) \end{bmatrix} \quad (65)'$$

【0120】

$$D_n(k+q) = \text{diag} [1 - b'_1{}^2(k+q), \dots, 1 - b'_n{}^2(k+q), \dots, 1 - b'_N{}^2(k+q)] : q = Q+1, \dots, 1 \quad (66)$$

$$D_n(k+q) = \text{diag} [1, \dots, 1, 1 - b'_{U+1}{}^2(k+q), \dots, 1 - b'_N{}^2(k+q)] : q = 0, \dots, -Q' + 1 \quad (67)'$$

$$D_n(k+q) = \text{diag} [1 - b'_1{}^2(k+q), \dots, 1 - b'_n{}^2(k+q), \dots, 1 - b'_N{}^2(k+q)] : q = Q', \dots, -Q + 1 \quad (74)$$

つまりチャネルパラメータが既知であれば、 $w_g(k)$ は式(61)'で求めることができる。更に式(58)'に従い $w_g(k)$ 、 $\alpha_g(k)$ ($= e \alpha_1(k)$) も求められる。このような計算を例えば図19中のフィルタ特性推定部76で行い、フィルタ処理部77-1で次式を計算してフィルタ処理する。

【0121】

$e r_1(k) = w_g^H(k) \cdot y'_g(k)$
この等化出力 $e r_1(k)$ と等化後チャネル情報 $e \alpha_1(k) = \alpha_g(k)$ が後段の等化器82-1に送られる。以上のようにして例えば5の送信系列(ユーザ)時に3送信系列(ユーザ)グループと2送信系列(ユーザ)グループとに分ける場合は、 $U=3$ 及び2で上記アルゴリズムを実行し、これら二つの等化出力 $e r_1(k)$ 、 $e \alpha_1(k)$ と $e r_2(k)$ 、 $e \alpha_2(k)$ を後続の3送信系列(ユーザ)用及び2送信系列(ユーザ)用の等化器に入力してそれぞれ各送信系列(ユーザ)の等化出力を得る。

【0122】また前述した検出する信号の誤り訂正復号結果を軟判定送信シンボルに反映させることは、図8に示したシングルユーザターボコライザ受信機、図9に示したRAKE合成処理ターボ受信機、図10に示したアダプティブアレーアンテナ受信部を備えるターボ受信機、更に一般に図12に示したチャネル推定器42を備えるターボ受信機にも適用できる。更に図13、図14及び図15ではチャネル行列 H と共分散行列 U^{\wedge} の、2回目以後の推定に確からしいと判断されたシンボル硬判定値も参照信号として利用したが、2回目以後もユニークワードのみを参照信号として式(51)を利用して共分散行列 U^{\wedge} の推定を行い、シンボル硬判定値を用いるチャネル推定及び共分散行列 U^{\wedge} の推定は省略してもよい。

第1発明(2)(並列送信)

次に1人の利用者による情報系列 $c(i)$ を複数の並列系列として送信することにより周波数利用効率よく高速伝送を行うことが提案されている。このような送信信号

に対し、この発明を適用したターボ受信機の実施例を説明する。

【0123】図22に図1と対応する部分に同一参照符号を付けて示すよう送信側において、変調器13よりの変調出力信号 $b(j)$ は直列-並列変換器14により N 個の系列に各シンボル $b(j)$ が順次分配され、2以上の整数 N 個の系列信号 $b_1(k)$ 、 \dots 、 $b_N(k)$ とされ、図に示していないが、これらは無線周波数の信号に変換された後、 N 個のアンテナから送信される。これら N 個の系列信号はチャネル(伝送路)を通じて、この発明のターボ受信機に受信される。この受信機の受信アンテナは1個以上であり、この受信信号は1以上の整数 M 個のベースバンドデジタル受信信号 $r_m(k)$ ($m=1, 2, \dots, M$) として多出力等化器31に入力される。受信信号 $r_m(k)$ は例えば図28に示したように生成される。

【0124】多出力等化器31は図2に示した構成と同様であり、図3に示した処理手順と同様な処理を行う。その際に、図22中に示した復号器24よりの対数尤度比 $\Lambda_2[b(i)]$ から外部情報 $\lambda_1[b(i)]$ が減算器25で減算され、その減算出力がインタリーバ26によりインタリーブされて事前情報 $\lambda_2[b(j)]$ とされ、その事前情報 $\lambda_2[b(j)]$ が直列-並列変換器15で N 系列の事前情報 $\lambda_2[b_1(k)]$ 、 \dots 、 $\lambda_2[b_N(k)]$ に変換されて多出力等化器31へ入力される。

【0125】よって多出力等化器31ではその M 系列の受信信号が、先に述べたと同様に線形等化処理されて、 N 個の対数尤度比系列 $\Lambda_1[b_1(k)]$ 、 \dots 、 $\Lambda_1[b_N(k)]$ が出力される。この N 個の系列の対数尤度比系列は並列-直列変換器16により1系列の対数尤度比系列 $\Lambda_1[b(j)]$ に変換されて、減算器22へ供給される。この構成によれば多出力等化器31の入力信号形式が、図1乃至図3で説明したものと同等になり、従って図1乃至図3を参照して行った等化処理により、 N 系列の対数尤度比 $\Lambda_1[b_1(k)]$ 、 \dots 、 Λ_1

$[b_N(k)]$ を得ることができ、直列-並列変換器15と並列直列変換器16とを用いることによって繰り返し復号処理を行うことができることは容易に理解されよう。図1乃至図3において n 番目の送信機の送信信号と対応してこの場合は N 個の並列送信信号中の n 番目(n 列目)の送信信号が等化されることになる。またこの N 系列信号の並列送信に対する受信について、図4乃至図7を参照した実施例を適用できることも容易に理解できよう。また図18乃至図21に示した複数の等化段による継続的処理により、図1乃至図31に示した単一の等化段による処理に比べ受信特性は向上する。

【0126】この発明のターボ受信方法、受信機は畳み込み符号/ターボ符号+インタリーバ+多値変調(QPSK, 8PSK, 16QAM, 64QAMなど)、TCM(Trellis Coded Modulation)/ターボTCMなどに対する受信にも適用できる。

M個の受信信号の生成

上述では M 個の受信信号 $r_1(k), \dots, r_M(k)$ を、 M 個のアンテナ#1, ..., # M から求めたが、1個のアンテナから求めてもよく、あるいは、2以上の整数 L 個のアンテナの受信信号から L より多い M 個の受信信号を求めてもよい。図1において特に示さなかったが各アンテナ#1, ..., # M からの受信信号はベースバンド変換部によりベースバンドの受信信号 r_1, \dots, r_m とされ、サンプリングされて離散時刻 k のデジタル信号 $r_1(k), \dots, r_M(k)$ とされている。

ユーザ(送信機)数 N	2
各ユーザのマルチパス数 Q	5
受信アンテナ数	2本
1フレーム内の情報シンボル数	450ビット
1フレーム内のユニークワード数	25ビット
チャネル推定法	RLS(忘却係数0.99)
誤り訂正符号	レート1/2, 拘束長3畳み込み符号
ドップラ周波数	1000Hz(レイリーフェージング)
変調方式	BPSK
伝送速度	20Mbps
復号器24	Max-Log-Mapデコーダ
繰り返し数	4回
フレーム内でフェージングなし	

なおフィルタ係数 ω の計算には前記逆行列の補助定理による近似は用いなかった。

【0129】図23は、チャネル推定が完全に行われた(推定誤差はなし)、つまりチャネルは既知であると仮定した時の誤り率特性であり、ユーザ(送信機)数 $N=2$ 、受信アンテナ数 $M=2$ 、Rayleighパス数 $Q=5$ の場合である。繰り返し1回目は繰り返ししていない状態であり、繰り返し2回目では1回繰り返しを行った結果である。繰り返しにより誤り率特性が大幅に改善されていることが分かる。これによりこの発明のMIMO用ターボ受信方法は適切に動作することが分かる。

【0127】例えば図30Bに示すように $L=2$ 個のアンテナ#1, #2で受信された受信信号はそれぞれベースバンド変換部61-1, 61-2でそれぞれベースバンド信号に変換され、ベースバンド変換部61-1と61-2の各出力はサンプリング信号発生器62からのサンプリング信号と、このサンプリング信号を移相器63でその周期 T の $T/2$ だけ位相をずらしたサンプリング信号とにより、それぞれA/D変換器64-1, 64-2と64-3, 64-4でサンプリングされてデジタル信号 $r_1(k), r_2(k)$ と $r_3(k), r_4(k)$ に変換され、図1又は図18あるいは図22に示したターボ受信機30に入力され、 N 個の復号出力を得るようにしてもよい。なおターボ受信機30に入力される受信信号 $r_1(k), \dots, r_4(k)$ の各サンプリング周期は、1個のアンテナごとに1個の受信信号 $r_m(k)$ を受信する場合のサンプリング周期と一致するようにサンプリング信号発生器62よりのサンプリング信号の周波数が選定される。

【0128】

【発明の効果】以上述べたようにこの第1発明(1)によれば、多出力(MIMO)受信方法を実現できる。定量的な効果として誤り率特性を図23、図24に示す。各国において横軸の E_b/N_0 はビットエネルギー対ノイズ比である。シュミレーション条件として以下を想定した。

ユーザ(送信機)数 N	2
各ユーザのマルチパス数 Q	5
受信アンテナ数	2本
1フレーム内の情報シンボル数	450ビット
1フレーム内のユニークワード数	25ビット
チャネル推定法	RLS(忘却係数0.99)
誤り訂正符号	レート1/2, 拘束長3畳み込み符号
ドップラ周波数	1000Hz(レイリーフェージング)
変調方式	BPSK
伝送速度	20Mbps
復号器24	Max-Log-Mapデコーダ
繰り返し数	4回
フレーム内でフェージングなし	

【0130】図24は繰り返しチャネル推定(第4発明)の効果を示す。横軸はしきい値 T_h である。 $E_b/N_0=4$ dBに固定し(E_b は1ユーザ分である)、 $T_h=1$ 、0は1つもシンボル硬判定値が選ばれない、つまりシンボル硬判定値を用いるチャネル推定が行われない従来法と考えられる。この場合は図から明らかなようにチャネル推定が不正確なためBER特性の繰り返し効果は少ない。しきい値 $T_h=0$ は、硬判定値をそのまま全部用いる場合であり、このように情報シンボルの硬判定値も利用すると図から明らかなように平均ビット誤り率が改善され、それだけチャネル推定が正確に行うこと

ができることが理解される。更にしきい値 $T_h = 0.2 \sim 0.6$ 程度では $T_h = 0$ の場合より平均ビット誤り率が小となっており、つまり確からしい硬判定値のみを利用した方が良いことがわかる。特に $T_h = 0.25$ 付近が最も好ましいことも理解される。

【0131】図25に、しきい値により確からしい送信シンボル硬判定値をチャネル推定に用いる、つまり繰り返しチャネル推定を用いたMIMO受信方法の誤り率特性を曲線66として示す、この場合のしきい値は0.25に設定し、結果は繰り返し4回後の特性であり、 $N=2$ 、 $M=2$ 、 $Q=5$ Rayleigh、 $f_d T_s = 1/20000$ 、900シンボル/フレームである。比較のためチャネル推定が完全な場合の誤り率特性を曲線67に、従来の情報シンボルの硬判定値はチャネル推定に利

全ユーザ（送信機）数N	3（うち1ユーザを未知干渉： $i(k)$ とする）
各ユーザのマルチパス数Q	5
受信アンテナ数	3本
1フレーム内の情報シンボル数	450ビット
誤り訂正符号	レート1/2、拘束長3畳み込み符号
ドップラー周波数	1000Hz
変調方式	BPSK
伝送速度	20Mbps
復号器	Log-MAPはデコーダ
繰り返し数	4回

3ユーザ（送信機）は等電力とした。図26は図14、図15、図16に示した H 、 U^* を推定するターボ受信機のBER（ビット誤り率）特性のシミュレーション結果、図27は図1に示したターボ受信機（図13の方法を用いる受信機）をそのまま用いたBER特性を示す。図26では、雑音は白色性ガウス雑音のみとしており、チャネル推定、復号処理を2回以上繰り返してもその効果がほとんど得られていないが、図27では繰り返し数

全ユーザ（送信機）数N	4
各ユーザのマルチパス数Q	5
受信アンテナ数M	2
1フレーム内の情報シンボル数	900
誤り訂正符号	畳み込み符号（符号化率：1/2、拘束長3）
変調方式	BPSK
復号器	Log-MAPデコーダ
誤り符号化率	1/2
繰り返し数	5
また $f(b'_n(k)) = \alpha \times b'_n(k)$	

とした。

【0134】図28は、図1に示した多出力ターボ受信機と、 $b'_n(k)$ に誤り訂正復号結果を反映させた多入力多出力ターボ受信機のBER特性を前者はプロット点を黒で、後者は白でそれぞれ示す。丸は繰り返し1回目、下向き三角は繰り返し2回目、菱形は繰り返し3回目、左向き三角は繰り返し4回目、右向き三角は繰り返し5回目を表わす。図28Aは $\alpha = 0.2$ に固定したと

用しない、つまり繰り返しなしのチャネル推定（チャネル推定は1回だけ）を用いたときの誤り率特性を曲線68に示す。このグラフよりチャネルの繰り返し推定を用いた場合、誤り率特性はチャネル推定完全の場合のそれに近づいていることが分かる。

【0132】また上述したチャネル推定方法によれば、復号された軟判定値から、その硬判定値の確からしいか否かを判定し、確からしい硬判定値のシンボル情報をも、次の繰り返し受信処理の際のチャネル推定に利用することにより、チャネル推定をより正しく行うことができ、復号品質を向上することができる。次に共分散行列 U^* （ガウス性雑音以外の雑音）を推定するようにした実施例の効果を確認するため以下の条件でシミュレーションを行った。

を多くすることによりBER特性の向上が達成され、しかも、同一 E_b/N_0 に対し、BERが図26に示すものよりも可成り小さい値を示すことが理解される。

【0133】次に目的とするユーザ（送信機）よりの受信信号のシンボル軟判定値 $b'_n(k)$ に対し誤り訂正復号結果を反映させた実施例（第2発明）の効果を確認するために以下の条件でシミュレーションを行った。

きの E_b/N_0 に対するBER特性のシミュレーション結果、図26Bは $E_b/N_0 = 6$ dBとしたときの α に対するBER特性のシミュレーション結果をそれぞれ示す。ここで $\alpha = 0$ の場合は $b'_n(k) = 0$ とした場合に等しい。この図28Aより、 $b'_n(k)$ に誤り訂正復号結果を反映させた多入力多出力受信機では、図1に示した多入力多出力ターボ受信機に比べ、繰り返し回数が3回目以降の場合において1回前の繰り返し復号時の

BERに対して改善効果が大きく、繰り返し回数が3回目以降では $BER > 10^{-4}$ の範囲において各BERを達成する所要 E_b/N_0 と比較した場合、 $b'_n(k)$ に誤り訂正復号結果を反映させた多入力多出力ターボ受信機は図1に示した多入力多出力ターボ受信機に比べ約0.5dB以上の利得が得られている。また、 $E_b/N_0 = 6$ dBの繰り返し5回目において、 $BER = 10^{-5}$ BERを達成しており、図1に示したものに比べBERを1/10以下に低減できていることが分かる。この図28Bより、 α の値としては $0 < \alpha < 0.6$ の範囲で改善が得られており、 α を0.6より大きくすると逆にBER特性が劣化してしまい、正しい復号結果が得られなくなる。この結果より、この場合の α の最適値は0.2であることが分かる。しかしながら、 α の値は前記最適値に限るものではなく、特に受信するユーザの数、干渉を含む伝搬環境、受信するアンテナの数などによって、

ユーザ数N
各ユーザのマルチパス数Q
受信アンテナ数M
1フレーム内の情報シンボル数
誤り訂正符号
ドップラー周波数
変調方式
伝送速度
復号器
繰り返し数
チャンネル推定は理想

図29にこのBER(ビット誤り率)特性のシミュレーション結果を示す。横軸は平均 E_b (ビットエネルギー)/ N_0 (雑音電力)であり、 f_d はドップラー周波数、 T_s は送信シンボル周期である。このグラフに示されているMRCはオーダ10(2アンテナ×5パス)ダイバーシチチャンネルにおける最大比合成(Maximal Ratio Combining : MRC)後の信号をビタビ復号した際に得られるBER特性であり、等化器が完全に干渉をキャンセルした際のBER特性に対応する。つまり繰り返し後のBERがMRCカーブにどれだけ近いかで受信機の品質を評価することができる。図27により、この第2発明のターボ受信方法によれば E_b/N_0 が高くなる程BERが減少し、かつ繰り返し回数を多くすればBER特性はMRCのBER特性に近づき、特に繰り返し回数6ではMRCに非常に近づくことが分かる。つまり、この第3発明のターボ受信方法による多出力ターボ受信機は4ユーザ、各5パス、2受信アンテナという厳しい条件でも適切に動作することが確認された。

【図面の簡単な説明】

【図1】この第1発明のターボ受信機の実施例を含むシステムの機能構成を示す図。

【図2】図1中の多出力等化器31の具体的機能構成例を示す図。

改善効果を有する α の適正範囲が変更されてもよく、また最適値 α の値も他の値を取っても良い。

【0135】ユーザ(送信機)の数をN、各送信機のマルチパスの数をQ、受信機のアンテナの数をMとし、BPSK変調の場合は、従来のシングルユーザのターボ受信機をそのまま多出力(MIMO)に拡張した場合の等化器における計算量は先に述べたように $2N(Q-1)$ のオーダーであるが、第3発明のターボ受信方法によれば $N(MQ)^3$ のオーダーで済む。例えば $N=8$ 、 $Q=20$ 、 $M=8$ とすると $2N(Q-1) \approx 5 \times 10^{45}$ であるが $N(MQ)^3 \approx 37 \cdot 10^7$ となり、この第2発明のターボ受信方法によれば計算量を著しく低減することができる。

【0136】この第3発明のターボ受信方法によれば良好なビット誤り率特性が得られることを以下の条件でシミュレーションを行って確認した。チャンネル行列Hは既知とした。

4
5
2本
900ビット
レート1/2、拘束長3 畳み込み符号
1000Hz (レイリーフェージング)
BPSK
20Mbps
Log-MAPデコーダ
6回

【図3】この第1発明のターボ受信方法の実施例を示す流れ図。

【図4】Aはフレーム構成例を示す図、Bは第4発明における繰り返しチャンネル推定法を説明するための、各繰り返しにおける処理を示す図である。

【図5】確からしい硬判定シンボルを取り出すための機能構成例を示す図。

【図6】この発明における繰り返しチャンネル推定の処理手順の例を示す流れ図。

【図7】Aは検出する信号の誤り訂正復号結果を反映させる第2発明における等化器31の一部の機能構成例を示す図、Bはその処理手順の例を示す図である。

【図8】ターボイコライザを繰り返し行う受信機の例を示す図。

【図9】RAKE受信ターボ復号の繰り返しを行う受信機の例を示す図。

【図10】アダプティブアレーアンテナ受信ターボ後の繰り返しを行う受信機の例を示す図。

【図11】ターボイコライザ及びターボデコーダの概略を示す図。

【図12】受信信号に対し、推定チャンネルを用いる処理と、その処理された信号の復号処理とを繰り返す受信機の概略を示す図。

【図13】受信信号に対し、推定チャネルを用いる処理とその処理された信号の復号処理とを繰返す受信方法の概略の処理手順の例を示す流れ図。

【図14】Aはフレーム構成例を示す図、Bは受信信号に白色性ガウス雑音以外の雑音を含む場合の、チャネルHと雑音共分散行列Uの推定の繰返し処理を示す図である。

【図15】雑音共分散行列Uの推定を用いる等化器の一部の機能構成例を示す図。

【図16】雑音共分散行列Uの推定を用いるチャネル値推定と、復号処理を繰返す処理手順の例を示す流れ図。

【図17】この第3発明によるターボ受信機の原理を示す図。

【図18】この第3発明によるターボ受信機の機能構成例を示す図。

【図19】図18中のマルチユーザ（前段）等化器71の機能構成の具体例を示す図。

【図20】この第3発明によるターボ受信方法の処理手順の例を示す流れ図。

【図21】第3発明における多段等化部分の他の機能構成例を示す図。

【図1】

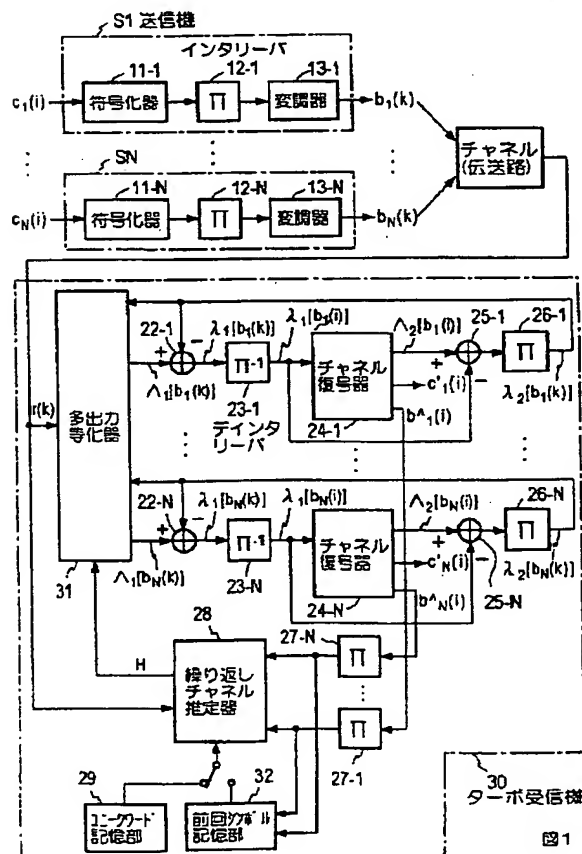


図1

【図2】

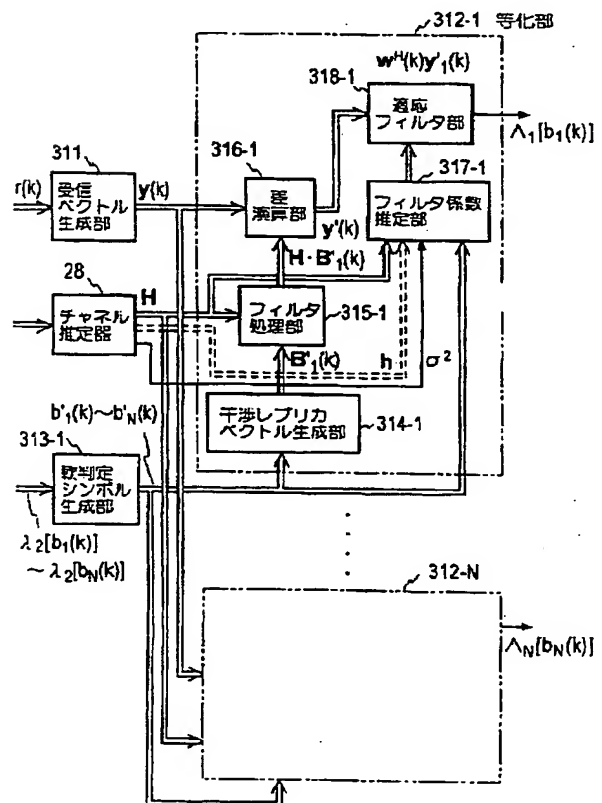


図2

【図22】第1発明（2）の実施例が適用されたシステム構成例を示す図。

【図23】第1発明（1）を適用したターボ受信機の誤り率特性図（チャネルは完全に推定されたと仮定し、 E_b （ビットエネルギー）：2ユーザ分 N_0 は雑音エネルギー）。

【図24】しきい値（Th）を変化させて繰返しチャネル推定を行った場合の誤り率特性を示す図。

【図25】第4発明において、特に繰返しチャネル推定を用いたターボ受信機の誤り率特性図。

【図26】雑音共分散行列Uの推定を用いるターボ受信機の誤り率特性を示す図。

【図27】図1に示したターボ受信機の誤り率特性を示す図。

【図28】検出する信号の誤り訂正復号結果を反映させた第2発明の実施例の誤り率特性を示す図。

【図29】この第3発明のターボ受信機の誤り率特性のシミュレーション結果を示す図。

【図30】MIMOシステム概念を示す図。

【図31】従来のシングルユーザ用ターボ送受信機の機能構成を示す図。

【図3】

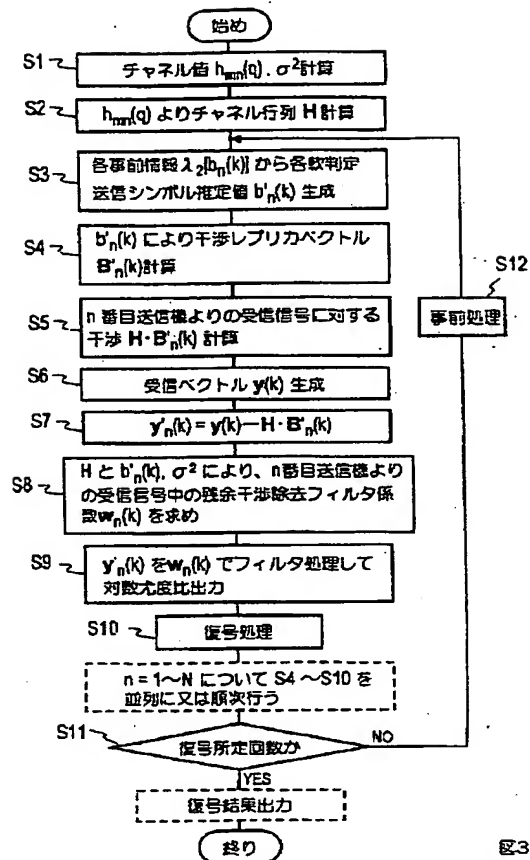


図3

【図5】

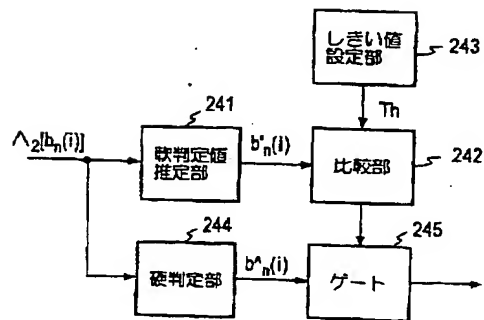


図5

【図4】

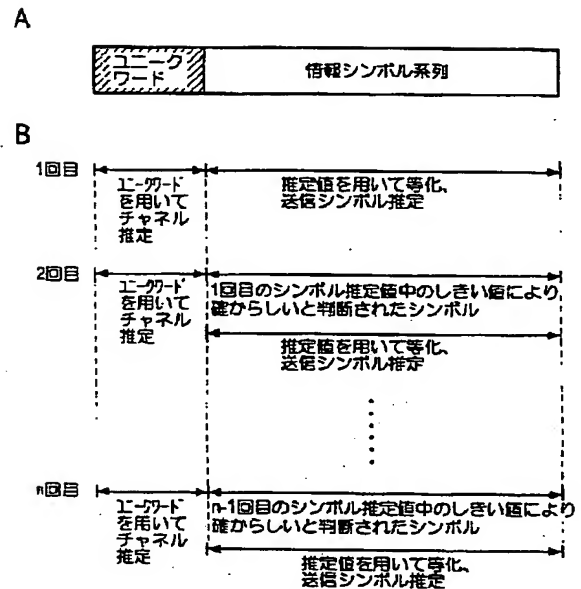


図4

【図6】

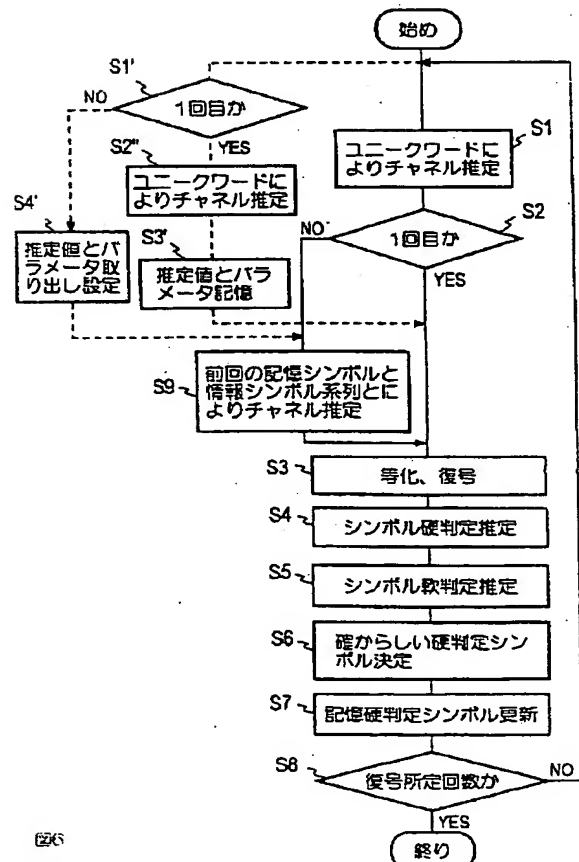
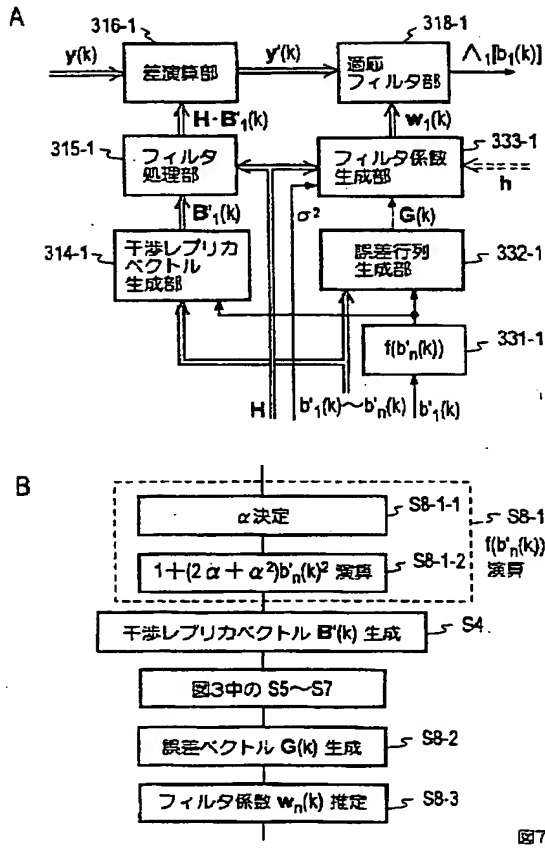
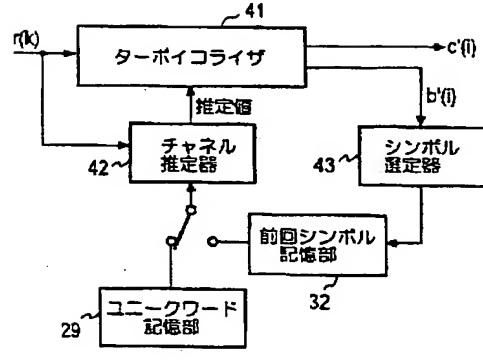


図6

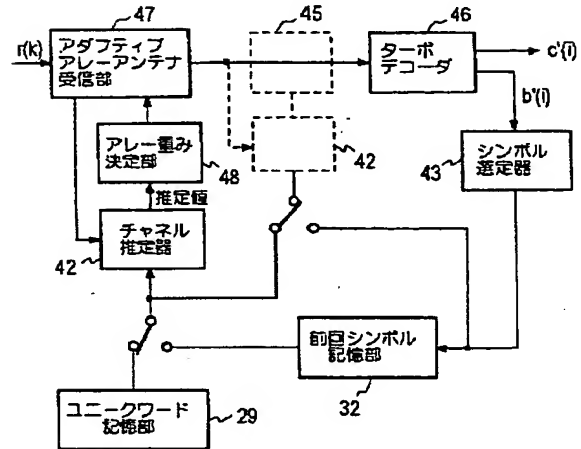
【図7】



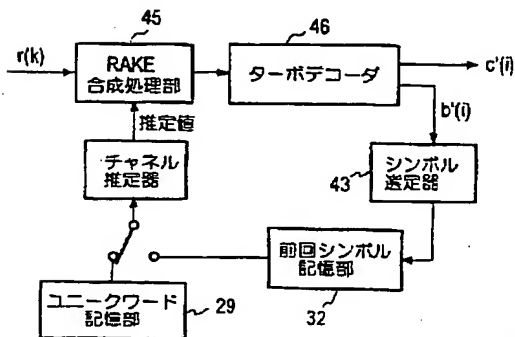
【図8】



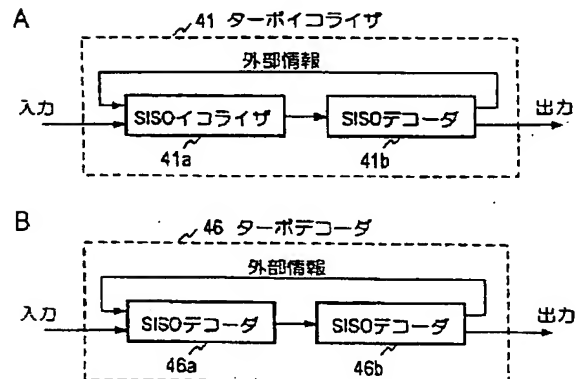
【図10】



【図9】



【図11】



【図 12】

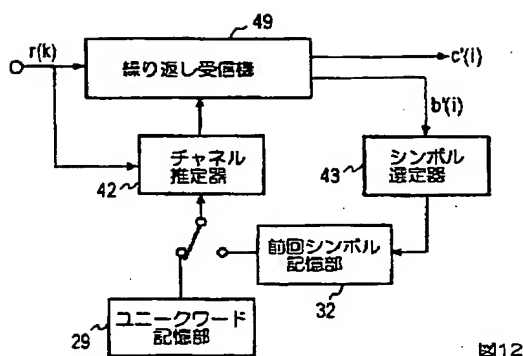


図12

【図 13】

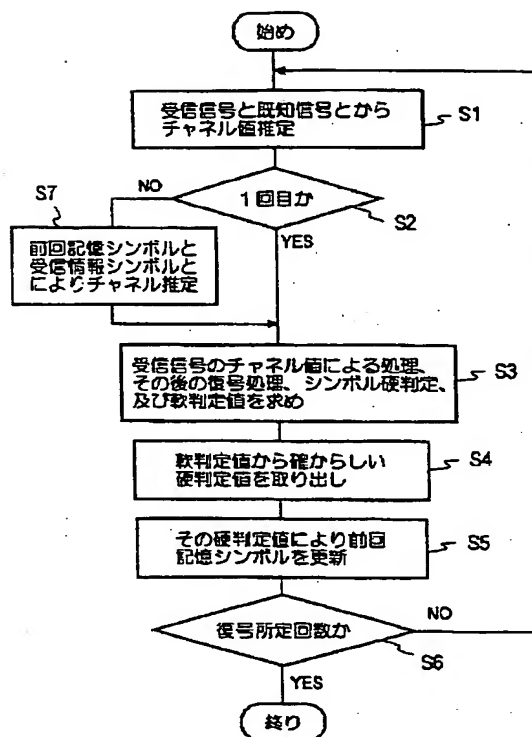


図13

【図 15】

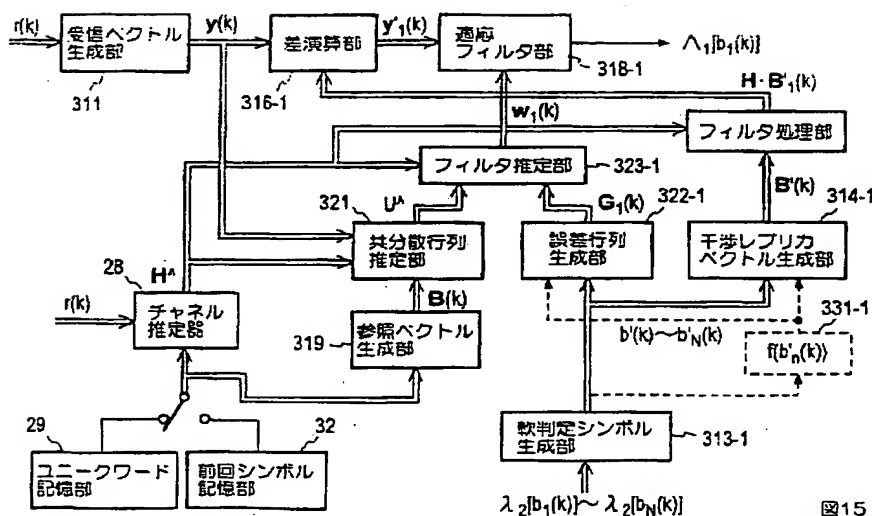


図15

【図 17】

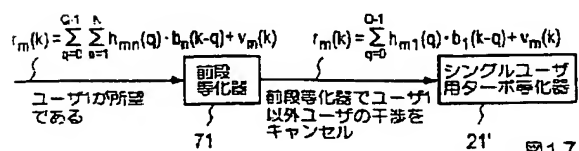


図17

【図19】

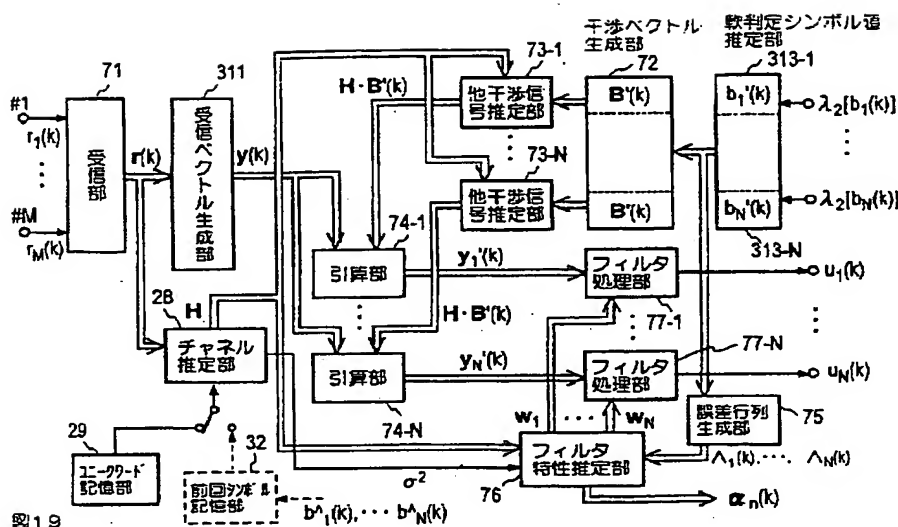


図19

【図20】

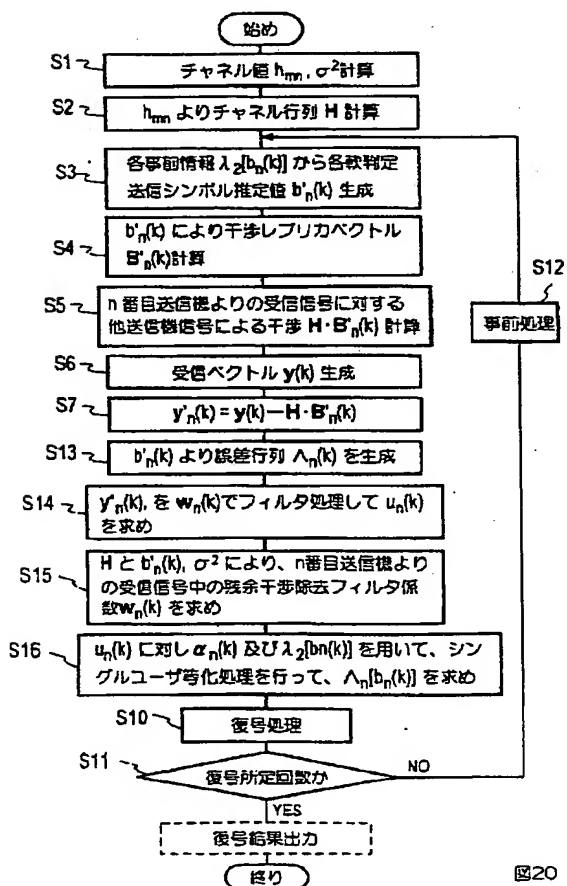


図20

【図23】

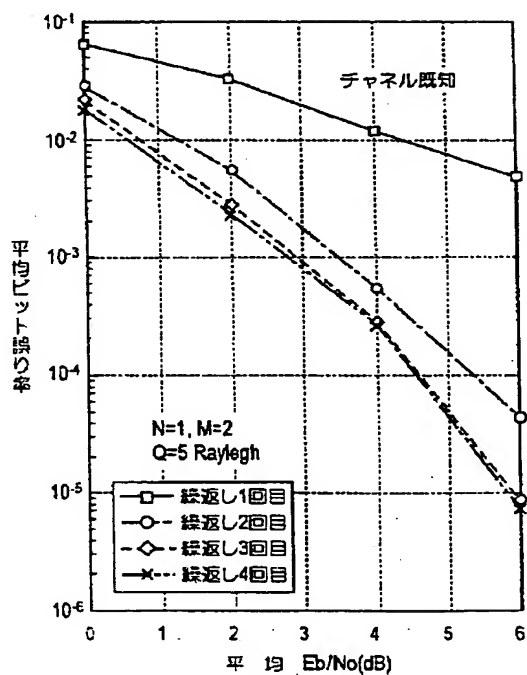


図23

【図21】

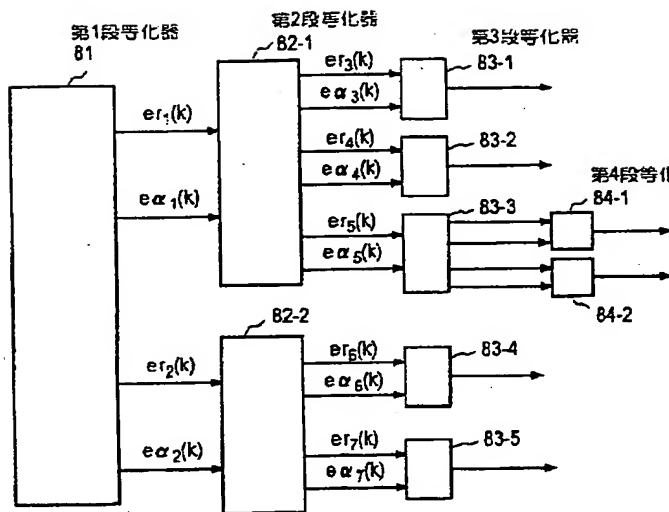


図21

【図27】

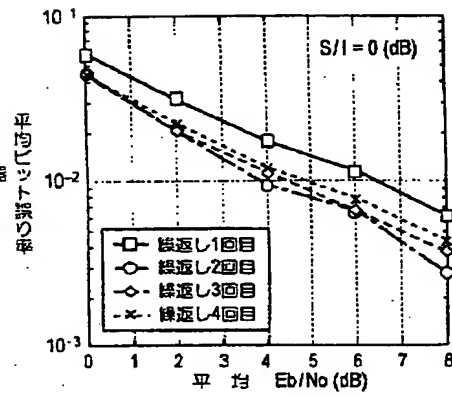
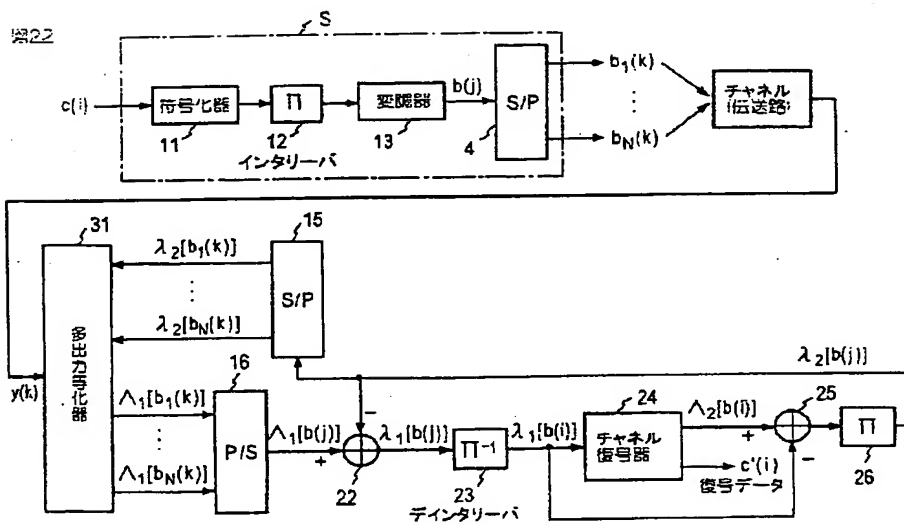


図27

【図22】



【図24】

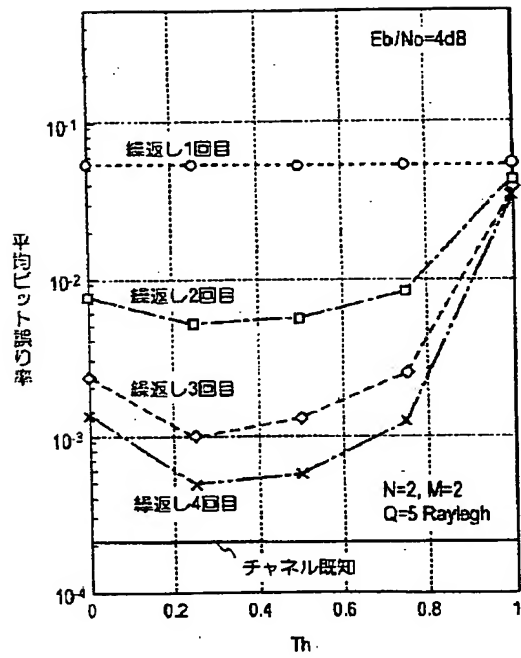


図24

【図25】

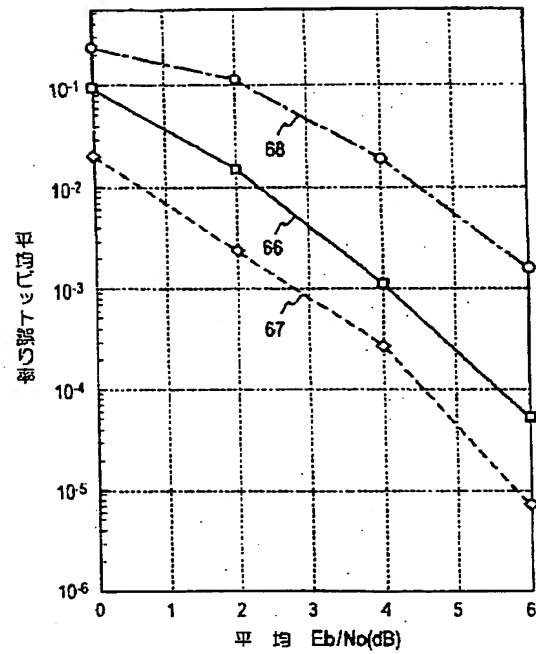


図25

【図28】

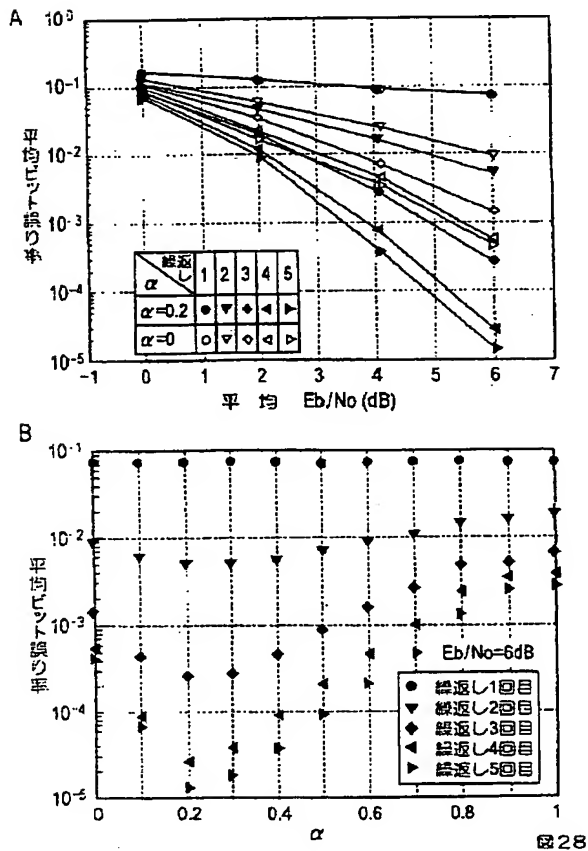


図28

【図29】

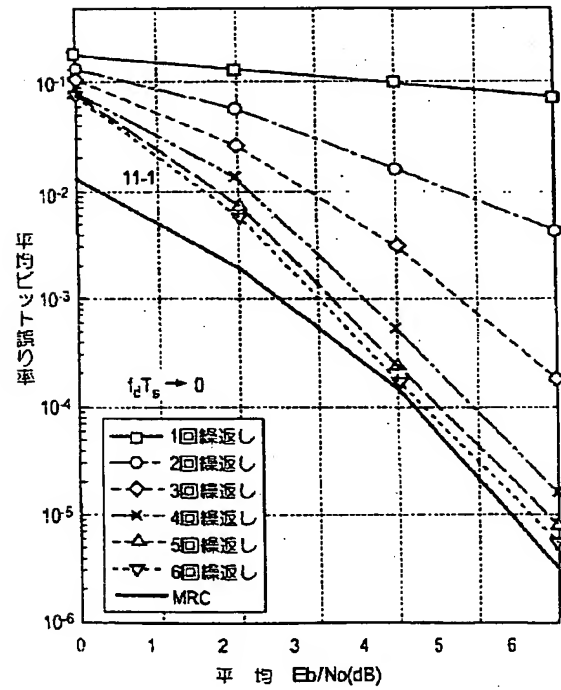


図29

【図 30】

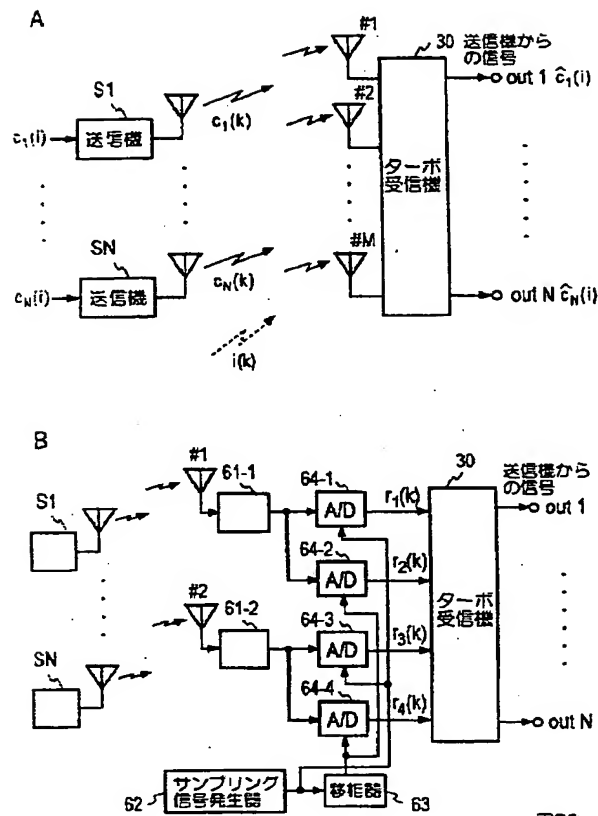


図30

【図 31】

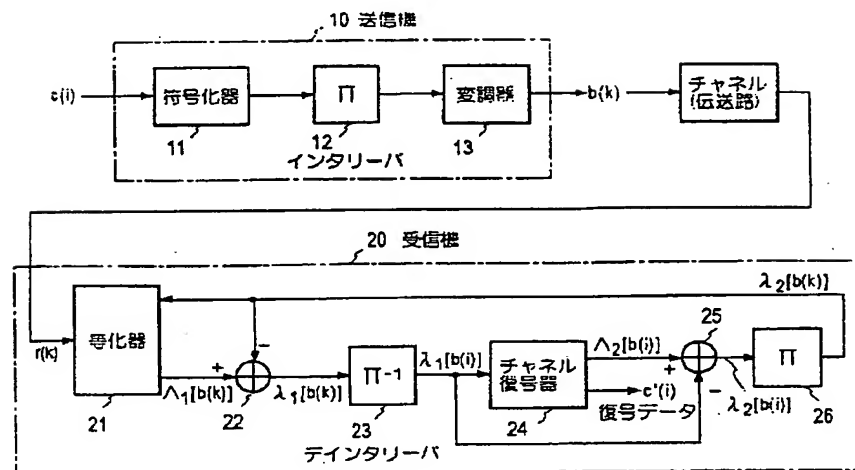


図31

【手続補正書】

【提出日】平成14年3月18日(2002. 3. 1

8)

【手続補正1】

【補正対象書類名】明細書

【補正対象項目名】請求項2

【補正方法】変更

$$\mathbf{w}_n(k) = (\mathbf{H} \mathbf{G}(k) \mathbf{H}^H + \mathbf{U})^{-1} \mathbf{h}$$

ここで、

$$\mathbf{G}(k) = \text{diag} [\mathbf{D}(k+Q-1) \cdots \mathbf{D}(k) \cdots \mathbf{D}(k-Q+1)]$$

$$\mathbf{D}(k+q) = \text{diag} [1-b'_1(k+q), \dots, 1-b'_N(k+q), \dots, 1-b'_N(k+q)] \quad q=Q-1 \cdots -Q+1, q \neq 0 \text{ で、}$$

$$= \text{diag} [1-b'_1(k+q), \dots, 1, \dots, 1-b'_N(k+q)] \quad q=0 \text{ で、}$$

【数2】

$$\mathbf{h} = \begin{bmatrix} H_{1,(Q-1) \cdot N+n} \\ H_{2,(Q-1) \cdot N+n} \\ \vdots \\ H_{M,(Q-1) \cdot N+n} \end{bmatrix}$$

$H_{1,(Q-1) \cdot N+n}$ は上記行列 \mathbf{H} の1行 $(Q-1) \cdot N + n$ 列成分により算出することを特徴とする請求項1記載のターボ受信方法。

【手続補正2】

【補正対象書類名】明細書

【補正対象項目名】請求項3

【補正方法】変更

【補正内容】

【請求項3】 2以上の整数N個の送信機からの信号を受信するターボ受信方法であって、

1以上の整数M個の受信信号 r_m と、既知信号とから、チャネル値 $h_{mn}(q)$ 及びチャネル行列 \mathbf{H} を計算し、ここで $m=1, \dots, M, n=1, \dots, N, q=0, \dots, Q-1, Q$ は各送信電波のマルチパスの数、N個の事前情報 $\lambda_2 [b_n(k)]$ から軟判定送信シンボル $b'_n(k)$ を求め、ここで k は離散的時刻、チャネル値 $h_{mn}(q)$ と軟判定送信シンボル $b'_n(k)$ を用いて、 n 番目の送信機の送信信号に対する干渉成分 $\mathbf{H} \cdot \mathbf{B}'(k)$ を計算し、

ここで

【数3】

【補正内容】

【請求項2】 受信ベクトル $\mathbf{y}(k)$ 中の雑音成分の共分散行列を \mathbf{U} として、軟判定送信シンボル $b'_n(k)$ 、上記チャネル行列 \mathbf{H} と、を用いて、上記適

応フィルタ $\mathbf{w}_n(k)$ を

$$\mathbf{H} = \begin{bmatrix} H(0) & \cdots & H(Q-1) & 0 \\ & \ddots & & \ddots \\ 0 & H(0) & \cdots & H(Q-1) \end{bmatrix}$$

$$H(q) = \begin{bmatrix} h_{11}(q) & \cdots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \cdots & h_{MN}(q) \end{bmatrix}$$

$$\mathbf{B}'(k) = [b'^T(k+Q-1) \cdots b'^T(k) \cdots b'^T(k-Q+1)]^T$$

$$b'_n(k+q) = [b'_1(k+q) b'_2(k+q) \cdots b'_N(k+q)]^T$$

$$q=Q-1 \cdots -Q+1, q \neq 0 \text{ で}$$

$$b'_n(k) = [b'_1(k) \cdots f(b'_n(k)) \cdots b'_N(k)]^T, q=0 \text{ で}$$

$b'_n(k)$ の要素の $f(b'_n(k))$ は n 番目であり、 $f(\cdot)$ は $f(0)=0$ 、かつ $d\{f(b'_n(k))\} / d\{b'_n(k)\} \geq 0$ を満たす $b'_n(k)$ を変数とする関数、 $[\cdot]^T$ は転置行列であり、この干渉成分 $\mathbf{H} \cdot \mathbf{B}'(k)$ を受信ベクトル $\mathbf{y}(k)$ から差し引き差分ベクトル $\mathbf{y}'(k)$ を求め、

$$\text{ここで } \mathbf{y}(k) = [r^T(k+Q-1) \cdots r^T(k+Q-2) \cdots r^T(k)]^T$$

$$r(k) = [r_1(k) r_2(k) \cdots r_M(k)]^T$$

チャネル行列 \mathbf{H} 又は参照信号を用いて、差分ベクトル $\mathbf{y}'(k)$ 内の残余干渉成分を除去する、 n 番目の送信機よりの送信信号の受信信号に対する適応フィルタ係数 $\mathbf{w}_n(k)$ を求め、

差分ベクトル $\mathbf{y}'(k)$ を上記適応フィルタ係数 $\mathbf{w}_n(k)$ によりフィルタ処理して、 n 番目の送信機よりの送信信号に対する干渉除去された受信信号として対数尤度比を得ることを特徴とするターボ受信方法。

【手続補正3】

【補正対象書類名】明細書

【補正対象項目名】請求項4

【補正方法】変更

【補正内容】

【請求項4】 上記受信ベクトル $y(k)$ 中の雑音成

$$w_n(k) = (H G(k) H^H + U)^{-1} h$$

ここで、

$$G(k) = \text{diag} [D(k+Q-1) \cdots D(k) \cdots D(k-Q+1)]$$

$$D(k+q) = \text{diag} [1 - b'^2_1(k+q), \dots, 1 - b'^2_n(k+q), \dots, 1 - b'^2_N(k+q)] \quad q = Q-1 \cdots -Q+1, q \neq 0 \text{ で、}$$

$$= \text{diag} [1 - b'^2_1(k+q), \dots, 1 - b'^2_{n-1}(k), 1 + 2E[f(b'_n(k))] + E[f(b'_n(k)^2)], 1 - b'^2_{n+1}(k), \dots, 1 - b'^2_N(k+q)] \quad q = 0 \text{ で}$$

 $E[\]$ は平均を表わす。

【数4】

$$h = \begin{bmatrix} H_{1,(Q-1) \cdot N + n} \\ H_{2,(Q-1) \cdot N + n} \\ \vdots \\ H_{M,(Q-1) \cdot N + n} \end{bmatrix}$$

$H_{1,(Q-1) \cdot N + n}$ は上記行列 H の1行 $(Q-1)N + n$ 列成分により算出することを特徴とする請求項3記載のターボ受信方法。

【手続補正4】

【補正対象書類名】明細書

【補正対象項目名】請求項10

【補正方法】変更

【補正内容】

【請求項10】 2以上の整数 N 個の送信機からの信号を受信するターボ受信方法であって、

1以上の整数 M 個の受信信号 r_m と、既知信号とから、チャネル値 $h_{mn}(q)$ 及びチャネル行列 H を計算し、ここで $m=1, \dots, M, n=1, \dots, N, q=0, \dots, Q-1, Q$ は各送信電波のマルチパスの数 N 個の事前情報 $\lambda_2 [b_n(k)]$ から軟判定送信シンボル $b'_n(k)$ を求め、ここで k は離散的時刻、チャネル値 $h_{mn}(q)$ と軟判定送信シンボル $b'_n(k)$ を用いて、 n 番目の送信機の送信信号に対する干渉成分 $H \cdot B'(k)$ を計算し、

ここで

【数7】

分の共分散行列を U として、軟判定送信シンボル $b'_n(k)$ 、上記チャネル行列 H を用いて、上記適応フィルタ $w_n(k)$ を

$$H = \begin{bmatrix} H(0) & \cdots & H(Q-1) & 0 \\ & \ddots & & \ddots \\ 0 & & H(0) & \cdots & H(Q-1) \end{bmatrix}$$

$$H(q) = \begin{bmatrix} h_{11}(q) & \cdots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \cdots & h_{MN}(q) \end{bmatrix}$$

$$B'(k) = [b'^T(k+Q-1) \cdots b'^T(k) \cdots b'^T(k-Q+1)]^T$$

$$b'(k+q) = [b'_1(k+q) \ b'_2(k+q) \cdots b'_N(k+q)]^T$$

$$q = Q-1 \cdots -Q+1 \quad q \neq 0 \text{ で}$$

$$b'(k) = [b'_1(k) \cdots f(b'_n(k)) \cdots b'_N(k)]^T \quad q = 0 \text{ で}$$

$b'(k)$ の要素の $f(b'_n(k))$ は n 番目であり、 $f(\)$ は $f(0) = 0$ 、かつ $d\{f(b'_n(k))\} / d\{b'_n(k)\} \geq 0$ を満たす $b'_n(k)$ を変数とする関数、 $[]^T$ は転置行列であり、この干渉成分 $H \cdot B'(k)$ を受信ベクトル $y(k)$ から差し引き差分ベクトル $y'(k)$ を求め、

$$\text{ここで } y(k) = [r^T(k+Q-1) \ r^T(k+Q-2) \cdots r^T(k)]^T$$

$$r(k) = [r_1(k) \ r_2(k) \cdots r_M(k)]^T$$

受信ベクトル $y(k)$ 内の雑音成分の共分散行列を、ガウス分布の分散 σ^2 と単位行列 I から求まる σ^2

 I として、

【数8】

$$h = \begin{bmatrix} H_{1, (Q-1) \cdot N+n} \\ H_{2, (Q-1) \cdot N+n} \\ \vdots \\ H_{M \cdot Q, (Q-1) \cdot N+n} \end{bmatrix}$$

により決定した適応フィルタ係数 w_n により差分ベクトル $y'(k)$ をフィルタ処理して、 n 番目の送信機よりの送信信号に対する干渉が除去された受信信号として対数尤度比を得ることを特徴とするターボ受信方法。

【手続補正5】

【補正対象書類名】明細書

【補正対象項目名】請求項21

【補正方法】変更

【補正内容】

【請求項21】 2以上の整数 N 個の送信機からの信号を受信するターボ受信機であって、

1以上の整数 M 個の受信信号 r_m を得る受信信号生成部と、ここで $m=1, \dots, MN$ 個の復号器と、

各受信信号 r_m と、既知信号の参照信号とが入力され、チャネル値 $h_{mn}(q)$ 及びチャネル行列 H を計算するチャネル推定器と、ここで

【数12】

$$H = \begin{bmatrix} H(0) & \dots & H(Q-1) & 0 \\ & \ddots & & \ddots \\ 0 & & H(0) & \dots & H(Q-1) \end{bmatrix}$$

$$H(q) = \begin{bmatrix} h_{11}(q) & \dots & h_{1N}(q) \\ \vdots & \ddots & \vdots \\ h_{M1}(q) & \dots & h_{MN}(q) \end{bmatrix}$$

$n=1, \dots, N$

各受信信号 r_m が入力されて受信ベクトル

$y(k) = [r^T(k+Q-1) \ r^T(k+Q-2) \ \dots \ r^T(k)]^T$

$r(k) = [r_1(k) \ r_2(k) \ \dots \ r_M(k)]^T$

ここで k は離散的時刻、 Q は各送信電波のマルチパスの数、 $q=0, \dots, Q-1$ 、 $[\]^T$ は転置行列を表わす、

を生成する受信ベクトル生成部と、

N 個の事前情報が入力され、軟判定送信シンボル $b'_n(k)$ ($n=1, \dots, N$) を生成する軟判定シンボル生成部と、

各軟判定送信シンボル $b'_1(k) \sim b'_N(k)$ が入力され、 n 番目の送信機よりの送信信号に対する干渉レ

プリカベクトル

$B'(k) = [b'^T(k+Q-1) \ \dots \ b'^T(k) \ \dots \ b'^T(k-Q+1)]^T$

$b'(k+q) = [b'_1(k+q) \ b'_2(k+q) \ \dots \ b'_N(k+q)]^T$

$q=Q-1, \dots, -Q+1, \quad q \neq 0$

$b'(k) = [b'_1(k) \ \dots \ f(b'_n(k)) \ \dots \ b'_N(k)]^T_{q=0}$

$b'(k)$ の要素の $f(b'_n(k))$ は n 番目、 $f(\)$ は $f(0)=0$ 、かつ $d\{f(b'_n(k))\}/d\{b'_n(k)\} \geq 0$ を満たす $b'_n(k)$ を変数とする関数であり、を生成するレプリカベクトル生成部と、

チャネル行列 H と干渉レプリカベクトル $B'(k)$ が入力され、 n 番目の送信機よりの送信信号の受信信号に対する干渉成分 $H \cdot B'(k)$ を計算して出力するフィルタ処理部と、

干渉成分 $H \cdot B'(k)$ と受信ベクトル $y(k)$ が入力され、差分ベクトル $y'(k) = y(k) - H \cdot B'(k)$ を出力する差演算部と、

チャネル行列 H 又は参照信号が入力され、差分ベクトル $y'(k)$ 内の残余干渉成分を除去する n 番目の送信機よりの送信信号の受信信号に対する適応フィルタ係数 $w_n(k)$ を求めるフィルタ係数推定部と、

差分ベクトル $y'(k)$ と上記適応フィルタ係数 $w_n(k)$ が入力され、 $y'(k)$ に対しフィルタ処理して、 n 番目の送信機よりの送信信号に対する干渉除去された受信信号として対数尤度比を得て n 番目の復号器へ供給する適応フィルタ部と、

を具備することを特徴とするターボ受信機。

【手続補正6】

【補正対象書類名】明細書

【補正対象項目名】0022

【補正方法】変更

【補正内容】

【0022】第2発明によれば、第1発明において、 $q=0$ の場合に、

$b'(k) = [b'_1(k) \ \dots \ f(b'_n(k)) \ \dots \ b'_N(k)]^T$

$b'(k)$ の要素の $f(b'_n(k))$ は n 番目であり、 $f(\)$ は $f(0)=0$ 、かつ $d\{f(b'_n(k))\}/d\{b'_n(k)\} \geq 0$ を満たす $b'_n(k)$ を変数とする関数とすることを特徴とする。第3発明によれば、等化処理を複数段階に分けて行い、後段階、等化出力の系列の数を少なくする。

【手続補正7】

【補正対象書類名】明細書

【補正対象項目名】0052

【補正方法】変更

【補正内容】

【0052】式(29)中の $b'(k)$ 、つまり式(31)を次式に変更する。

$$b'(k) = [b'_1(k) \ b'_2(k) \ \dots \ b'_{n-1}(k) \ \underset{\dots b'_N(k)}{= f(b'_n(k))} \ b'_{n+1}(k) \ \dots] \quad (43)$$

ただし、 $f(b'_n(k))$ は $b'_n(k)$ を入力とする任意の関数

このようにすることにより、検出する信号 $b_n(k)$ に関しても誤り訂正復号結果を反映させることが可能となる。つまり $b'_n(k) = 0$ とすることなく($b'_n(k)$ に応じた適当な値を加算することにより、例えば、雑音や干渉信号に埋ずもれた検出する信号を強調することになって、 $b_n(k)$ を正しく検出することができる。

【手続補正8】

【補正対象書類名】明細書

【補正対象項目名】0055

【補正方法】変更

【補正内容】

【0055】 $B'(k) = [b'(k+Q-1) \ \dots \ b'(k) \ \dots \ b'(k-Q+1)]^T$
 $b'(k+q) = [b'_1(k+q) \ b'_2(k+q) \ \dots \ b'_N(k+q)]^T \quad q=Q-1, \dots, -Q+1, \quad q \neq 0$
 $b'(k) = [b'_1(k) \ \dots \ -f(b'_n(k)) \ \dots \ b'_N(k)]^T$
 $q=0$ で、 $-f(b'_n(k))$ は $b'(k)$ の n 番目の要素

【手続補正9】

【補正対象書類名】図面

【補正対象項目名】図9

【補正方法】変更

【補正内容】

【図9】

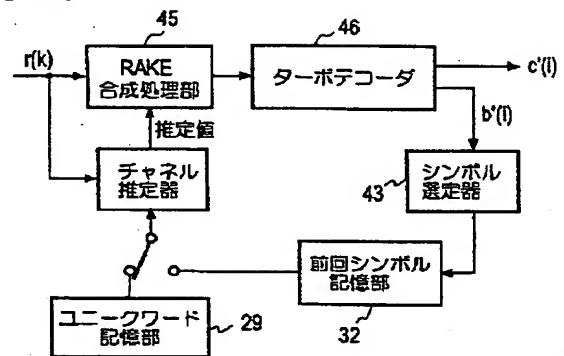


図9

【手続補正10】

【補正対象書類名】図面

【補正対象項目名】図19

【補正方法】変更

【補正内容】

【図19】

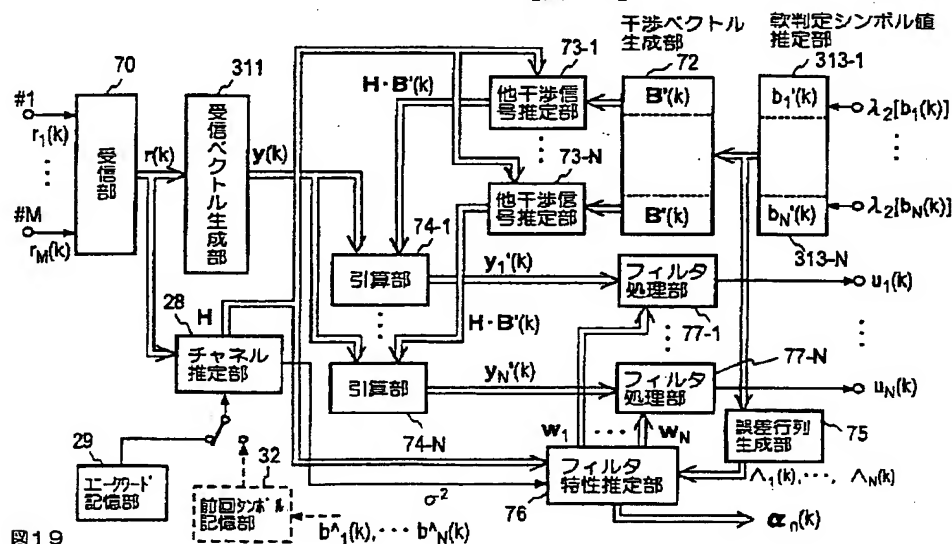


図19

フロントページの続き

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